Quiz I

Part I True or False

- 1. A batch reactor has neither inflow nor outflow of reactants or products while the reaction is carried out. 下放版
- out. The December of the concentration, the temperature, or the reaction rate inside the mixed flow reactor.
- > 3. The flow reactor has the disadvantage of high labor costs and the difficult of large-scale production.
- 4. Ideal reactors include two types, that is plug flow reactors and batch reactors.
- 6. Whether you place two plug-flow reactors in series or have one plug-flow reactor, the total reactor volume required to achieve the same conversion is identical.
- 7. The space-velocity, s, is obtained by dividing reactor volume by the volumetric flow rate entering the reactor.
- 8. For most liquid-phase reactions, the density change with reaction is usually small and can be neglected.

Part II Gap Filling or Multiple Choice

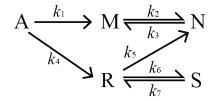
1. A reaction with stoichiometric equation $A + 2B \rightarrow 4R + 2S$ has the following rate expression

$$-r_{\mathrm{A}} = 2C_{\mathrm{A}}^{0.5}C_{\mathrm{B}}$$

What is the rate expression of the other three reaction components B, R and S for the reacion?

$$-r_{\rm B} = \frac{4C_{\rm A}^{\rm OS}C_{\rm B}}{r_{\rm C}}$$
; $r_{\rm R} = \frac{8C_{\rm A}^{\rm OS}C_{\rm B}}{r_{\rm C}}$; $r_{\rm S} = \frac{4C_{\rm A}^{\rm OS}C_{\rm B}}{r_{\rm C}}$

2. The following isothermal reactions have first-order kinetics in a constant volume batch reactor. Find the rate expression for these reactions in terms of reactant concentrations.



$$-\frac{dC_{A}}{dt} = \frac{|\mathcal{L}_{1}C_{A} + \mathcal{L}_{4}C_{A}|}{dt}; \quad \frac{dC_{M}}{dt} = \frac{|\mathcal{L}_{1}C_{A} + \mathcal{L}_{3}C_{A}|}{dt} = \frac{|\mathcal{L}_{2}C_{A} + \mathcal{L}_{3}C_{A}|}{dt} = \frac{|\mathcal{L}_{2}C_{A} + \mathcal{L}_{3}C_{A}|}{dt} = \frac{|\mathcal{L}_{3}C_{A} + \mathcal{L}_{3}C_{A}|}{dt} = \frac{|\mathcal{L}_{4}C_{A} + \mathcal{L}_{4}C_{A}|}{dt} = \frac$$

- 3. For a liquid reaction with rate equation $-r_A = kC_A^2$, the conversion of A is 70% when C_{A0} is 1.5 mol/L and reaction time is t. Find the time needed to reach the same conversion when C_{A0} equals 3.0 mol/L. $t = \int_{CAF} \frac{dC_A}{kC_{AF}} = \frac{dC_A}{kC_{AF}} = \frac{\Delta C_{AF}}{kC_{AF}} = \frac{\Delta C_{AF}}{kC_{AF}} = \frac{\Delta C_{AF}}{kC_{AF}} \times \frac{\Delta C_{AF}}{kC_{AF}} \times$
- 4. For a irreversible reaction $(A \rightarrow R)$ with rate constant $k = 1 \text{mol}/(L \cdot s)$, the conversion of A is 90% when C_{A0} is $\frac{1.5}{1.5} \text{mol}/L$ and reaction time is t. Find the time needed to reach the same conversion when C_{A0} equals 3.0 mol/L. $\frac{1.5}{1.5} \frac{1.5}{1.5} \frac{1.$

- 8. A liquid reaction $(A \rightarrow R)$ with rate equation $-r_A = kC_A^n$ takes place in a plug flow reactor, if the conversion increases with the increse of C_{A0} , then we could conclude that $n \ge 1$.

