

## Colorful Carpets (carpets)


William was supervising some kids in a big rectangular room (of size  $R \times C$  meters), when he suddenly got an unexpected call from Giorgio to discuss urgent duties for the next round of the OIS. Before answering the phone, he gave the kids  $K$  rectangular carpets (numbered from 1 to  $K$ ) of various sizes to play with.



Figure 1: Some carpets of various colors.

When the call ended, William came back to check the situation and found a giant mess of carpets lying on the floor, some even on top of others: what a disaster!

However, he thought that he could turn this awful moment in a catchy Instagram post. He has already taken a picture of the room from above, but he misses the description. Of course, being a precision lover, William wants to enter a boring but accurate description: the exact coordinates of each of the carpets. Help him!

 Among the attachments of this task you may find a template file `carpets.*` with a sample incomplete implementation.

### Input

The first line contains three integers:  $R$ ,  $C$  and  $K$ . The following  $R$  lines contain  $C$  integers between 0 and  $K$  each, describing a  $1 \times 1 \text{ m}^2$  area of the room: a 0 indicates that the square is empty, a positive number  $n$  indicates that the  $n$ -th carpet is the one visible in that area (i.e., when there are multiple carpets it is the one above the others).

### Output






You need to write  $K$  lines, the  $i$ -th describing the position of the  $i$ -th carpet. Each carpet should be described by four integers  $c_1, r_1, c_2, r_2$ , meaning that its bottom left corner is at coordinates  $(c_1, r_1)$  and its top right corner is at coordinates  $(c_2, r_2)$ .

## Constraints

- $1 \leq R, C \leq 2000$ .
- $1 \leq K \leq 10\,000$ .
- If multiple sizes are possible for a carpet, you must output the one which has the smallest area.
- It is guaranteed that every carpet is at least partially visible.
- Carpets are orthogonal to the side of the room and are placed at integer coordinates.
- Seen from above, the bottom left corner of the room is at coordinates  $(0, 0)$  and the top right corner is at coordinates  $(C, R)$ .

## Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

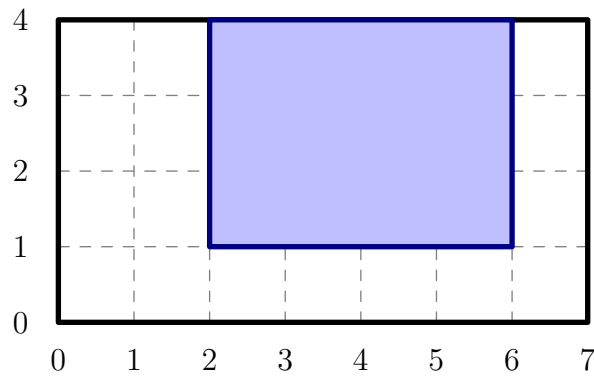
- **Subtask 1** (0 points)      Examples.  

- **Subtask 2** (15 points)       $R, C \leq 1000$  and  $K = 1$ .  

- **Subtask 3** (45 points)       $R, C \leq 1000$  and  $K \leq 100$ .  

- **Subtask 4** (25 points)       $R, C \leq 1000$ .  

- **Subtask 5** (15 points)      No additional limitations.  


## Examples

input	output
4 7 1 0 0 1 1 1 1 0 0 0 1 1 1 1 0 0 0 1 1 1 1 0 0 0 0 0 0 0 0	2 1 6 4
4 5 2 0 2 2 2 2 0 2 2 2 2 1 1 2 2 2 1 1 0 0 0	0 0 2 2 1 1 5 4
5 6 3 0 0 0 0 0 0 0 3 3 3 3 0 0 3 2 2 3 0 0 0 2 2 0 0 0 0 2 2 1 1	4 0 6 1 2 0 4 3 1 2 5 4

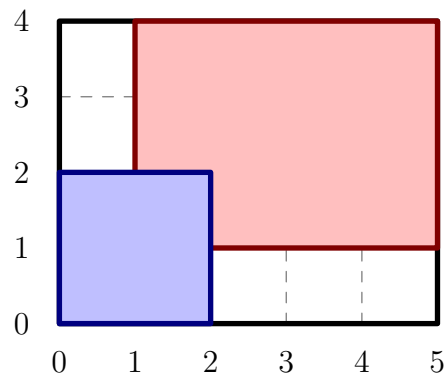
## Explanation

The **first sample case** is represented by the following picture.



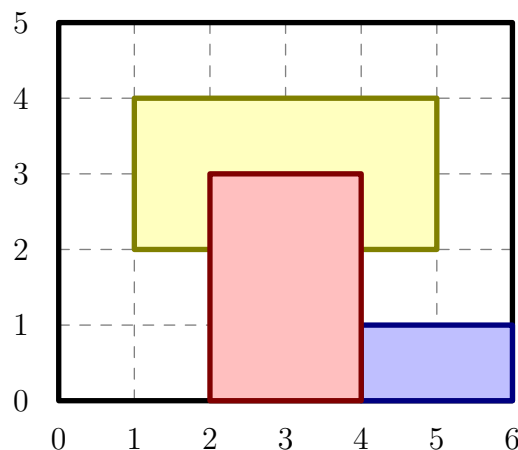
There is only a single carpet (identified with the number 1), which is painted in blue in the picture. Its bottom left corner is at  $(2, 1)$  and its top right corner is at  $(6, 4)$ .

The **second sample case** is represented by the following picture.



There are two carpets: the blue one (number 1) and the red one (number 2). The former is fully visible and is placed between  $(0, 0)$  and  $(2, 2)$ . The latter is partially covered, but we can easily figure out that it is placed between  $(1, 1)$  and  $(5, 4)$ .

The **third sample case** is represented by the following picture.



There are three carpets: the blue one (number 1), the red one (number 2) and the yellow one (number 3). The red one is fully visible and is placed between  $(2, 0)$  and  $(4, 3)$ . The yellow one is placed between  $(1, 2)$  and  $(5, 4)$ , with  $2\ m^2$  covered by the red one. We do not know whether the blue one is partially covered or not: as we are requested to consider that it has the smallest possible area, we determine that it is placed between  $(4, 0)$  and  $(6, 1)$ .