Computational Graphics: Lecture 9

Alberto Paoluzzi

Thu, Mar 20, 2014

1 / 18

Outline

Examples of Pyplasm primitives

Examples of Pyplasm primitives

Use of MKPOL constructor

MKPOL: stands for MaKe POLyhedron

The definition of a single convex cell (with 5 vertices)

```
verts = [[0,0],[4,0],[4,4],[2,6],[0,4]]
cells = [[1,2,3,4,5]]
pols = None
muro = MKPOL([verts, cells, pols])
VIEW(muro)
VIEW(SKEL_1(muro))
```

Use of MKPOL constructor

MKPOL: stands for MaKe POLyhedron

The definition of a single convex cell (with 5 vertices)

```
verts = [[0,0],[4,0],[4,4],[2,6],[0,4]]
cells = [[1,2,3,4,5]]
pols = None
muro = MKPOL([verts, cells, pols])
VIEW(muro)
VIEW(SKEL_1(muro))
or (the ordering of points is immaterial)
verts = [[0,0],[4,0],[4,4],[2,6],[0,4]]
muro = JOIN(AA(MK)(verts))
VIEW(muro)
VIEW(SKELETON(1)(muro))
```

Use of MKPOL constructor

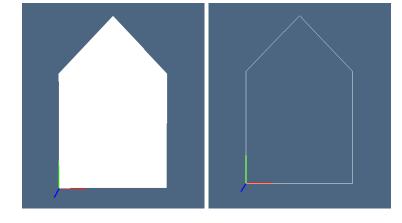


Figure : (a) hpc complex value constituted by a single convex cell; (b) its 1D skeleton

5 / 18

Use of primitive (translation) tensor

Translation: T(coords)(parameters)(object)

```
two primitive objects
door = CUBOID([1.3])
window = CUBOID([1,1.5])
one assembly
VIEW(STRUCT([muro, door, window]))
VIEW(SKELETON(1)(STRUCT([muro, door, window])))
VIEW(SKELETON(1)(STRUCT([muro, T(1)(1.5)(door),
    T([1,2])([2.75,1.5])(window)]))
```

Use of primitive (translation) tensor

\framesubtitle{STRUCT: from {local} to {global} coordinates

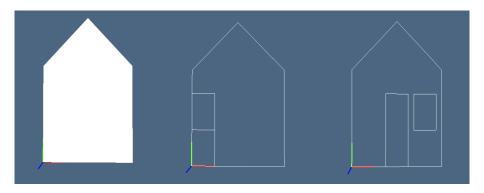


Figure: (a) three hpc values with a vertex on the origin; (b) their skeletons; (the translated skeletons)

STRUCT primitive

STRUCTture: used to assembly geometrical values

STRUCT primitive

STRUCTture: used to assembly geometrical values

Using a Boolean operator

Use of STRUCT primitives



Figure: (a) substituting DIFFERENCE for STRUCT; (b) using the COLOR primitive.

Use of PROD primitive

PROD: used to make the Cartesian product of geometrical objects (pointsets)

```
Cartesian product times an interval of size 4
```

```
house3D = PROD([house, Q(4)]) # properties (color) are lost
VIEW(house3D)
```

Use of PROD primitive

PROD: used to make the Cartesian product of geometrical objects (pointsets)

```
Cartesian product times an interval of size 4
```

```
house3D = PROD([house, Q(4)]) # properties (color) are los VIEW(house3D)
```

New assembly

```
muro = PROD([muro, Q(4)])
door = T(1)(1.5)(PROD([door, Q(4)]))
window = T([1,2])([2.75,1.5])(PROD([window, Q(4)]))
house = STRUCT([muro, COLOR(RED)(door), COLOR(GREEN)(window)]
VIEW(house)
```