$$(=0, >0, <0, =1, >1, <1)$$

Part III Calculation

1. 1L/min of A (1 mol/L) • B (0.2 mol/L) mixture enters a mixed flow reactor (2 liters) and reacts and the kinetic equations and stoichiometric equations are unknown. The concentrations of A, B and C in the exit stream are 0.2 mol/L, 0.4 mol/L, 0.8 mol/L reapectively. Find the reaction rate of the three components in the reactor.

the three components in the reactor.

$$C_{AD} = |m0|/L$$

$$C_{BD} = |m0|/L$$

$$V = |L|/min$$

2. A plug flow reactor (2 m³) processes an aqueous leed (100 liter/min) containing reactant A ($C_{\rm A0}$ =100mmol/liter). The reaction is reversible and represented by

$$A \leftrightarrow R$$
 $-r_A = 0.04C_A - 0.01C_R$ (mol/liter/min)

What is the equilibrium conversion and the actual conversion in the reactor?

$$K = \frac{k_1}{k_2} = \frac{0.04}{0.01} = 4 \qquad -r_A = 0.04 c_A - 0.01 c_R = 0 \qquad G_A = \frac{1}{4} c_R \qquad G_A = \lambda_0 m_{MN} y L \qquad \lambda_{AE} = 0.8$$

$$PFR: \quad K_1 C = \chi_{AE} ln \left(\frac{\chi_{AE}}{\chi_{AE} + \chi_{A}}\right) \qquad \chi_A = 0.501$$

3. For a gas reaction at 800K in a constant-volume batch reactor the rate is expressed as

$$-\frac{dP_{\rm A}}{dt} = 10P_{\rm A}^2 (\text{atm } \bullet \text{ h-1})$$

What is the value of the rate constant k for this reaction if the rate equation is expressed as

$$-r_{A} = -\frac{1}{V} \frac{dn_{A}}{dt} = kC_{A}^{2} (\text{mol} \cdot L^{-1} \cdot h^{-1})$$

Note: 1atm = 101325Pa

$$-\frac{dP_A}{dt} = |OP_A^2(\alpha t m \cdot h^{-1}) \qquad K_P = |O| \alpha t m^{-1} \cdot h^{-1}$$

$$-\frac{dP_A}{dt} = -\frac{d(G_ART)}{dt} = 366(G_ART)^2$$

$$-\frac{dG_A}{dt} = |O(\alpha t m^{-1})RT G_A^2(mol \cdot b^{-1}h^{-1}) \qquad K' = |O| \frac{1}{\alpha t m \cdot h} \cdot \frac{1\alpha t m \cdot 2^{-1} t L}{|mol \cdot 2|^{-2} k} \cdot 800K$$

$$= 656 \qquad 4mol \cdot h$$

1. 1 L/min of A (1mol/L)-B (0.2mol/L) mixture enters a mixed flow reactor (2 liters) and reacts and the kinetic equations and stoichiometric equations are unknown. The concentrations of A, B and C in the exit stream are 0.2 mol/L, 0.4 mol/L, 0.8 mol/L respectively. Find the rate of three components.

$$\begin{split} &\frac{V}{F_{40}} = \frac{\Delta x_A}{-r_A} & \frac{V}{v_0} = \frac{C_{A0} - C_A}{-r_A} \\ &-r_A = \frac{C_{A0} - C_A}{V/v_0} = \frac{C_{A0} - C_A}{2} = \frac{1 - 0.2}{2} = 0.4 mol/L \cdot min \\ &-r_B = \frac{C_{B0} - C_B}{V/v_0} = \frac{C_{B0} - C_B}{2} = \frac{0.2 - 0.4}{2} = -0.1 \end{split} \qquad r_B = 0.1 mol/L \cdot min \\ &-r_C = \frac{C_{C0} - C_C}{V/v_0} = \frac{C_{C0} - C_C}{2} = \frac{0 - 0.8}{2} = -0.4 \end{split}$$

3. A plug flow reactor (2 m³) processes an aqueous feed (100 liter/min) containing reactant A ($C_{A0} = 100$ mmol/liter). The reaction is reversible and represented by

$$A \longleftrightarrow R$$
 $-r_A = 0.04C_A - 0.01C_R$

What is the equilibrium conversion and the actual conversion in the reactor?

