

Array vs. Python List

Lecture2:

(Array/Array2D/Matrix)

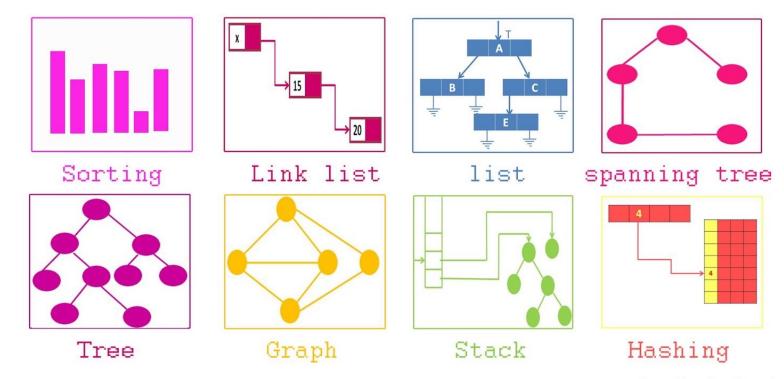
Dr. Prapong Prechaprapranwong





Abstract Data Type (ADT) = A definition for a data type

- a set of values
- a set of Operations allowed on data type



int a[4] Content Array ADT Array v.s. Python List List Behind dynamic array 2D-Array ADT Matrix ADT Matrix Operations

Array ADT 7 015 xx12 Array



A one-dimensional array is a collection of contiguous elements in which individual elements are identified by a unique integer subscript starting with zero. Once an array is created, its size cannot be changed. Asin Method

Array(size): ___init___ Creates a one-dimensional array consisting of size elements with each gize 5

length ():

Returns the length or number of elements in the array.

Returns the value stored in the array at element position index. The Index argument must be within the valid range. Accessed using the subscript A rray [] operator

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setitem__ (index, value): Modifies the contents of the array element at position index to contain value.

The index must be within the valid range. Accessed using the subscript

operator.

Clears the array by setting every element to value

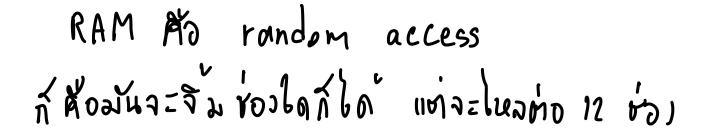
Iterable

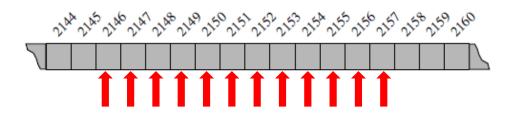
Creates and returns an iterator that can be used to traverse the elements of the array

