

## Flea on the Number Line (flea)

A flea lives on the number line, his home is at point 0. He woke up today and decided to jump around a bit. With each jump, he can move one unit to the left or one unit to the right of his current position. After making  $N$  jumps, he got tired and homesick, and now he wants to go back to point 0 with the minimal number of jumps. How many jumps does he have to make to get back to his original position?

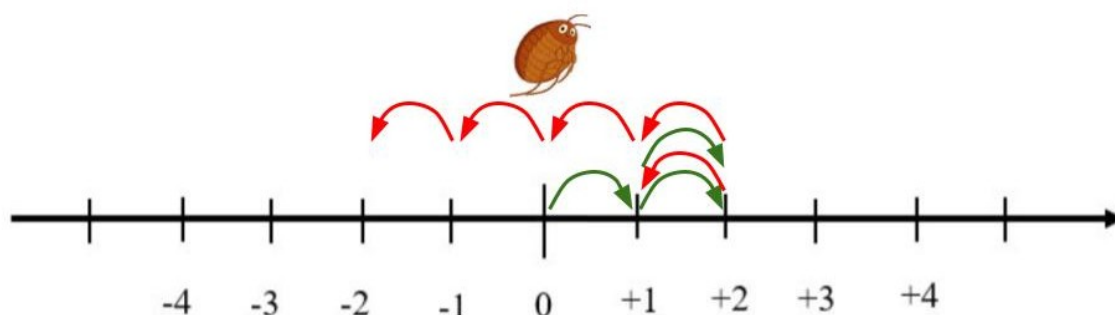



Figure 1: The flea can jump one unit left or right on the number line.

 Among the attachments of this task you may find a template file `flea.*` with a sample incomplete implementation.

### Input

The first line contains the only integer  $N$ . The second line contains a string  $S$  of length  $N$ , describing his jumps. The string contains only the uppercase L and R characters, where L means left jump and R means right jump.

### Output





You need to write a single line with an integer: the minimal number of jumps that the flea has to make to get back to his original position.

### Constraints

- $1 \leq N \leq 100$ .
- $S[i] = \text{'R'}$  or  $S[i] = \text{'L'}$  for each  $i = 0 \dots N - 1$ .

### Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

- **Subtask 1** (0 points)      Examples.  

- **Subtask 2** (15 points)       $N = 2$ .  

- **Subtask 3** (10 points)       $S[i] = \text{'L'}$  for each  $i = 0 \dots N - 1$ .  

- **Subtask 4** (75 points)      No additional limitations.  


Examples

input	output
2 RL	0
8 LLRLRRRR	2

Explanation

In the **first sample case** the flea jumps first to the right and then to the left, which means he ends up at point 0, so from there he needs 0 additional jumps to reach his home at 0.

The **second sample case** is illustrated in the picture above. After  $N = 8$  jumps, the flea ends up at point  $-2$ , and he needs 2 more jumps from there to get back to 0.