

$$\begin{bmatrix} a_{11} & a_{12} & \cdots & a_{1K} \\ a_{21} & a_{22} & \cdots & a_{2K} \\ \vdots & a_{K2} & \ddots & \vdots \\ a_{K1} & a_{K2} & \cdots & a_{Kk} \end{bmatrix} * \begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_K \end{bmatrix} = \begin{bmatrix} b_1 \\ b_2 \\ \vdots \\ b_K \\ \vdots \end{bmatrix} \quad (1)$$

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for(int i=1; i<10;i++)
{
    cout << "i=" << i;
}
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for i=0,...,10 do
    cout<<"i=" '<<i;
end for
```

$$\lim_{n \rightarrow \infty} \sum_{k=1}^{\infty} \frac{1}{k^2} = \frac{\pi^2}{6} \quad (2)$$

$$[x]_A = \{y \in U : a(x) = a(y), \forall a \in A\}, x \in U \quad (3)$$

$$\cos(20) = \cos^2 0 - \sin^2 0 \quad (4)$$

$$(a_1 = a_1(x)) \wedge (a_2 = a_2(x)) \wedge \dots \wedge (a_k = a_k(x)) \Rightarrow (d = d(u)) \quad (5)$$

$$[x]_A = \{y \in U : a(x) = a(y), \forall a \in A\}, \text{ where the central object } x \in U \quad (6)$$

$$g(u,r)=\{v\in U: \frac{card\{IND(u,v)\}}{card\{A\}}\geqslant r\} \quad (7)$$

$$\text{where, } IND(u,v) = \{a \in A : a(u) = a(v)\} \quad (8)$$

$$T:[0,1]\times[0,1]\rightarrow[0,1], \quad (9)$$

$$x\Rightarrow_T y\geqslant r \text{ if and only if } T(x,r)\leqslant y \quad (10)$$

$$x\Rightarrow_T y=\max\{r:T(x,r)\leqslant y\} \quad (11)$$

$$\mu_T(x,y,r) \text{ if and only if } x\Rightarrow_T y\geqslant r \quad (12)$$

$$dis_{\varepsilon}(u,v)=\frac{|\{a\in A: ||a(u)-a(v)||\geqslant \varepsilon\}|}{|A|} \quad (13)$$

$$ind_{\varepsilon}(u,v)=\frac{|\{a\in A: ||a(u)-a(v)||<\varepsilon\}|}{|A|} \quad (14)$$

$$Param(v_d)=\sum_{\{v\in U_{trn}:d(v)=v_d\}}w(v,u,\varepsilon) \quad (15)$$

$$Param(v_d)=\sum_{\{v_p\in U_{trn}:d(v_p)=v_d\}}w(u_q,v_p), \quad (16)$$

$$S^{c_i}(a) = \frac{(\bar{C}_i^a - \hat{C}_i^a)^2}{Z_{\bar{C}_i^a} + Z_{\hat{C}_i^a}}, a \in A. \quad (17)$$

$$C_i^a = \{a(u) : u \in U \text{ and } d(u) = c_i\}. \quad (18)$$

$$F_{c_i}(a) = \frac{MSTR_{c_i}(a)}{MSE_{c_i}(a)} \quad (19)$$

$$C_i^a = \{a(u) : u \in U \text{ and } d(u) = c_i\} \quad (20)$$

$$MSTR_{c_i}(a) = \text{card}\{C_i^a\} * (\bar{C}_i^a - \hat{C}_i^a)^2 \quad (21)$$

$$A_{c_i}(a) = C_i^a \wedge_\varepsilon \{U \setminus C_i^a\} \quad (22)$$

$$\frac{\text{card}\{a(u) \in C_i^a : \frac{|a(u) - \hat{C}_i^a|}{\text{train}_a} > \varepsilon\}}{\text{card}\{C_i^a\}} \quad (23)$$

$$\text{Balanced.acc} = \frac{\text{acc}_{c_1} + \text{acc}_{c_2} + \dots + \text{acc}_{c_k}}{k} \quad (24)$$

$$\text{Param}(v_d) = \sum_{\{v \in U_{\text{trn}} : d(v) = v_d\}} w(v, u, \varepsilon) \quad (25)$$

$$\frac{\text{card}\{a(u) \in C_i^a : \frac{|a(u) - \hat{C}_i^a|}{\text{train}_a} > \varepsilon\}}{\text{card}\{C_i^a\}} \quad (26)$$

$$MSE_{c_i}(a) = \frac{\sum_{j=1}^{\text{card}\{C_i^a\}} (a(u_j) - \bar{C}_i^a)^2}{\text{card}\{C_i^a\}}, \text{ where } u_j \in C_i^a, i = 1, 2, \dots, \text{card}\{C_i^a\} \quad (27)$$

$$C_i^a = \{a(u) : u \in U \text{ and } d(u) = c_i\}, \hat{C}_i^a = \frac{\{a(v) : v \in U \text{ and } d(v) \neq c_i\}}{\text{card}\{U\} - \text{card}\{C_i^a\}}. \quad (28)$$

