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- 1. Strategy for analysing large data.
- 2. Introduction to the Texas housing data.
- 3. What's happening in Houston?
- 4. Using a models as a tool
- 5. Using models in their own right

Large data strategy

Start with a single unit, and identify interesting patterns.

Summarise patterns with a model.

Apply model to all units.

Look for units that don't fit the pattern.

Summarise with a single model.

Texas housing data

For each metropolitan area (45) in Texas, for each month from 2000 to 2009 (112):

Number of houses listed and sold

Total value of houses, and average sale price

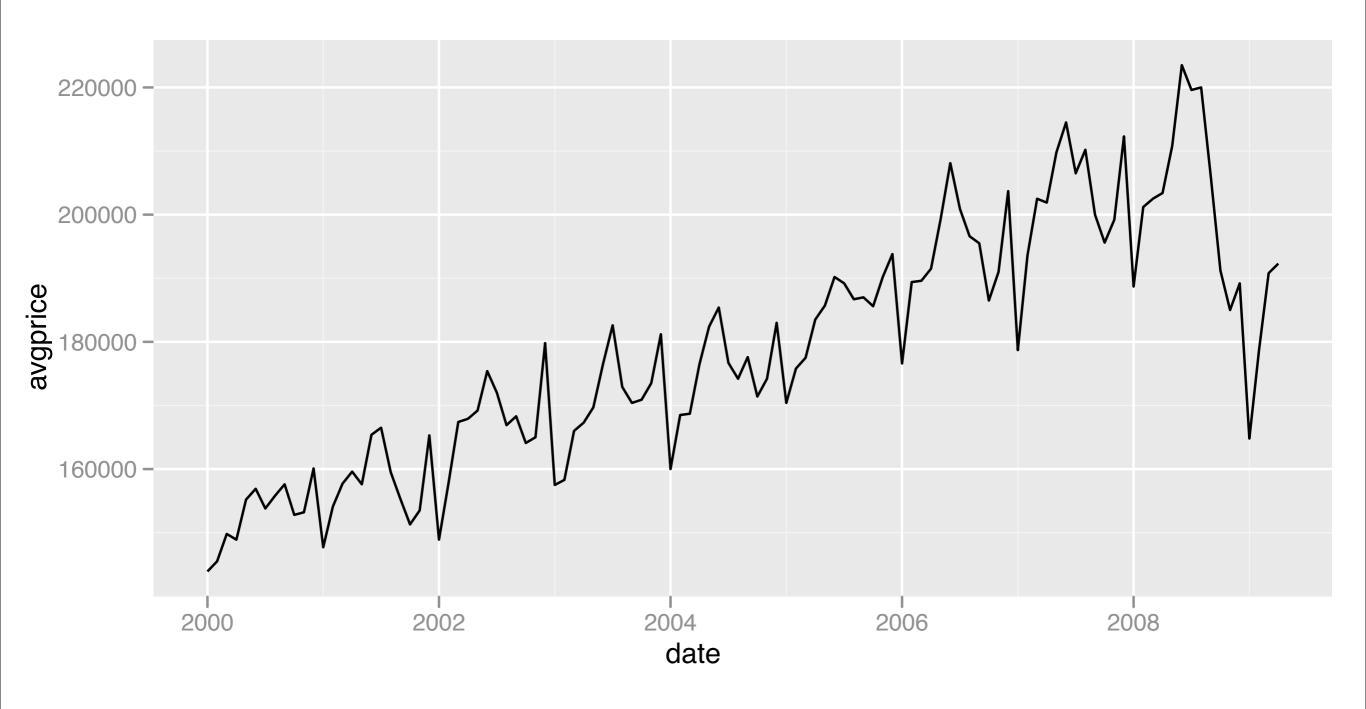
Average time on market

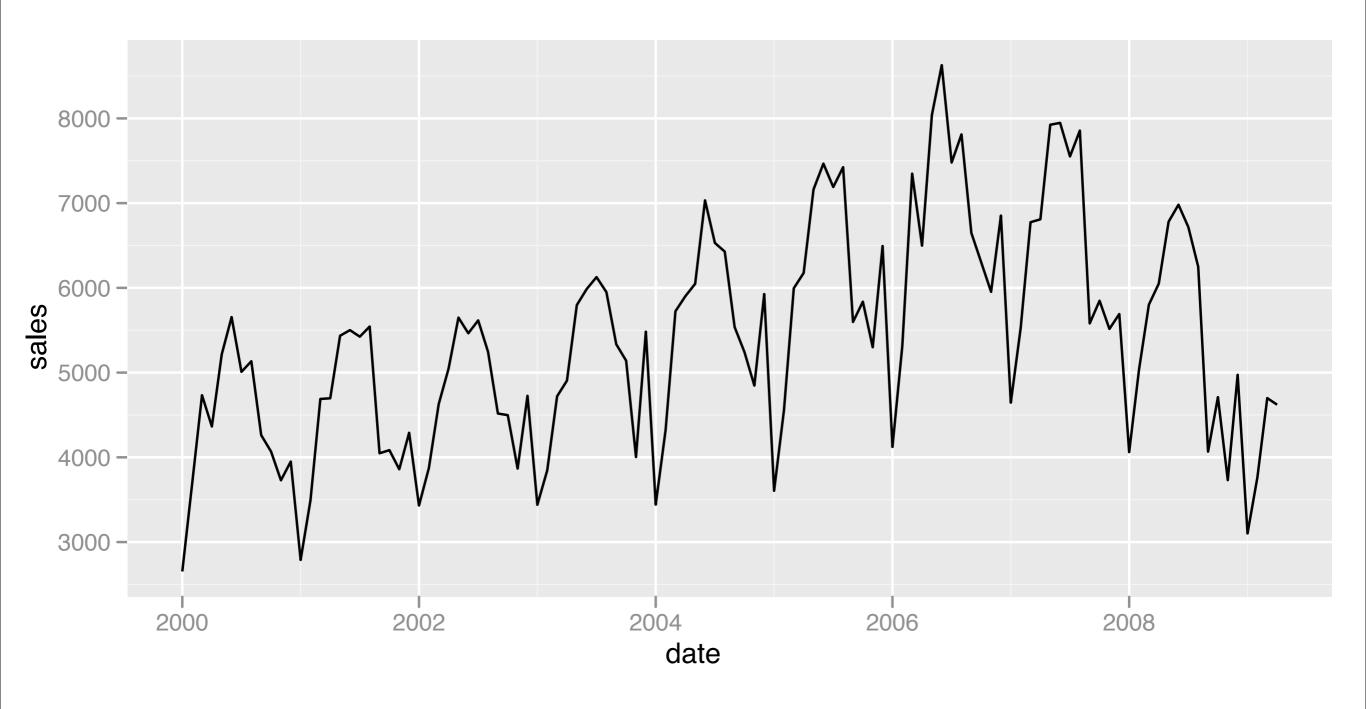
Strategy

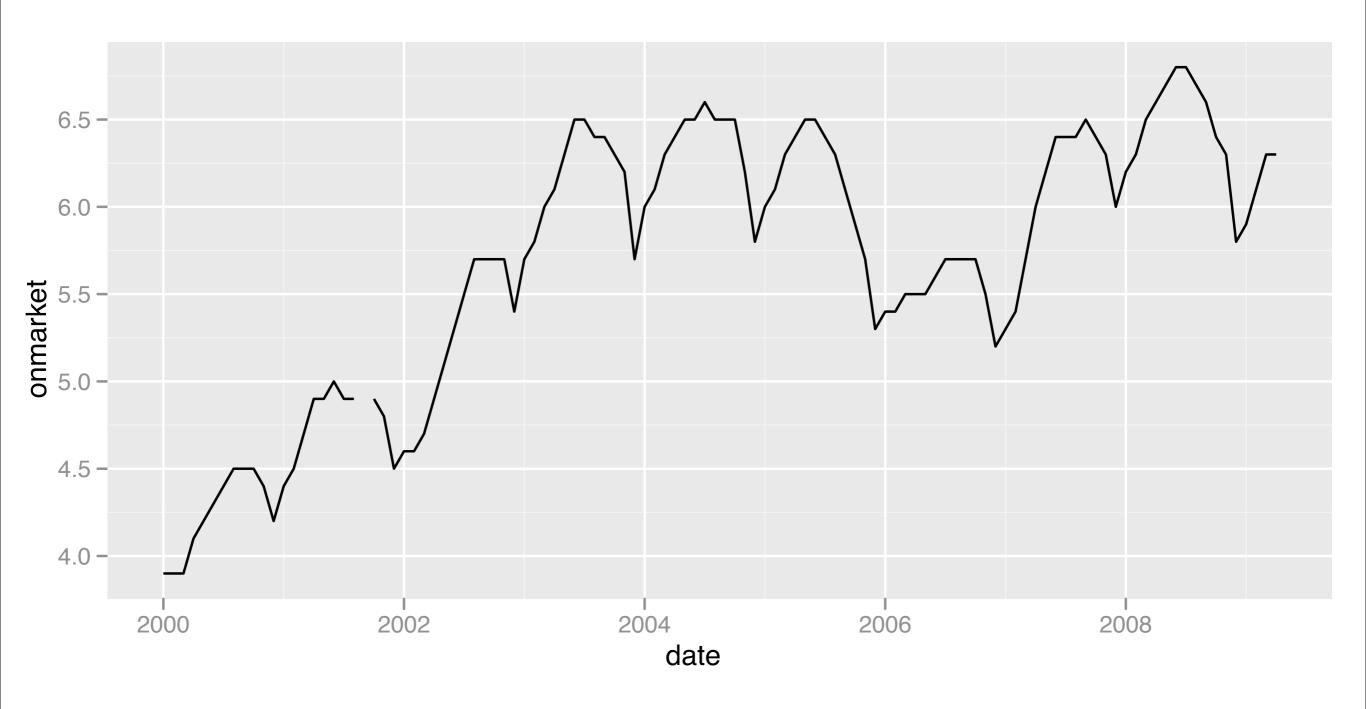
Start with a single city (Houston).

