

Yield Per Recruit

Reading:

See Jennings et al. 2001, section 7.7

Haddon et al. 2011, section 2.8

Yield Per Recruit (YPR) models

Main questions:

- How hard should we fish to optimize harvest?
- What is the optimum age (or size) at first capture?
 - Lots of small fish or fewer big fish?

YPR is called a “**dynamic pool model**”

What are Dynamic Pool Models?

- Simple age-structured models
- Deterministic models
- Include mortality and growth models
- Widely used to develop reference points used to manage fisheries
- Common Types :
 - **Yield per recruit (YPR) → TODAY**
 - Spawning Stock Biomass per Recruit (SSB/R, S/R)
 - Egg per recruit

YPR – In class exercise

- See hand out
- Explanation of exercise
- Preliminary questions
 - If your goal is to maximize your yield, what fishing strategy do you think will be best:
 $u=80\%, 50\%, 40\%, 30\%, 20\%, 10\%$?
- Break up into groups and calculate the values. Then, fill in the summary table on the board.

Example

- *values rounded to 1 decimal place

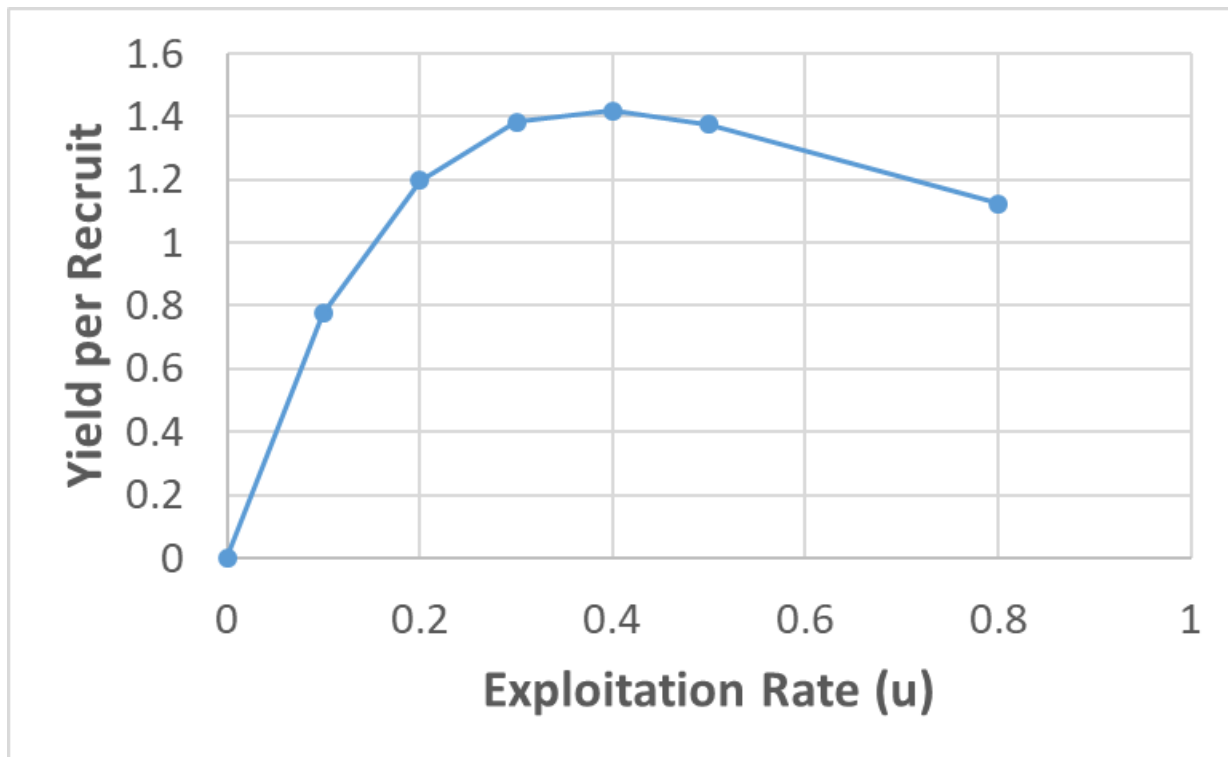
		Exploitation rate of 80% ($u=0.8$)		
Age (a)	Weight (W, in kg)	Stock Size (N)	Catch (C)	Catch Wt (kg)
1	--	1000	--	--
2	1	$200 ((1-u)*N_{a-1})$	$800 (u*N_{a-1})$	$800 (C*W_a)$
3	1.5	40.0	160.0	240.0
4	2	8.0	32.0	64.0
5	2.5	1.6	6.4	16.0
6	3	0.3	1.3	3.8
		TOTAL	1000	1124
			YPR	1.124

Write your YPR Results on the board

Fishing Scenario	Total Catch (# of fish)	Total Catch (kg)	Initial Recruits	Yield per recruit
u=0.8			1000	
u=0.5			1000	
u=0.4			1000	
u=0.3			1000	
u=0.2			1000	
u=0.1			1000	

- What do the results mean?
- Did the results match your prediction? Why or why not?
- What were the tradeoffs with the different strategies?
- What would happen if we introduced natural mortality?

