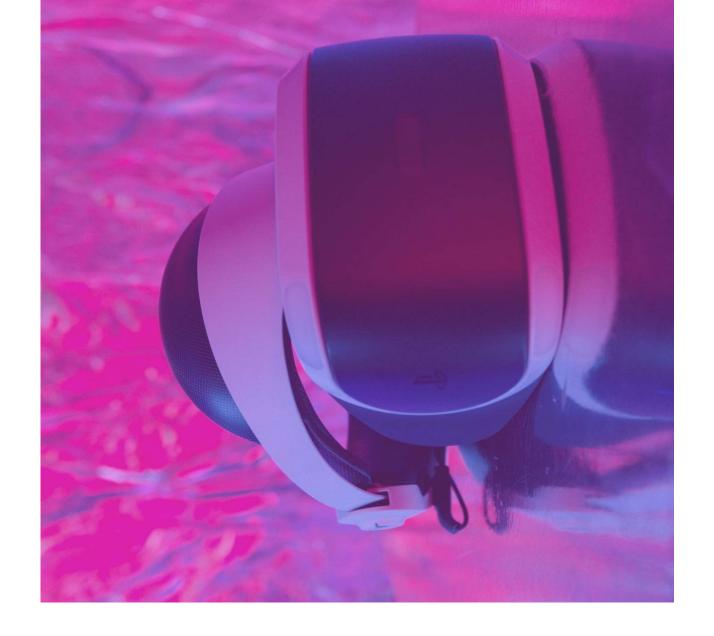
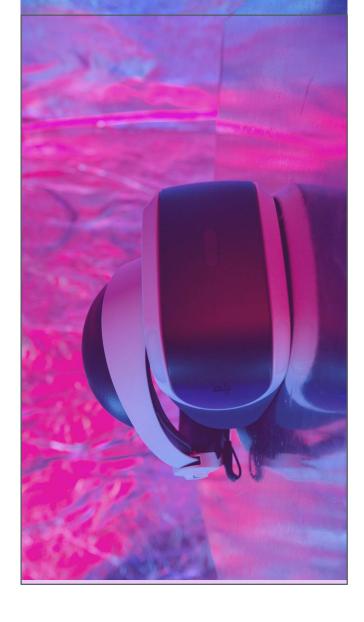


Introdução à Ciência de Dados







CEUB

Medidas de Posição

MÉDIA ARITMÉTICA

Soma das observações, divididaa pelo número delas

número delas
$$\frac{1}{x} = \frac{1}{n} \sum_{i=1}^{n} x_i$$

MEDIANA

Realização que ocupa a posição central da série de observações ordenadas.

- Se ímpar, valor central
- Se par, média dos dois valores centrais

$$x_{(1)} \le x_{(2)} \le \cdots \le x_{(n-1)} \le x_{(n)}$$

MODA

Realização mais frequente do conjunto de valores observados

AMPLITUDE

Diferença entre o maior e o menor valor



Medidas de Posição

Calcule

7, 11, 11, 15, 20, 20, 28

Média

Moda

Mediana

Amplitude



O resumo de um conjunto de dados por uma única medida representatividade posição central, não informa sobre a variabilidade Cinco grupos de alunos submeteram-se a um teste, obtendo as seguintes notas:

Grupo A: 3, 4, 5, 6, 7

Grupo B: 1, 3, 5, 7, 9

Grupo C: 5, 5, 5, 5, 5

Grupo D: 3, 5, 5, 7

Grupo E: 3, 5, 5, 6, 6



O resumo de um conjunto de dados por uma única medida representatividade posição central, não informa sobre a variabilidade Cinco grupos de alunos submeteram-se a um teste, obtendo as seguintes notas:

Grupo A: 3, 4, 5, 6, 7

Grupo B: 1, 3, 5, 7, 9

Grupo C: 5, 5, 5, 5, 5

Grupo D: 3, 5, 5, 7

Grupo E: 3, 5, 5, 6, 6

O que conseguimos informar sobre os grupos?

Dispersão em torno da média

Desvio médio

Variância

População

 $\frac{1}{n}\sum_{i=1}^{n}|x_i-\bar{x}|$

 $\frac{1}{n}\sum_{j=1}^{n}(x_{j}-\bar{x})$

Amostra

$$\frac{1}{n-1} \sum_{i=1}^{n} (x_i - \bar{x})^2$$



Exemplor anterior

DESVIO QUAD.							
DESVIO							
MÉDIA							
VALORES	7	11	11	15	20	20	28



Cinco grupos de alunos submeteram-se a um teste, obtendo as seguintes notas:

Grupo A: 3, 4, 5, 6, 7

Grupo B: 1, 3, 5, 7, 9

Grupo C: 5, 5, 5, 5, 5

Grupo D: 3, 5, 5, 7

Grupo E: 3, 5, 5, 6, 6

O que conseguimos informar sobre os grupos?



Quantis Empíricos

medida tal que, 100p% das observações sejam menores do que Quantil de ordem p ou p-quantil, indicado por q(p), é uma q(p).

25%	
25%	
25%	
25%	



Quantis Empíricos

medida tal que, 100p% das observações sejam menores do que Quantil de ordem p ou p-quantil, indicado por q(p), é uma q(p).

	25%
2 Q3	25%
(1) Q2	25%
3	25%



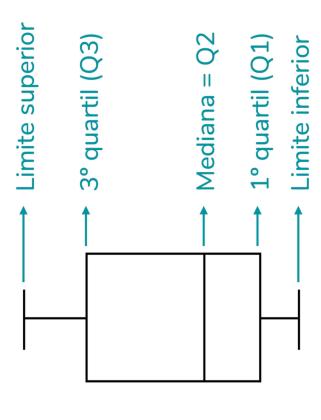
Quantis Empíricos

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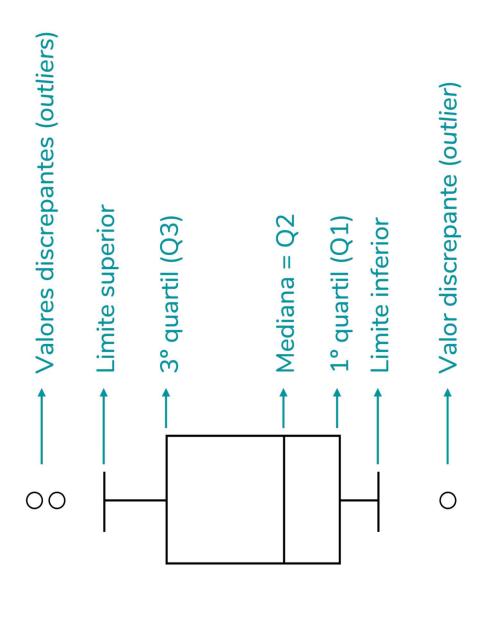
	25%
2 (33	25%
Q1 Q2	25%
•	25%