Explore patterns & fit models.

Apply models to all cities.



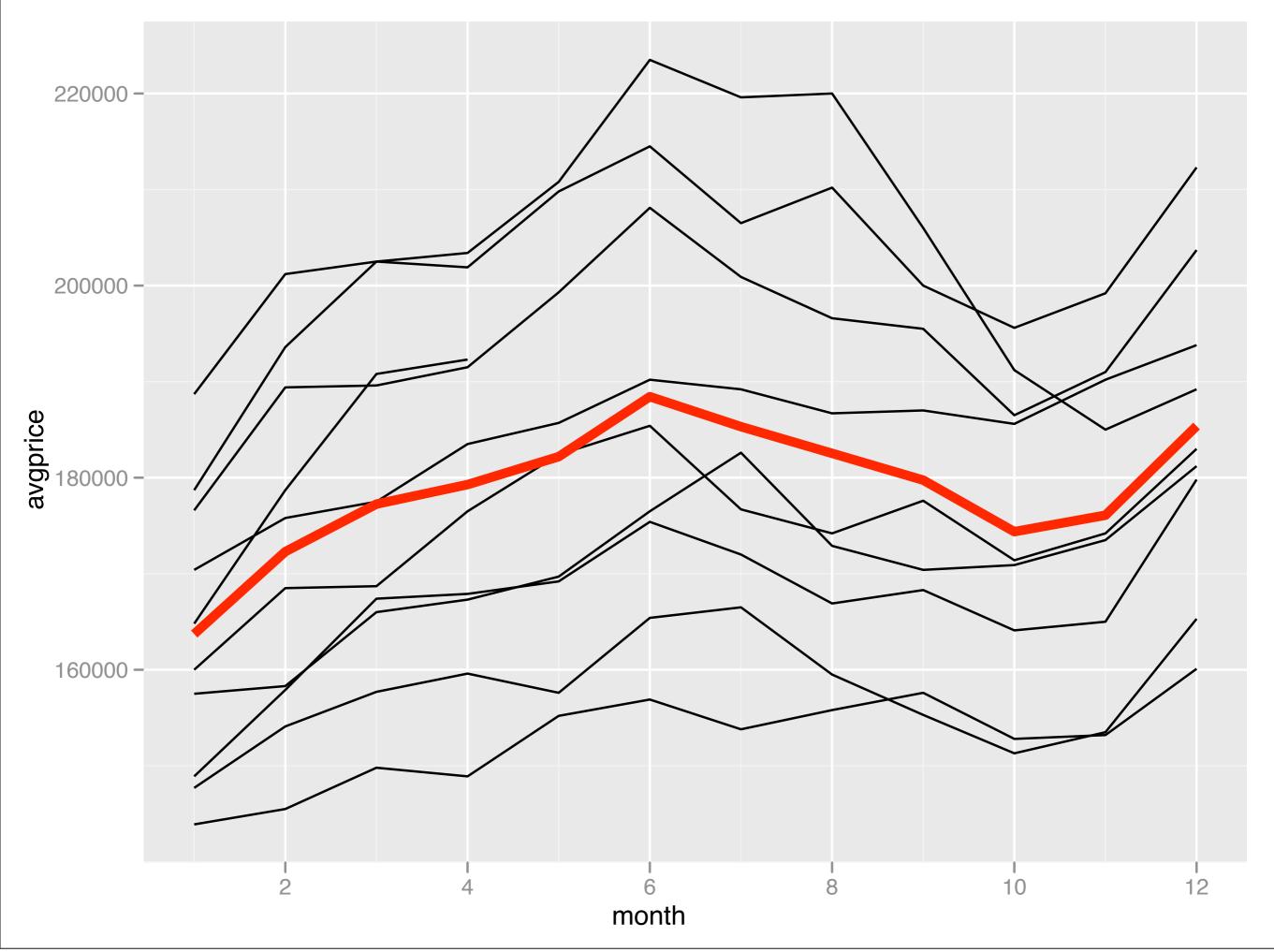




Seasonal trends

Make it much harder to see long term trend. How can we remove the trend?

(Many sophisticated techniques from time series, but what's the simplest thing that might work?)

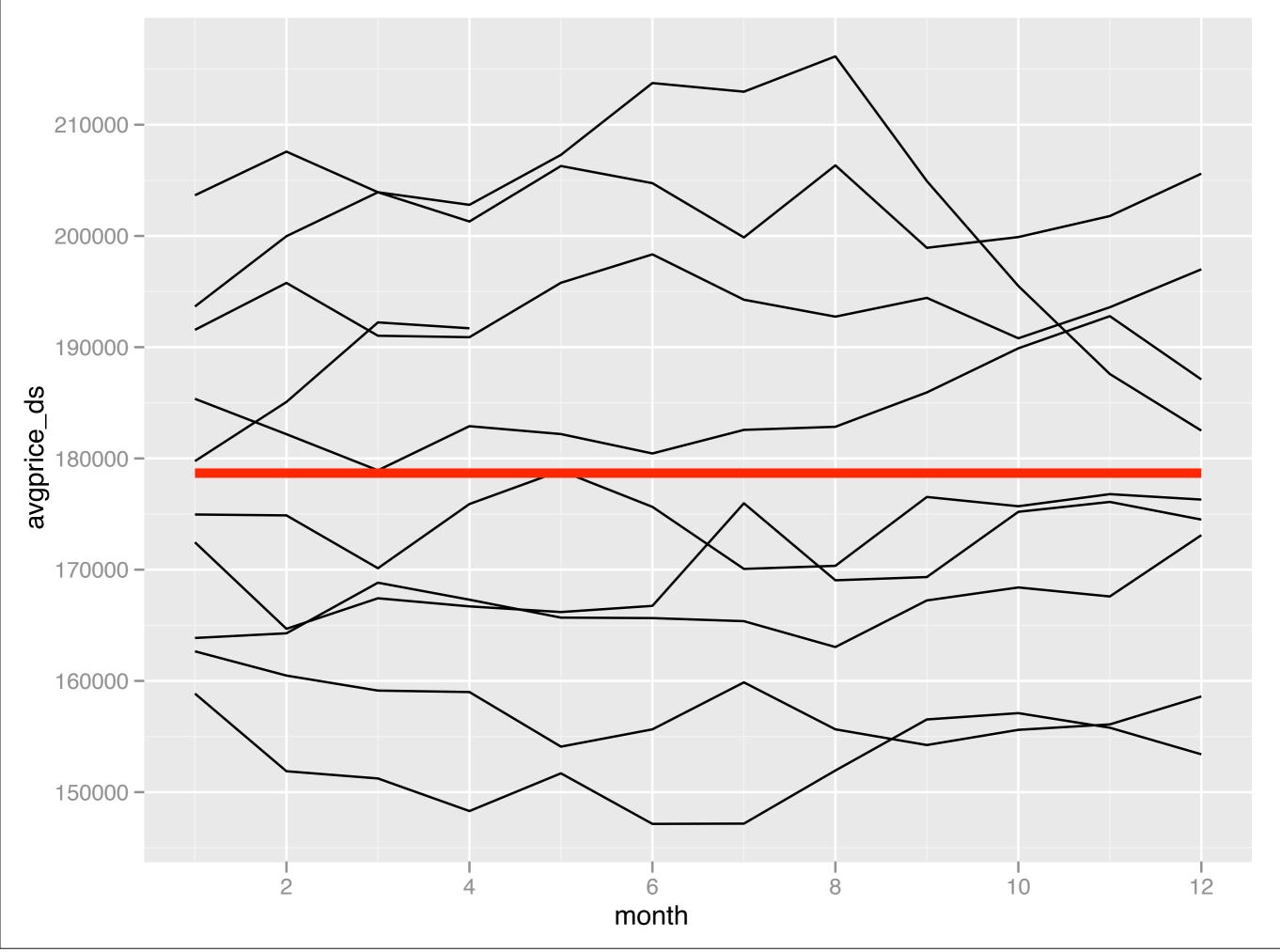


Challenge

What does the following function do?
deseas <- function(var, month) {
 resid(lm(var ~ factor(month))) +
 mean(var, na.rm = TRUE)
</pre>

How could you use it in conjunction with transform to deasonalise the data? What if you wanted to deasonalise every city?