YPR Results

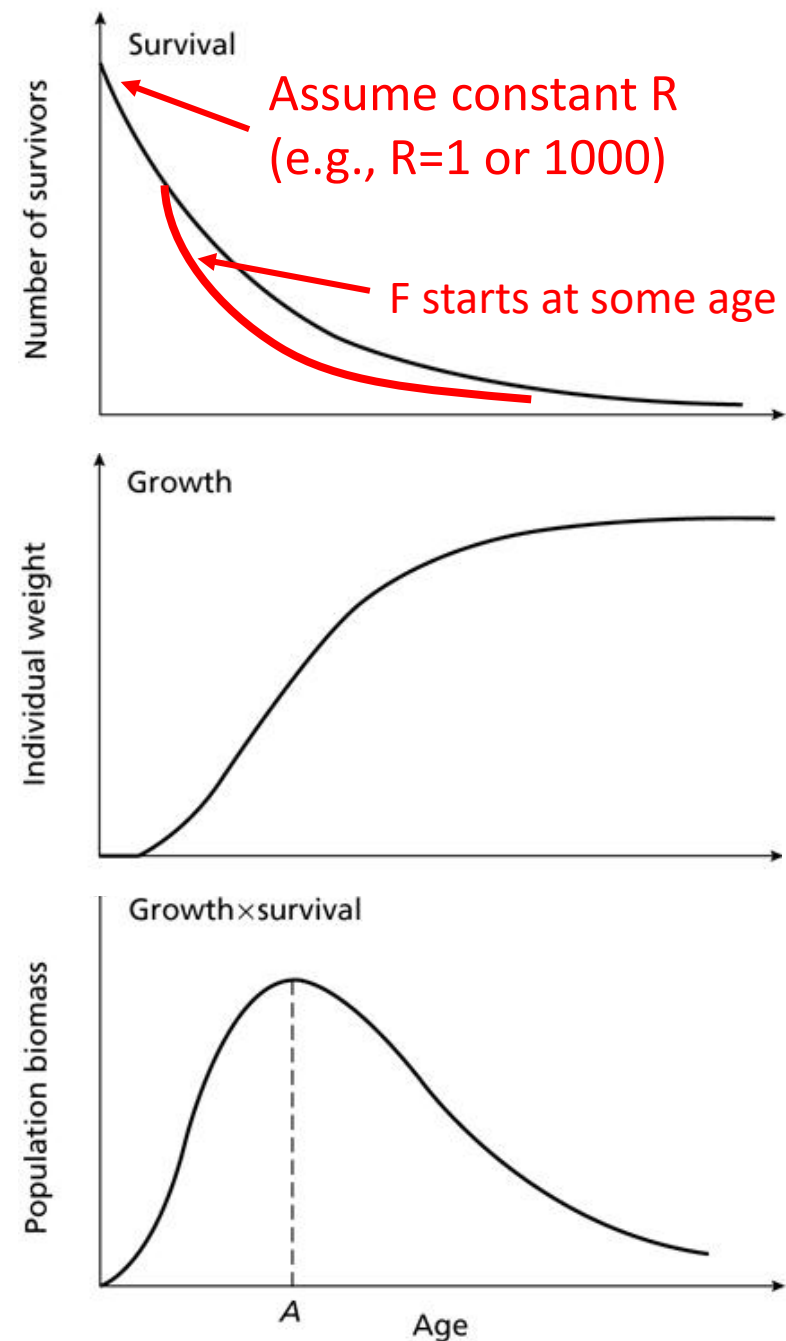


Fishing Scenario	Total Catch (# of fish)	Total Catch (kg)	Initial Recruits	Yield per recruit
$u=0.1$	410	776	1000	0.776
$u=0.2$	672	1198	1000	1.198
$u=0.3$	832	1382	1000	1.382
$u=0.4$	922	1420	1000	1.420
$u=0.5$	969	1375	1000	1.375
$u=0.8$	1000	1124	1000	1.124

Yield Per Recruit (YPR)

Fishing yield affected by a tradeoff between growth and mortality

- Basic Idea
 - Assume constant R
 - Simulate declines in N by age
 - Account for increases in W at age
 - Calculate Biomass at age
 - Estimate yield
 - given F and age at capture
 - Repeat for different fishing scenarios to find the optimum yield



YPR

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		TOTAL	1000	1124
			YPR	1.124

How do we express this as an equation?

Yield Per Recruit (YPR)

- Model biomass and yield of a cohort over time, accounting for growth and mortality:

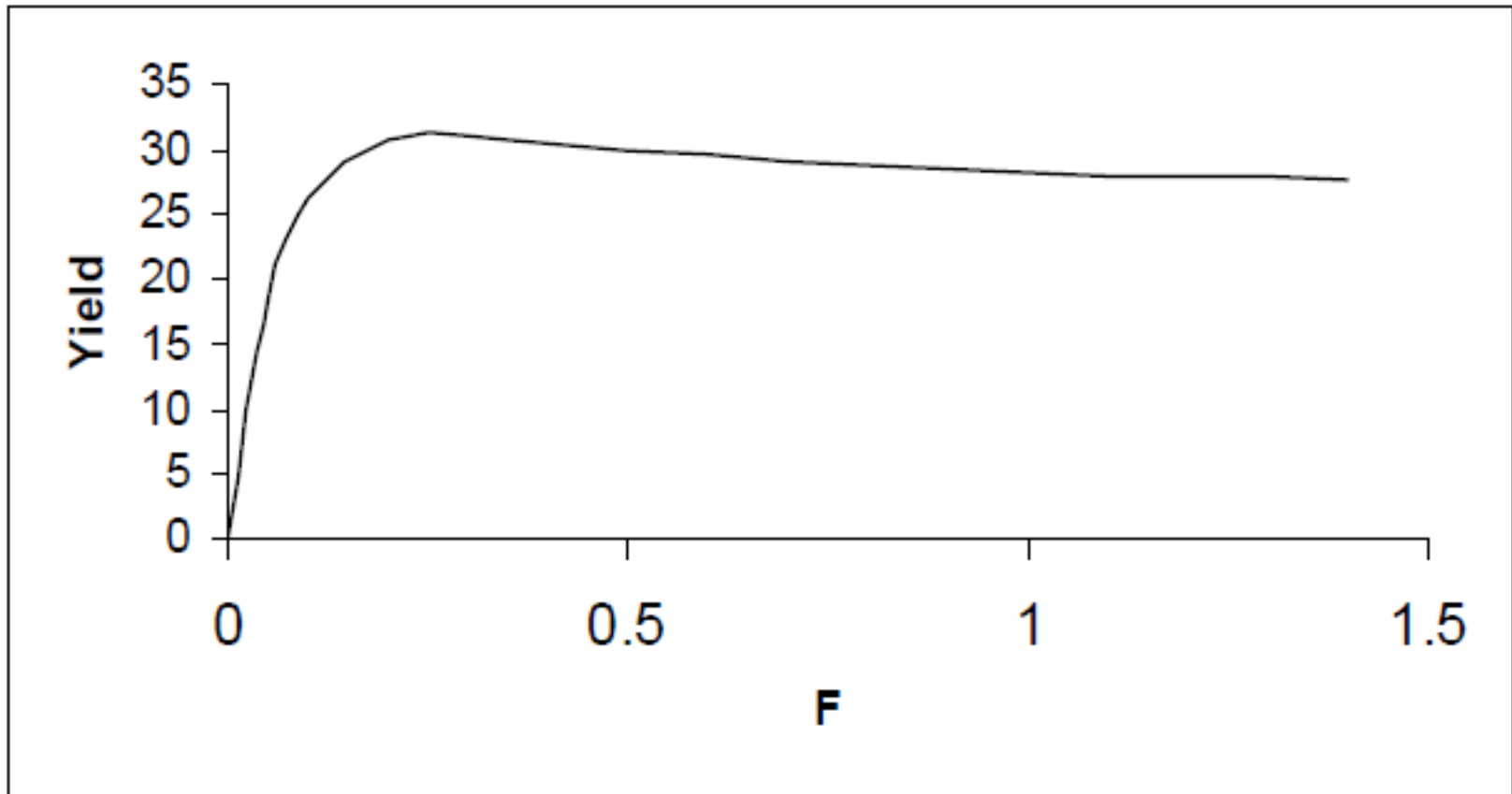
$$Y = \sum_{t=t_c}^{t_{max}} \frac{F_t}{Z_t} (1 - e^{-Z_t}) N_t W_t \qquad Y = \sum_{t=t_c}^{t_{max}} u_t N_t W_t$$

