STAT 485/685 Overview

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STAT 485/685 — Fall 2017



Purposes of These Notes

- Outline the contents of this course
- Establish the grading structure
- Outline expectations
- Discuss coverage in text



Me

- Richard Lockhart.
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- http://www.stat.sfu.ca/~lockhart.
- K10561.
- Office hours: Monday 4:30 to 5:20; Wednesday 11:30 to 12:30; Thursday 3:30 to 4:20.
- You are free to drop in whenever I am there with the door open.



The Text

- Text: by Jonathan Cryer and Kung-sik Chan.
 Time Series Analysis With Applications in R by Jonathan Cryer and Kung-sik Chan.
- Coverage: Chapters 1 through 9.



Assignments

- There will be about 8.
- The first is due Wednesday, 20 September by NOON in STAT 485/685 box.
- They have computing components, writing components and the usual mathematical components.
- A string of equations with no words does not constitute an adequate answer.
- You need words and explanation of what you are doing.



Grading

- The assignments are worth 30% of your final grade.
- You are free to talk to each other about them but if I think you are copying each other I will be livid.
- The midterm is worth 30% and there is a final exam worth 40%.
- The midterm is October 19.
- I will be permitting note sheets in exams; amounts to be determined.



Other

- October 9 is Thanksgiving Day: no classes.
- November 13 is a statutory holiday (Remembrance Day is Saturday the 11th): no classes.
- Web: I try to put lecture notes on the web in advance.
- I recommend you bring them along to class to add to if you are the sort who likes to take notes.
- I will not be using the lecture notes in class, however. I will write on transparencies in spite of my appalling handwriting.
- You should also feel free to look at other courses I have offered



Detailed Course Outline

 This outline will grow as the term goes on, I hope. This is a new course for me though you might occasionally find my STAT 804 notes accessible.



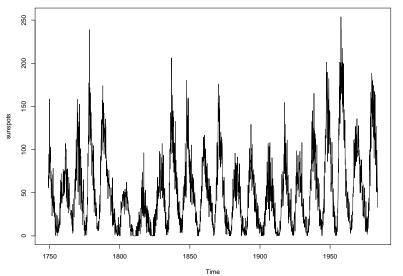
Some Time Series Plots

- I will show some plots then introduce mathematical notation.
- 'Those who forget history are doomed to repeat it.'
- Can we use the past to help guess the future?
- Random behaviour vs deterministic behaviour.
- Internal drivers vs external drivers.



Sunspots

Mean Monthly Sunspot Numbers



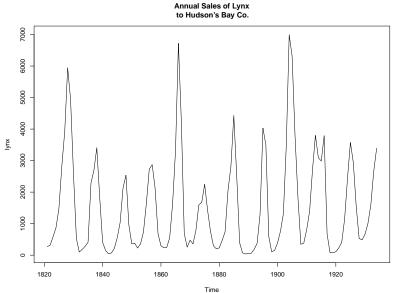


Comments on Sunspots

- Sunspot data. Each month average number of sunspots is recorded.
 Note:
 - apparent periodicity.
 - large variability when series at high level; small variability when at low level.
- Series likely stationary.
- May have a nearly perfectly periodic component.



Lynx



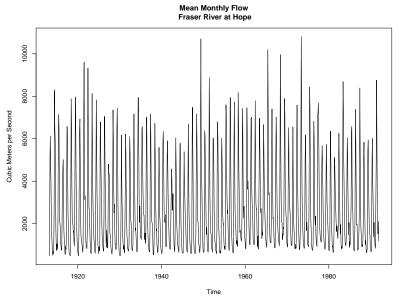


Comments on lynx pelt data

- Annual sales of lynx pelts to the Hudson's Bay Company. Note:
 - Clear cycle of about 10 years in length.
 - Longer term cycle?
 - ▶ Is the cycle produced by a strictly periodic phenomenon or by a dynamic system close to a periodic system?



Fraser River



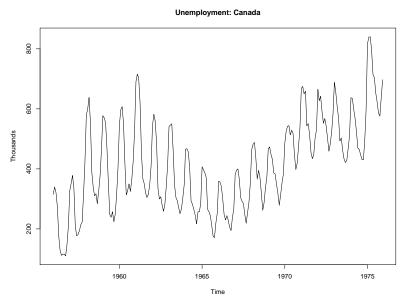


Comments on Fraser River data

- Mean monthly flow rates for the Fraser River at Hope. Note:
 - ► Signs of lower variability at low levels suggesting transformation.
 - Clear annual cycle which will have to be removed to look for stationary residuals.