Intervalo Interquartil

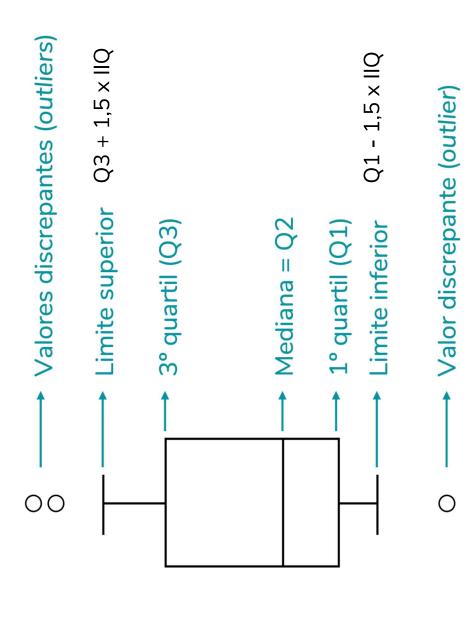














Calcule

22, 22, 23, 24, 25, 25, 26, 26, 27, 39, 59, 79

Limite Inferior

Primeiro Quartil

Mediana

Terceiro Quartil

Limite Superior



22, 22, 23, 24, 25, 25, 26, 26, 27, 39, 59, 79

Lim. Sup: 47.25

Q3: 33

Mediana: 25.5

Q1: 23.5

Lim. Inf: 22

IQR: 9.5



Ω

22, 22, 23, 24, 25, 25, 26, 26, 27, 39, 59, 79

v1 <- c(22, 22, 23, 24, 25, 25, 26, 26, 27, 39, 59, 79) box_v1 <- boxplot(v1)

Lim. Sup: 47.25

Q3: 33

Mediana: 25.5

Q1: 23.5

Lim. Inf: 22

IQR: 9.5



22, 22, 23, 24, 25, 25, 26, 26, 27, 39, 59, 79

> box_v1\$stats [1,] 22.0 [2,] 23.5 [3,] 25.5 [4,] 33.0 [5,] 39.0

Lim. Sup: 47.25

Mediana: 25.5

Q3: 33

Lim. Inf: 22

Q1: 23.5

IQR: 9.5

Overflow Stack



3 Answers

Sorted by: Highest score (default)



The values of the box are called hinges and may coincide with the quartiles (as calculated by quantile(x, c(0.25, .075)), but are calculated differently.

From ?boxplot.stats:



observations for n %% 4 == 1 (n = 1 mod 4), the hinges do so additionally for n %% 4 == 2 (n = 2 mod 4), and are in the middle of two observations quantile(x, c(1,3)/4). The hinges equal the quartiles for odd n (where n <-The two 'hinges' are versions of the first and third quartile, i.e., close to length(x)) and differ for even n. Whereas the quartiles only equal otherwise.



```
abline(h=quantile(x, c(0.25, 0.75)), col="red")
set.seed(1234)
                      x <- rnorm(9)
                                                                   boxplot(x)
```

Pauantile

Types

quantile returns estimates of underlying distribution quantiles based on one or two order statistics from the supplied elements in x at probabilities in probs. One of the nine quantile algorithms discussed in Hyndman and Fan (1996), selected by type, is employed.

All sample quantiles are defined as weighted averages of consecutive order statistics. Sample quantiles of type i are defined by:

$$Q_i(p) = (1-\gamma)x_j + \gamma x_{j+1}$$

where $1 \le i \le 9$, $\frac{j-m}{n} \le p < \frac{j-m+1}{n}$, x_j is the jth order statistic, n is the sample size, the value of γ is a function of $j = \lfloor np + m \rfloor$ and g = np + m - j, and m is a constant determined by the sample quantile type.

STATISTICAL COMPUTING

This department includes the two sections New Development in Stafixtical Computing and Statistical Computing Software Reviews; suitable contents for each of these sections are described under the respective

section heading. Articles submitted for the department, outside the two sections, should not be highly technical and should be relevant to the teaching or practice of statistical computing.

Sample Quantiles in Statistical Packages

Rob J. HYNDMAN and Yanan FAN

There are a large number of different definitions used for sample quantiles in statistical computer packages. Often within the same package one definition will be used to compute a quantile explicitly, while other definitions may be used when producing a boxplot, a probability plot, or a QQ plot. We compare the most commonly implemented sample quantile definitions by writing them in a common notation and investigating their motivation and some of their properties. We argue that there is a need to adopt a standard definition for sample quantiles so that the same answers are produced by different packages and within each package. We conclude by recommending that the median-unbiased estimator be used because it has most of the desirable properties of a quantile estimator and can be defined independently of the underlying distribution.

KEY WORDS: Percentiles, Quartiles, Sample quantiles, Statistical computer packages.

1. INTRODUCTION

The quantile of a distribution is defined as

$$Q(p) = F^{-1}(p) = \inf\{x; F(x) \ge p\}, \quad 0$$

where F(x) is the distribution function. Sample quantitles provide nonparametric estimators of their population

can be written as

$$\hat{Q}_t(p) = (1 - \gamma)X_{(j)} + \gamma X_{(j+1)}$$

where $\frac{j - m}{2} \le p < \frac{j - m + 1}{2}$ (1)

for some $m \in \mathbb{R}$ and $0 \le \gamma \le 1$. The value of γ is a function of $j = \lfloor pm + m \rfloor$ and g = pm + m - j. Here, $\lfloor u \rfloor$ denotes the largest integer not greater than u: later we shall use $\lceil u \rceil$ to denote the smallest integer not less than u.

We consider estimators of the form (1), including some that are not found in statistical packages. There have been several other nonparametric quantile estimators proposed that are not of the form (1) (e.g., Harrell and Davis 1982; Sheather and Marron 1990), but these are not implemented in widely available packages and so are not considered here. We also exclude sample quantiles that are not defined for all p including hinges and other letter values (Hoaglin 1983) and related methods (Freund and Perles 1987).

A closely related problem is the selection of plotting position in a quantile plot in which $X_{(k)}$ is plotted against p_k or in a quantile—quantile plot in which $X_{(k)}$ is plotted against $G^{-1}(p_k)$ where G is a distribution function. Various rules for p_k have been suggested (see Cunnane 1978; Harter 1984; Kimball 1960; Mage 1982). Each plotting rule corresponds to a sample quantile definition by defining $Q_k(p_k) = X_{(k)}$ and using linear interpolation for $p_k \neq p_k$. However, the criteria by which a plotting position is chosen (e.g., the five postulates of Gumbel 1958, pp. 32–34 or the three purposes of Kimball 1960) may be quite different from the criteria for choosing a good sample quantile definition.

We compare sample quantile definitions of the form (1)

Phoxolot stats

Details

The two 'hinges' are versions of the first and third quartile, i.e., close to guantile (x, c(1,3)/4). The hinges equal the quartiles for odd n (where n < 1 length(x)) and differ for even n. Whereas the quartiles only equal observations for n88 4 == 1 ($n \equiv 1 \mod 4$), the hinges do so additionally for n 88 4 == 2 ($n \equiv 2 \mod 4$), and are in the middle of two observations otherwise.

normality of the median and roughly equal sample sizes for the two medians being compared, and are said to be rather formula with 1.57 in Chambers et al (1983, p. 62), given in McGill et al (1978, p. 16). They are based on asymptotic The notches (if requested) extend to +/-1.58 IQR/sqrt(n). This seems to be based on the same calculations as the insensitive to the underlying distributions of the samples. The idea appears to be to give roughly a 95% confidence interval for the difference in two medians.