Therable

Therab

Data stored in Memory address

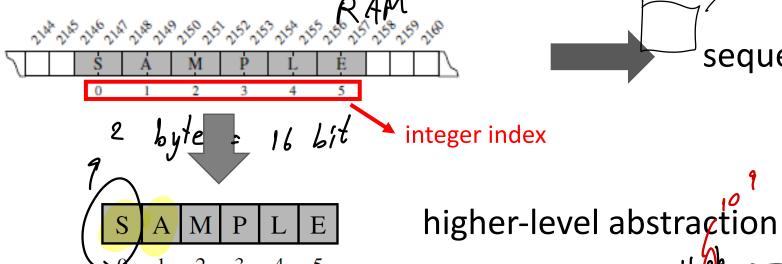




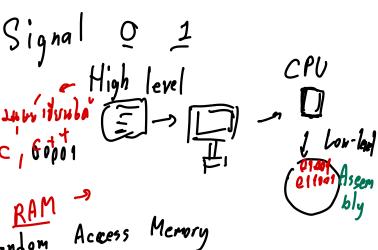
1char: 2 bytes

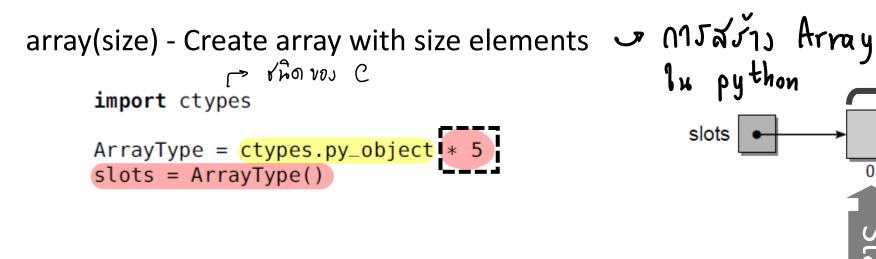
an array of six characters, requires 12 bytes of memory. We will refer to each location within an array as a cell, and will use an integer index to

describe its location within the array



sequential data type

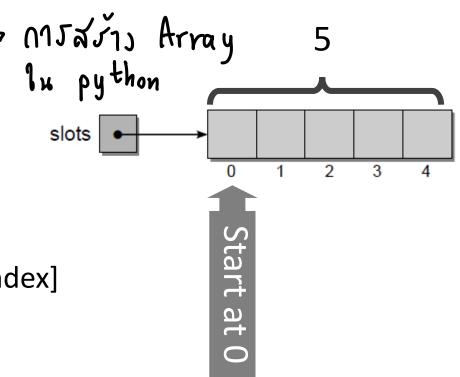




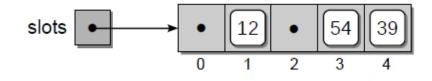
__getitem__(index) - recall the value at slots[index]

clear(None) - assign all value to None

__setitem__(index,value) - assign other values







This module provides access to the diverse set of data types available in the C language and the complete functionality provided by a wide range of C libraries.

```
# Implements the Array T using array capabilities of the ctypes module.
   import ctypes
                                              check status, "Error message"
   class Array:
      # Creates an array with size elements.
     def __init__( self, size ):
       assert size > 0, "Array size must be > 0"
       self._size = size
                                                                    Constructor
        # Create the array structure using the ctypes module.
       PyArrayType = ctypes.py_object * size
10
       self._elements = PyArrayType()
11
       # Initialize each element.
       self.clear( None )
13
14
15
      # Returns the size of the array.
16
                  self
       return self._size
17
```

The __len__method, which returns the number of elements in the array, simply returns the value of size that was saved in the constructor.

the <u>getitem</u> operator method takes the array index as an argument and returns the value of the corresponding element.

```
# Gets the contents of the index element. check status, "Error message"
     def __getitem__( self, index ):
        assert index >= 0 and index < len(self), "Array subscript out of range"</pre>
21
22
       return self._elements| index |
23
      # Puts the value in the array element at index position.
24
\Delta \Gamma
     def __setitem__( self, index, value ):
       assert index >= 0 and index < len(self), "Array subscript out of range"</pre>
26
        self._elements[ index ] = value
27
28
      # Clears the array by setting each element to the given value.
29
     def clear( self, value ):
30
        for i in range( len(self) ) :
31
          self._elements[i] = value
32
33
```

the __setitem__operator method is used to set or change the contents of a specific element of the array

Python List → Dynamic Array

```
import sys  # provides getsizeof function
data = []
for k in range(n):  # NOTE: must fix choice of n
    a = len(data)  # number of elements
    b = sys.getsizeof(data)  # actual size in bytes
    print('Length: {0:3d}; Size in bytes: {1:4d}'.format(a, b))
    data.append(None)  # increase length by one
```