- Y = yield (in biomass) per fish recruited to fishery
- t_c = age at first capture
- t_{max} = max age that is captured
- F_t = instantaneous fishing mortality rate at age t
- Z_t = instantaneous total mortality rate
- u_t = exploitation rate at age t (proportion harvested)
- N_t = abundance at age t
- W_t = weight at age t

How do we
model N_t
and W_t ?

Yield (per recruit) vs. F

- Yield per recruit curve
 - Model is run for different values of F (e.g. our 6 scenarios)
- What do the different parts of this curve represent?

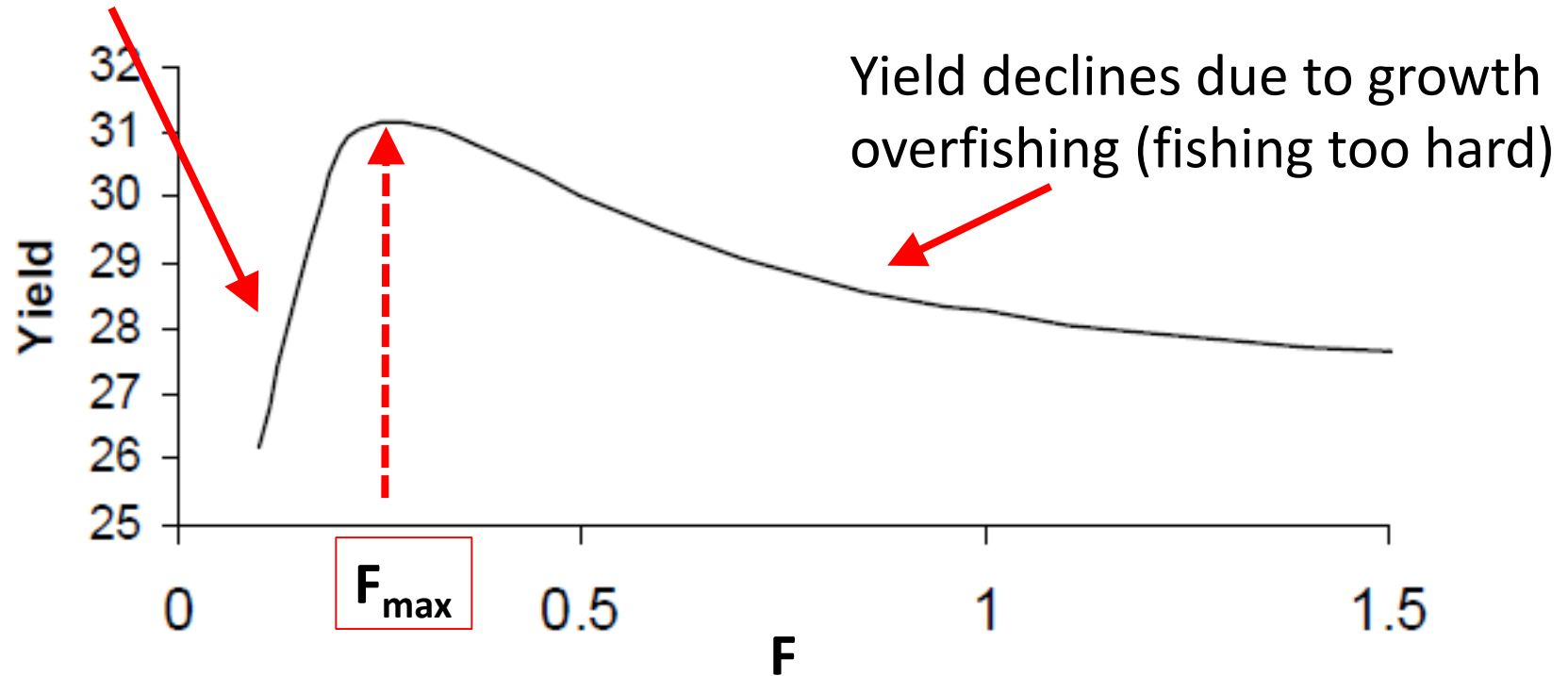


*Not uncommon to have a flat top to these curves

Yield (per recruit) vs. F

Yield declines due to low fishing (not fishing hard enough)