2boxplot stats

Details

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22, 22, 23, 24, 25, 25, 26, 26, 27, 39, 59, 79

Refaça o exercício excluindo o último valor



Muitos Dados

Entendo o processo com 10 observações, Podemos expandir a ideia, trabalhando com muitas observações

Entrevistas em Ciência de Dados

X H Análise Curricular

Entrevista técnica

Entrevistas em Ciência de Dados

Estudo de caso envolvendo área de atuação da empresa/cargo

Dados mascarados ou fictícios Fidedignos aos dados reais

Entrevistas em Ciência de Dados



https://github.com/ifood/ifood-data-analyst-case



README.md

ifood-data-analyst-case

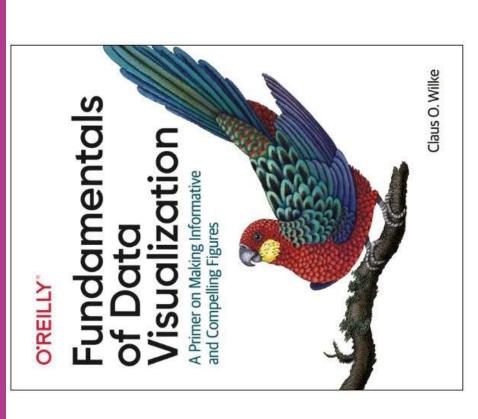
repositório destinado ao case de contratação do time de data & analytics

Porque "olhar" para os dados?

Gráficos

Transmitir a mensagem presente nos dados/valores computados

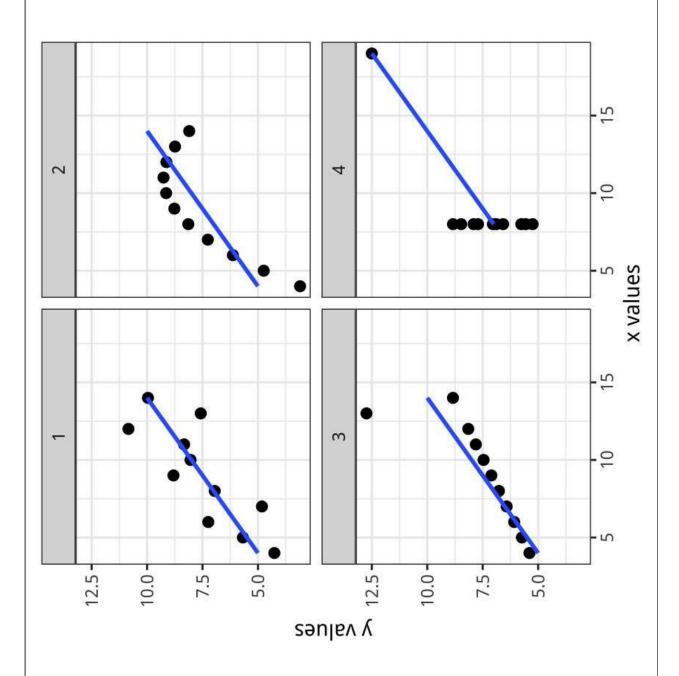
Explorar e investigar a estrutura dos seus dados



"Figures will typically carry the weight of your arguments".

Dados de Anscombe

	-	3	=		=	3	Ν	
	×	^	×	^	×	٨	×	٨
	10	8,04	10	9,14	10	7,46	00	6,58
	00	6,95	00	8,14	00	6,77	00	5,76
	13	7,58	13	8,74	13	12,74	00	7,71
	6	8,81	6	8,77	6	7,11	00	8,84
	11	8,33	11	9,26	11	7,81	00	8,47
	14	96'6	14	8,1	14	8,84	00	7,04
	9	7,24	9	6,13	9	6,08	00	5,25
	4	4,26	4	3,1	4	5,39	19	12,5
	12	10,84	12	9,13	12	8,15	00	5,56
	7	4,82	7	7,26	7	6,42	00	7,91
	5	5,68	5	4,74	5	5,73	8	6,89
SUM	00'66	82,51	00'66	82,51	00'66	82,50	00'66	82,51
NG	9,00	7,50	00'6	7,50	9,00	7,50	9,00	7,50
LDEV	3,32	2,03	3,32	2,03	3,32	2,03	3,32	2,03



gnuplot, Xfig, Mathematica, Matlab, Matplotlib, seaborn, plotly base R, ggplot2,

•

Constante mudança de softwares

Arte certa sem a ciência errada

Mensagem clara e convincente

Visualmente agradável

Gráfico Feio

Figura com problemas estéticos, mas é clara e informativa

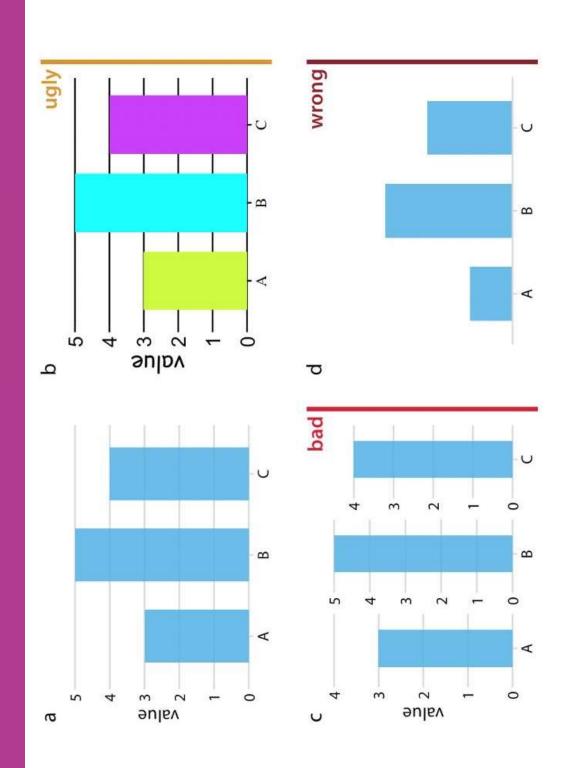
Gráfico Ruim

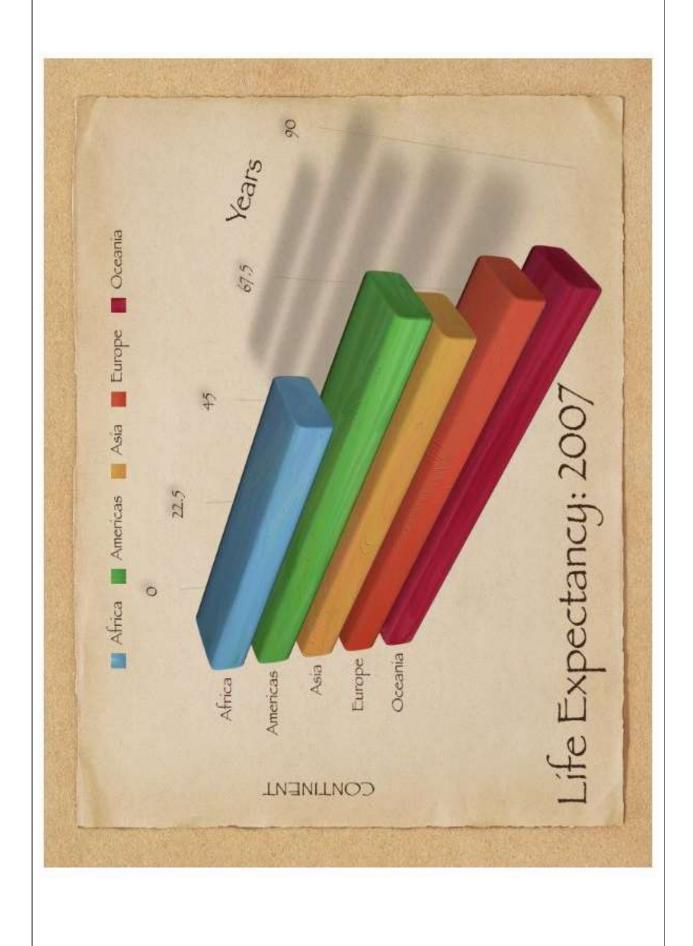
Figura com problemas relacionados à percepção; mensagem confusa, informação não clara

