

Implementing the Game of Life in parallel

Conway's Game of Life

- You implemented a serial version of the Game of Life in a previous programming course
- Reminder of the rules
 - Each cell has eight neighbours (vertical, horizontal and diagonal)
 - If a living cell has fewer than 2 neighbours it dies (not enough to breed)
 - If a living cell has 2 or 3 neighbours it survives
 - If a living cell has 4 or more neighbours it dies (over population)
 - If a dead cell has exactly 3 neighbours a living cell is born there

A simple C++ serial implementation

```
#include <iostream>
#include <sstream>
#include <fstream>
#include <cstdlib>
#include <time.h>
#include <vector>

using namespace std;

//Note that this is a serial implementation with a periodic grid
vector<vector<bool>> grid, new_grid;
int imax, jmax;
int max_steps = 100;

int num_neighbours(int ii, int jj)
{
    int ix, jx;
    int cnt = 0;
    for (int i=-1; i<=1; i++)
        for (int j = -1; j <= 1; j++)
            if (i != 0 || j != 0)
            {
                ix = (i + ii + imax) % imax;
                jx = (j + jj + jmax) % jmax;
                if (grid[ix][jx]) cnt++;
            }
    return cnt;
}
```

```
void grid_to_file(int it)
{
    stringstream fname;
    fstream f1;
    fname << "output" << "_" << it << ".dat";
    f1.open(fname.str().c_str(), ios_base::out);
    for (int i = 0; i < imax; i++)
    {
        for (int j = 0; j < jmax; j++)
            f1 << grid[i][j] << "\t";
        f1 << endl;
    }
    f1.close();
}

void do_iteration(void)
{
    for (int i = 0; i < imax; i++)
        for (int j = 0; j < jmax; j++)
        {
            new_grid[i][j] = grid[i][j];
            int num_n = num_neighbours(i, j);
            if (grid[i][j])
            {
                if (num_n != 2 && num_n != 3)
                    new_grid[i][j] = false;
            }
            else if (num_n == 3) new_grid[i][j] = true;
        }
    grid.swap(new_grid);
}
```

A simple C++ serial implementation (cont)

```
int main(int argc, char *argv[])
{
    srand(time(NULL));
    imax = 100;
    jmax = 100;
    grid.resize(imax, vector<bool>(jmax));
    new_grid.resize(imax, vector<bool>(jmax));

    //set an initial random collection of points - You could set an initial pattern
    for (int i = 0; i < imax; i++)
        for (int j = 0; j < jmax; j++) grid[i][j] = (rand() % 2);

    for (int n = 0; n < max_steps; n++)
    {
        cout << "it: " << n << endl;
        do_iteration();
        grid_to_file(n);
    }

    return 0;
}
```

