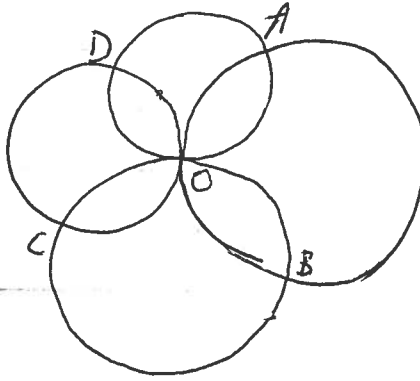


Four circles C_1, C_2, C_3 , and C_4 are concurrent at a point O , with pairs C_1, C_3 and C_2, C_4 externally tangent at O .

The circles intersect again at A, B, C, D as shown. Show that $AB \cdot OD \cdot OC = CD \cdot OA \cdot OB$.



Geometry [medium] BMO 2001

A triangle ABC has $\angle ACB > \angle ABC$. The internal bisector of $\angle BAC$ meets BC at D . The point E on AB is such that $\angle EDB = 90^\circ$. The point F on AC is such that $\angle BED = \angle DEF$. Show that $\angle BED = \angle FDC$.

Two circles C_1 and C_2 intersect at a point A .

A chord BC of C_1 is parallel to the tangent of C_2 at A .

AB and AC intersect C_2 at D and E . Prove that

$BCED$ is cyclic.