Gráfico Errado

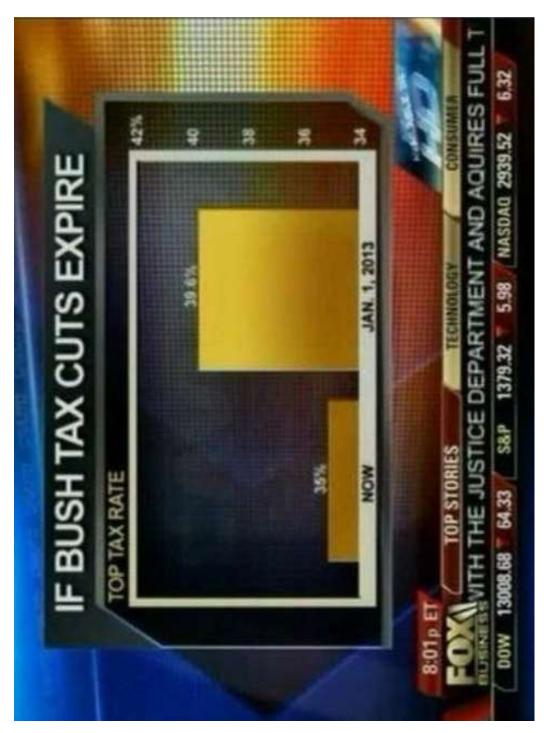
Figura matematicamente errada. Passa uma informação incorreta.

Visualização de dados

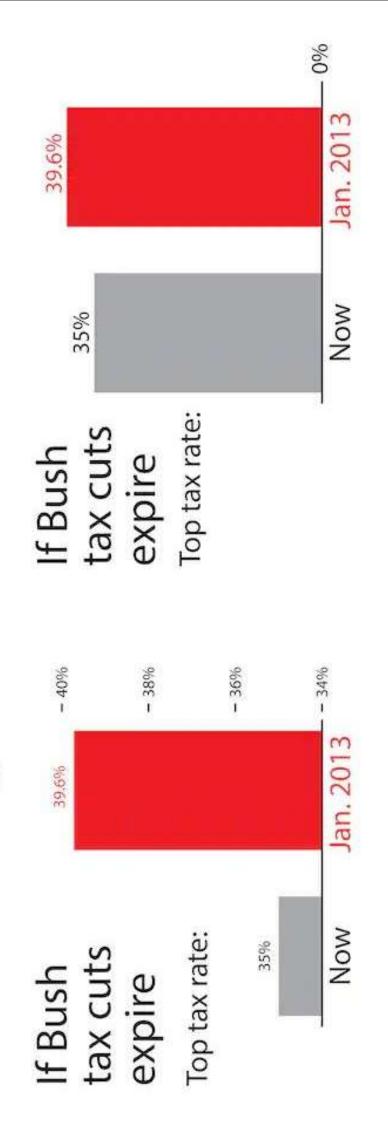




Menções Honrosas



https://www.statisticshowto.com/probability-and-statistics/descriptive-statistics/misleading-graphs/

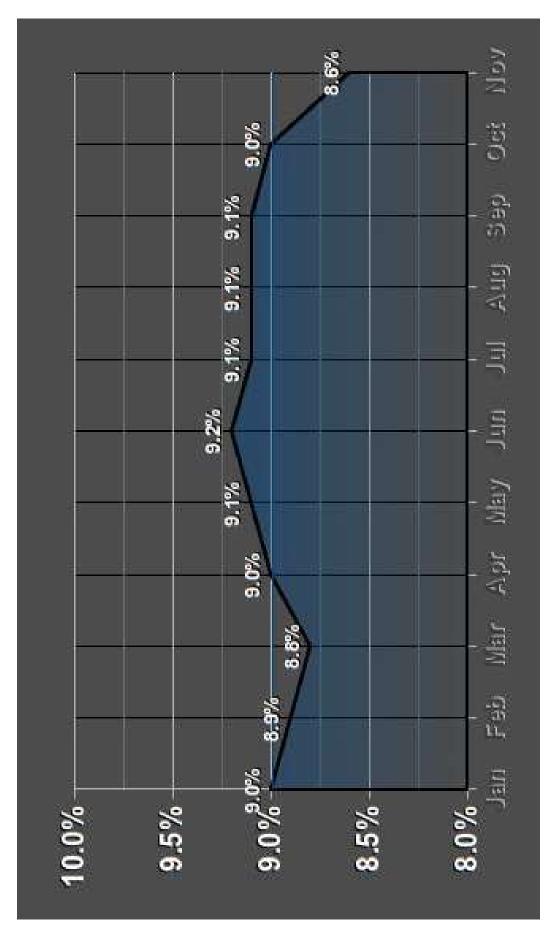


More accurate

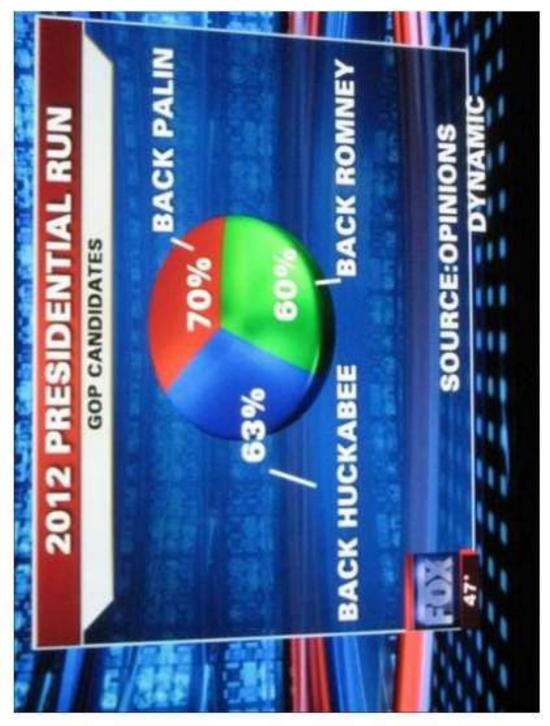
Misleading

Fonte: https://www.washingtonpost.com/business/2019/10/14/youve-been-reading-charts-wrong-heres-how-pro-does-it/