4. A stream of pure gaseous reactant A (C_{A0} = 660 mmol/liter) enters a plug flow reactor at a flow rate of F_{A0} = 540 mmol/min and polymerizes there as follows

$$3A \rightarrow R$$
, $-r_A = 54 \frac{\text{mmol}}{\text{liter} \cdot \text{min}}$

How large a reactor is needed to lower the cocentration of A in the exit stream to $C_{Af} = 330 \text{ mmol/liter}$?

5. At present conversion is 2/3 for our elementary liquid reaction 2A→2R when operating in an isothermal plug flow reactor with a recycle ratio of 1. What will be the conversion if the recycle stream is shut off?

Solution:

It's a second-order reaction

$$\frac{k\tau C_{A0}}{R+1} = \frac{C_{A0}(C_{A0} - C_{Af})}{C_{Af}(C_{A0} + RC_{Af})}$$

KCCA0= XA =3 XA= =3

It's a second-order reaction
$$\frac{k\tau C_{A0}}{R+1} = \frac{C_{A0}(C_{A0} - C_{Af})}{C_{Af}(C_{A0} + RC_{Af})} \qquad \frac{k\tau C_{A0}}{1+1} = \frac{C_{A0}(C_{A0} - \frac{1}{3}C_{A0})}{\frac{1}{3}C_{A0}(C_{A0} + \frac{1}{3}C_{Af})} = \frac{\frac{2}{3}}{\frac{2}{3}} = \frac{3}{2}$$

2. In a homogeneous isothermal liquid polymerization, 20% of the monomer disappears in 34 minutes for initial monomer concentration of 0.04 mol/liter and also for 0.8 mol/liter. What rate equation represents the disappearance of the monomer?

Solution:

Since the conversion is independent of initial concentration, it is a first-order reaction 聚合反应 > batch

$$kt = \ln \frac{1}{1 - x_A}$$
 $k \times 34 = \ln \frac{1}{1 - 0.2}$

$$k = 6.56 \times 10^{-3} \text{ min}^{-1}$$
 $- \Gamma_{A} = k C_{A} = 6 \pm 6 \times 10^{-3} \text{ CA}$ Mily Lymin

$$-r_{A} = 0.04C_{Ae} - 0.01C_{Re} = 0$$

$$C_{Ae} = C_{A0}(1 - x_{Ae}) \qquad C_{Re} = C_{A0}x_{Ae}$$

$$0.04C_{A0}(1 - x_{Ae}) - 0.01C_{A0}x_{Ae} = 0 \qquad x_{Ae} = 0.8$$

$$Table \qquad 5.1 \qquad (page \qquad 111) or Eq. 3.54$$

$$k_1 \tau = (1 - \frac{C_{Ae}}{C_{A0}}) \ln(\frac{C_{A0} - C_{Ae}}{C_A - C_{Ae}}) = x_{Ae} \ln(\frac{x_{Ae}}{x_{Ae} - x_A})$$

$$0.04 * \frac{2000}{100} = 0.8 * \ln(\frac{0.8}{0.8 - x_A})$$

According to Eq.5.20 on page 103
$$k\tau = \frac{kC_{A0}V}{F_{A0}} = C_{A0}x_A \qquad x_A \neq 1 - \frac{C_A}{C_{A0}}$$

$$x_A = \frac{C_{A0} - C_A}{C_{A0} + \varepsilon_A C_A} \qquad (Eq.4.5 \quad on \quad page \quad 87)$$

$$\varepsilon_A = \frac{1/3 - 1}{1} = -2/3 \qquad \qquad V = \frac{C_{A0}X_A}{K}$$

$$x_A = \frac{660 - 330}{660 + (-\frac{2}{3}) \times 330} = 0.75$$

$$= \frac{5 + 0 \times 0 \times 1}{1 + 10} = 7 \times 1$$

5. At present conversion is 2/3 for our elementary liquid reaction 2A-2R when operating in an isothermal plug flow reactor with a recycle ratio of 1. What will be the conversion if the recycle stream is shut of??

