

Supplementary Material for the Registered Report titled: ‘When easy is not preferred: A  
discounting paradigm to assess load-independent task preference’

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#### Author Note

The authors made the following contributions. Josephine Zerna: Conceptualization, Data curation, Methodology, Funding acquisition, Formal analysis, Investigation, Project administration, Software, Visualization, Writing - original draft, Writing - review & editing; Christoph Scheffel: Conceptualization, Methodology, Funding acquisition, Investigation, Project administration, Software, Writing - review & editing; Corinna Kührt: Formal analysis, Writing - review & editing; Alexander Strobel: Conceptualization, Resources, Supervision, Funding acquisition, Writing - review & editing. <sup>†</sup> Josephine Zerna and Christoph Scheffel contributed equally to this work.

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<sup>16</sup> Supplementary Material for the Registered Report titled: ‘When easy is not preferred: A  
<sup>17</sup> discounting paradigm to assess load-independent task preference’

<sup>18</sup> **Design Table**

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The effect sizes for each hypothesis were taken from the corresponding analysis in Westbrook et al. (2013). There are two exceptions due to the fact that the information in Westbrook et al. (2013) was insufficient in that case: Hypothesis 1c was based on Kramer et al. (2021), and hypothesis 3b was based on our pilot data.

Question	Hypothesis	Sampling plan (e.g. power analysis)	Analysis Plan	Interpretation given to different outcomes
1. Do objective and subjective measures of performance reflect an increase in task load with increasing n-back level?	1a) The signal detection measure $d'$ declines with increasing n-back level.	F tests - ANOVA: Repeated measures, within factors Analysis: A priori: Compute required sample size <u>Input:</u> Effect size $f = 0.8685540$ $\alpha$ err prob = 0.05 Power ( $1-\beta$ err prob) = 0.95 Number of groups = 1 Number of measurements = 4 Corr among rep measures = 0.5 Nonsphericity correction $\epsilon = 1$ <u>Output:</u> Noncentrality parameter $\lambda = 30.1754420$ Critical F = 3.4902948 Numerator df = 3.0000000 Denominator df = 12.0000000 Total sample size = 5 Actual power = 0.9824202	Repeated measures ANOVA with six linear contrasts, comparing the $d'$ value of two n-back levels (1, 2, 3, 4) at a time.  The ANOVA is calculated using <code>aov_ez()</code> of the <code>afex</code> -package, estimated marginal means are calculated using <code>emmeans()</code> from the <code>emmeans</code> -package, and pairwise contrasts are calculated using <code>pairs()</code> .  Bayes factors are computed for the ANOVA and each contrast using the <code>BayesFactor</code> -package.	ANOVA yields $p < .05$ is interpreted as $d'$ changing significantly with n-back levels.  Each contrast yielding $p < .05$ is interpreted as $d'$ being different between those levels, magnitude and direction are inferred from the respective estimate.  The Bayes factor $BF_{10}$ is reported alongside every $p$ -value to assess the strength of evidence.
	1b) Reaction time increases with increasing n-back level.	F tests - ANOVA: Repeated measures, within factors Analysis: A priori: Compute required sample size <u>Input:</u> Effect size $f = 0.2041241$ $\alpha$ err prob = 0.05 Power ( $1-\beta$ err prob) = 0.95 Number of groups = 1 Number of measurements = 4	Repeated measures ANOVA with six linear contrasts, comparing the median reaction time of two n-back levels (1, 2, 3, 4) at a time.  The ANOVA is calculated using <code>aov_ez()</code> of the <code>afex</code> -package, estimated marginal means are calculated using <code>emmeans()</code>	ANOVA yields $p < .05$ is interpreted as the median reaction time changing significantly with n-back levels.  Each contrast yielding $p < .05$ is interpreted as the median reaction time being different between those levels, magnitude

