

# biobeam Documentation

Release 0.1.0

**Martin Weigert** 

### CONTENTS

1	Introduction	3		
2	2 Installation			
3	Basic Usage 3.1 Beam propagation	<b>7</b> 7		
4	Input Beam patterns 4.1 Gaussian/Bessel beams	11		
5	Examples5.1 Plane wave scattered by sphere5.2 Light sheet through cell phantom5.3 Computing the psf inside a cell phantom5.4 Aberration from sphere	15 15		
6	Some Examples	17		
In	ndex	19		

Biobeams is awesome. And so are you!

This is something I want to say that is not in the docstring.

CONTENTS 1

2 CONTENTS

## ONE

## **INTRODUCTION**

Biobeams is awesome. And so are you!

This is something I want to say that is not in the docstring.

## **TWO**

## **INSTALLATION**

To nicely render the 3d output it is advisible to install Spimagine, an OpenCL accelerated renderer Spimagine

pip install spimagine

After that you should be able to simple do

pip install biobeams

### **THREE**

### **BASIC USAGE**

#### **Contents**

- Basic Usage
  - Beam propagation

### 3.1 Beam propagation

the main class for gpu accelerated bpm propagation

\_\_init\_\_ (size=None, shape=None, units=None, dn=None, lam=0.5, n0=1.0, simul\_xy=None, simul\_z=1, n\_volumes=1, enforce\_subsampled=False, fftplan\_kwargs={})

#### **Parameters**

- size ((Sx, Sy, Sz)) the size of the geometry in microns (Sx,Sy,Sz)
- shape ((Nx, Ny, Nz)) the shape of the geometry in pixels (Nx, Ny, Nz)
- units ((dx, dy, dz)) the voxelsizes in microns (dx,dy,dz)
- dn (ndarray (float32|complex64)) refractive index distribution, dn.shape != (Nz,Ny,Nx)
- lam (float) the wavelength in microns

c = (cx, cy, cz) in realtive pixel coordinates wrt the center

- n0 (float) the refractive index of the surrounding media
- **simul\_xy** ( (Nx, Ny, Nz), optional) the shape of the 2d computational geometry in pixels (Nx,Ny) (e.g. subsampling in xy)
- simul\_z (int, optional) the subsampling factor along z
- n\_volumes (int) splits the domain into chunks if GPU memory is not large enough (will be set automatically)

### **Example**

```
>>> m = Bpm3d(size = (10,10,10), shape = (256,256,256), units = (0.1,0.1,0.1), lam = 0.488, r

aberr_at (NA=0.4, center=(0,0,0), n_zern=20, n_integration_steps=200)
```

returns phi, zern

**aberr\_field\_grid** (*NA*, *cxs*, *cys*, *cz*, *n\_zern*=20, *n\_integration\_steps*=200) cxs, cys are equally spaced 1d arrays defining the grid

## **FOUR**

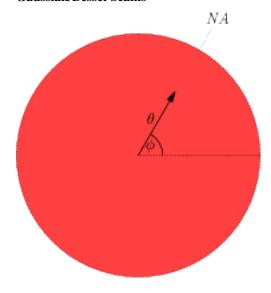
## **INPUT BEAM PATTERNS**

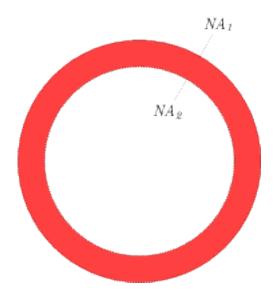
### Contents

- Input Beam patterns
  - Gaussian/Bessel beams
  - Cylindrical Lens
  - Bessel Lattices

## 4.1 Gaussian/Bessel beams

### Gaussian/Bessel beams





biobeam.focus\_field\_beam(shape, units, lam=0.5, NA=0.6, n0=1.0,  $return\_all\_fields=False$ ,  $n\_integration\_steps=200$ )

calculates the focus field for a perfect, aberration free optical system for x polzarized illumination via the vectorial debye diffraction integral (see <sup>1</sup>). The pupil function is given by numerical aperture(s) NA (that can be a list to model bessel beams, see further below)

#### **Parameters**

- **shape** (Nx, Ny, Nz) the shape of the geometry
- units (dx, dy, dz) the pixel sizes in microns
- lam (float) the wavelength of light used in microns
- NA (float/list) the numerical aperture(s) of the illumination objective that is either a single number (for gaussian beams) or an even length list of NAs (for bessel beams), e.g. NA = [0.5, 0.55] lets light through the annulus 0.5<0.55 (making a bessel beam ) or NA = [0.1, 0.2, 0.5, 0.6] lets light through the annulus 0.1<0.2 and 0.5<0.6 making a beating double bessel beam...
- n0 (float) the refractive index of the medium
- n\_integration\_steps (int) number of integration steps to perform
- return\_all\_fields (boolean) if True returns also the complex vectorial field components