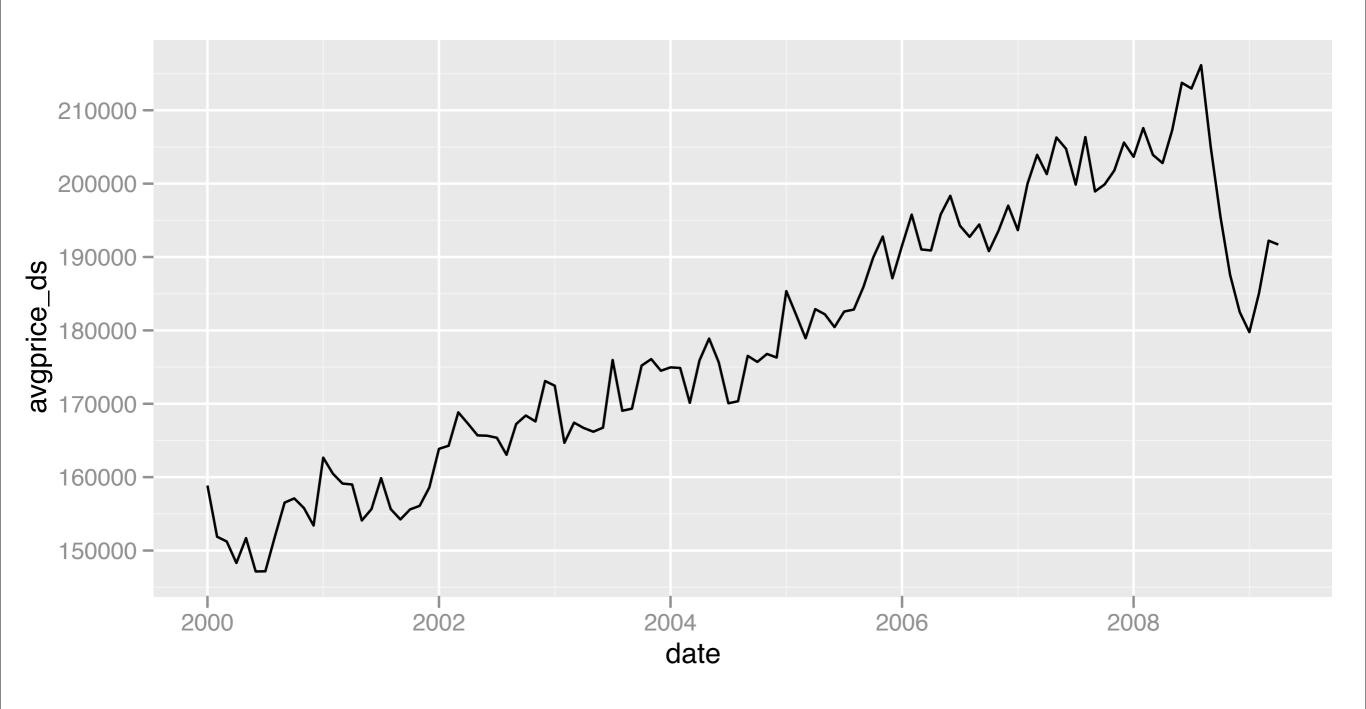
```
houston <- transform(houston,
  avgprice_ds = deseas(avgprice, month),
  listings_ds = deseas(listings, month),
  sales_ds = deseas(sales, month),
  onmarket_ds = deseas(onmarket, month)
qplot(month, sales_ds, data = houston,
  geom = "line", group = year) + avg
```