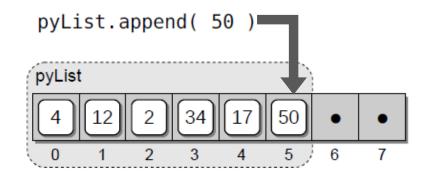
Array vs Python List

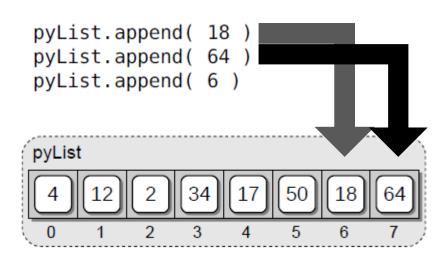
- narray has a limited number of operations 🥆 ສີ method ພິບປ
- The array is suited when the <u>maximum no. of elements are known</u>
- The list is the better choice when the size may change after it created
- Python list will use four to five time as much memory ผู้แปลี่ยนได้
 ไห้ Memory มากกว่า 4-5 าทา

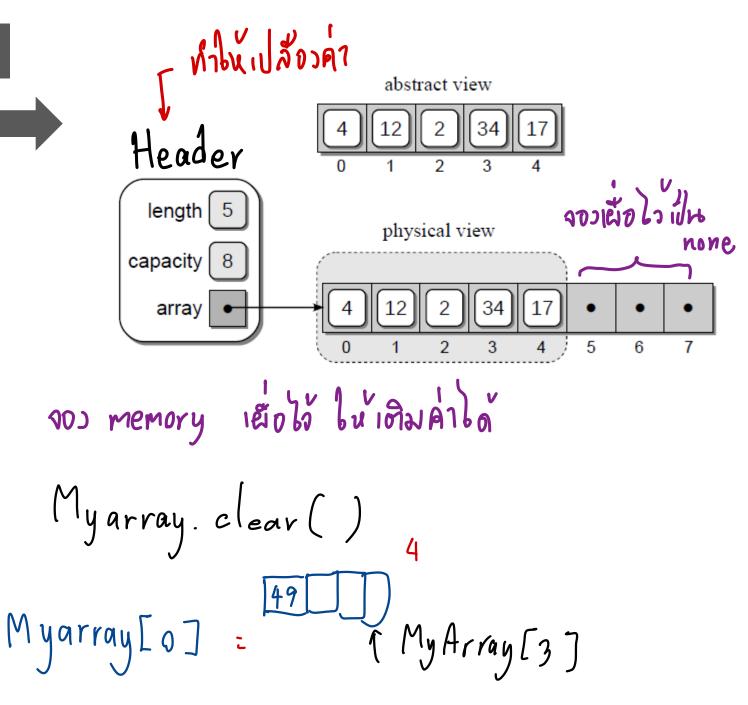
Behind the scene - Python List

$$pyList = [4, 12, 2, 34, 17]$$

Append the list



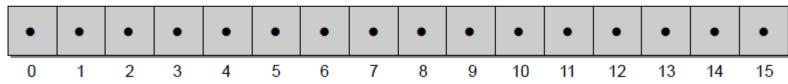




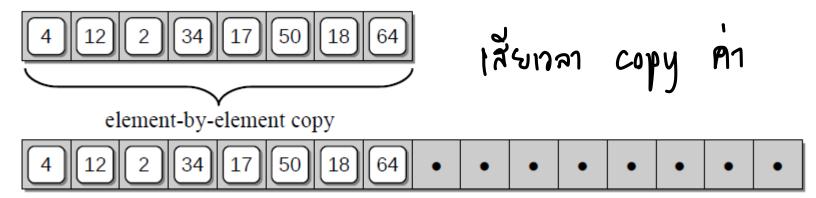
ล้าเรา append เกินกว่า capacity

(1) A new array, double the size of the original, is created.

tempArray

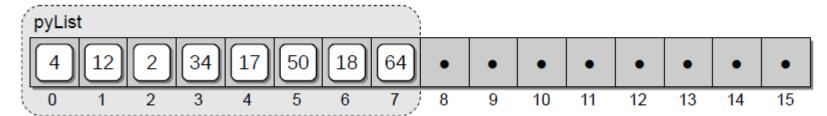


(2) The values from the original array are copied to the new larger array.