#### Returns

- **u** (*ndarray*) the intensity of the focus field
- (u,ex,ey,ez) (*list(ndarray*)) the intensity of the focus field and the complex field components (if return\_all\_fields is True)

#### Example

```
>>> u = focus_field_beam((128,128,128), (0.1,0.1,.1), lam=.5, NA = .4)
```

#### References

biobeam.focus\_field\_beam\_plane (shape=(128, 128), units=(0.1, 0.1), z=0.0, lam=0.5, NA=0.6, n0=1.0,  $ex_g=None$ ,  $n_integration_steps=200$ ) calculates the complex 2d input field at position -z of a perfect, aberration free optical system

<sup>&</sup>lt;sup>1</sup> Matthew R. Foreman, Peter Toeroek, Computational methods in vectorial imaging, Journal of Modern Optics, 2011, 58, 5-6, 339

#### **Parameters**

- **shape** (Nx, Ny) the 2d shape of the geometry
- units (dx, dy) the pixel sizes in microns
- **z** (float) defocus position in microns, such that the beam would focus at z e.g. an input field with z = 10. would hav its focus spot after 10 microns
- lam (float) the wavelength of light used in microns
- NA (float/list) the numerical aperture(s) of the illumination objective that is either a single number (for gaussian beams) or an even length list of NAs (for bessel beams), e.g. NA = [0.5,0.55] lets light through the annulus 0.5<0.55 (making a bessel beam) or NA = [0.1,0.2,0.5,0.6] lets light through the annulus 0.1<0.2 and 0.5<0.6 making a beating double bessel beam...
- n0 (float) the refractive index of the medium
- n\_integration\_steps (int) number of integration steps to perform

**Returns** ex – the complex field

Return type ndarray

#### **Example**

```
>>> # the input pattern of a bessel beam that will focus after 4 microns
>>> ex = focus_field_beam_plane((256,256), (0.1,0.1), z = 4, lam=.5, NA = (.4,.5))
```

#### See also:

biobeam.focus\_field\_beam() the 3d function

## 4.2 Cylindrical Lens



biobeam.focus\_field\_cylindrical (shape, units, lam=0.5, NA=0.3, n0=1.0, re-turn\_all\_field=False, n\_integration\_steps=100) calculates the focus field for a perfect, aberration free cylindrical lens after x polarized illumination via the vectorial debye diffraction integral (see <sup>2</sup>). The pupil function is given by the numerical aperture NA

#### **Parameters**

- **shape** (Nx, Ny, Nz) the shape of the geometry
- units (dx, dy, dz) the pixel sizes in microns
- lam (float) the wavelength of light used in microns
- NA (float) the numerical aperture of the lens
- n0 (float) the refractive index of the medium
- return\_all\_fields (boolean) if True, returns u,ex,ey,ez where ex/ey/ez are the complex field components
- n\_integration\_steps (int) number of integration steps to perform

<sup>&</sup>lt;sup>2</sup> Colin J. R. Sheppard: Cylindrical lenses—focusing and imaging: a review, Appl. Opt. 52, 538-545 (2013)

• return\_all\_fields - if True returns also the complex vectorial field components

#### Returns

- **u** (*ndarray*) the intensity of the focus field
- (u,ex,ey,ez) (list(ndarray)) the intensity of the focus field and the complex field components (if return\_all\_fields is True)

#### **Example**

```
>>> u, ex, ey, ez = focus_field_cylindrical((128,128,128), (0.1,0.1,.1), lam=.5, NA = .4, ret
```

#### References

```
biobeam.focus_field_cylindrical_plane (shape=(128, 128), units=(0.1, 0.1), z=0.0, lam=0.5, NA=0.6, n0=1.0, ex\_g=None, n\_integration\_steps=200)
```

calculates the complex 2d input field at position -z of a perfect, aberration free optical system

#### **Parameters**

- **shape** (Nx, Ny) the 2d shape of the geometry
- units (dx, dy) the pixel sizes in microns
- **z** (float) defocus position in microns, such that the beam would focus at z e.g. an input field with z = 10. would hav its focus spot after 10 microns
- lam (float) the wavelength of light used in microns
- NA (float/list) the numerical aperture(s) of the illumination objective that is either a single number (for gaussian beams) or an even length list of NAs (for bessel beams), e.g. NA = [0.5,0.55] lets light through the annulus 0.5<0.55 (making a bessel beam) or NA = [0.1,0.2,0.5,0.6] lets light through the annulus 0.1<0.2 and 0.5<0.6 making a beating double bessel beam...
- n0 (float) the refractive index of the medium
- n\_integration\_steps (int) number of integration steps to perform