		<p>Corr among rep measures = 0.5  Nonsphericity correction <math>\epsilon = 1</math>  <u>Output:</u>  Noncentrality parameter <math>\lambda = 17.6666588</math>  Critical F = 2.6625685  Numerator df = 3.0000000  Denominator df = 156  Total sample size = 53  Actual power = 0.9506921</p>	<p>from the emmeans-package, and pairwise contrasts are calculated using pairs().</p> <p>Bayes factors are computed for the ANOVA and each contrast using the BayesFactor-package.</p>	<p>and direction are inferred from the respective estimate.</p> <p>The Bayes factor <i>BF10</i> is reported alongside every <i>p</i>-value to assess the strength of evidence.</p>
	<p>1c) Ratings on all NTLX subscales increase with increasing n-back level.</p>	<p>From Kramer et al. (2021):</p> <p>F tests - ANOVA: Repeated measures, within factors  Analysis: A priori: Compute required sample size  <u>Input:</u>  Effect size <math>f = 0.7071068</math>  <math>\alpha</math> err prob = 0.05  Power (1-<math>\beta</math> err prob) = 0.95  Number of groups = 1  Number of measurements = 4  Corr among rep measures = 0.5  Nonsphericity correction <math>\epsilon = 1</math>  <u>Output:</u>  Noncentrality parameter <math>\lambda = 24.0000013</math>  Critical F = 3.2873821  Numerator df = 3.0000000  Denominator df = 15.0000000  Total sample size = 6  Actual power = 0.9620526</p>	<p>A repeated measures ANOVA for each NASA-TLX subscale, with six linear contrasts comparing the subscale score of two n-back levels (1, 2, 3, 4) at a time.</p> <p>The ANOVA is calculated using aov_ez() of the afex-package, estimated marginal means are calculated using emmeans() from the emmeans-package, and pairwise contrasts are calculated using pairs().</p> <p>Bayes factors are computed for the ANOVA and each contrast using the BayesFactor-package.</p>	<p>ANOVA yields <math>p &lt; .05</math> is interpreted as the subscale score changing significantly with n-back levels.</p> <p>Each contrast yielding <math>p &lt; .05</math> is interpreted as the subscale score being different between those levels, magnitude and direction are inferred from the respective estimate.</p> <p>The Bayes factor <i>BF10</i> is reported alongside every <i>p</i>-value to assess the strength of evidence.</p>

2. Is the effort required for higher n-back levels less attractive, regardless of how well a person performs?	2a) Subjective values decline with increasing n-back level.	<p>F tests - ANOVA: Repeated measures, within factors</p> <p>Analysis: A priori: Compute required sample size</p> <p><u>Input:</u></p> <p>Effect size <math>f = 0.9229582</math></p> <p><math>\alpha</math> err prob = 0.05</p> <p>Power (<math>1-\beta</math> err prob) = 0.95</p> <p>Number of groups = 1</p> <p>Number of measurements = 4</p> <p>Corr among rep measures = 0.5</p> <p>Nonsphericity correction <math>\epsilon = 1</math></p> <p><u>Output:</u></p> <p>Noncentrality parameter <math>\lambda = 27.2592588</math></p> <p>Critical F = 3.8625484</p> <p>Numerator df = 3.0000000</p> <p>Denominator df = 9.0000000</p> <p>Total sample size = 4</p> <p>Actual power = 0.9506771</p>	<p>Repeated measures ANOVA with four contrasts (linear (3,1,-1,-3), quadratic (-1,1,1,-1), logistic (3,2,-2,-3), and skewed normal (1,2,-1,-2)), comparing the subjective values of all n-back levels.</p> <p>The ANOVA is calculated using <code>aov_ez()</code> of the <code>afex</code>-package, estimated marginal means are calculated using <code>emmeans()</code> from the <code>emmeans</code>-package.</p> <p>Bayes factors are computed for the ANOVA and each contrast using the <code>BayesFactor</code>-package.</p>	<p>ANOVA yields <math>p &lt; .05</math> is interpreted as subjective values changing significantly with n-back levels.</p> <p>Each contrast yielding <math>p &lt; .05</math> is interpreted as subjective values being different between levels, magnitude and direction are inferred from the respective estimate.</p> <p>The Bayes factor <i>BF10</i> is reported alongside every <math>p</math>-value to assess the strength of evidence.</p>
	2b) Subjective values decline with increasing n-back level, even after controlling for declining task performance measured by signal detection $d'$ and reaction time.	<p>F tests - ANOVA: Repeated measures, within factors</p> <p>Analysis: A priori: Compute required sample size</p> <p><u>Input:</u></p> <p>Effect size <math>f = 0.9229582</math></p> <p><math>\alpha</math> err prob = 0.05</p> <p>Power (<math>1-\beta</math> err prob) = 0.95</p> <p>Number of groups = 1</p> <p>Number of measurements = 4</p> <p>Corr among rep measures = 0.5</p> <p>Nonsphericity correction <math>\epsilon = 1</math></p> <p><u>Output:</u></p> <p>Noncentrality parameter <math>\lambda = 27.2592588</math></p> <p>Critical F = 3.8625484</p> <p>Numerator df = 3.0000000</p>	<p>Multilevel model of SVs with n-back load level as level-1-predictor controlling for <math>d'</math> and reaction time subject-specific intercepts and allowing random slopes for n-back level.</p> <p>The null model and the random slopes model are calculated using <code>lmer()</code> of the <code>lmerTest</code>-package.</p> <p>Bayes factors are computed for the MLM using the <code>BayesFactor</code>-package.</p>	<p>Fixed effects yielding <math>p &lt; .05</math> are interpreted as subjective values changing significantly with n-back levels.</p> <p>The Bayes factor <i>BF10</i> is reported alongside every <math>p</math>-value to assess the strength of evidence.</p>

