Project Euler #156: Counting Digits



This problem is a programming version of Problem 156 from projecteuler.net

Starting from zero the natural numbers are written down in base 10 like this: $0\ 1\ 2\ 3\ 4\ 5\ 6\ 7\ 8\ 9\ 10\ 11\ 12$

Consider the digit d=1. After we write down each number n, we will update the number of ones that have occurred and call this number f(n,1). The first values for f(n,1), then, are as follows:

\boldsymbol{n}	f(n,1)
0	0
1	1
2	1
3	1
4	1
5	1
6	1
7	1
8	1
9	1
10	2
11	4
12	5

Note that f(n, 1) never equals 3.

So the first two solutions of the equation f(n,1) are n=0 and n=1. The next solution is n=199981.

In the same manner the function f(n,d) gives the total number of digits d that have been written down after the number n has been written.

In fact, for every digit $d \neq 0$, 0 is the first solution of the equation f(n,d) = n.

Let s(d) be the sum of all the solutions for which f(n,d)=n.

You are given base b and the set M of digits in base b. Find $\sum_{d \in M} s(d)$ for numbers written in base b.

Note: if, for some n, f(n,d)=n for more than one value of d this value of n is counted again for every value of d for which f(n,d)=n.

Input Format

First line of each test contains two integers: b and |M| - base and the cardinal number of M. Second line contains |M| distinct space-separated digits M_i in base b.

Constraints

- $2 \leqslant b \leqslant 10$
- $1 \leqslant |M| < b$
- $1 \leqslant M_i < b$

Output Format

Output a single number which is the answer to the problem.

Sample Input



Sample Output

3

Explanation

There are two solutions where f(n,1)=n which are $n=1_2=1$ and $n=10_2=2$. Starting from $n=11_2=3$ f(n,1)>n.