# PSTAT174\_Lab05

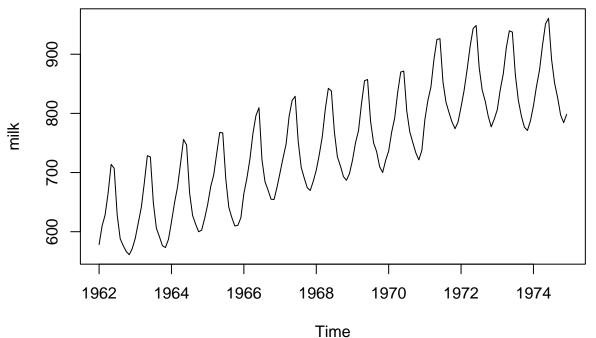
#### Celeste Herrera

### 4/30/2021

1. We will analyze monthly milk production measured in pounds per from Jan. 1962 to Dec. 1975 from the package tsdl as Lab 4 (if you want to re-install tsdl, please refer to Lab 4). Let's denote the time series milk as  $X_t$ .

```
getwd()
## [1] "/Users/celesteherrera/Documents/PSTAT174/Lab/Lab05"
setwd("/Users/celesteherrera/Documents/PSTAT174/Lab/Lab05")
```

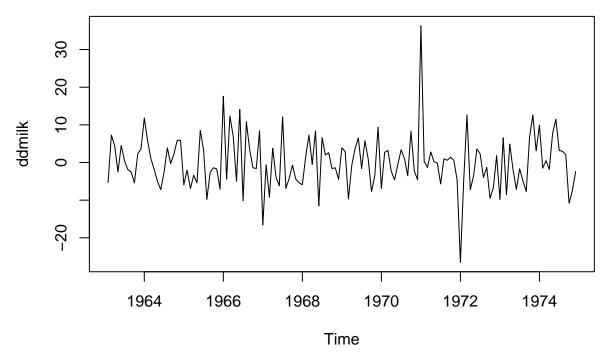
```
library(tsdl)
milk <- subset(tsdl, 12, "Agriculture")[[3]]
plot(milk)</pre>
```



Explain why the series milk looks not stationary.

```
dmilk <- diff(milk,12)
ddmilk <- diff(dmilk,1)
plot(ddmilk)</pre>
```

(a)

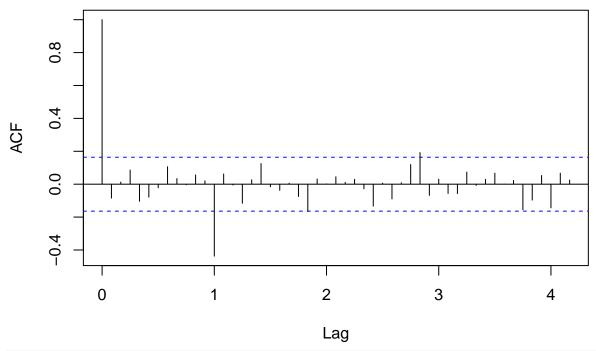


The milk series does not look stationary because the consistency looks a little off.

(b) Let  $Y_t$  be the series ddmilk, that is,  $Y_t = (1 - B)(1 - B^{12})X_t$ . Plot the ACF and PACF of  $Y_t$  with lag.max = 50.

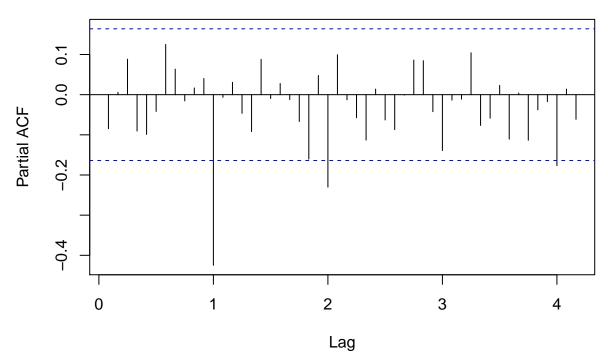
acf(ddmilk, lag.max = 50, main = "ACF: First and Seasonally Differenced Time Series")

### **ACF: First and Seasonally Differenced Time Series**



pacf(ddmilk, lag.max = 50, main = "PACF: First and Seasonally Differenced Time Series")

## **PACF: First and Seasonally Differenced Time Series**



(c) Now, we assume that  $Y_t$  corresponds to a SARIMA model. Determine possible candidate models SARIMA(p, d, q) × (P, D, Q)s for the series  $Y_t$ .

```
## sar1 sar2 sma1
## 0.03338578 0.01958261 -0.70174796
```

(d) Choose one model for this data set, and write down your fitted model.

```
## Coefficents
## sar1 sma1
## 0.01876417 -0.68617816
```

There the equation would be written as  $(1 - 0.0188B^{12})(1 - B)(1 - B^{12})X_t = (1 - 0.6862B^{12})Z_t$