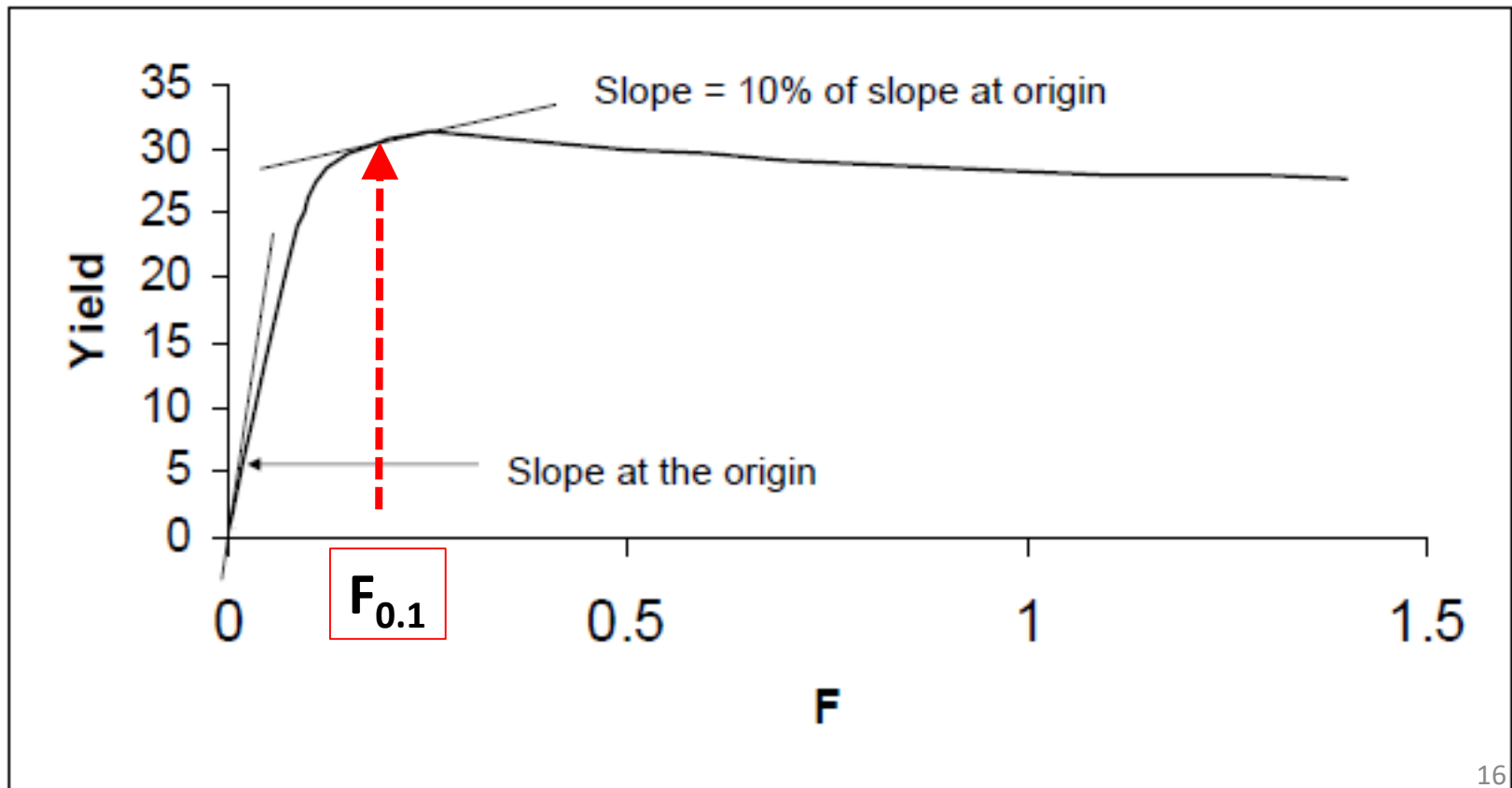
Growth overfishing – when fishing rates are too high, preventing the maximum yield being caught (b/c fish are prevented from growing to larger sizes)



F_{\max} = Fishing mortality rate that maximizes the yield per recruit
Use optimization function to find F_{\max}

$$F_{0.1}$$

- $F_{0.1} = F$ where slope of YPR curve is 10% of slope at the origin
- Conservative alternative to F_{max}



Comments on F_{\max} and $F_{0.1}$

- **Biological reference points** – quantitative, biologically-based metric for a stock to inform management
- $F_{0.1}$
 - Ad hoc with no theoretical justification
 - More conservative
 - Greater stock stability with slightly lower yields
- $F_{\max} \neq F_{\text{msy}}$ (don't confuse the two...)
- Usage
 - Still used somewhat in Europe and Canada
 - In US: Spawning Stock Biomass per Recruit favored

Yield per recruit models

- 2 main control variables:
 - Age at first capture, t_c (ie, selectivity pattern)
 - Fishing Mortality, F
- Try different combinations of t_c and F to maximize yield



Age at first capture (t_c)

- Assume constant M , but F only starts at t_c
- But we can change how abruptly F increases by changing the “selectivity”

