

MATH3070-Project

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Part 1: Summary Statistics for Horsepower and Weight

Data for parts 1, 2, and 4 comes from the Cars93 Dataset within the package MASS

Table 1: Figure 1. Summary Statistics. Sample size is 93 observations each variable. The mean horsepower is about 144 and the mean weight is about 3073.

Location	N	Min	Q1	Med	Q3	Max	Mean	StdDev
Horsepower	93	55	103	140	170	300	143.83	52.37
Weight	93	1695	2620	3040	3525	4105	3072.9	589.9

Part 2: Histogram and Box plot for Horsepower and Weight

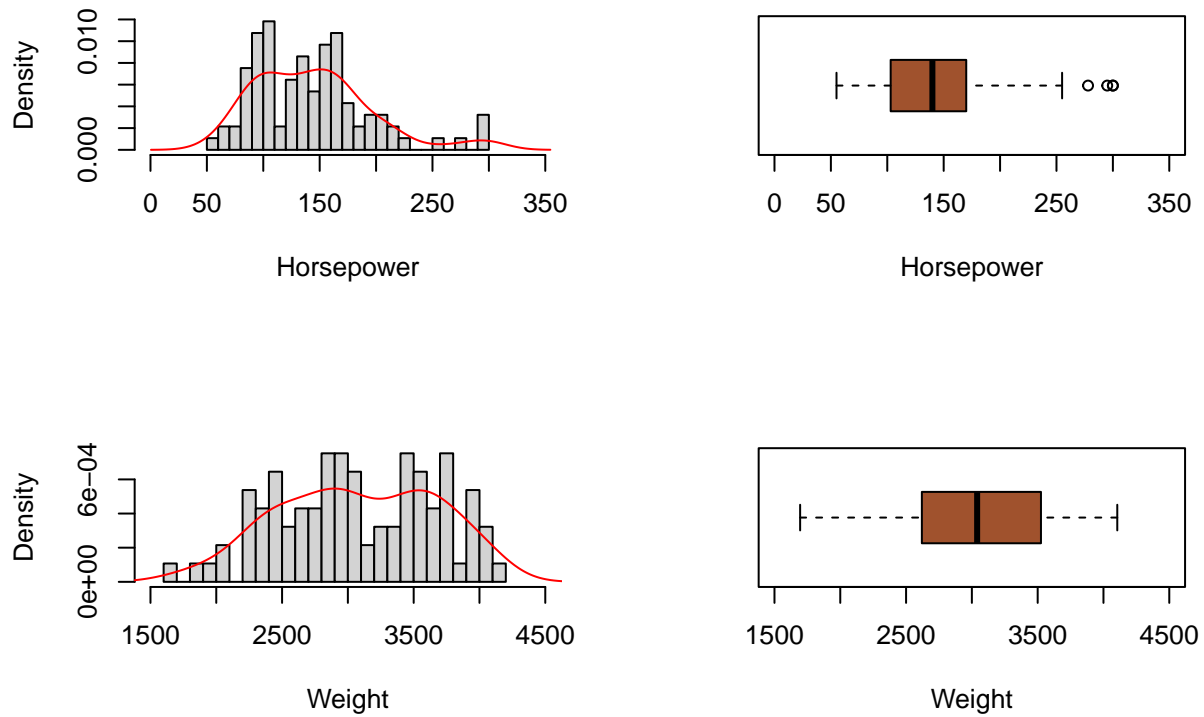


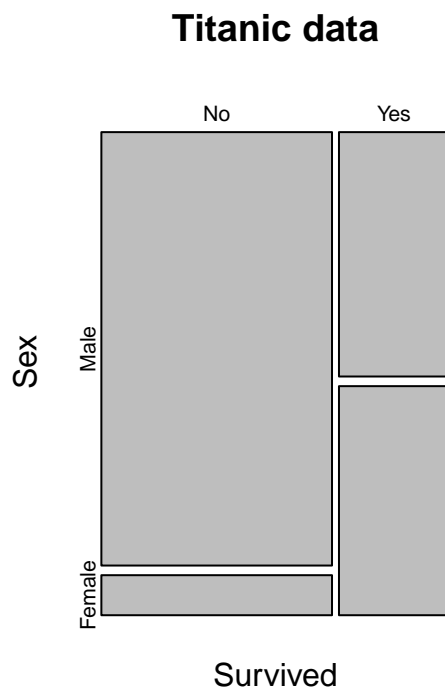
Figure 2. Table of Histograms and Boxplots for Horsepower (row 1) and Weight (row 2). Both are bimodal, and Horsepower is skewed right with outliers in the upper tail of the distribution while Weight is skewed left with no outliers.

Part 3: Mosaic plot and table of Survived and Sex.

Data for part 3 comes from the dataset Titanic in the package carData.