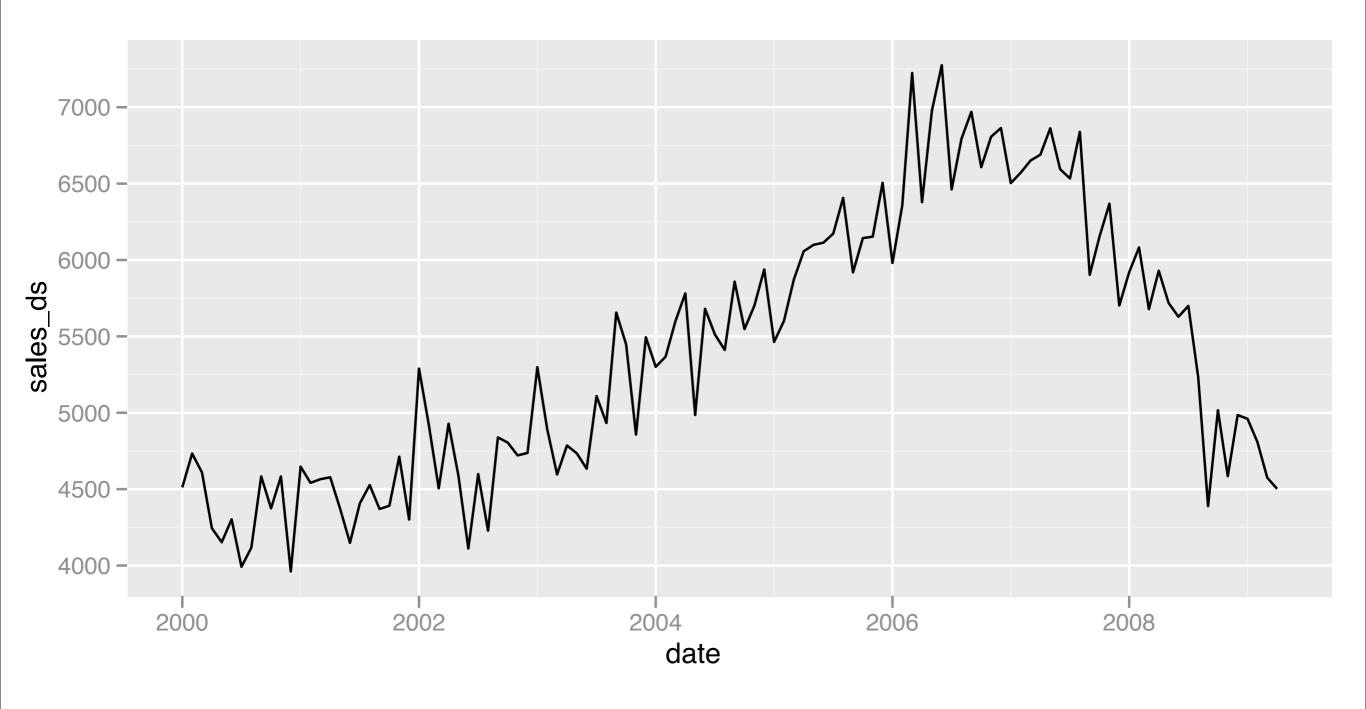


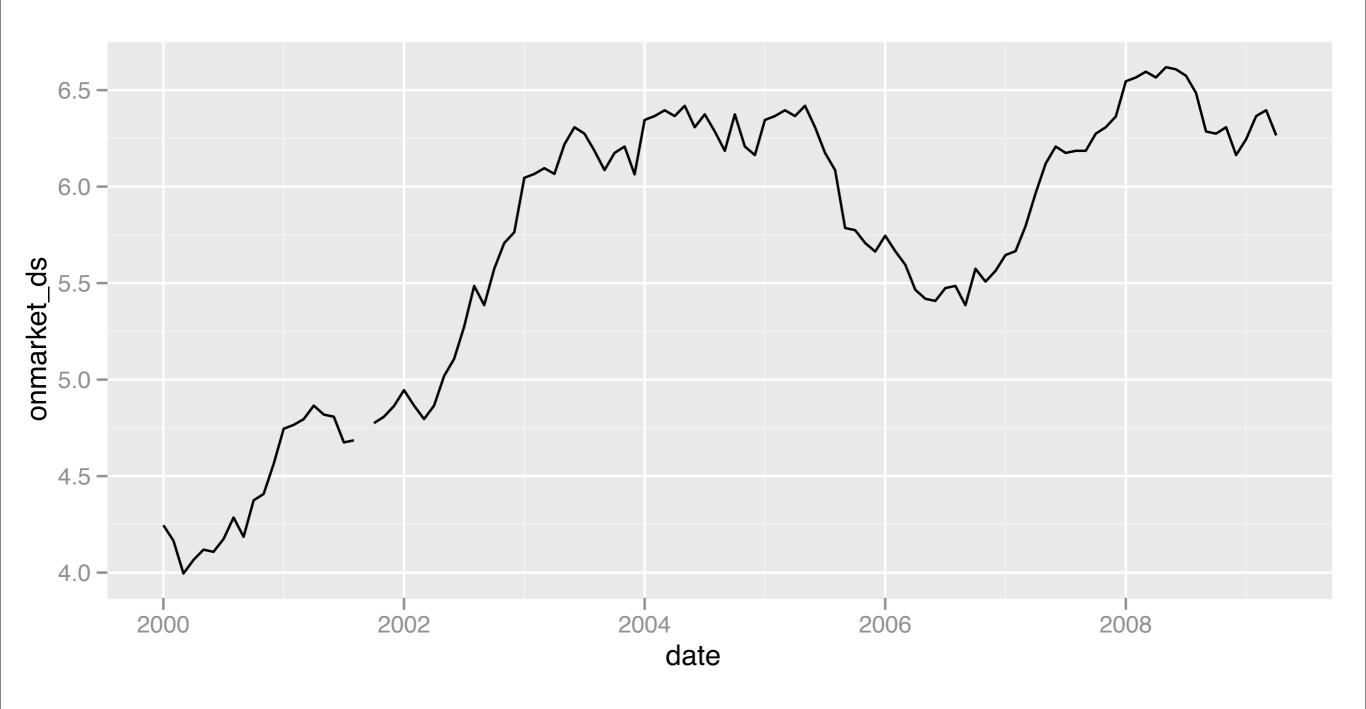
Model as tools

Here we're using the linear model as a tool - we don't care about the coefficients or the standard errors, just using it to get rid of a striking pattern.

Tukey described this pattern as residuals and reiteration: by removing a striking pattern we can see more subtle patterns.



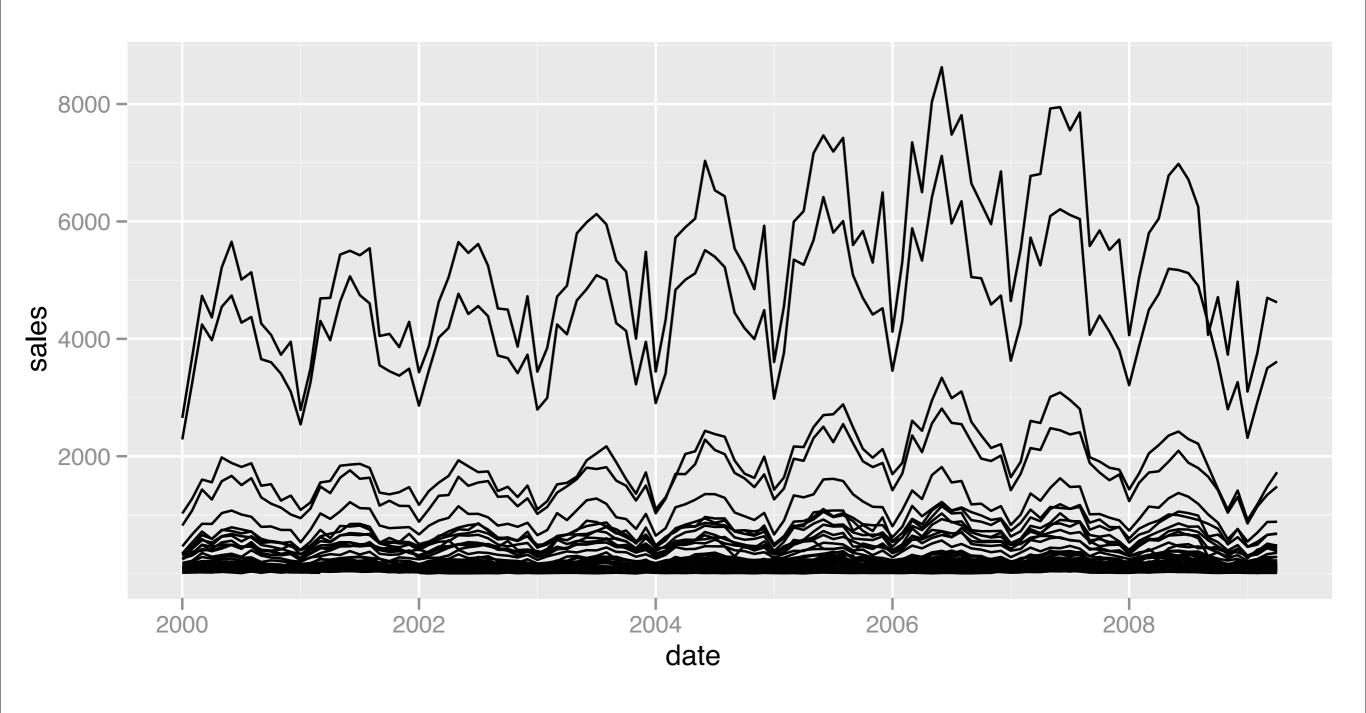




Summary

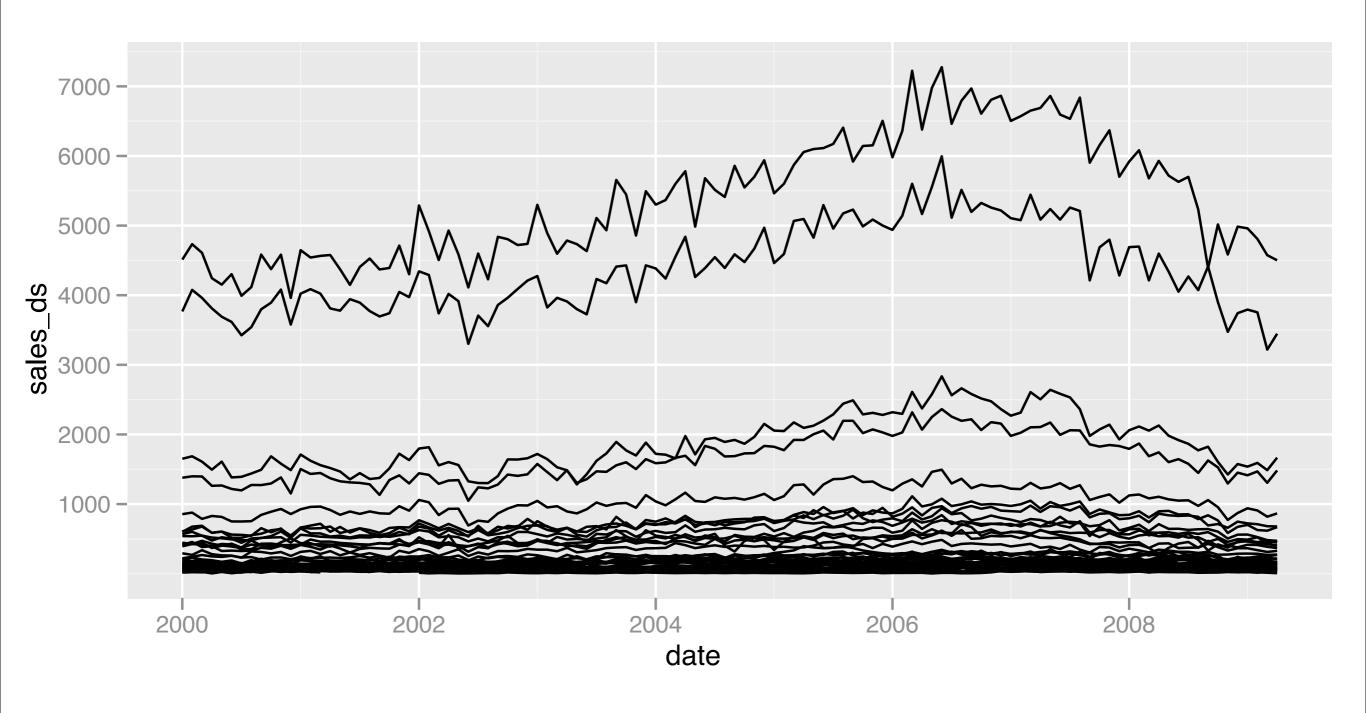
Most variables seem to be combination of strong seasonal pattern plus weaker longterm trend.