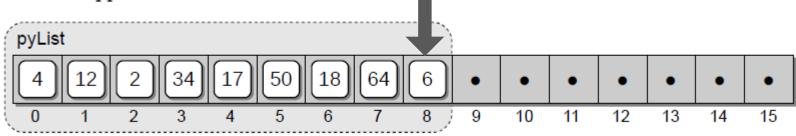


101 Pointer 21279

(3) The new array replaces the original in the list.

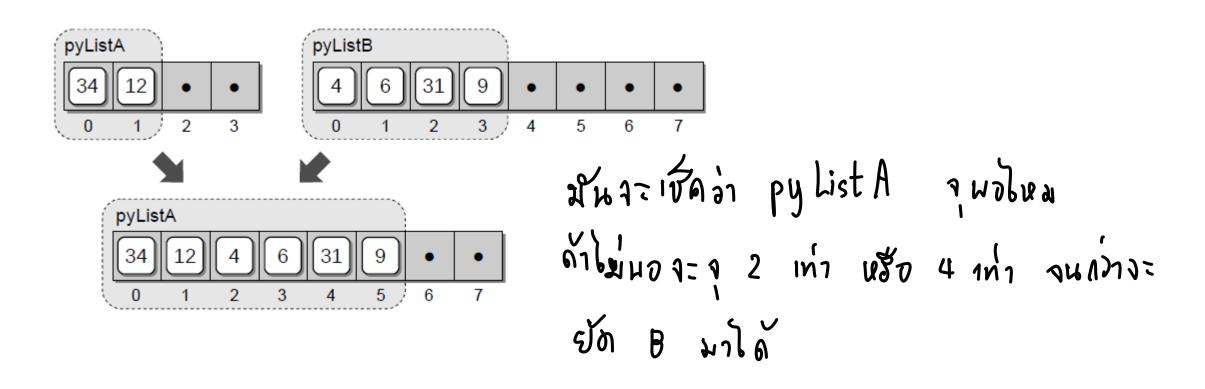


(4) Value 6 is appended to the end of the list.