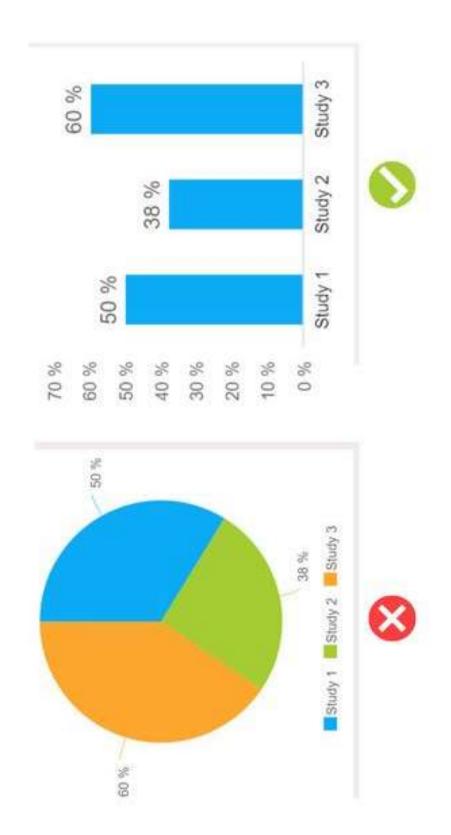




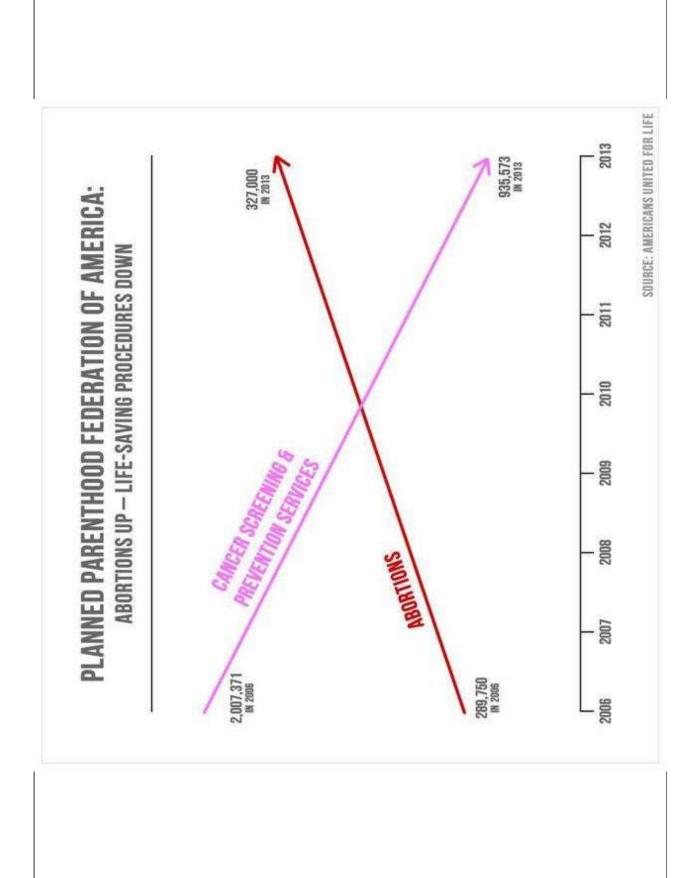
Fonte: http://freethoughtblogs.com/lousycanuck/2011/12/14/im-better-at-graphs-than-fox-news/



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Fonte: https://www.datapine.com/blog/misleading-data-visualization-examples/

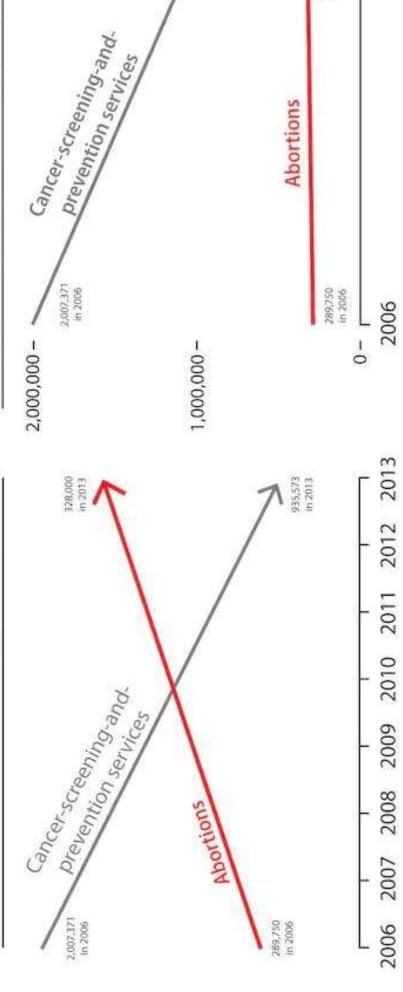


Misleading

Planned Parenthood Federation of America: Abortions up—life-saving procedures down

More accurate





935,573 in 2013 2013

(Source: Americans United for Life)

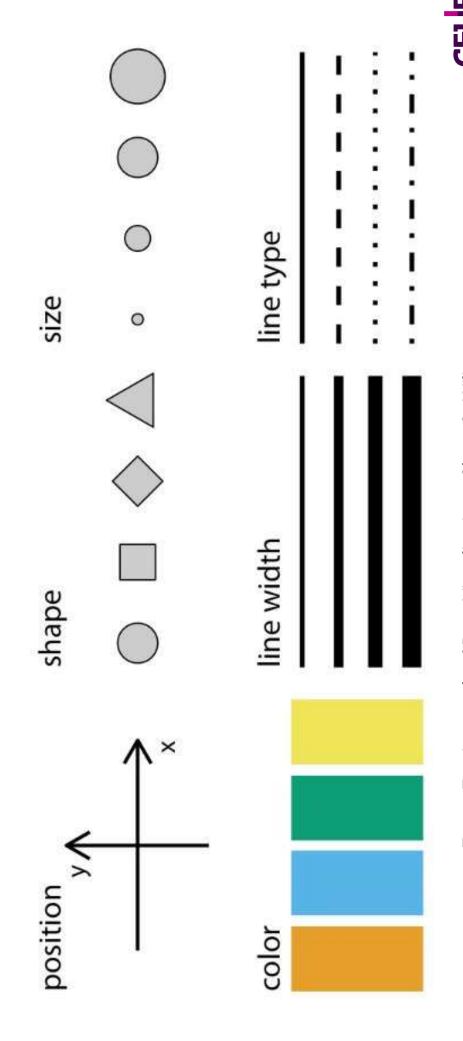
328,000 in 2013

M M M O SOUL MAN

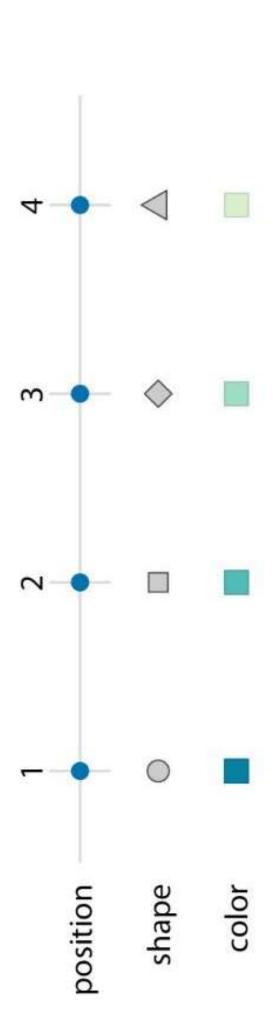


Mapeamento Estético

Todas as visualzações de dados mapeiam valores de dados em camadas quantificáveis do gráfico. Tais camadas, são as camadas estéticas.



