Little Tom loves to solve interesting math challenges. One day he bumped onto an interesting function called *hRank*.

Given a positive integer \mathbf{k} , hRank maps a non-negative integer \mathbf{x} to another integer.

```
\begin{split} & hRank(x) = 1 \text{ if } 0 <= x < k \\ & hRank(x) = hRank(x-k) + hRank(x/k) \text{ if } x >= k \text{ and } k \mid x \text{ (i.e., } x \text{ modulo } k = 0) \\ & hRank(x) = hRank(x-1) \text{ otherwise.} \end{split}
```

Because x and hRank(x) may be very large, Tom comes to you for help. Given k and x, can you calculate hRank(x)?

Input Format

The input contains only one line with 2 space separated integers, k and x.

Output Format

For each test case output the result in a single line.

Constraints

```
2 \le k \le 10

1 \le x \le k^{50}
```

Sample Input #00

2 1

Sample Output #00

1

Sample Input #01

3 9

Sample Output #01

5

Explanation

For the first sample input, when k = 2 and x = 1, the answer is 1 since hRank(x) = 1 as 1 < 2 For the second sample input, when k = 3 and x = 9, we have

```
hRank(9) = hRank(9-3) + hRank(9/3) = hRank(6) + hRank(3) as 9 > 3 and 9 modulo 3 = 0.

hRank(6) = hRank(6-3) + hRank(6/3) = hRank(3) + hRank(2) as 6 > 3 and 6 modulo 3 = 0.

hRank(3) = hRank(3-3) + hRank(3/3) = hRank(0) + hRank(1) as 3 > = 3 and 3 modulo 3 = 0.

hRank(3) = hRank(0) + hRank(1)

hRank(3) = 1 + 1 = 2

hRank(6) = 2 + 1 = 3

hRank(9) = 3 + 2 = 5
```