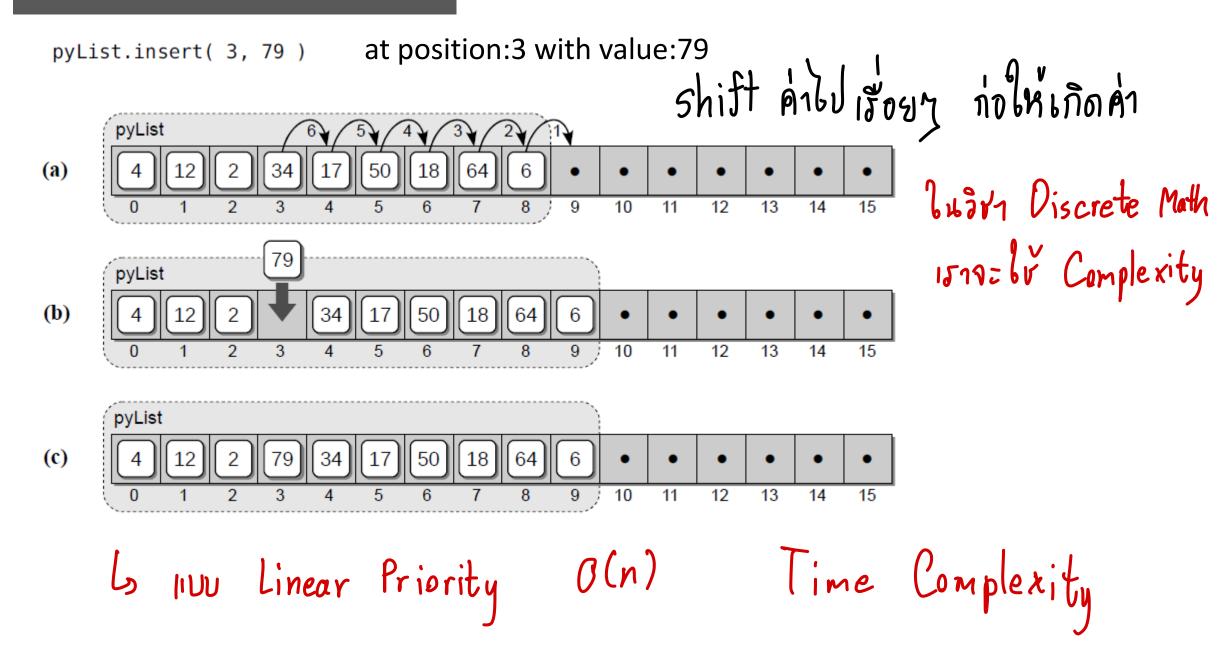


Extend the list - List 2 List มาต่อกัน

```
pyListA = [ 34, 12 ]
pyListB = [ 4, 6, 31, 9 ]
pyListA.extend( pyListB )
```



Insert an element to the list



Implement Data Rissonn stack, queve pop an element from the list ~ Linear Priority pyList.pop(0) # remove the last item > lolalagning on 14 00 1 pyList.pop() 4 178×6 pyList (a) **(b)** 13 pyList **(c)**

13

Array2D ADT

A two-dimensional array consists of a collection of elements organized into rows and columns. Individual elements are referenced by specifying the specific row and column indices (r,c), both of which start at 0.

Array2D(nrows, ncols): Creates a two-dimensional array organized into rows and columns. The

nrows and **ncols** indicate the size of the table. The individual elements of

the table are initialized to None

numRows(): Returns the number of rows in the 2-D array

numCols(): Returns the number of columns in the 2-D array

clear(value): Clears the array by setting each element to the given value

__getitem__(i1, i2): Returns the value stored in the 2-D array element at the position indicated

by the 2-tuple (i1; i2), both of which must be within the valid range.

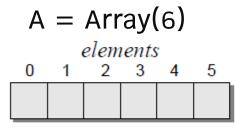
Accessed using the subscript operator: y = x[1,2]

__setitem__(i1, i2, value): Modifies the contents of the 2-D array element indicated by the 2-tuple (i1;

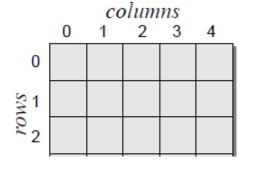
i2) with the new value. Both indices must be within the valid range.

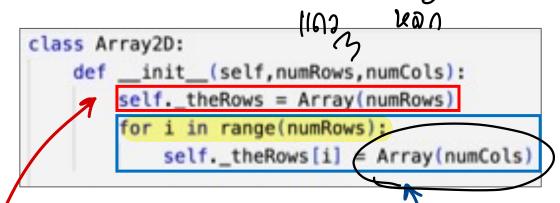
Accessed using the subscript operator: x[0,3] = y