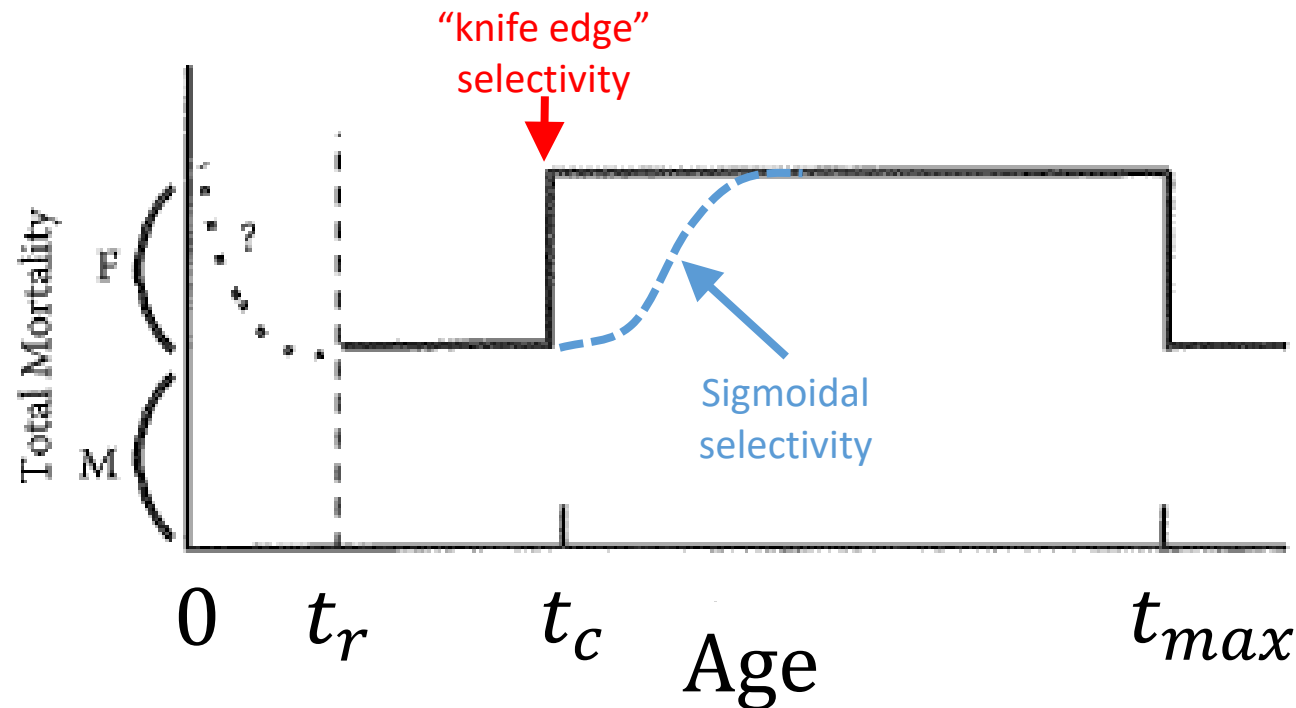
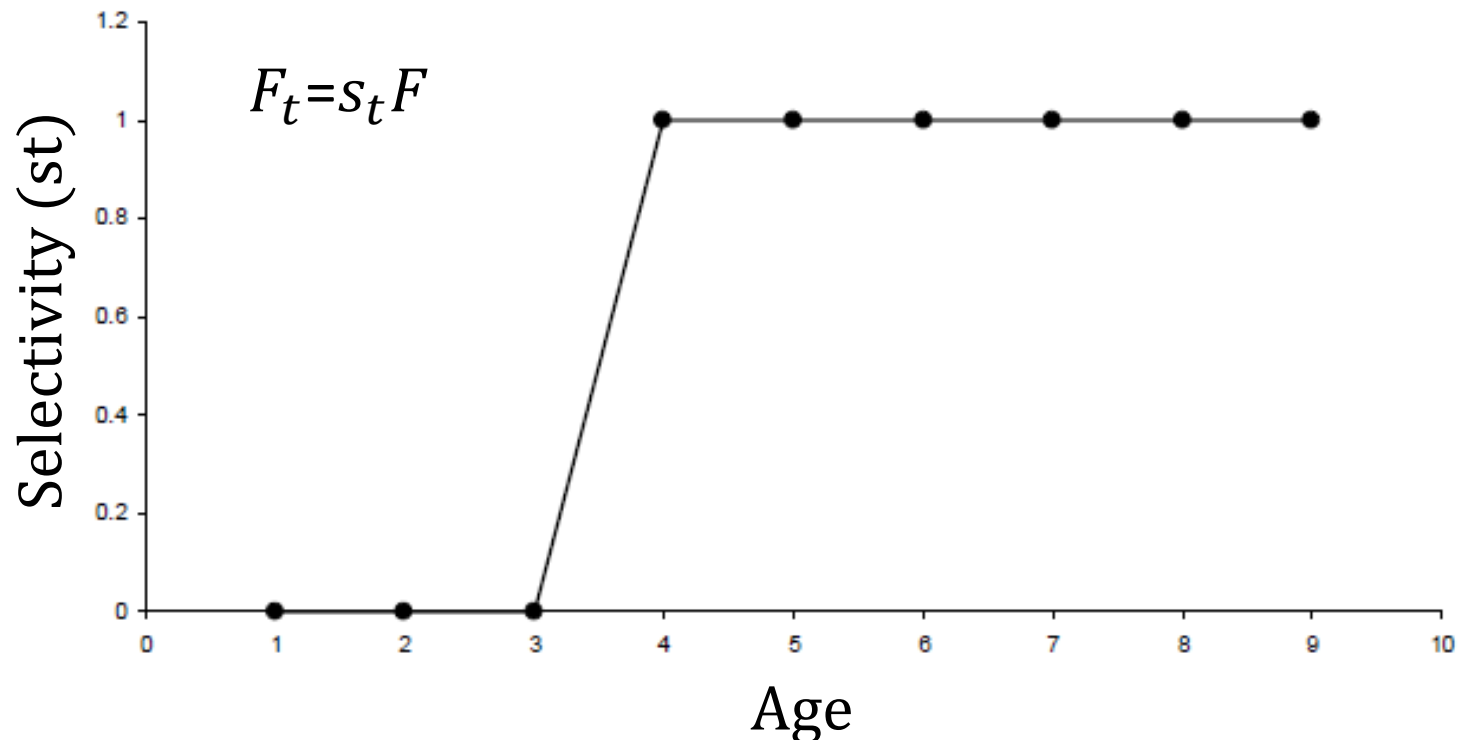


FIGURE 2.14

A diagram of the assumptions made in simple yield-per-recruit analysis. Here t_r is the age at recruitment, t_c is the age at first possible capture, and t_{max} is the age at which fish cease to be vulnerable to fishing. The model does not consider the dynamics of individuals younger than t_r years of age but simply assumes that there are R recruits of this age entering the stock each breeding period. M and F are the constant instantaneous rates of natural and fishing mortality, respectively. Knife-edge selection is shown by the vertical rise in mortality at t_c .

