

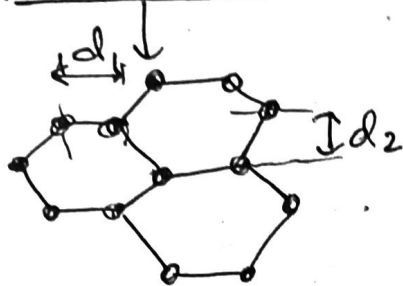
## ① Electron diffraction →

$$\lambda = \frac{h}{p}$$

→ particles have wave nature in addition to their particle properties.

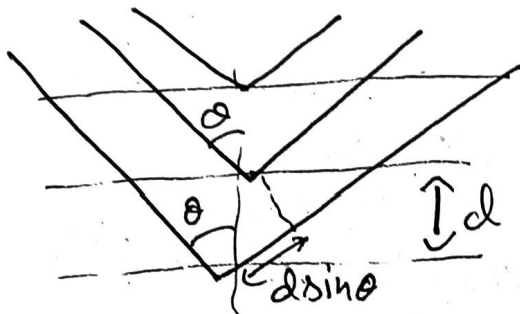
Experimentally demonstrated by Davisson-Germer, using nickel crystal

We use polycrystalline graphite.



When electrons hit the atoms, they diffract.

We allow monoenergetic electrons.



Bragg's condition is

$$n\lambda = 2d \sin \theta$$

What we measure in the interference pattern is the probability density.

We use transmission method.

for  $n=1$ , we see a dot.

for higher  $n$ , we see circular fringes.

The sample is polycrystalline — there are all possible orientations of the crystal — not uniform.

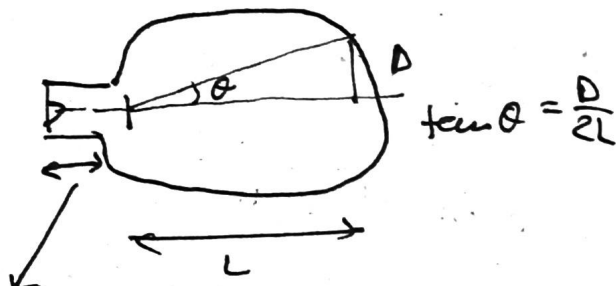
That is the reason why we see the fringes.

for media that have more than 2 different  $d$ 's, there are more circles.

$$\lambda = \frac{h}{p}$$

$$\Rightarrow 2d \sin \theta = \frac{h}{p}$$

$$\Rightarrow d = \frac{h}{p(2 \sin \theta)}$$



Potential difference

Imparts KE to electron

(Why is this the case when the acceleration from radiate energy?)

$$\frac{1}{2} m v^2 = e u$$

$$\Rightarrow \frac{p^2}{2m} = e u \Rightarrow p = \sqrt{2 m e u}$$

$$\Rightarrow \lambda = \frac{h}{\sqrt{2 m e u}}$$

$$d = \frac{2 h L}{\sqrt{m e u} D}$$

$$d = k \frac{1}{D}$$

$$D = k' \frac{1}{\sqrt{u}}$$

We have to determine planck's constant from the slope.

## ② Photoelectric effect →

$$E = h \nu$$

⊗ Tells us that energy is quantised

⊗ That metals have a work function.

$$E_w = e \phi$$

$$h \nu > e \phi$$

$$h \nu = \underbrace{\left[ \frac{1}{2} m v^2 \right]}_{\text{KE of electron}} + e \phi$$

Usual photocurrent graphs.

③ Frank Hertz  $\rightarrow$

Atoms emit radiation at discrete frequencies.

④ Velocity of light  $\rightarrow$  Next week