

Digit Longest Increasing Subsequences

2 Problem Code: LISDIGIT

Recently Chef learned about [Longest Increasing Subsequence](#). To be precise, he means longest **strictly** increasing subsequence, when he talks of longest increasing subsequence. To check his understanding, he took his favorite n -digit number and for each of its n digits, he computed the length of the longest increasing subsequence of digits ending with that digit. Then he stored these lengths in an array named **LIS**.

For example, let us say that Chef's favourite 4-digit number is **1531**, then the **LIS** array would be **[1, 2, 2, 1]**. The length of longest increasing subsequence ending at first digit is **1** (the digit **1** itself) and at the second digit is **2** (**[1, 5]**), at third digit is also **2** (**[1, 3]**), and at the 4th digit is **1** (the digit **1** itself).

Now Chef wants to give you a challenge. He has a valid **LIS** array with him, and wants you to find any n -digit number having exactly the same **LIS** array? You are guaranteed that Chef's **LIS** array is valid, i.e. there exists at least one n -digit number corresponding to the given **LIS** array.

Input

The first line of the input contains an integer **T** denoting the number of test cases.

For each test case, the first line contains an integer n denoting the number of digits in Chef's favourite number.

The second line will contain n space separated integers denoting **LIS** array, i.e. **LIS₁, LIS₂, ..., LIS_n**.

Output

For each test case, output a single n -digit number (without leading zeroes) having exactly the given **LIS** array. If there are multiple n -digit numbers satisfying this requirement, any of them will be accepted.

Constraints

- $1 \leq T \leq 30\,000$
 - $1 \leq n \leq 9$
 - It is guaranteed that at least one n -digit number having the given **LIS** array exists
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Example

Input :

5

1

1

2
 1 2
 2
 1 1
 4
 1 2 2 1
 7
 1 2 2 1 3 2 4

Output :

7
 36
 54
 1531
 1730418

Explanation

Example case 1. All one-digit numbers have the same **LIS** array, so any answer from **0** to **9** will be accepted.

Example cases 2 & 3. For a two digit number we always have $LIS_1 = 1$, but the value of LIS_2 depends on whether the first digit is strictly less than the second one. If this is the case (like for number **36**), $LIS_2 = 2$, otherwise (like for numbers **54** or **77**) the values of LIS_2 is **1**.

Example case 4. This has already been explained in the problem statement.

Example case 5. 7-digit number **1730418** has **LIS** array **[1, 2, 2, 1, 3, 2, 4]**:

index	LIS	length
1	1730418	1

2 1730418 2

3 1730418 2

4 1730418 1

5 1730418 3

6 1730418 2

7 1730418 4