The Output



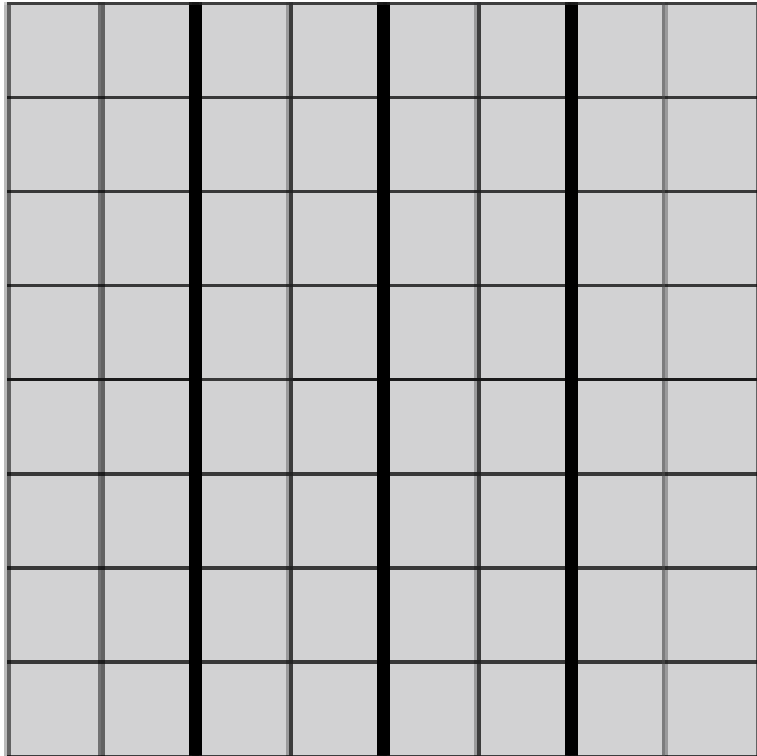
Parallelise the Game of Life

Decomposition strategy

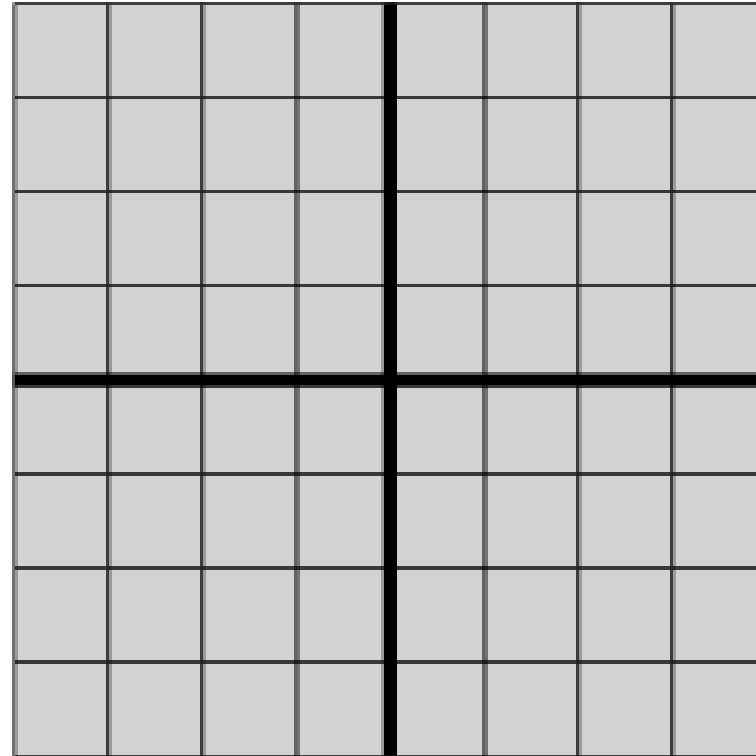
- Best decomposition tactic will be Domain Decomposition
 - Easiest to implement domain decomposition is to divided the domain into vertical or horizontal stripes
 - Only need to communicate with a maximum of two neighbouring processes
 - ...,but lots of data needs to be exchanged as the edge length will be large relative to the area of the domain
 - More efficient is to divide the domain into rectangles that are as close to square as possible
 - Less data to exchange, same number of grid cell calculations
- This is exactly the same decomposition strategy as you would use for any other solution on a grid
 - E.g. Finite Difference or Finite Volume of a square grid

Domain Decomposition Strategies

- Striped decomposition



- Grid decomposition



What about the data?

- In order to make best use of the scalability of the problem each process should only store its portion of the grid
 - Don't allocate a grid of the full size of the problem!
 - This makes the problem far more scaleable – If you double the size of the system and the number of processes, the amount of memory required by each process remains the same
- In order for the new value in a cell to be calculated it needs to know all its neighbours
 - A process needs to obtain a layer of “ghost” cells from its neighbours for the points all the way around the edge of the domain
 - Easiest way to achieve this storage is to make the size of the grid 2 points wider and higher than the size of the domain that the process is responsible for

Communication strategy

- The best communication strategy to use will be peer-to-peer
- For the striped decomposition you just communicated with two other process
 - If ordered logically you communicate with the process with an id one higher and one lower than the id of the current process
 - A line of cells at the top and bottom of each region needs to be sent
- For a grid the communication needs to be with all the neighbouring processes
 - Line of cells sent to the vertical and horizontal neighbours
 - Single corner point sent to the diagonal neighbours
 - You might notice that the communication pattern required is exactly the same as that in Worksheet 2 – Exercise 3

Other notes...

- As this is going to be run peer to peer it is more efficient to have each process write an output file rather than transferring the data back to a single process
- You should therefore also write a separate post-processing code to combine these outputs
 - This can be in Python if you wish so that you can make use of the easy ability to do graphical output