Fonte: Fundamentals of Data Visualization - Claus O. Wilke

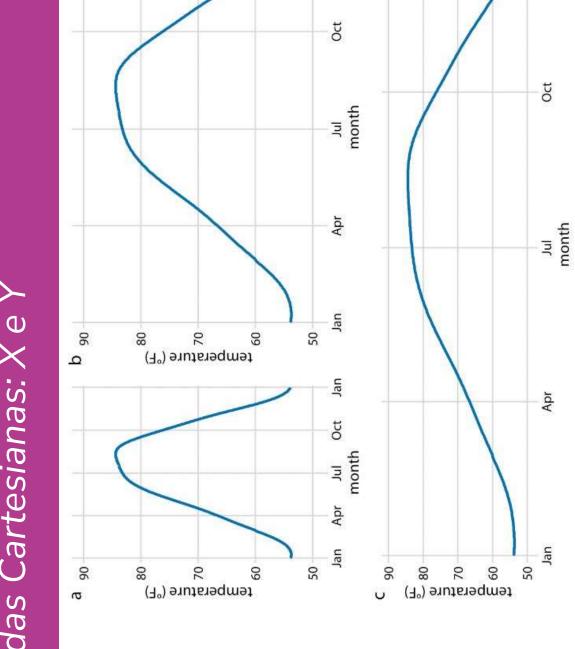


Fonte: Fundamentals of Data Visualization - Claus O. Wilke





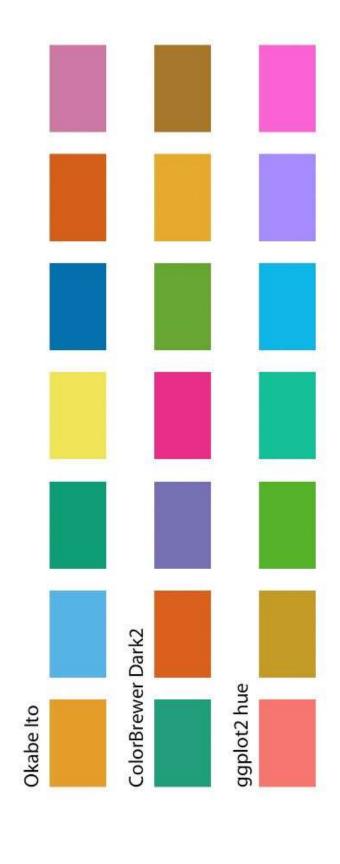
Jan

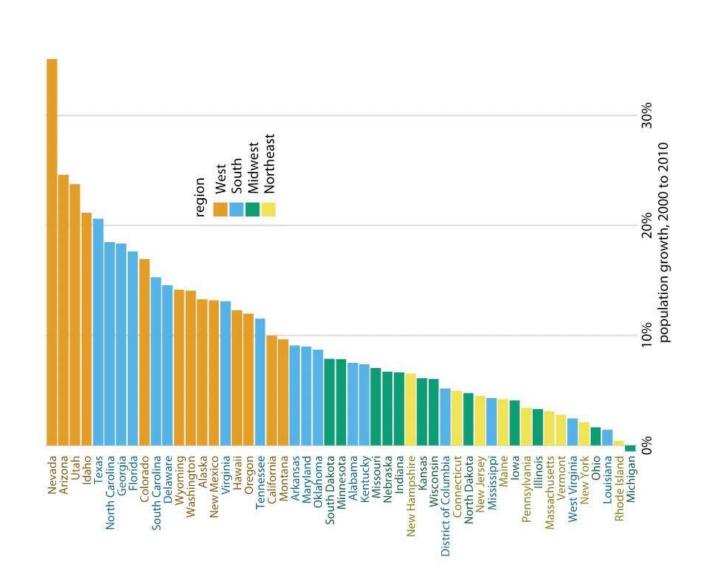


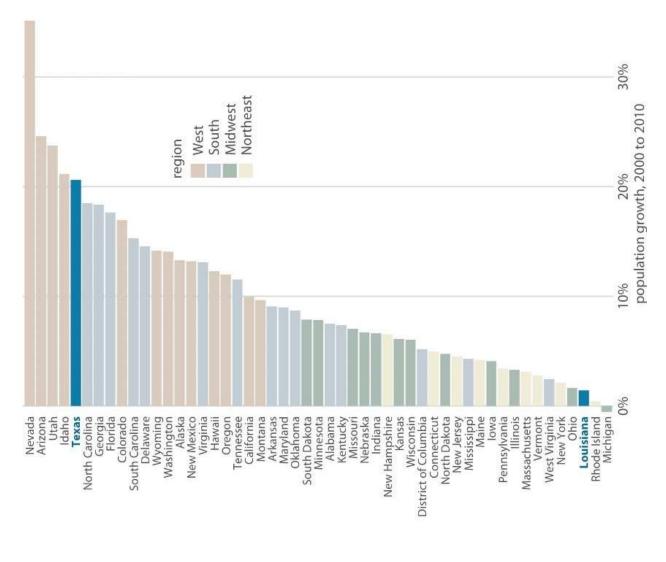
Jan

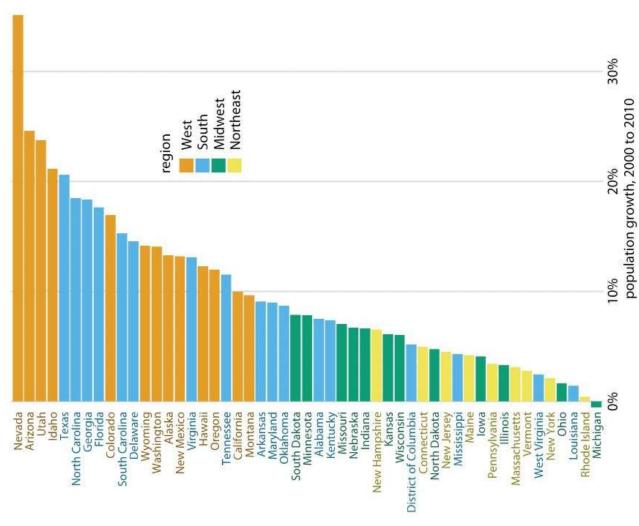
Coordenadas Cartesianas: X e Y











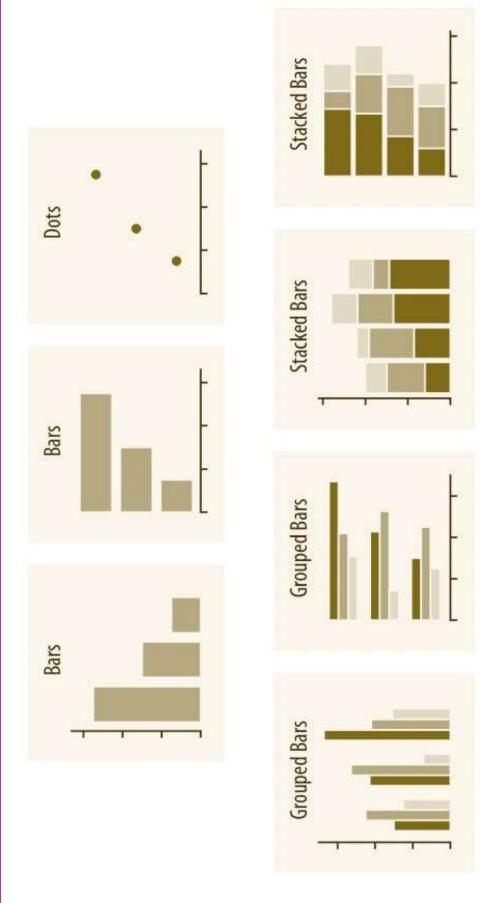


Diretrizes para visualização

Diferentes tipos de variáveis possuem visualizações tipicamente usadas para mapear seus valores em figuras gráficas