How do these patterns hold up for the rest of Texas? We'll focus on sales.



```
tx <- read.csv("tx-house-sales.csv")
qplot(date, sales, data = tx, geom = "line",
    group = city)

tx <- ddply(tx, "city", transform,
    sales_ds = deseas(sales, month))
qplot(date, sales_ds, data = tx, geom = "line",
    group = city)</pre>
```



It works, but...

It doesn't give us any insight into the similarity of the patterns across multiple cities. Are the trends the same or different?

So instead of throwing the models away and just using the residuals, let's keep the models and explore them in more depth.

Two new tools

dlply: takes a data frame, **splits** up in the same way as ddply, **applies** function to each piece and **combines** the results into a list

ldply: takes a list, **splits** up into elements, **applies** function to each piece and then **combines** the results into a data frame

dlply + ldply = ddply

```
models <- dlply(tx, "city", function(df)
  lm(sales ~ factor(month), data = df))

models[[1]]
coef(models[[1]])

ldply(models, coef)</pre>
```

Labelling

Notice we didn't have to do anything to have the coefficients labelled correctly.

Behind the scenes plyr records the labels used for the split step, and ensures they are preserved across multiple plyr calls.

Back to the model

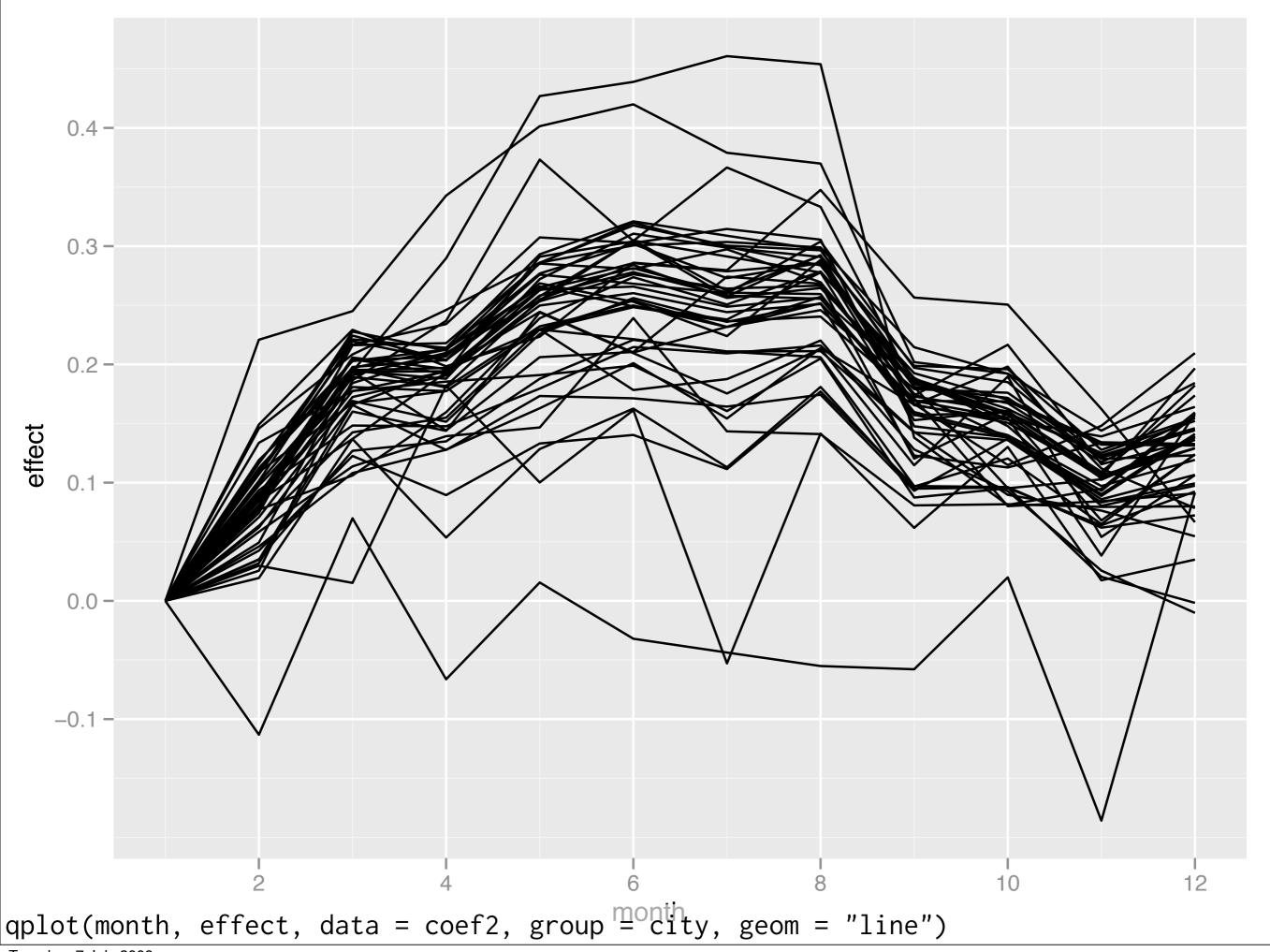
What are some problems with this model? How could you fix them?

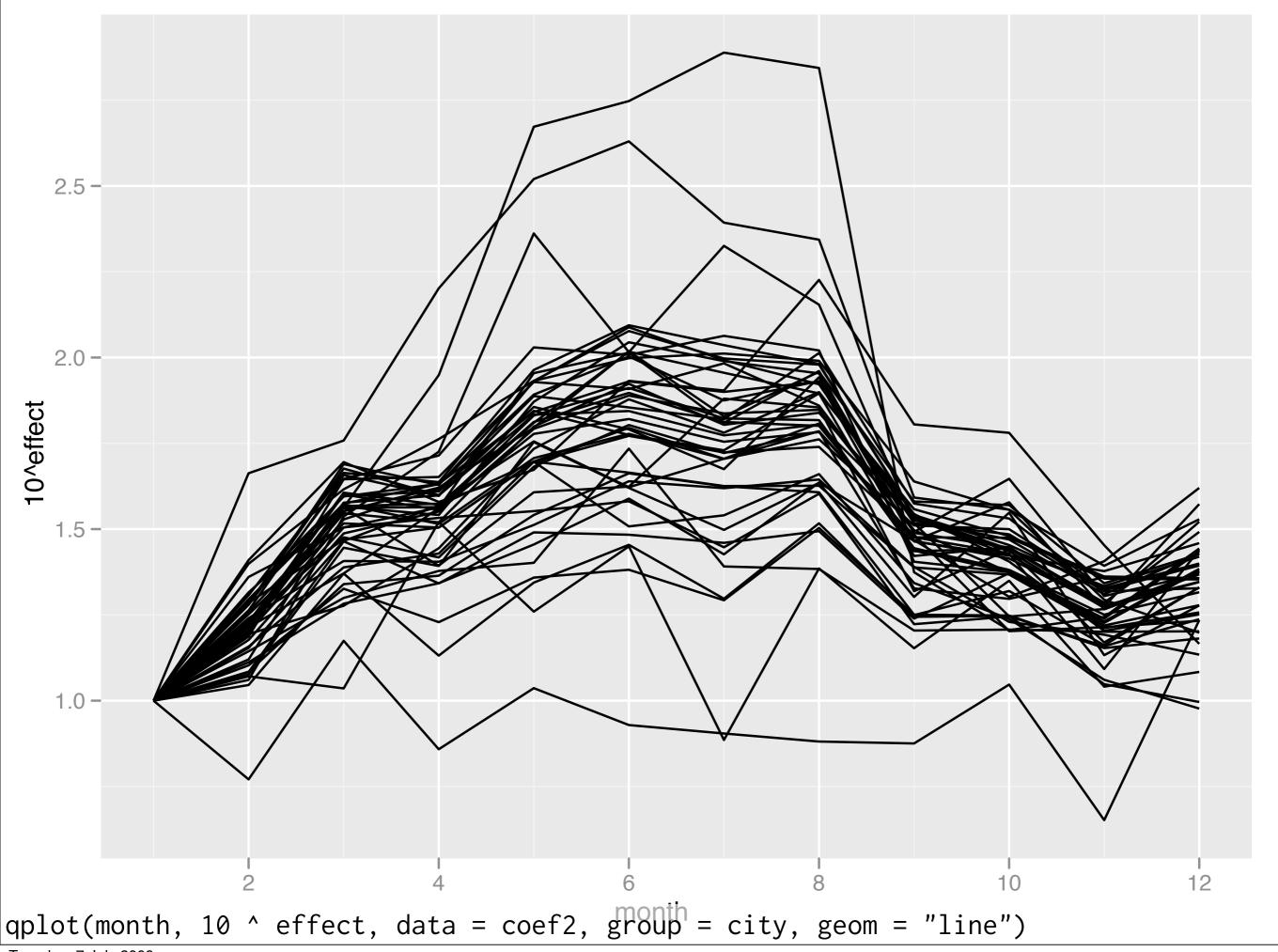
Is the format of the coefficients optimal?