##	Sex			
##	Survived	Male	Female	Sum
##	No	1364	126	1490
##	Yes	367	344	711
##	Sum	1731	470	2201

Table: Figure 3. Mosaic and cross tabulations of Survived and Sex. The existence of whether a passenger survived is cross-classified with their sex. Conditional Probability: The conditional probability that a female passenger survived the Titanic is $344/470 \sim .73$. The conditional probability that a female passenger did not survive the Titanic is $126/470 \sim .27$. The relative risk of a female surviving the titanic vs perishing is $(344/470)/(126/470) \sim 2.7$. This indicates that a female passenger is about 2.7 times more likely to have survived the titanic than to have perished. Odds: There are 344 survivors and 126 who perished that are female. Thus, the odds of having survived if you are a female is $344:126 \sim 2.7$. If you are a male then the odds of being a survivor are $367:1731 \sim 0.2$. The odds ratio of $(344/126)/(367/1731) \sim 12.9$. Therefore, the odds of a female passenger becoming a survivor are about 12.9 times more likely than a male Titanic passenger becoming a survivor.



Part 4: Simple Linear Regression Analysis of Horsepower vs Weight

```
## The following objects are masked from Cars93 (pos = 4):
##
##   AirBags, Cylinders, DriveTrain, EngineSize, Fuel.tank.capacity,
##   Horsepower, Length, Luggage.room, Make, Man.trans.avail,
##   Manufacturer, Max.Price, Min.Price, Model, MPG.city, MPG.highway,
##   Origin, Passengers, Price, Rear.seat.room, Rev.per.mile, RPM,
##   Turn.circle, Type, Weight, Wheelbase, Width
```

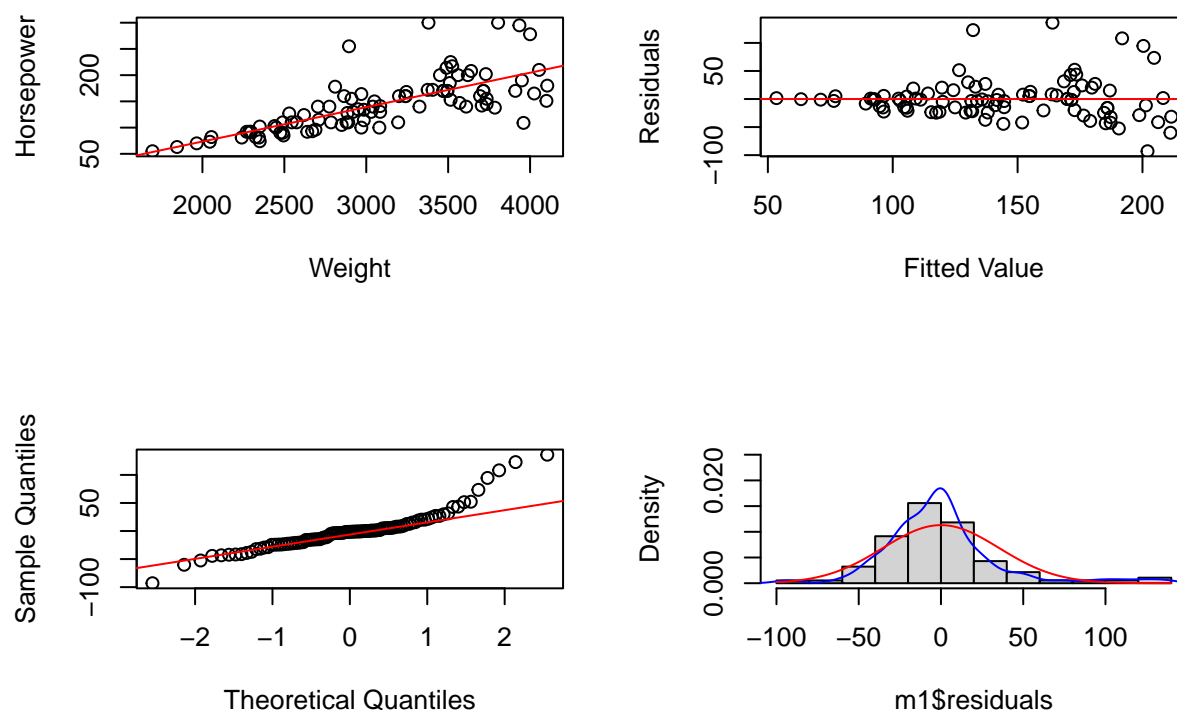


Figure 4. Plot of Horsepower as a function of Weight. Linearity is plausible, as it appears that Horsepower increases linearly with Weight. Fitted values vs Residual plot likely indicates on-constant variance. It also appears that variation in Horsepower increases as Weight increases. The qq plot shows the residuals are mostly normally distributed with variance on the upper tail. The histogram comparison of the Normal model (red) and density overlay (blue) reflects this mostly normal distribution with a slight positive skew. The linear regression estimates are $\hat{\beta}_0 = -57.738$ and $\hat{\beta}_1 = 0.0656$. The mean Horsepower increases by .0656 per Weight. The correlation coefficient is 0.739 with an R^2 of 54.58%. About 55% of the variability in Horsepower can be explained by Weight.