Use of PROD primitive

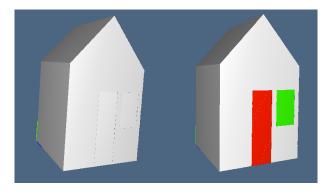


Figure : some solid operations loose the property values of assemblies

Advanced use of affine tensors within an assembly

PROD: used to make the Cartesian product of geometrical objects (pointsets)

```
STRUCT([Q, hpc_1, Q, hpc_2, ..., Q, hpc_n) \equiv
STRUCT([Q(hpc_1), Q^2(hpc_2), \dots, Q^n(hpc_n))
pair_x = [T(1)(4), house]
houseRow = STRUCT(NN(10)(pair_x))
VIEW(houseRow)
assembly of assemblies
pair_z = [T(3)(14), houseRow]
neighbourhood = STRUCT(NN(10)(pair_z))
VIEW(neighbourhood)
```

Advanced use of affine tensors within an assembly

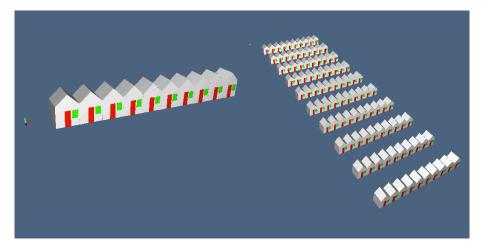
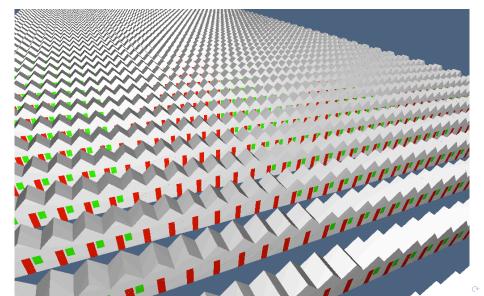


Figure: automatic composition of affine tensors within an assembly

Example (1/2)

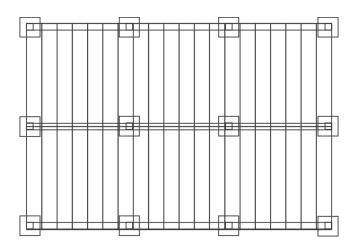
```
from pyplasm import *
verts = [[0,0],[4,0],[4,4],[2,6],[0,4]]
muro = JOIN(AA(MK)(verts))
door = CUBOID([1,3])
window = CUBOID([1,1.5])
bianco = PROD([muro.Q(4)])
rosso = COLOR(RED)(T(1)(1.5)(PROD([door,Q(4)])))
verde = COLOR(GREEN)(T([1,2])([2.75,1.5])(PROD([window,Q(4)])))
house3D = STRUCT([bianco, rosso, verde])
VIEW(house3D)
fila = STRUCT([house3D, T(1)(4)] * 50)
VIEW(fila)
spiaggia = STRUCT([fila, T(3)(10)] * 50)
VIEW(spiaggia)
```

Example (2/2)



Assignment: 3D model of building framework

Using only QUOTE, Q, PROD, INSR, STRUCT operators



A solution (1/2)

```
from pyplasm import *
x_{plinti} = QUOTE([1.2, -4.8] * 8)
v_{plinti} = QUOTE([1.2, -4.8] * 6)
plinti = INSR(PROD)([x_plinti,y_plinti,Q(0.6)])
VIEW(plinti)
x_{pilastri} = QUOTE([-0.4, 0.4, -0.4, -4.8] * 8)
y_{pilastri} = QUOTE([-0.4, 0.4, -0.4, -4.8] * 6)
pilastri = INSR(PROD)([x_pilastri,y_pilastri,QUOTE([-0.6,3.6] * 12)])
VIEW(STRUCT([plinti,pilastri]))
x travi = QUOTE([-0.4.6*7+.4])
v_{travi} = QUOTE([-0.4,6*5+.4])
travi = INSR(PROD)([x_{travi}, y_{travi}, QUOTE([0.6, -3, 0.6] * 12)])
VIEW(STRUCT([plinti,pilastri,travi]))
```

A solution (2/2)