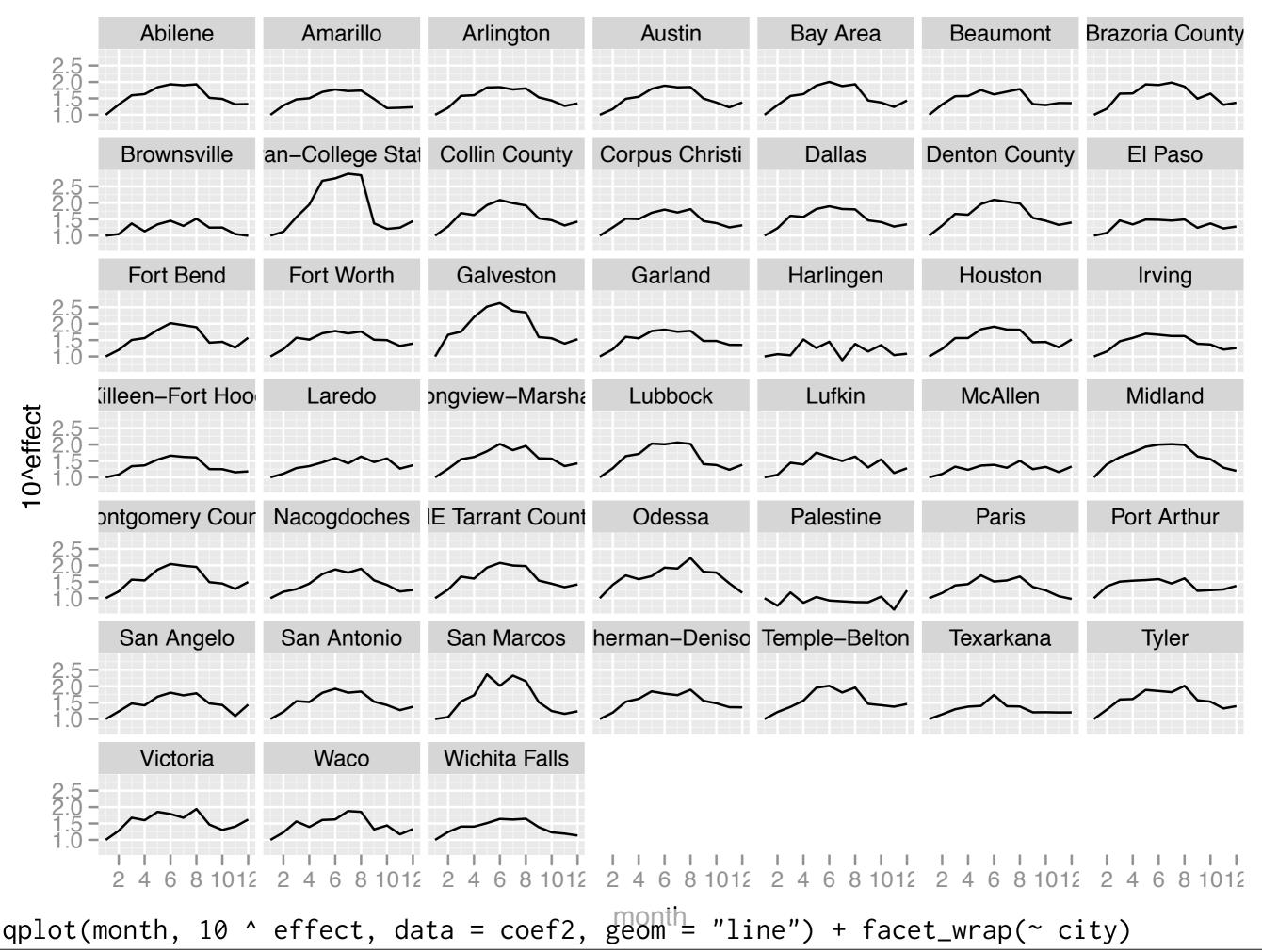
Turn to the person next to you and discuss for 2 minutes.

```
qplot(date, log10(sales), data = tx, geom = "line",
group = city)
models2 <- dlply(tx, "city", function(df)</pre>
  lm(log10(sales) \sim factor(month), data = df))
coef2 <- ldply(models2, function(mod) {</pre>
  data.frame(
    month = 1:12,
    effect = c(0, coef(mod)[-1]),
    intercept = coef(mod)[1])
})
```

```
qplot(date, log10(sales), data = tx, geom = "line",
group = city)
                Log transform sales to
models2 <- dlp make coefficients ction(df)
  lm(log10(sales) \sim factor(month), data = df))
coef2 <- ldply(models2, function(mod) {</pre>
  data.frame(
    month = 1:12,
    effect = c(0, coef(mod)[-1]),
    intercept = coef(mod)[1])
})
         Puts coefficients in
         rows, so they can be
         plotted more easily
```







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What should we do next?

What do you think?

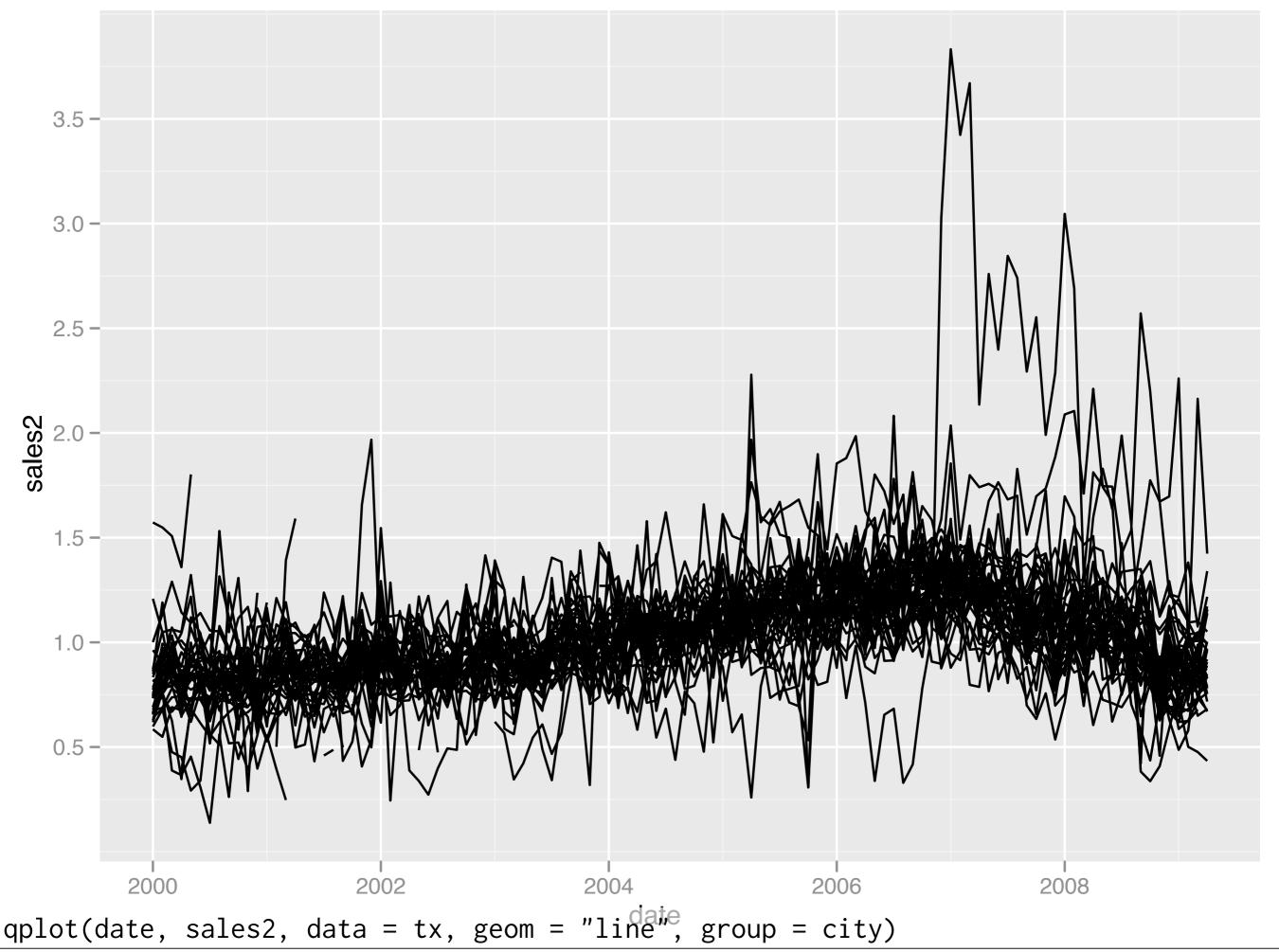
You have 30 seconds to come up with (at least) one idea.

