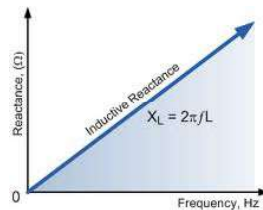


Class 15

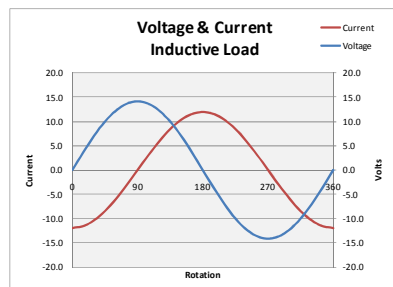
Reactive Components IV

Inductive Reactance

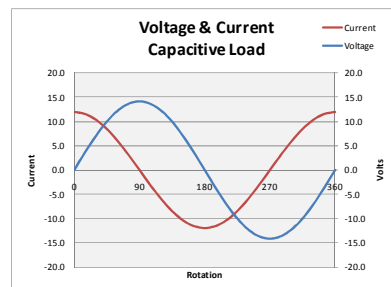


1

- Reactance
 - The opposition to changes in current or voltage



Opposes Current Change
Voltage Leads Current



Opposes Voltage Change
Current Leads Voltage

2

- Inductive Reactance

- An inductor's opposition to changes in current
- Characteristics
 - Directly proportional to frequency & inductance
 - A frequency dependent resistor
- Applications
 - Motor starting circuits
 - Frequency filters

$$X_L = 2\pi fL$$

Where;

X_L = inductive reactance (Ω)

$2\pi f$ = angular velocity (rad/sec)

f = frequency (Hz)

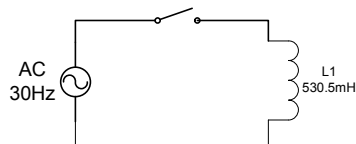
L = inductance (H)

Name	Unit symbol	Quantity	Symbol
inductive reactance	X_L	Ohms	Ω

3

- Inductive Reactance

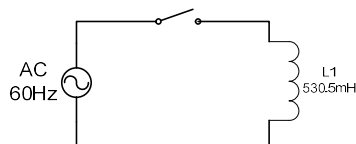
- Circuit Examples
 - Find X_L



$$X_L = 2\pi fL$$

$$X_L = 2\pi \times 30\text{Hz} \times 530.5\text{mH}$$

$$X_L = ??\Omega$$



$$X_L = 2\pi fL$$

$$X_L = 2\pi \times 60\text{Hz} \times 530.5\text{mH}$$

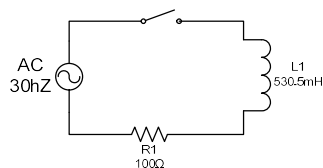
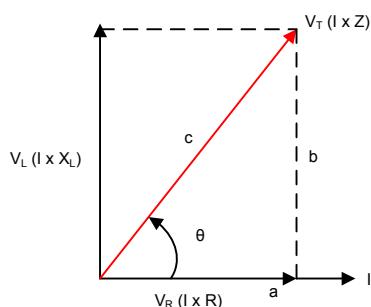
$$X_L = ??\Omega$$

4

Inductive Reactance

Total Resistance

- $R_T \neq X_L + R1$
- Vector addition required
- Pythagorean Theorem



$$X_L = 2\pi fL = 100\Omega$$

$$R1 = 100\Omega$$

$$Z = \sqrt{R^2 + X_L^2}$$

$$Z = \sqrt{100^2 + 100^2}$$

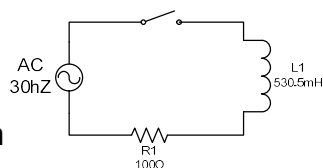
$$Z = ??\Omega$$

5

Inductive Reactance

Impedance – the total opposition to current flow in an AC circuit

- Resistance & Reactance
 - Vector addition
- For all reactive circuits!