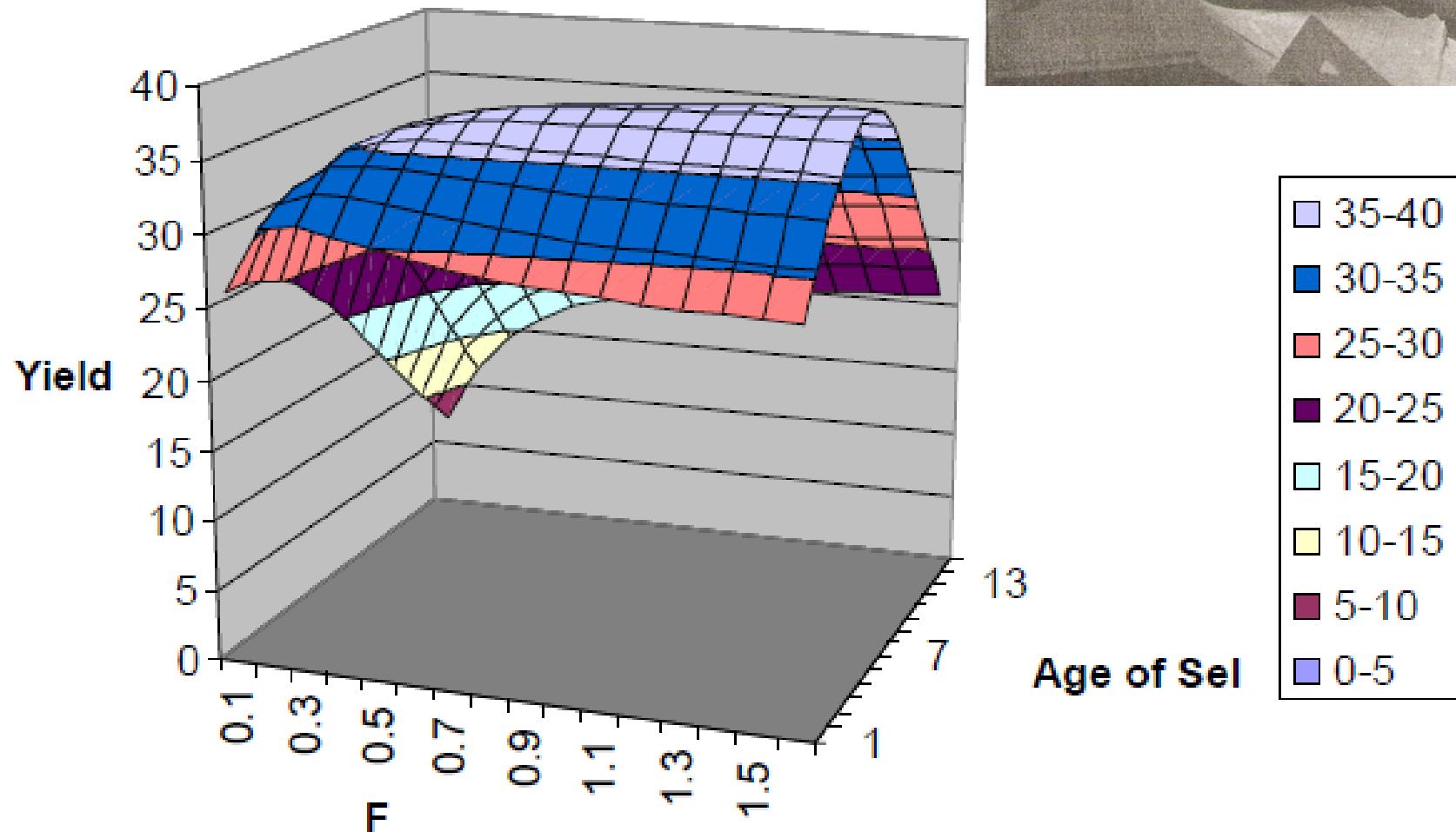
Fishing mortality by age

- **Age-specific selectivity** (s_t) = the probability of being vulnerable to fishing at age t (or some size)
 - This is known as “partial recruitment” for the **ypr()** function in R
- Simple model assumes knife-edge selectivity (but can have different shapes):