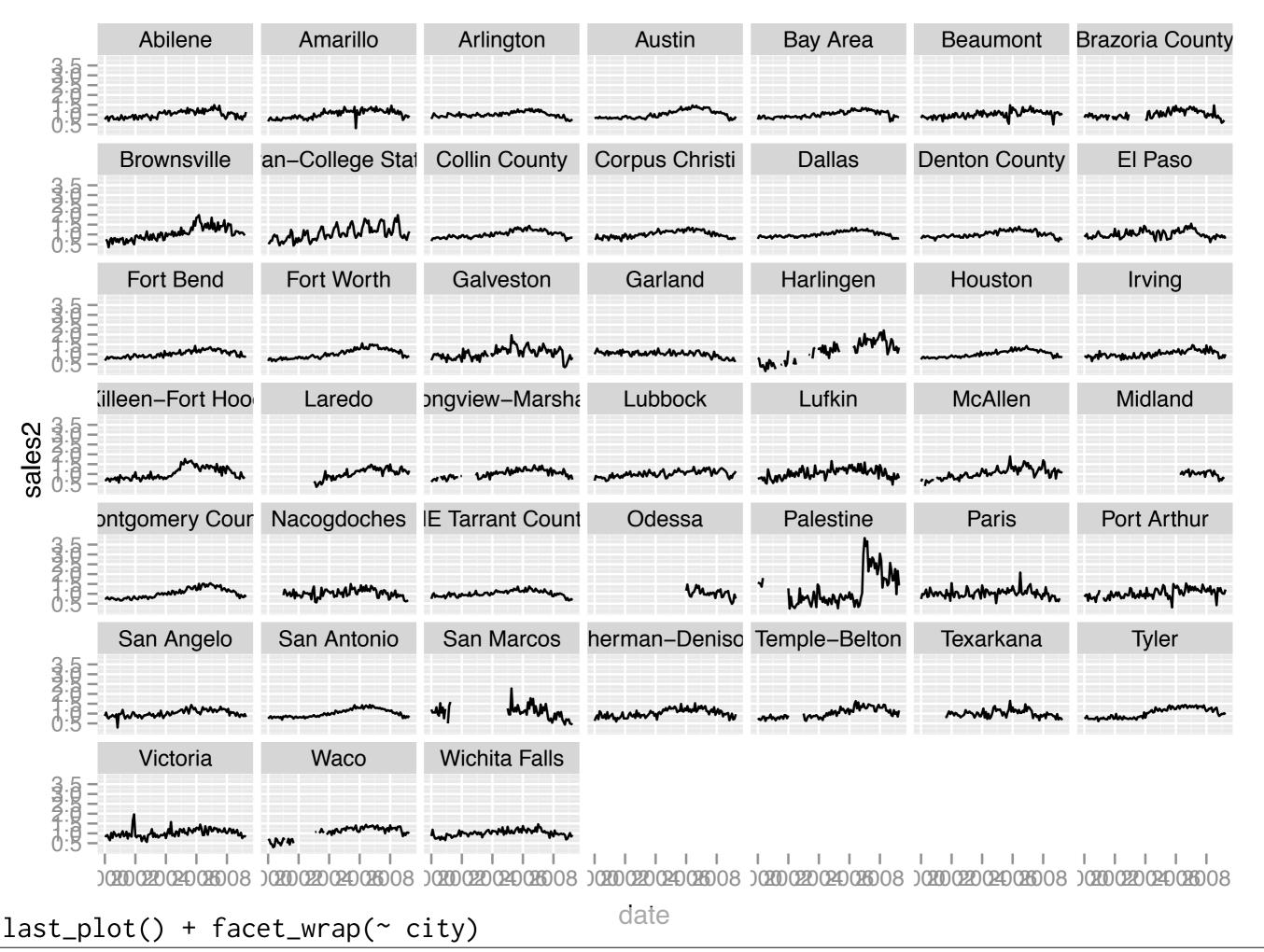
My ideas

Fit a single model, log(sales) ~ city * factor(month), and look at residuals

Fit individual models, log(sales) ~ factor(month) + ns(date, 3), look cities that don't fit

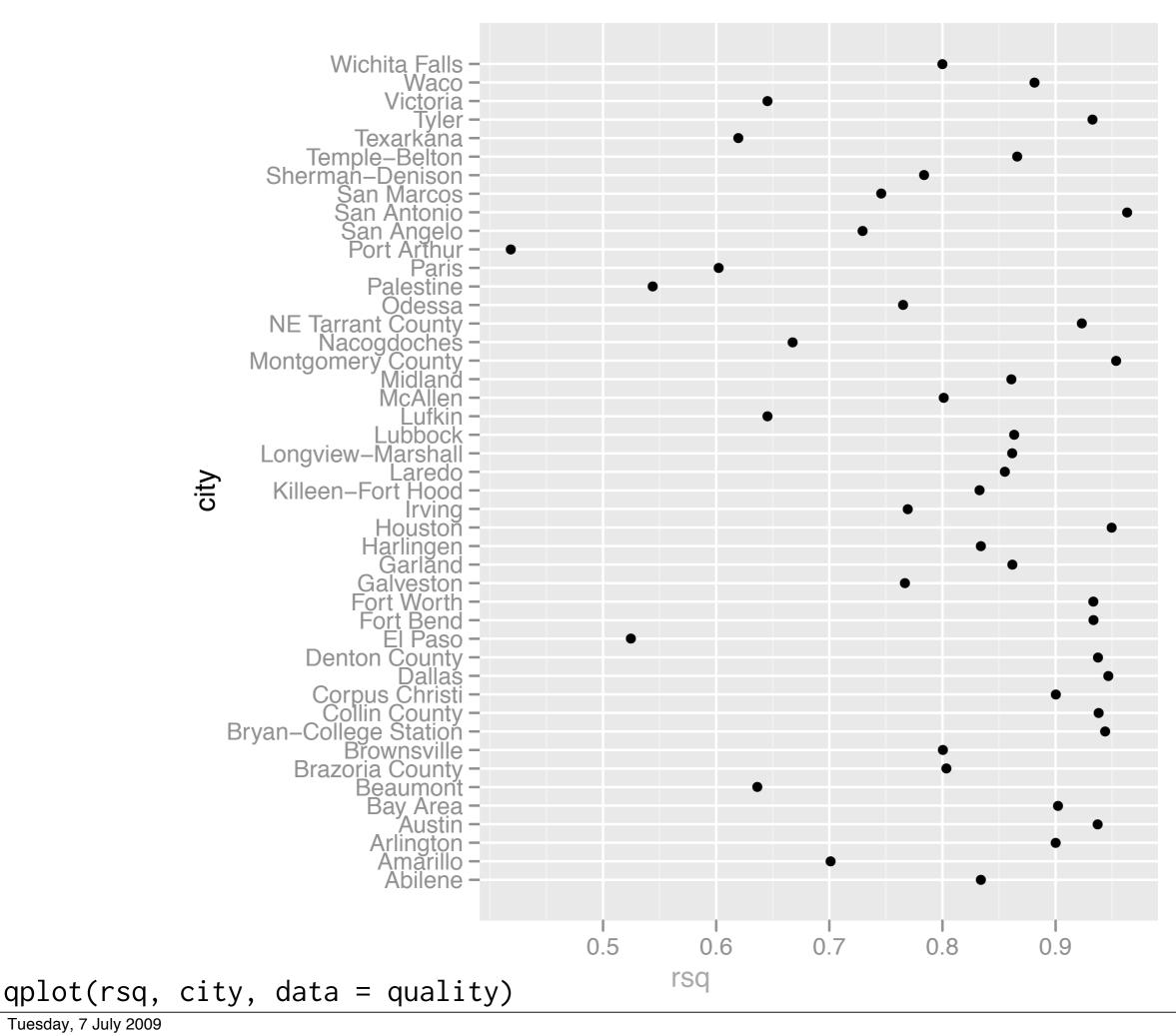
```
# One approach - fit a single model
mod <- lm(log10(sales) ~ city + factor(month),</pre>
  data = tx)
tx$sales2 <- 10 ^ resid(mod)
qplot(date, sales2, data = tx, geom = "line",
  group = city)
last_plot() + facet_wrap(~ city)
```