Solution:

It's a second-order reaction

$$\frac{k\pi C_{ab}}{R+1} = \frac{C_{a0}(C_{ab} + C_{af})}{C_{af}(C_{ab} + RC_{af})} \qquad \frac{k\pi C_{ab}}{1+1} = \frac{C_{ab}(C_{ab} - \frac{1}{3}C_{ab})}{\frac{1}{3}C_{ab}(C_{ab} + \frac{1}{3}C_{ab})} = 1.5$$

$$k\pi C_{ab} = 3 \qquad k\pi C_{ab} = \frac{r_{ab}}{1+r_{ab}} = 3$$

6. For a gas reaction at 800K in a constant-volume batch reactor the rate is expressed as

$$-\frac{dP_A}{dt} = 10P_A^2(atm \cdot h^{-1})$$

What is the value of the rate constant k for this reaction if the rate equation is expressed as

$$-r_{A} = -\frac{1}{V}\frac{dn_{A}}{dt} = kC_{A}^{2}(mol \cdot L^{-1} \cdot h^{-1})$$

Solution:

$$\begin{split} P_{\scriptscriptstyle A} &= \frac{n_{\scriptscriptstyle A}RT}{V} = C_{\scriptscriptstyle A}RT & -\frac{dP_{\scriptscriptstyle A}}{dt} = -RT\frac{dn_{\scriptscriptstyle A}}{Vdt} = 10(\frac{n_{\scriptscriptstyle A}RT}{V})^2 = 10(C_{\scriptscriptstyle A}RT)^2 \\ & -\frac{dn_{\scriptscriptstyle A}}{Vdt} = 10RTC_{\scriptscriptstyle A}^2 \end{split}$$

 For a gas reaction at 800K in a constant-volume batch reactor the rate is expressed as

What is the value of the rate constant k for this reaction if the rate equation is expressed as

$$-r_s = \frac{1}{|V|} \frac{d\mathbf{e}_s}{dt} + 4C_s^2 (\cos t^2 |\tilde{\chi}|^2 + \epsilon)$$

Solution:

$$\begin{split} P_s &= \frac{n_s RT}{V} = C_s RT \\ &= \frac{dP_s}{dt} = -RT \frac{dn_s}{Vdt} = 10 (\frac{n_s RT}{V})^2 = 10 (C_s RT)^2 \\ &= \frac{dn_s}{Vdt} = 10 RTC_s^{-2} \end{split}$$

$$k = 10RT = 10(\frac{1}{atm \cdot h}) \times 0.08206(\frac{atm \cdot L}{mol \cdot K}) \times 800(K) = 656(\frac{L}{mol \cdot h})$$

Attention:

$$-\frac{dp_A}{dt} = 10p_A^2 \quad atm/hr = 10p_A^2 \frac{101325p_a}{3600s}$$

$$-r_A = 10p_A^2 = kC_A^2 = k(\frac{p_A}{RT})^2 \Rightarrow k = 10R^2T^2$$

$$-r_{A} = -\frac{1}{V}\frac{dN_{A}}{dt} = -\frac{1}{V}\frac{d\left(\frac{p_{A}V}{RT}\right)}{dt} = -\frac{1}{RT}\frac{dp_{A}}{dt} = \frac{1}{RT}10p_{A}^{2} = kC_{A}^{2} \Rightarrow k = 10/RT$$