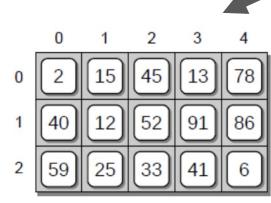
The 2D-Array

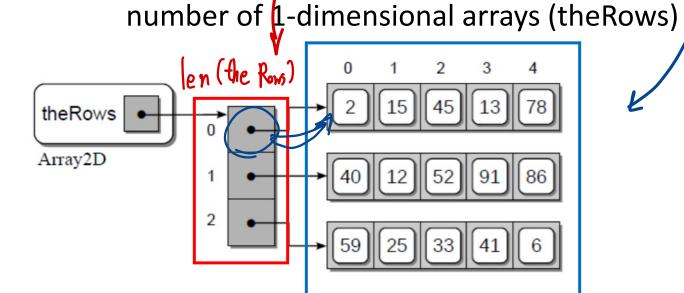




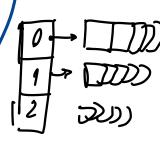








2-dimensional array creates from a



```
def __getitem__(self,indexTuple):
    assert len(indexTuple) == 2, "Invalid number of array subscripts."
    row = indexTuple[0]
   col = indexTuple[1]
    assert (row >= 0) and (row < self_numRows()) \
        and (col >= 0) and (col < self.numCols()),\
             "Array subscript out of range."
    return self._theRows[row][col]
def __setitem__( self, indexTuple, value ):
    assert len(indexTuple) == 2, "Invalid number of array subscripts."
    row = indexTuple[0]
    col = indexTuple[1]
    assert row >= 0 and row < self.numRows()\
          and col >= 0 and col < self.numCols(),\
             "Array subscript out of range."
    self._theRows[row][col] = value
```

Matrix ADT

A matrix is a collection of scalar values arranged in rows and columns as a rectangular grid of a fixed size. The elements of the matrix can be accessed by specifying a given row and column index with indices starting at 0.

Matrix(rows, ncols):	Creates a new matrix containing nrows and ncols with each element
------------------------	---

initialized to 0

numRows(): Returns the number of rows in the matrix

numCols(): Returns the number of columns in the matrix

__getitem__(row, col): Returns the value stored in the given matrix element. Both row and col

must be within the valid range

__setitem__ (row, col, scalar): Sets the matrix element at the given row and col to scalar. The element

indices must be within the valid range

Additional operations

scaleBy(scalar): Multiplies each element of the matrix by the given scalar value.

The matrix is modified by this operation

transpose(): Returns a new matrix that is the transpose of this matrix

add (rhsMatrix): Creates and returns a new matrix that is the result of adding this

matrix to the given **rhsMatrix**. The size of the two matrices must

be the same

subtract (rhsMatrix): The same as the **add()** operation but subtracts the two matrices

multiply (rhsMatrix): Creates and returns a new matrix that is the result of multiplying

this matrix to the given **rhsMatrix**. The two matrices must be of

appropriate sizes as defined for matrix multiplication

Scaling in Matrix

$$\begin{bmatrix}
6 & 7 \\
8 & 9 \\
1 & 0
\end{bmatrix} = \begin{bmatrix}
3 * 6 & 3 * 7 \\
3 * 8 & 3 * 9 \\
3 * 1 & 3 * 0
\end{bmatrix} = \begin{bmatrix}
18 & 21 \\
24 & 27 \\
3 & 0
\end{bmatrix}$$

Matrix Addition

$$\begin{bmatrix} 0 & 1 \\ 2 & 3 \\ 4 & 5 \end{bmatrix} + \begin{bmatrix} 6 & 7 \\ 8 & 9 \\ 1 & 0 \end{bmatrix} = \begin{bmatrix} 0+6 & 1+7 \\ 2+8 & 3+9 \\ 4+1 & 5+0 \end{bmatrix} = \begin{bmatrix} 6 & 8 \\ 10 & 12 \\ 5 & 5 \end{bmatrix}$$

$$2 \times 3$$

Matrix Subtraction

$$\begin{bmatrix} 0 & 1 \\ 2 & 3 \\ 4 & 5 \end{bmatrix} - \begin{bmatrix} 6 & 7 \\ 8 & 9 \\ 1 & 0 \end{bmatrix} = \begin{bmatrix} 0 - 6 & 1 - 7 \\ 2 - 8 & 3 - 9 \\ 4 - 1 & 5 - 0 \end{bmatrix} = \begin{bmatrix} -6 & -6 \\ -6 & -6 \\ 3 & 5 \end{bmatrix}$$

```
# Scales the matrix by the given scalar.
       def scaleBy( self, scalar ):
          for r in range( self.numRows() ) :
            for c in range( self.numCols() ) :
              self[ r, c ] *= scalar
                 matrix + (matrix 2)
def __add__( self, rhsMatrix)
 assert rhsMatrix.numRows() == self.numRows() and \
        rhsMatrix.numCols() == self.numCols(), \
    "Matrix sizes not compatible for the add operation."
  # Create the new matrix.
  newMatrix = Matrix( self.numRows(), self.numCols() )
  # Add the corresponding elements in the two matrices.
  for r in range( self.numRows() ) :
   for c in range( self.numCols() ) :
     newMatrix[ 0, 0 ] = self[ 0, q ] + rhsMatrix)
  return newMatrix
            [1,0]: 7181,0
```

