

# Week 8 Hand-in

NumIntro 2019  
Department of Computer Science  
University of Copenhagen

Casper Lisager Frandsen <fsn483@alumni.ku.dk>

Version 1

**Due:** November 6th, 08:00

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## 1. Exercise

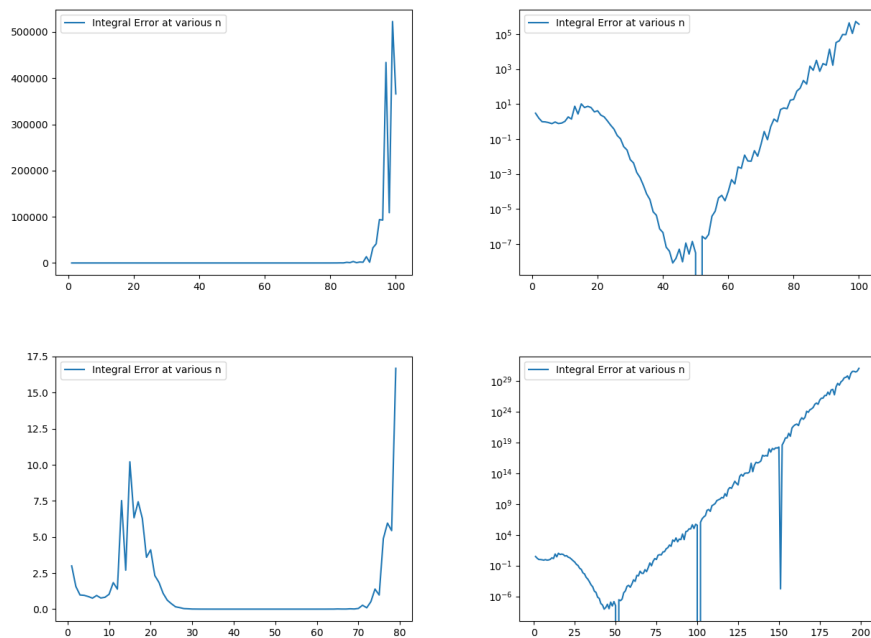
(a)

I have plotted the results of this function below in addition to just finding the results for  $n = 10, 50, 100$ , as can be seen below. The integral error values given the  $n$  - values from the exercise look as follows:

$$n = 10 \rightarrow 1.027977605943556$$

$$n = 50 \rightarrow 3.122005557761216e - 08$$

$$n = 100 \rightarrow 365910.5613805074$$



(b)

Calculating the derivative using the richardson method gives us the following values. All values have been calculated with a max number of iterations = 50.

$$t = 0 \rightarrow d = -1.0000, r = -1.0000$$

$$t = 1 \rightarrow d = -0.37500, r = -0.37760$$

(c)

The results for the integral error were definitely not expected. I assumed that the accuracy would go up as  $n$  went up. However, I would guess that this is

due to the fact that the approximating function approaches the real function quite well in the middle of the given interval, as  $n$  increases, but diverges significantly at the edges. As can be seen in the graphs above, this error increases exponentially after roughly  $n = 50$ .

The results for the derivative in  $t = 0$  were expected, as that is the true value. The value for  $t = 1$  is slightly off the actual result of  $-1/e$  or roughly  $-0.36787$ . This is to be expected though, as it does not have perfect accuracy.