R = # of clusters (hyperpersonneton)

O: = cluster centroid for cluster j

uij = membership of point zi in

cluster w/ centroid &j

cluster w/ centroid &j

$$J(\theta, 0) = \sum_{i=1}^{N} \frac{K}{j=1} u_{ij} d^{2}(z_{i}, \theta_{i})$$

$$u_{ij} \in \{0,1\} \text{ and } \sum_{j=1}^{K} u_{ij} = 1 \quad \text{fi}$$

 $d(x_i, \delta_i) = distance (with any metric)$ Letween x_i and δ_i $d(x_i, \delta_i) = ||n_i - \delta_i||_2$

distance If USiz Evolideen $= \sum_{i=1}^{N} \frac{k}{j-1} \quad \text{aij.} \quad \|x_i - \theta_j\|_2^2$

$$J(o_{1}0) = \sum_{i=1}^{N} \sum_{j=1}^{N} u_{ij} ||x_{i} - o_{j}||_{2}^{2}$$

$$= \sum_{i=1}^{N} \sum_{j=1}^{N} u_{ij} (x_{i} - o_{j})(x_{i} - o_{j})$$

$$(\Rightarrow) \sum_{i=1}^{N} u_{ij}(-z).(x_i-\delta_j) = 0$$

$$(=) \sum_{i=1}^{N} u_{ij} \times i - \sum_{i=1}^{N} u_{ij} \cdot \partial_{i} = 0$$

$$\Rightarrow \partial_{i} = \frac{\sum_{i=1}^{N} u_{ij} \cdot x_{i}}{\sum_{i=1}^{N} u_{ij}} = \frac{\sum_{i=1}^{N} u_{i1} \cdot x_{i}}{\sum_{i=1}^{N} u_{i1}}$$

$$x_1 = \begin{bmatrix} x_{11} \\ x_{12} \end{bmatrix}$$

OBSERVER ONS:

The means is sensitive to feture scaling.

Scaling.

Must scale the data prior to push scale the data.