

Billboards

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ADZEN is a popular advertising firm in your city. On every road, you can see their advertising billboards. Recently they are facing a serious challenge: MG Road, the most used road in the city, has been filled by a lot of billboards causing damage to its reputation of being the most picturesque location in the city.

On request of some vocal citizens, ADZEN has decided to remove some of its billboards in such a way that there are no more than K billboards standing together on any part of the road.

You can assume MG Road to be a straight line with N billboards. Initially there is no gap between any two adjacent billboards.

Note: None of the billboards can be reordered, they can only be removed.

ADZEN's primary income comes from these billboards. So, removal of billboards has to be done in such a way that the remaining billboards provide maximum possible profit to the company. The total profit of a particular configuration is the sum of the profit values of all billboards present in that configuration.

Given N, K and the profit value of each of the N billboards, display the maximum profit that can be obtained from the remaining billboards under the given conditions.

Input

The first line contains two space separated integers, N and K . N lines follow, describing the profit value of each billboard, i.e., i th line contains the profit value of i th billboard.

Output

Display an integer that denotes the maximum profit that can be obtained.

Sample Input

```
6 2
1
2
3
1
6
10
```

Sample Output

```
21
```

Explanation

In the given input, there are 6 billboards and after removing a few among them, no more than 2 can stay together. So, we remove 1st and 4th billboards which leads to the configuration, $2\ 3\ 6\ 10$, whose profit is 21. No other configuration has a profit greater than 21. So the answer is 21.

Constraints

- $1 \leq N \leq 100,000(10^5)$
- $1 \leq K \leq N$

$0 \leq \text{profit value of any billboard} \leq 2,000,000,000(2 \cdot 10^9)$