

Obtain apparent magnitude  $m$  from distance  $d$  and mass  $m$ .

1. estimate Luminosity via mass luminosity relation ([link](#))

$$\frac{L}{L_0} = k * \left(\frac{M}{M_0}\right)^a$$

Source:

Step one returns luminosity  $L$  in units of solar luminosity.

2. Calculate absolute/bolometric magnitude from Luminosity

$$M_{bol} - M_{0,bol} = -2.5 \log_{10} \left( \frac{L}{L_0} \right)$$

Since  $L$  from 1. is already in units of solar luminosity and with  $M_{0,bol} = 4.74$  ([link](#)) this simplifies to:

$$M_{bol} = 4.74 - 2.5 \log_{10}(L)$$

... **but** bolometric means V-Band. So instead of  $M_0 = 4.74$  I just use  $M_{0,K} = 5.08$  ([link](#))?

3. Estimate apparent magnitude from distance and absolute magnitude

$$m = M + 5 \log_{10}(d)$$

Obtain apparent magnitude  $m$  from flux  $F$

$$m - m_0 = -2.5 \log \left( \frac{F}{F_0} \right)$$

Use 0-magnitude flux in K-Band ie  $m_0 = 0$  and  $F_0 = 43.6 * 4000 * 978e4 \text{ ph} / s$

Units of  $F$  from photutils output in ph/exposure time? ... no clues found in documentation.

Sample average: ~1020310 with default exposure time (=60s?) would suggest

~283,4 ph/s or 20,00 mag