$$C_i^a \wedge_\varepsilon \{U \setminus C_i^a\} = \frac{\text{card}\{a(u) \in C_i^a : \exists a(v) \in \{U \setminus C_i^a\}; \frac{|a(u) - a(v)|}{\text{train}_a} \leq \varepsilon\} + \text{card}\{a(v) \in \{U \setminus C_i^a\} : \exists a(u) \in C_i^a; \frac{|a(u) - a(v)|}{\text{train}_a} \leq \varepsilon\}}{\text{card}\{U\}} \quad (29)$$

$$c_{ij} = \begin{cases} 1, & \text{if } \frac{\text{card}\{IND(u_i, u_j)\}}{\text{card}\{A\}} \geq r_{gran} \\ 0, & \text{otherwise} \end{cases} \quad (30)$$

$$C_i^a \wedge_\varepsilon C_j^a = \frac{\text{card}\{a(u) \in C_i^a : \exists a(v) \in C_j^a; \frac{|a(u) - a(v)|}{\text{train}_{C_i^a, C_j^a}} \leq \varepsilon\} + \text{card}\{a(v) \in C_j^a; \frac{|a(v) - a(u)|}{\text{train}_{C_i^a, C_j^a}} \leq \varepsilon\}}{\text{card}\{C_i^a\}} \quad (31)$$

$$\frac{\text{card}\{a(u) \in C_i^a : \frac{|a(u) - \bar{C}_j^a|}{\text{train}_{C_i^a, C_j^a}} \leq \varepsilon\} + \text{card}\{a(v) \in C_j^a : \frac{|a(v) - \bar{C}_i^a|}{\text{train}_{C_i^a, C_j^a}} \leq \varepsilon\}}{\text{card}\{C_i^a\} + \text{card}\{C_j^a\}} \quad (32)$$

$$C_i^a = \{a(u) : u \in U \text{ and } d(u) = c_i\}, \hat{C}_i^a = \frac{\{a(v) : v \in U \text{ and } d(v) \neq c_i\}}{\text{card}\{U\} - \text{card}\{C_i^a\}}. \quad (33)$$

$$C_i^a \wedge_\varepsilon \{U \setminus C_i^a\} = \frac{\text{card}\{a(u) \in C_i^a : \exists a(v) \in \{U \setminus C_i^a\}; \frac{|a(u) - a(v)|}{\text{train}_a} \leq \varepsilon\} + \text{card}\{a(v) \in \{U \setminus C_i^a\} : \exists a(u) \in C_i^a; \frac{|a(u) - a(v)|}{\text{train}_a} \leq \varepsilon\}}{\text{card}\{U\}} \quad (34)$$

$$\overline{C}_i^a = \frac{\{\sum a(u) : u \in U \text{ and } d(u) = c_i\}}{\text{card}\{C_i^a\}}, \hat{C}_i^a = \frac{\{\sum a(v) : v \in U \text{ and } d(v) \neq c_i\}}{\text{card}\{U\} - \text{card}\{C_i^a\}}. \quad (35)$$

$$Z_{\overline{C}_i^{a^2}} = \frac{\sum_{a(u) \in C_i^a} (a(u) - \overline{C}_i^a)^2}{\text{card}\{C_i^a\}}, Z_{\hat{C}_i^{a^2}} = \frac{\sum_{a(v) \in U \setminus C_i^a} (a(v) - \hat{C}_i^a)^2}{\text{card}\{U\} - \text{card}\{C_i^a\}} \quad (36)$$

$$w(u_q, v_p) = w(u_q, v_p) + \frac{|a(u_q) - a(v_p)|}{(\text{max_attr}_a - \text{min_attr}_a) * (\varepsilon + \frac{|a(u_q) - a(v_p)|}{\text{max_attr}_a - \text{min_attr}_a})} \text{ i. e.}, \quad (37)$$

$$w(u_q, v_p) = w(u_q, v_p) + \frac{|a(u_q) - a(v_p)|}{(\text{max_attr}_a - \text{min_attr}_a) * \varepsilon + |a(u_q) - a(v_p)|} \quad (38)$$

$$w(u_q, v_p) = w(u_q, v_p) + \frac{|a(u_q) - a(v_p)|}{(\text{max_attr}_a - \text{min_attr}_a) * \varepsilon} \quad (39)$$

$$c'_{ij} = \begin{cases} c_{ij} & \text{gdy } d(x_i) \neq d(x_j) \\ \phi & \text{gdy } d(x_i) = d(x_j). \end{cases} \quad (40)$$

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Procedure
Input data
A' ← ∅
iter ← 0
for i=1,2,...,card{A} do
  for j=1,2,...,k do
    Fcj(a) = Ficj(a)
    if a ∉ A' then
      A' ← a
      iter ← iter + 1
      if iter = fixed number of the best genes then
        BREAK
      end if
    end if
  end for
if iter = fixed number of the best genes then
  BREAK
end if
end for
return A'

```

$$S_1^{c_1}(a) > S_2^{c_1}(a) > \dots > S_{\text{card}\{A\}}^{c_1}(a)$$

$$S_1^{c_2}(a) > S_2^{c_2}(a) > \dots > S_{\text{card}\{A\}}^{c_2}(a)$$

$$\vdots$$

$$S_1^{c_k}(a) > S_2^{c_k}(a) > \dots > S_{\text{card}\{A\}}^{c_k}(a)$$