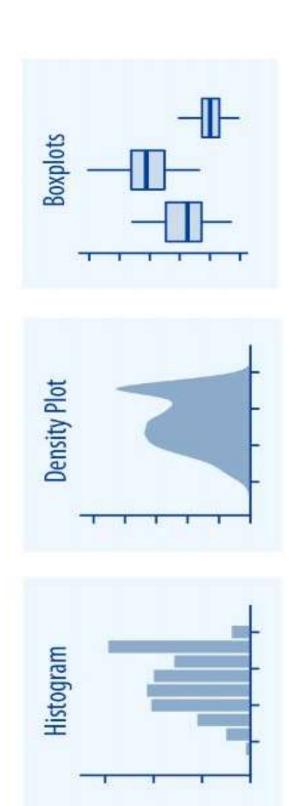


Quantidades





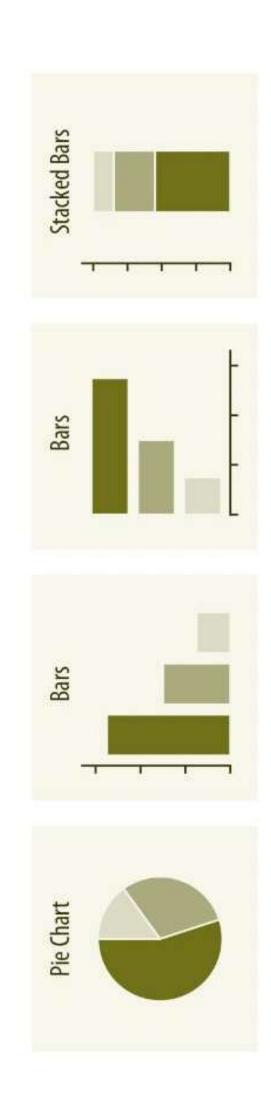




Distribuições

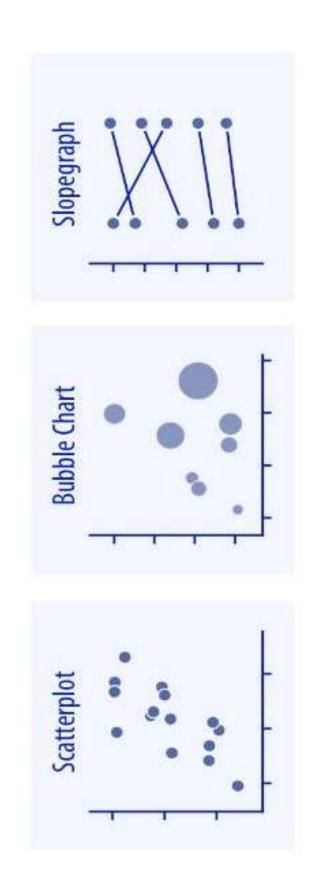


Proporções



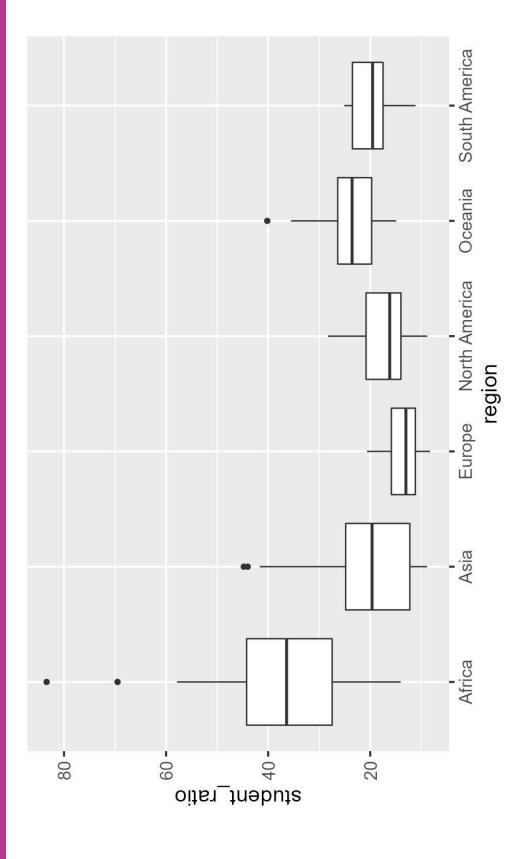






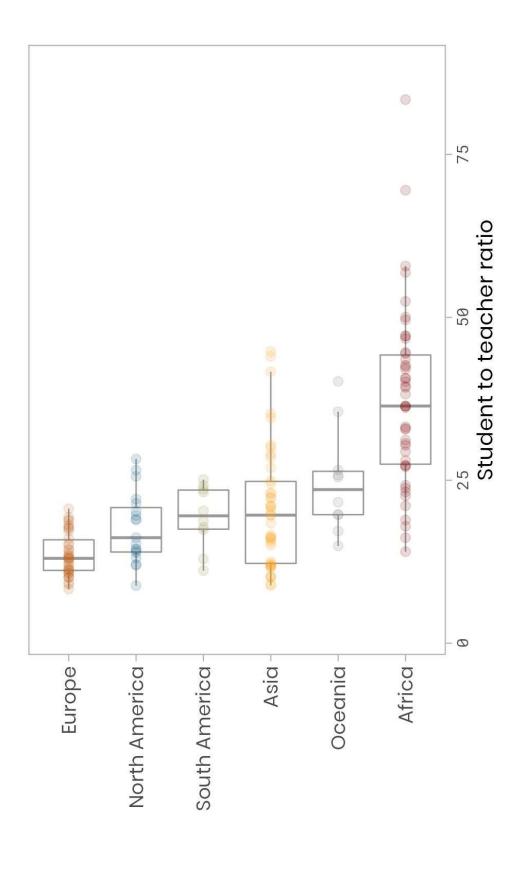
Vale a pena investir em visualização?