Canadian Unemployment



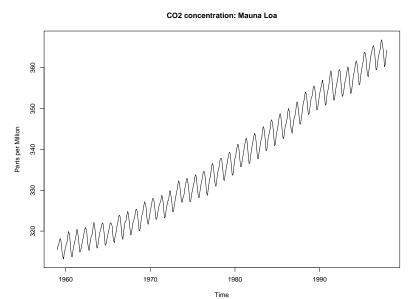


Comments on Canadian unemployment data

- Canadian monthly unemployment number. Note:
 - probable presence of slow upward trend; such a trend should be present in the presence of a growing population.
 - not stationary.
 - trend not too linear with some apparent long term cycles perhaps which produce an S shaped curve.



Mauna Loa Carbon Dioxide



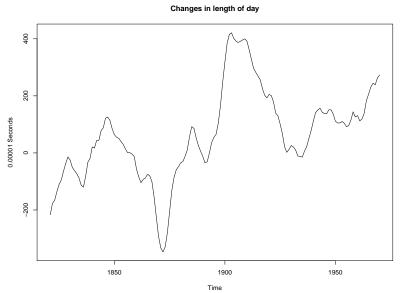


Comments on Mauna Loa carbon dioxide data

- Carbon Dioxide above Mauna Loa (a Hawaiian volcano). Note:
 - Clear trend and an annual cycle
 - but you might well hope that after compensating for these the remainder would be stationary.



Changes in length of Earth's Day





Comments on earth day length data

- Changes in the length of the Earth's day. Note:
 - very smooth graph with long runs going up and down
 - suggests integration.

We will look at differencing as a method of producing a series with less long range dependence.



Computing

```
Plots made with R using following code: # sunspots data set built into R and SPlus # lynx data set built into R and SPlus # flow monthly flows of the Fraser River # at Hope, BC. # unemployment is number unemployed in Canada # from Table 64.1: Data by Andrews and Herzberg.
```



Code continued

```
# changes: annual change in length of earth day # measured in 0.00001 seconds from Table 20.1 # in Data by Andrews and Herzberg. x = \text{read.table}("table64.1", header=F) unemployment = ts(c(t(x[,-(1:4)])), start=1956, frequency=12)
```



Code continued

```
 \begin{split} & \texttt{x} = \mathsf{read.table}("\mathsf{table20.1"}, \mathsf{header} = \mathsf{F}) \\ & \mathsf{changes} = \mathsf{ts}(\mathsf{c}(\mathsf{as.matrix}(\mathsf{x})[,\mathsf{c}(\mathsf{5,7,9,11})])[1:150] \\ & \mathsf{,start} = 1821, \, \mathsf{frequency} = 1) \\ & \mathsf{flow} = \mathsf{scan}("\mathsf{FraserRiver.dat"}, \mathsf{skip} = 1) \\ & \mathsf{flow} = \mathsf{ts}(\mathsf{flow}, \mathsf{start} = \mathsf{c}(1913,3), \mathsf{frequency} = 12) \end{split}
```



Code continued

```
par(mfrow=c(3,2))
plot(sunspots,main="Mean Monthly Sunspot Numbers") plot(lynx,
main="Annual Sales of Lynx\n to Hudson's Bay Co.")
plot(flow, ylab="Cubic Meters per Second",
     main="Mean Monthly Flow\n Fraser River at Hope")
plot(unemployment, main="Unemployment: Canada", ylab="Thousands")
plot(co2, main="CO2 concentration: Mauna Loa",
     vlab="Parts per Million")
plot(changes.
     main="Changes in length of day", ylab="0.00001 Seconds")
dev.off()
```



Mathematical Framework

- Data is a sequence of numbers; usually y_1, \ldots, y_T
- T is number of time units.
- Values usually evenly spaced in time.
- Call it a discrete time time series; not continuous time.
- Plots are scatter plots of t (on x-axis) vs y_t .
- On plots try to use real values of time t dates if that makes sense.
- Dots are connected by straight line segments.
- Join $(1, y_1)$ to $(2, y_2)$ then to $(3, y_3)$ and so on.



Probability Models

- \bullet Treat y_t s as observed values of sequence of random variables
- Notation ..., Y_{-1} , Y_0 , Y_1 ,
- Or Y_1, \ldots, Y_T or $\{Y_t; t \in \mathcal{T}\}$.
- Looks like notation for random sample.
- But variables usually not independent.
- Key question: does collecting more data help?

