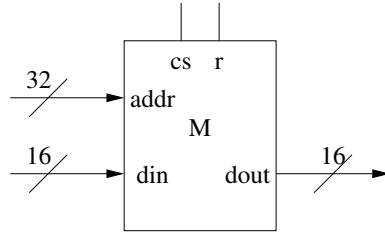


## Sample Memory Questions

1. Give the behavioural description of a  $2^{32} \times 16$  memory.



2. How many  $2^{10} \times 4$  RAM memory chips are required to construct the following larger memories:
- A  $2^{16} \times 4$  memory?
  - A  $2^{10} \times 32$  memory?
  - A  $2^{12} \times 16$  memory?
3. A  $2^{12} \times 16$  memory system is implemented using a direct mapping strategy, with a blocking factor of 16. The following sequence of blocks of main memory will be retrieved during the execution of a program:

03, 06, 3F, 0B, 03, 01, 06, 03, 3F, 06

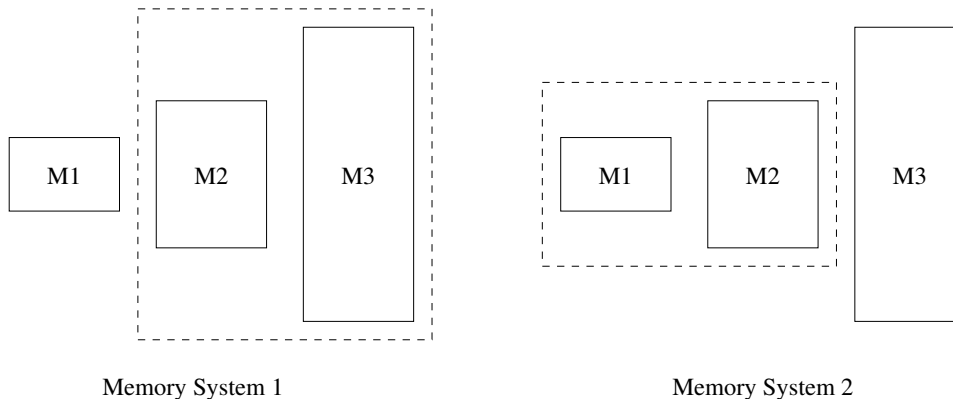
- Assume the cache memory provides storage for 8 blocks and their respective tags. For each distinct block in the retrieval sequence, determine which cache line should be checked and what tag value stored in the cache line is required for a hit to occur. Express your answers in hexadecimal:
- Which blocks, if any, cannot be in cache at the same time. Explain your answer.
- A cache “miss” can occur in two ways:
  - When a block is first placed in a previously “empty” cache line.
  - When a block replaces one already in a given cache line.

If the number of hits = total number of memory accesses – the number of misses, what is the hit ratio for the program with the sequence of memory requests given?

Calculate the average memory access time if  $t_{sram} = 10$  ns,  $t_{dram} = 100$  ns:

4. A design team plans to construct a hierarchical memory system using three types of memory technologies: M1, M2, and M3. M3 will provide the primary (i.e., MAIN) storage. The memory access times satisfy the following inequality:  $t_{M1} < t_{M2} < t_{M3}$ .

Two possible architectures are being considered, depending on how the memory components are grouped:



Should either of these architectures be preferred? If so, which one? Support your decision by calculating the average memory access time for a given retrieval, If  $p$  is the probability of a hit in M1 and  $q$  is the probability of a hit in M2.

HINT: If the probability of event  $E_1$  occurring is  $p_1$  and the probability of event  $E_2$  occurring is  $p_2$  then the probability of event  $E_1$  or  $E_2$  occurring is  $p_1 + p_2 - p_1 \cdot p_2$  (Principle of inclusion/exclusion).