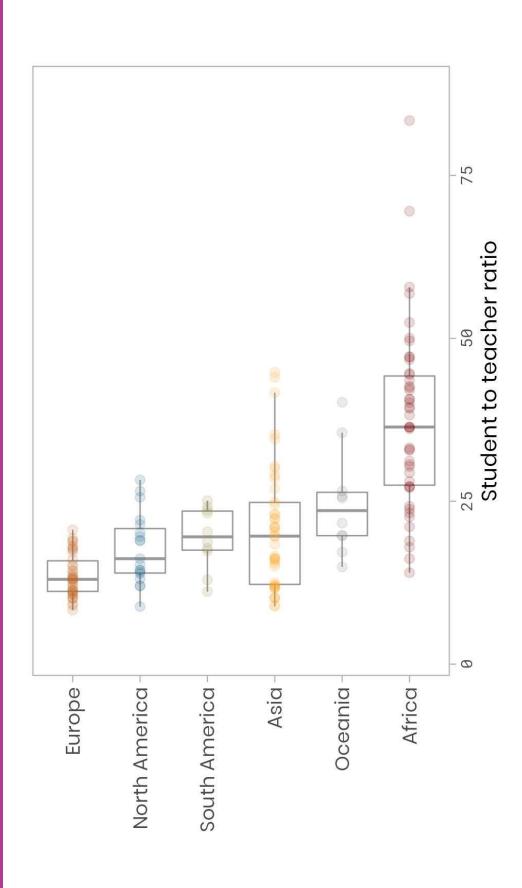
Relação Estudante x Profesor



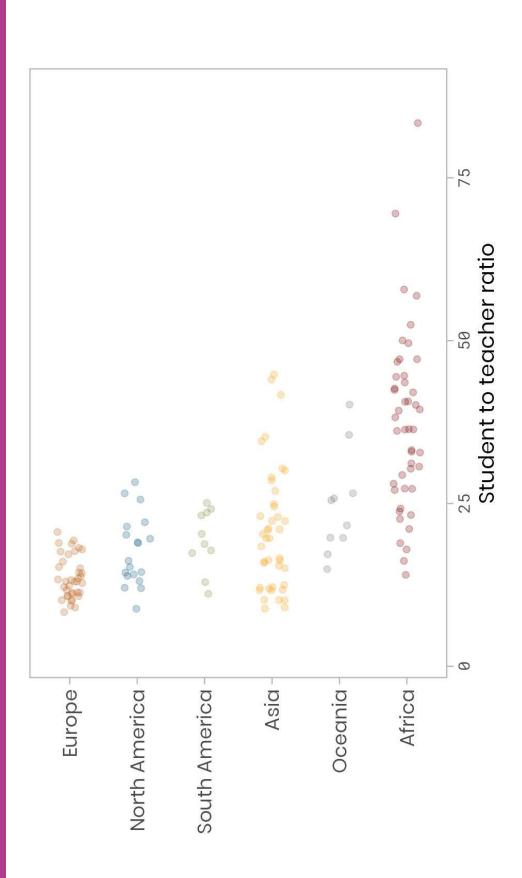




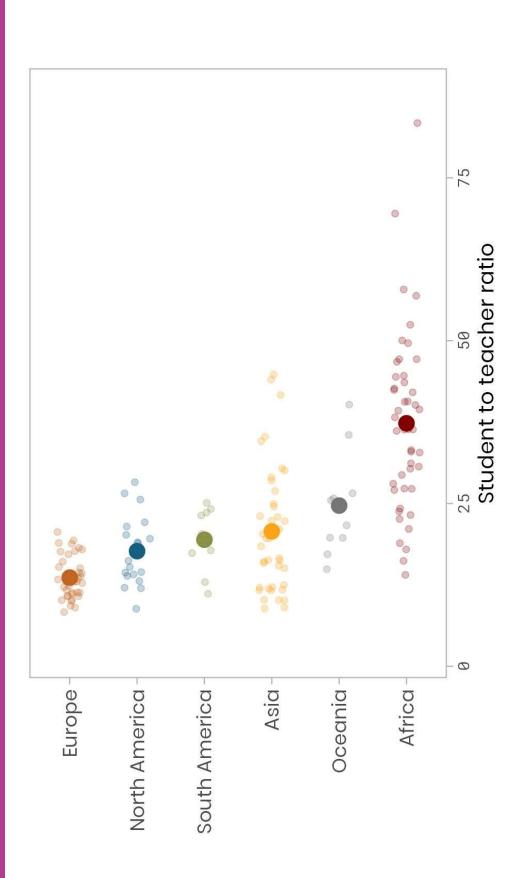




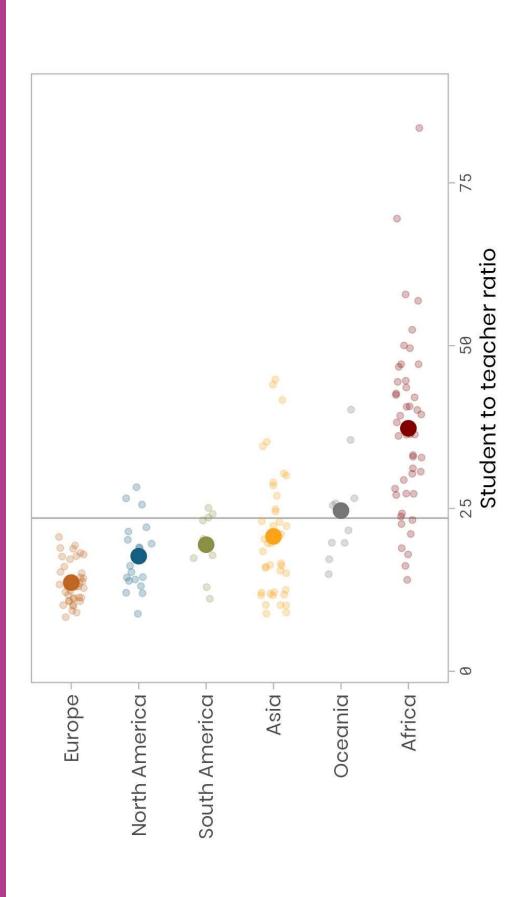






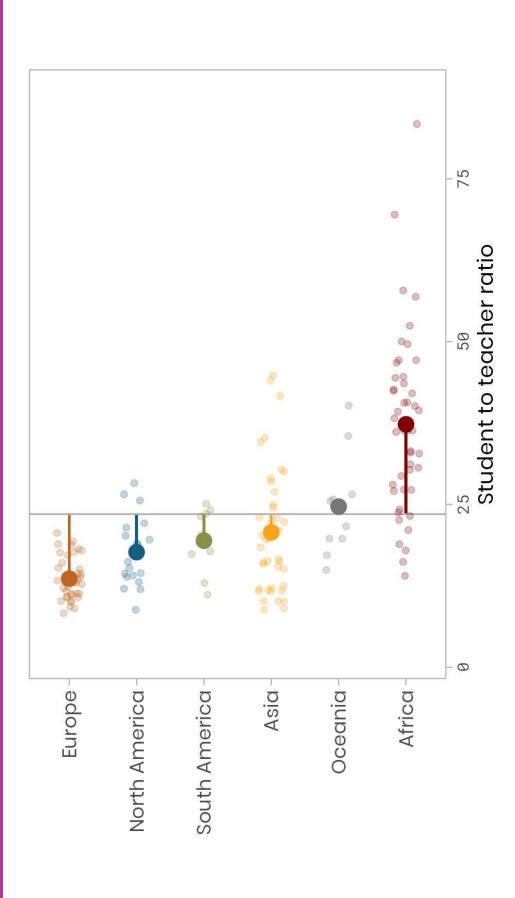




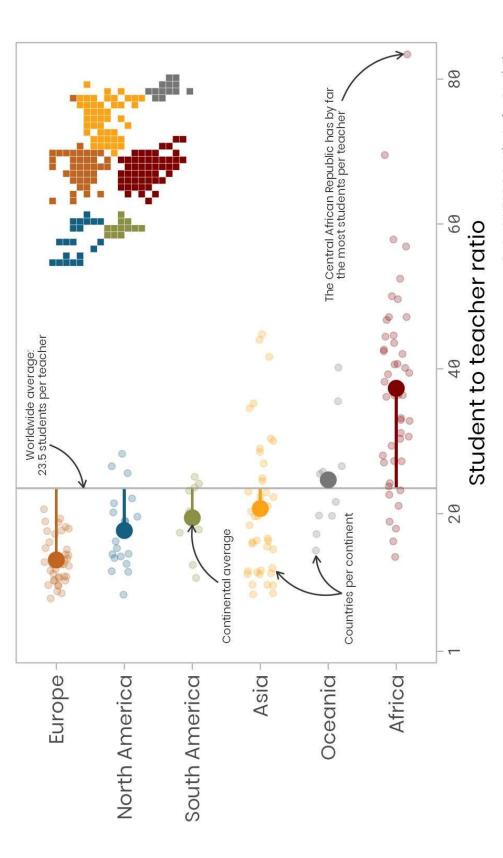












Data: UNESCO Institute for Statistics

Dashboards