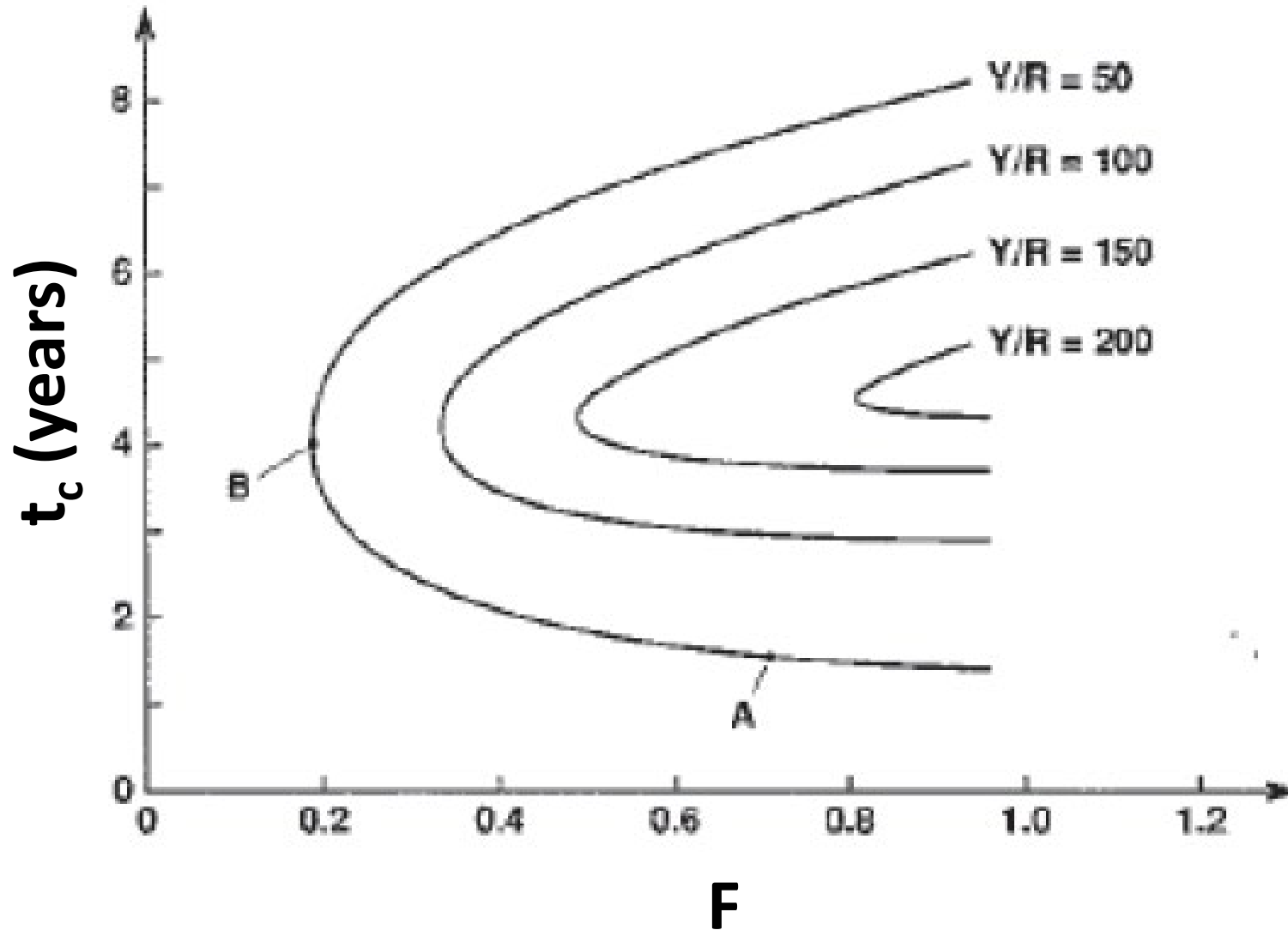


YPR Surface

Side: Beverton
& Holt with
cardboard
cutout for YPR
surface

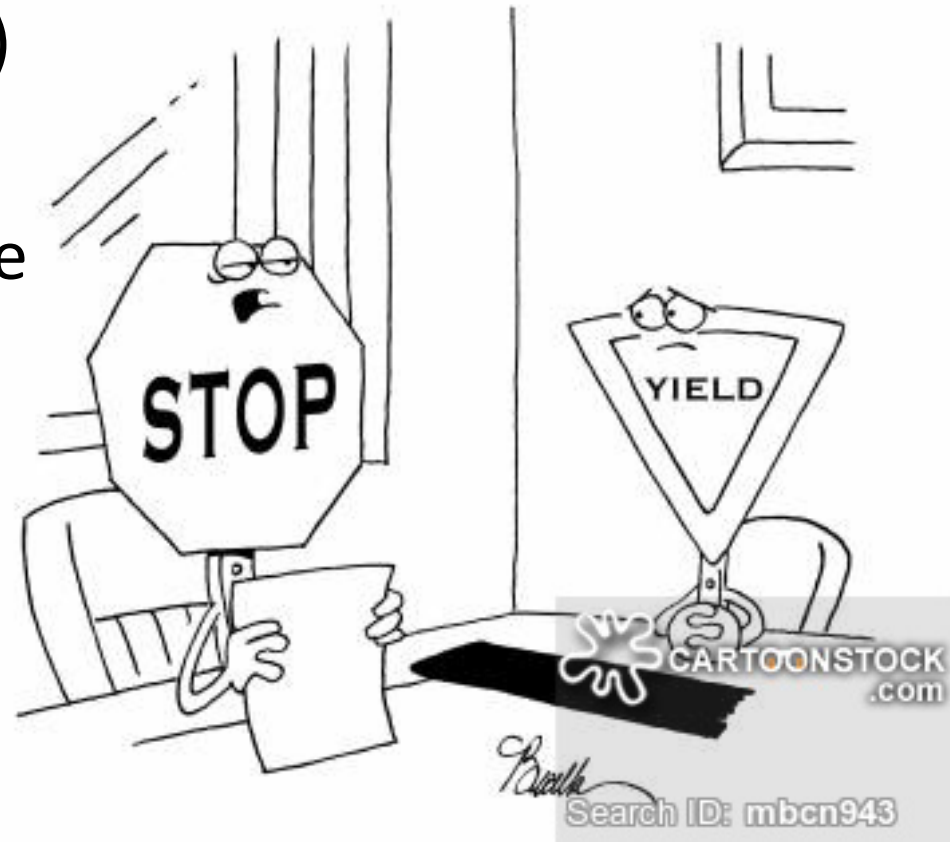


YPR contour plot



Assumptions of YPR Models

- Constant recruitment (ie age-structure is at equilibrium or steady state)
- Constant mortality schedule
- Constant growth schedule




"I'm afraid we need someone with a little more backbone for this position."

Uses of YPR Models

- Develop reference points (F_{\max} , $F_{0.1}$) for fisheries management (constant fishing rate harvest strategy)
 - Prevent growth overfishing
 - Evaluates things we can control (F , t_c)
- Determine optimal age at first capture
 - Gear regulations (e.g., mesh sizes, hook sizes, escapement holes, minimum sizes)
 - Season start date

Limitations of YPR Models

In what setting
may some of
these be more
appropriate?