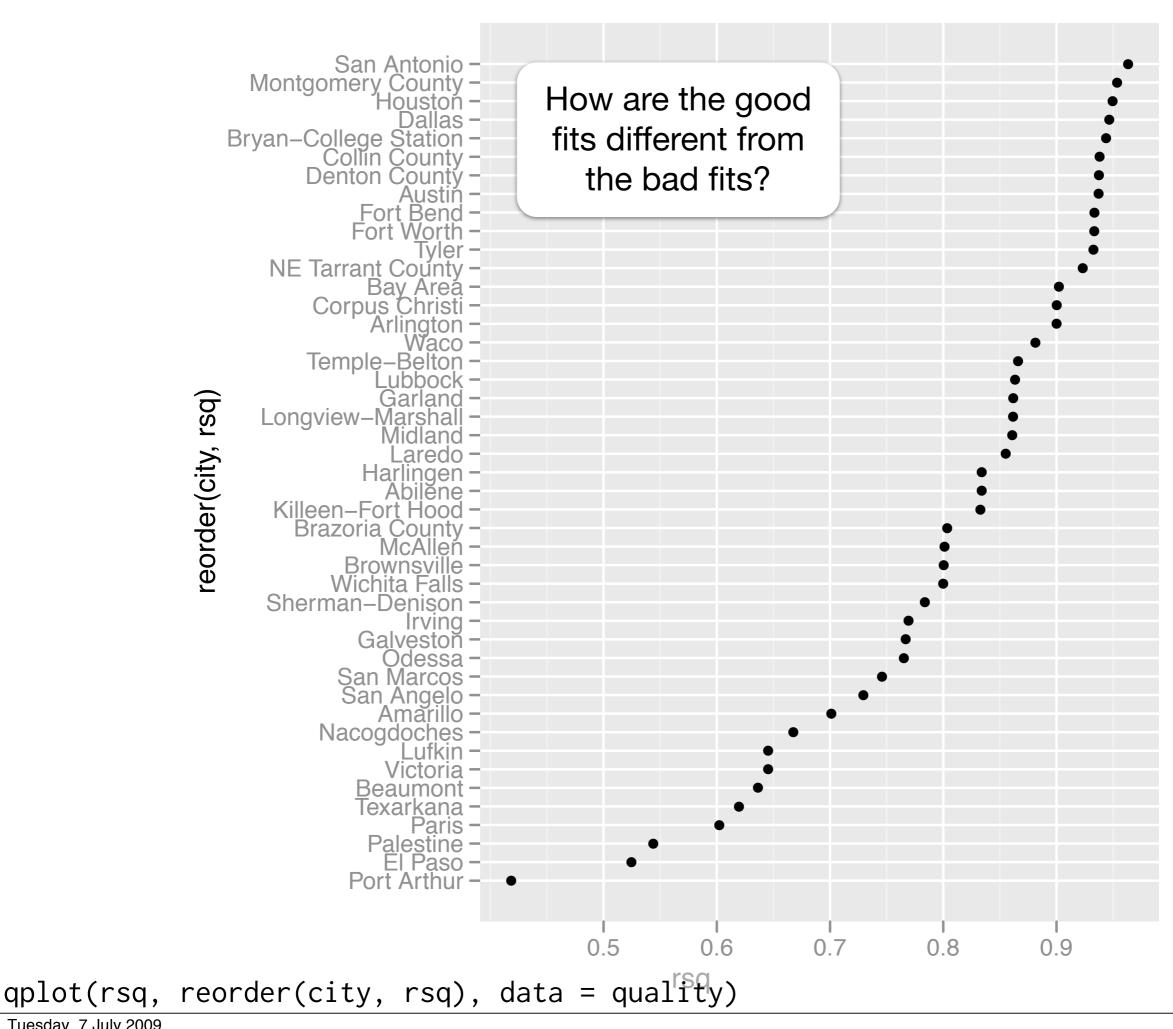




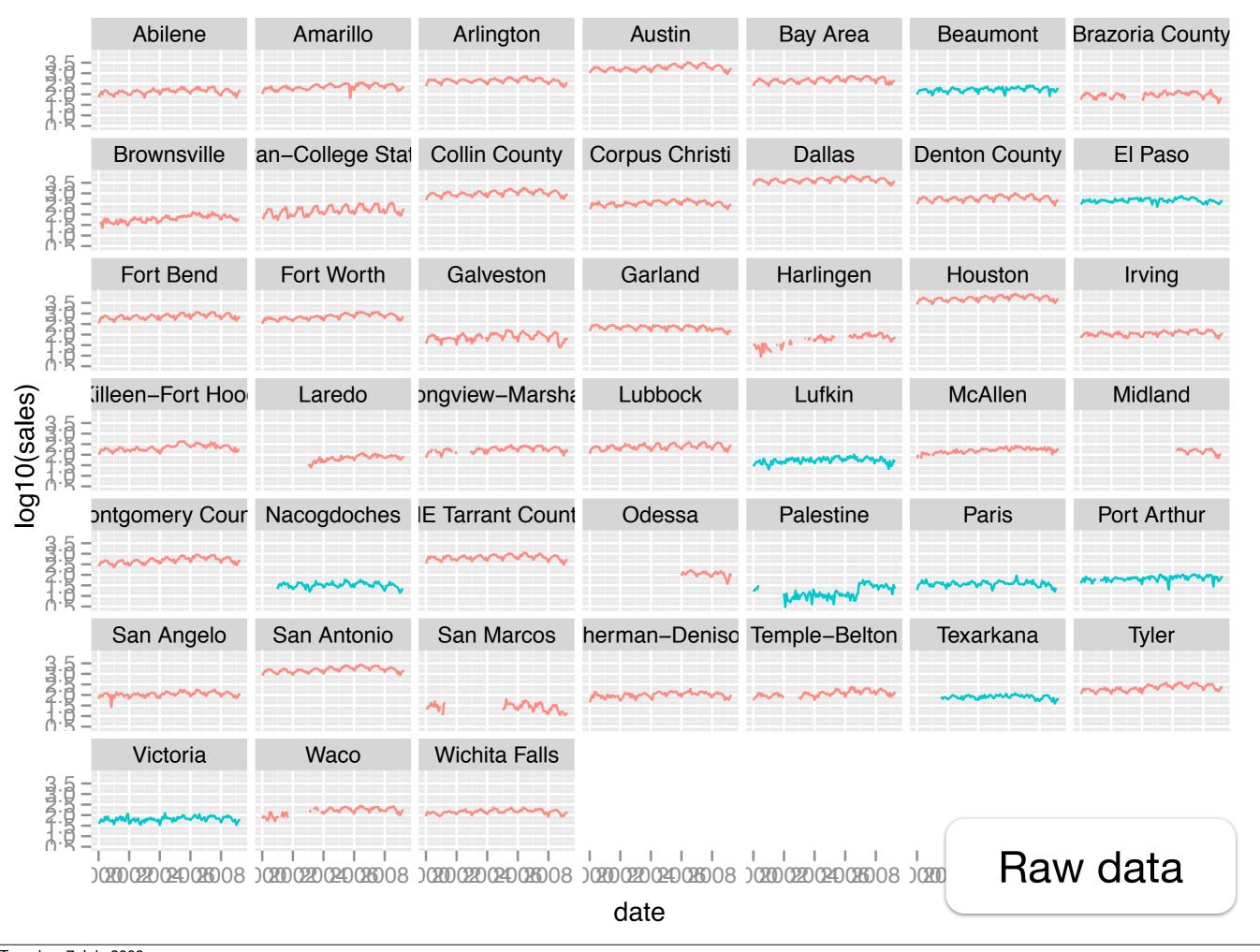
Tuesday, 7 July 2009

```
# Another approach: Essence of most cities is seasonal
 term plus long term smooth trend. We could fit this
# model to each city, and then look for models which don't
# fit well.
library(splines)
models3 <- dlply(tx, "city", function(df) {</pre>
  lm(log10(sales) \sim factor(month) + ns(date, 3), data = df)
})
# Extract rsquared from each model
rsq <- function(mod) c(rsq = summary(mod)$r.squared)
quality <- ldply(models3, rsq)</pre>
```





```
quality$poor <- quality$rsq < 0.7
tx2 <- merge(tx, quality, by = "city")
mfit <- ldply(models3, function(mod) {</pre>
  data.frame(
    resid = resid(mod),
    pred = predict(mod))
})
tx2 <- cbind(tx2, mfit[, -1])
         Can you think of any potential
            problems with this line?
```







Conclusions

Simple (and relatively small) example, but shows how collections of models can be useful for gaining understanding.

Each attempt illustrated something new about the data.

Plyr made it easy to create and summarise collection of models, so we didn't have to worry about the mechanics.