Returns ex – the complex field

Return type ndarray

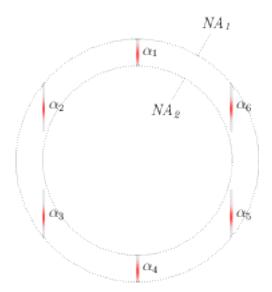
#### Example

```
>>> # the input pattern of a bessel beam that will focus after 4 microns
>>> ex = focus_field_cylindrical_plane((256,256), (0.1,0.1), z = 4., lam=.5, NA = (.4,.5))
```

#### See also:

biobeam.focus\_field\_cylindrical() the 3d function

### 4.3 Bessel Lattices



biobeam.focus\_field\_lattice(shape, units, lam=0.5, NA1=0.4, NA2=0.5, sigma=0.1, kpoints=6, n0=1.0,  $n\_integration\_steps=100$ )

calculates the focus field for a bessel lattice The pupil function consists out of discrete points (kpoints) superimposed on an annulus (NA1<NA2) which are smeared out by a 1d gaussian of given sigma creating an array of bessel beams in the focal plane (see <sup>3</sup>).

#### **Parameters**

- **shape** (Nx, Ny, Nz) the shape of the geometry
- units (dx, dy, dz) the pixel sizes in microns
- lam (float) the wavelength of light used in microns
- NA1 (float/list) the numerical aperture of the inner ring
- NA2 (float/list) the numerical aperture of the outer ring
- **sigma** (float) the standard deviation of the gaussian smear function applied to each point on the aperture (the bigger sigma, the tighter the sheet in y)
- **kpoints** (int/ (2, N) array) defines the set of points on the aperture that create the lattice, can be a (2,N) ndarray, such that kpoints[:,i] are the coordinates of the ith point a single int, defining points on a regular polygon (e.g. 4 for a square lattice, 6 for a hex lattice)  $k_i = \arcsin\frac{NA_1+NA_2}{2n_0} \binom{\cos\phi_i}{\sin\phi_i}$ ,  $\phi_i = \frac{\pi}{2} + \frac{2i}{N}$
- n0 (float) the refractive index of the medium
- n\_integration\_steps (int) number of integration steps to perform
- return\_all\_fields (boolean) if True, returns u,ex,ey,ez where ex/ey/ez are the complex vector field components

#### Returns

- **u** (*ndarray*) the intensity of the focus field
- (u,ex,ey,ez) (list(ndarray)) the intensity of the focus field and the complex field components (if return\_all\_fields is True)

4.3. Bessel Lattices

<sup>&</sup>lt;sup>3</sup> Chen et al. Lattice light-sheet microscopy: imaging molecules to embryos at high spatiotemporal resolution. Science 346, (2014).

#### Example

```
>>> u = focus_field_lattice((128,128,128), (0.1,0.1,.1), lam=.5, NA1 = .44, NA2 = .55, kpoint
```

#### References

biobeam.focus\_field\_lattice\_plane (shape=(256, 256), units=(0.1, 0.1), z=0.0, lam=0.5, NA1=0.4, NA2=0.5, sigma=0.1, Npoly=6, n0=1.0,  $apodization\_bound=10$ ,  $ex\_g=None$ ,  $n\_integration\_steps=100$ )

**FIVE** 

### **EXAMPLES**

### 5.1 Plane wave scattered by sphere

```
# create the refractive index difference
x = 0.1 * np.arange(-128, 128)
Z, Y, X = np.meshgrid(x, x, x, indexing = "ij")
R = np.sqrt(X**1+Y**2+Z**2)
dn = 0.05 * (R<2.)
# create the computational geometry
m = Bpm3d(dn = dn, units = (0.1, 0.1, 0.1), lam = 0.5)
# propagate a plane wave and return the intensity
u = m._propagate()
# vizualize
import matplotlib.pyplot as plt
plt.subplot(1,2,1)
plt.imshow(u[...,128], cmap = "hot")
plt.title("zy slice")
plt.subplot(1,2,2)
plt.imshow(u[128,...], cmap = "hot")
plt.title("xy slice")
```

## 5.2 Light sheet through cell phantom

## 5.3 Computing the psf inside a cell phantom

## 5.4 Aberration from sphere

SIX

## **SOME EXAMPLES**

or not?

print "huhu"

huhu

## **Symbols**

```
__init__() (biobeam.Bpm3d method), 7
```

### Α

aberr\_at() (biobeam.Bpm3d method), 7 aberr\_field\_grid() (biobeam.Bpm3d method), 7

### В

Bpm3d (class in biobeam), 7

### F