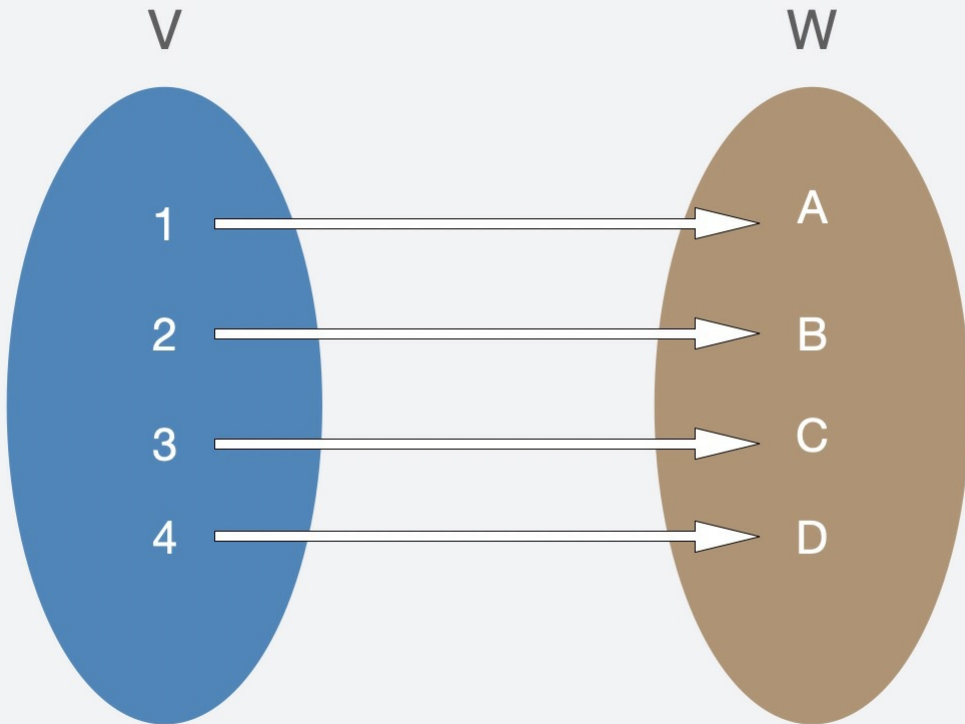


3.  $\hat{\alpha} \in \text{Hom}(V, W)$  is a linear map from  $V$  to  $W$ . The image of  $\hat{\alpha}$  is the set of all vectors in  $W$  that can be written as  $\hat{\alpha}(v)$  for some  $v \in V$ . In this case,  $\text{Im}(\hat{\alpha}) = \{A, B, C\}$ .



4.  $\hat{\alpha} \in \text{Hom}(V, W)$  is a linear map from  $V$  to  $W$ . The image of  $\hat{\alpha}$  is the set of all vectors in  $W$  that can be written as  $\hat{\alpha}(v)$  for some  $v \in V$ . In this case,  $\text{Im}(\hat{\alpha}) = \{A, B, C, D\}$ .

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## 转换



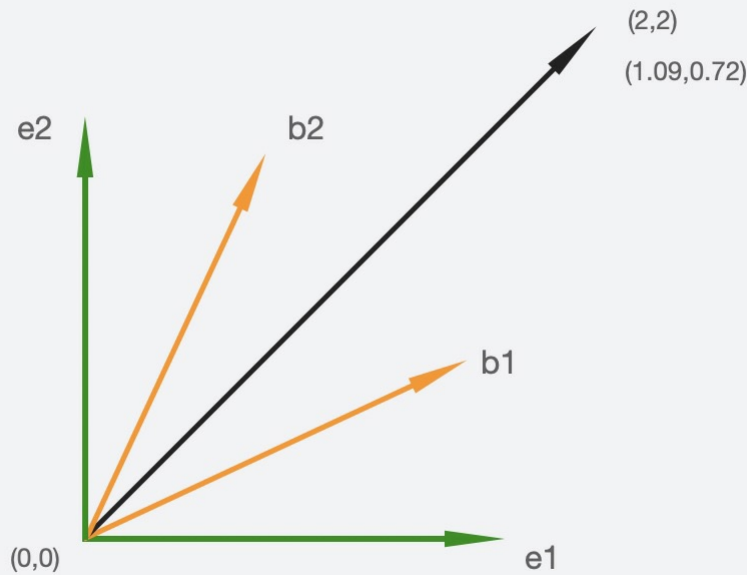
a

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[illegible][illegible]
$$\alpha = \left[ \begin{array}{c} \alpha_1 \\ \vdots \\ \vdots \\ \vdots \\ \alpha_n \end{array} \right]$$

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[illegible]


$$\frac{1}{\sqrt{\pi}} \int_{-\infty}^{\infty} \psi(x) e^{ikx} dx = \phi(k)$$
[illegible][illegible][illegible][illegible][illegible][illegible][illegible]
$$\begin{array}{l} \backslash\mathrm{phileft}(b_{\{1\}}\mathrm{right})=c_{\{1\}}-c_{\{2\}}+3\,c_{\{3\}}-c_{\{4\}}\,\,\backslash\!\!\backslash\!\!\backslash \\ \backslash\mathrm{phileft}(b_{\{2\}}\mathrm{right})=2\,c_{\{1\}}+c_{\{2\}}+7\,c_{\{3\}}+2\,c_{\{4\}}\,\,\backslash\!\!\backslash\!\!\backslash \\ \backslash\mathrm{phileft}(b_{\{3\}}\mathrm{right})=3\,c_{\{2\}}+c_{\{3\}}+4\,c_{\{4\}} \\ \end{array}$$
$$\bar{a}^0 \bar{Z} \bar{x}^{-1} r_{1/4} (\bar{E} \bar{x}^{\wedge} \bar{a}) \gg \bar{a}^{-} \bar{a} \gg \bar{H} \bar{e} \bar{s} \bar{c}_{\bar{L}} \ddagger \bar{e}_{\bar{L}}^{TM \bar{a}^0} \bar{x}; [\bar{a}]_{-4} - \bar{a}^{\circ} \bar{a}^{\sim} \bar{x} \bar{c} \bar{c} \bar{Y} \bar{C}^{\sim} \mu \bar{S} A_{-\{\phi\}} \bar{S} \hat{a}_1 \bar{a}, \langle \bar{a} \bar{e},$$
$$\begin{array}{lcl} 1 & 2 & 0 \\ -1 & 1 & 3 \\ 3 & 7 & 1 \\ -1 & 2 & 4 \end{array}$$

çtēsſā°ēç;™çt(ēç;~ā ç®—ēçā/»ñ/4Eæ°ā»-ēçæ°ēç;ā çæñ/4Eçæççææç çŽ°ā®žā°/ā°/çā°/āfāç,çtā çš,ç°;æçšā°æçæ°-āçā°æ° çš,æç,æŽhā,æYæ°ā°-ēçšç;žā,ēçā°ā°ā°/ā°/ççš,ā°/ā°æYçtēsſā,čā,æç,



[illegible]

