```
B= {v1, ..., rn} bese, B' bese, ftl Im A = Cols A
     C\left(\mathsf{E},\mathsf{B}\right) = \left(\begin{array}{c|c} (e_1)_{\mathsf{B}} & \cdots & (e_n)_{\mathsf{B}} \end{array}\right) \quad \left[\begin{smallmatrix} \mathsf{f} \end{smallmatrix}\right]_{\mathsf{B}\mathsf{B}'} = \left(\begin{smallmatrix} \mathsf{f} \end{smallmatrix}\left(\mathsf{r}_1\right)_{\mathsf{B}'} \middle| \cdots \middle| \begin{smallmatrix} \mathsf{f} \end{smallmatrix}\left(\mathsf{r}_n\right)_{\mathsf{B}'} \right)
     Mono: iny (Nuf={0}) | Epi: solore [f]_{EE} = C(B, E) [f]_{BB} C(B, E)
      tl: f: V > W dim W = dim Imf + dim Nuf Asdp => 1) sdp
      Cholerhy: SDP A=LLt (lix>0) SDP: xtAx>0 ó det I)>0
        Adp = Atdp; Asdp => A inversible; Asdp => AtA sdp; Asdp => Atime LU
G. Sm. a= &, b= &- (a, &). a, c= &- (a, &). a - (b, &) b
                                     Proja (Vz)
Proja (Vz)
Proja (Vz)
    Householder: H = I - Zuu^{\dagger} con u = \frac{b - \omega}{n \cdot b - \omega n} con ||b||_z = ||\omega||_z \cdot y \cdot ||u||_{= 1}
                                                Hr= w y Hw=r: Reflex wrt plan ortog. a u
   Projectores: fof=f, [f] = [f] , Nuf D Inf = V re Inf => f(r)=r
  Proy. Ortog: [Ps] EE = [ vivit (vi & BON de 5) Nuf = Imf Complements ortog.
                                                                                   \lambda^{k} er and de A^{k} con evec. \tau

A^{k} = C \cdot D^{k} \cdot C

A^{
         A.v = 2v
         \chi_{A}(\lambda) = \det(\lambda I - A)
        Nυ ( λΙ - A)
                                                                                    det At = det A
                                                                                                                                                                                                           \| \times \| = | \times | \| \times \|
      det a A = a det A
                                                                                                                                                                                                           11x+y11 & 11 x 11 + 11 y 11
                                                                                    N evel de A => 2 N evel de 2A
       det AB = det A det B
                                                                                                                                                                                                                       Q = Q 1
      \det A^{-1} = \frac{1}{\det A}
                                                                                   \langle x, ay + bz \rangle = a\langle x, y \rangle + b\langle x, z \rangle
                                                                                                                                                                                                                     R = Q^t A
```