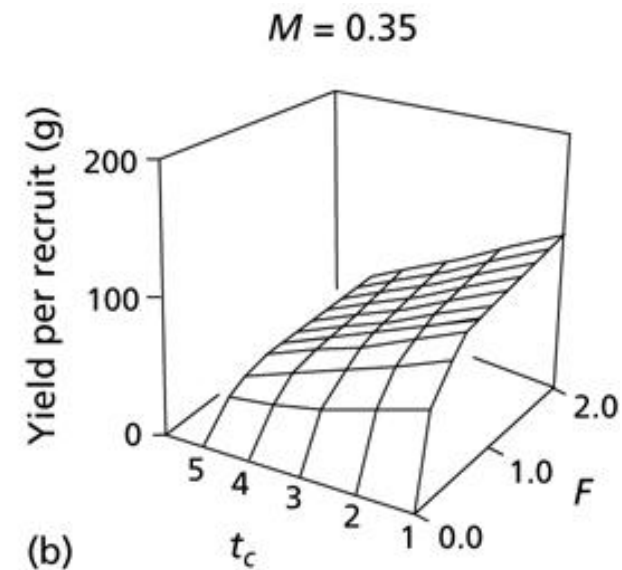
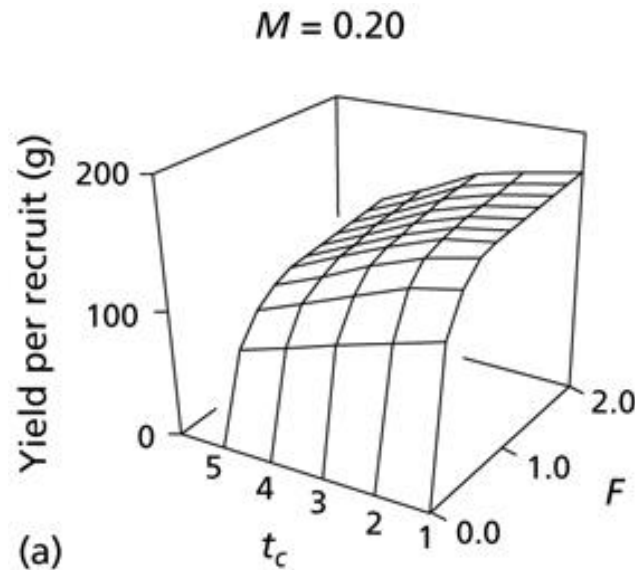
- Constant assumptions
 - Assumes steady state (e.g., constant R & age structure)
 - Constant mortality, selection, size at age schedules
 - This means no density dependence
- Used as a relative measure
 - does not estimate total yield which is of greater interest to fishers. (Total yield requires info on amount of R)
- Ignores effects of harvest on recruitment (no SR model)
 - No indication of whether F_{\max} or $F_{0.1}$ is sustainable!
 - E.g., Some could predict t_c for juveniles; some predict infinite F_{\max}

YPR example – Atlantic croaker

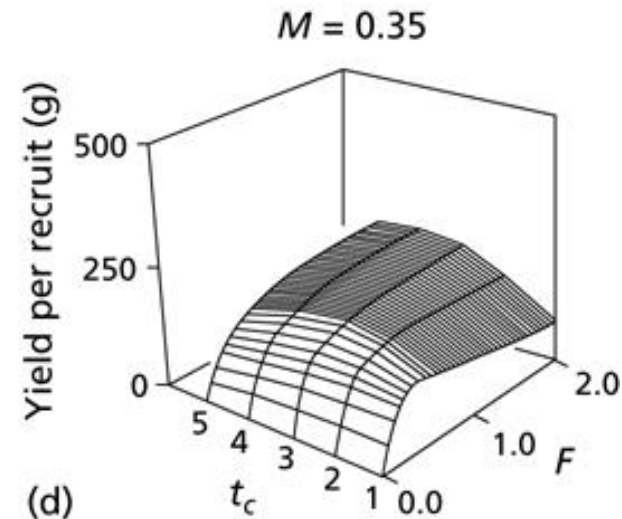
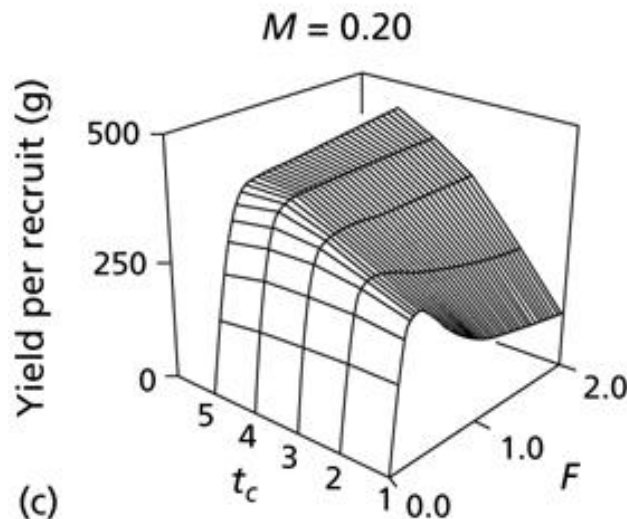
- Effect of region and M assumption?

- CB
 - $T_c = \text{age-2}$
 - $Z \sim 0.6$
 - 1988-91 data
- NC
 - $T_c = \text{age-1}$
 - $Z \sim 1.3$
 - 1979-81 data

Chesapeake Bay



North Carolina



Summary - YPR

$$Y = \sum_{t=t_c}^{t_{max}} \frac{F_t}{Z_t} (1 - e^{-Z_t}) N_t W_t \quad \text{or } (u_t N_t W_t)$$

- **Yield per Recruit (YPR)**

- **YPR** = estimate of the weight that each recruit contributes to fishery harvest over its lifetime (on average)
- Goal of YPR models: evaluate fishing rates & age at capture (t_c) to maximize YPR

- YPR models account for:

- age-structure
- growth and mortality

- YPR models don't account for:

- Recruitment, changes in growth or mortality schedules, or density dependence

- Provide info and reference points for management

- Deals with **growth overfishing**
 - F_{max} and $F_{0.1}$ (or u_{max} and $u_{0.1}$)
 - Provides info on optimal **age at first capture**
- know definitions & graphical representation