$$X_L = 2\pi fL = 100\Omega$$

$$R1 = 100\Omega$$

$$Z = \sqrt{R^2 + X_L^2}$$

$$Z = \sqrt{100^2 + 100^2}$$

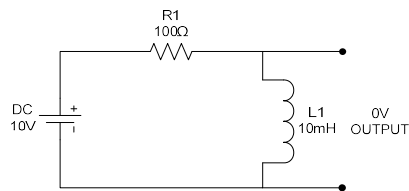
$$Z = ??\Omega$$

Name	Unit symbol	Quantity	Symbol
impedance	Z	Ohms	Ω

6

- Inductive Reactance
 - Frequency Filters
 - High Pass Filters – Series LR

**Frequency
dependent
resistor**



$$X_L = 2\pi fL = 2 \times \pi \times 0 \times L = 0$$

7

- Inductive Reactance
 - Frequency Filters
 - High Pass Filters – Series LR

$$X_L = 2\pi fL$$

$$X_L = 2 \times \pi \times 1,592 \times 10mH = 100\Omega$$

$$Z = \sqrt{R^2 + X_L^2}$$

$$Z = \sqrt{100^2 + 100^2} = 141.4\Omega$$

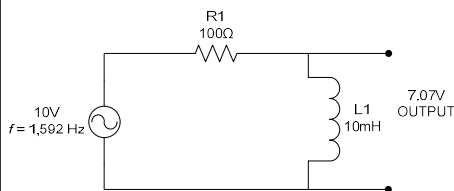
$$I_T = \frac{V_s}{Z} = \frac{10V}{141\Omega} = 70.71mA$$

$$V_{L1} = I_T \times X_L$$

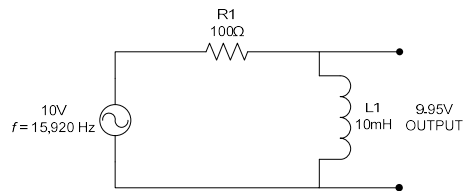
$$V_{L1} = 70.71mA \times 100\Omega$$

$$V_{L1} = 7.07V$$

8



- Inductive Reactance
 - Frequency Filters
 - High Pass Filters – Series LR



$$X_L = 2\pi fL = 2\pi \times 15,920 \times 10\text{mH}$$

$$X_L = ??\Omega$$

$$Z = \sqrt{R^2 + X_C^2}$$

$$Z = \sqrt{100^2 + 1000^2} = ??\Omega$$

$$I_T = \frac{E}{Z} = \frac{10V}{1005\Omega}$$

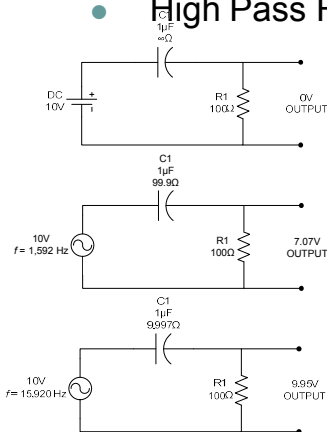
$$I_T = ??A$$

$$V_{R1} = 9.95\text{mA} \times 1000\Omega$$

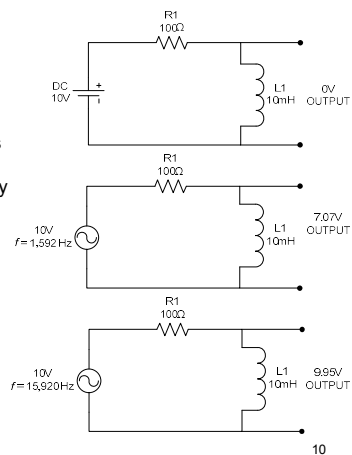
$$V_{R1} = ??V$$

9

- Inductive & Capacitive Reactance
 - High Pass Filters

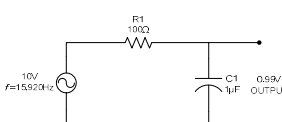
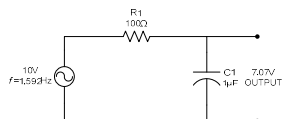
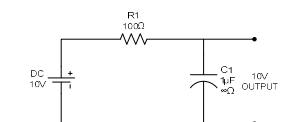


A high-pass filter allows high frequencies to pass through the filter relatively unaffected, while greatly attenuating (preventing) low frequencies from reaching the output.

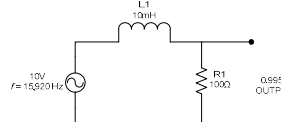
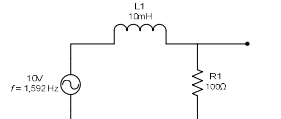
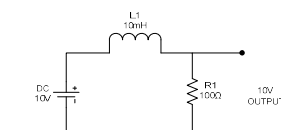


10

- Inductive & Capacitive Reactance
 - Low Pass Filters



A **low-pass filter** allows low frequencies to pass through the filter relatively unaffected, while greatly attenuating (preventing) high frequencies from reaching the output.



11

- Lab 15 – Phase Shift

Learning Objectives

- Measure the phase shift of a resistive circuit
- Measure the phase shift of a capacitive circuit
- Measure the phase shift of an inductive circuit

		Points Possible
Documentation	Quality of documentation (neatness, clarity, spelling, grammar), Expected and measured values recorded on schematic diagram	10
Circuit 1	Circuit demonstrated with signature	5
Circuit 2	X_C & F_C calculated & accurate, phase shift recorded and accurate	10
Circuit 3	X_L & F_C calculated & accurate, phase shift recorded and accurate	10
Conclusions	Questions answered completely & accurately.	20
Total		45

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