Matrix transposition

$$\begin{bmatrix} 0 & 1 \\ 2 & 3 \\ 4 & 5 \end{bmatrix}^T = \begin{bmatrix} 0 & 2 & 4 \\ 1 & 3 & 5 \end{bmatrix}$$

$$\begin{cases} 3 & \text{in} \\ \text{for } 2 & \text{in} \end{cases}$$

$$\begin{bmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}; \begin{bmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}; \begin{bmatrix} A_0 & A_1 & A_1 \\ A_1 & A_2 & A_1 \end{bmatrix}$$

$$B = \begin{bmatrix} B_{0,0} & B_{0,1} & B_{0,2} \\ B_{1,0} & B_{1,1} & B_{1,2} \end{bmatrix}$$



$$\begin{bmatrix} 0 & 1 \\ 2 & 3 \\ 4 & 5 \end{bmatrix}^T = \begin{bmatrix} 0 & 2 & 4 \\ 1 & 3 & 5 \end{bmatrix}$$

$$A = \begin{bmatrix} A_{0,0} & A_{0,1} \\ A_{1,0} & A_{1,1} \\ A_{2,0} & A_{2,1} \end{bmatrix}$$

$$A = \begin{bmatrix} B_{0,0} & B_{0,1} & B_{0,2} \\ B_{1,0} & B_{1,1} & B_{1,2} \end{bmatrix}$$

$$A = \begin{bmatrix} A_{0,0} & A_{0,1} \\ A_{1,0} & A_{1,1} \\ A_{2,0} & A_{2,1} \end{bmatrix}$$

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$$A = \begin{bmatrix} A_{0,0} & A_{0,1} & B_{0,2} \\ A_{2,0} & A_{2,1} \end{bmatrix}$$

$$A = \begin{bmatrix} A_{0,0} & A_{0,1} & B_{0,2} \\ A_{2,0} & A_{2,1} \end{bmatrix}$$

$$=\begin{bmatrix} (0*6+1*9) & (0*7+1*1) & (0*8+1*0) \\ (2*6+3*9) & (2*7+3*1) & (2*8+3*0) \\ (4*6+5*9) & (4*7+5*1) & (4*8+5*0) \end{bmatrix}$$
for 2 in

$$= \begin{bmatrix} 9 & 1 & 0 \\ 39 & 17 & 16 \\ 69 & 33 & 32 \end{bmatrix}$$

$$C_{0,0} = A_{0,0} * B_{0,0} + A_{0,1} * B_{1,0}$$

$$C_{0,1} = A_{0,0} * B_{0,1} + A_{0,1} * B_{1,1}$$

$$C_{0,2} = A_{0,0} * B_{0,2} + A_{0,1} * B_{1,2}$$

$$C_{1,0} = A_{1,0} * B_{0,0} + A_{1,1} * B_{1,0}$$

$$C_{1,1} = A_{1,0} * B_{0,1} + A_{1,1} * B_{1,1}$$

$$C_{1,2} = A_{1,0} * B_{0,2} + A_{1,1} * B_{1,2}$$

$$C_{2,0} = A_{2,0} * B_{0,0} + A_{2,1} * B_{1,0}$$

$$C_{2,1} = A_{2,0} * B_{0,1} + A_{2,1} * B_{1,1}$$

 $C_{2,2} = A_{2,0} * B_{0,2} + A_{2,1} * B_{1,2}$

What should you know

- Differentiate between Array and Dynamic array
- Choose appropriately to use Array or Python's List
- How to implement Array class
- How to implement 2D-Array class
- How to implement Matrix class