		Denominator df = 9.0000000 Total sample size = 4 Actual power = 0.9506771		
3. Is there a discrepancy between perceived task load and subjective value of effort depending on a person's Need for Cognition?	3a) Participants with higher NFC scores have higher subjective values for 2- and 3-back but lower subjective values for 1-back than participants with lower NFC scores.	F tests - ANOVA: Repeated measures, within-between interaction: A priori: Compute required sample size <u>Input:</u> Effect size $f = 0.57$ $\alpha$ err prob = 0.05 Power ( $1 - \beta$ err prob) = 0.95 Number of groups = 2 Number of measurements = 4 Corr among rep measures = 0.5 Nonsphericity correction $\epsilon = 1$ <u>Output:</u> Noncentrality parameter $\lambda = 25.99$ Critical F = 23.01 Numerator df = 3 Denominator df = 24 Total sample size = 10	Difference scores of subjective values are computed between consecutive n-back levels, and the sample is divided by their NFC median, so an rmANOVA with the within-factor n-back level and the between-factor NFC group can be computed.  The ANOVA is calculated using <code>aov_ez()</code> of the <code>afex</code> -package, estimated marginal means are calculated using <code>emmeans()</code> from the <code>emmeans</code> -package.  Bayes factors are computed for the ANOVA using the <code>BayesFactor</code> -package.	Subjective values are interpreted as being lower for 1-back and higher for 2- and 3-back in participants with higher NFC if there is a main effect of the NFC group ( $p < .05$ ) and if the contrasts reveal that pattern at $p < .05$ .  The Bayes factor BF10 is reported alongside every $p$ -value to assess the strength of evidence.
	3b) Participants with higher NFC scores have lower NASA-TLX scores in every n-back level than participants with lower NFC scores.	Westbrook et al. have only reported the $p$ -value here, so we used the ANOVA results of our pilot study, which included NASA-TLX scores (per level and subject) and NFC scores. The F statistic was $F(1,12) = 7.57$ , which is an effect size of $f = 0.7355$ .  F tests - ANOVA: Repeated measures, within-between interaction: A priori: Compute required sample size <u>Input:</u> Effect size $f = 0.7355$	NASA-TLX sum scores are computed per level and subject, and the sample is divided by their NFC median, so an rmANOVA with the within-factor n-back level and the between-factor NFC group can be computed.  The ANOVA is calculated using <code>aov_ez()</code> of the <code>afex</code> -package, estimated marginal means are	NASA-TLX scores are interpreted as being lower for participants with higher NFC if there is a main effect of the NFC group ( $p < .05$ ) and if the contrasts reveal that pattern at $p < .05$ .  The Bayes factor BF10 is reported alongside every $p$ -value to assess the strength of evidence.

		$\alpha$ err prob = 0.05 Power ( $1-\beta$ err prob) = 0.95 Number of groups = 2 Number of measurements = 4 Corr among rep measures = 0.5 Nonsphericity correction $\epsilon = 1$ <u>Output:</u> Noncentrality parameter $\lambda = 25.97$ Critical F = 3.49 Numerator df = 3 Denominator df = 12 Total sample size = 6	calculated using emmeans() from the emmeans-package.  Bayes factors are computed for each predictor using the BayesFactor-package.	
	3c) Participants with higher NFC scores have lower aversiveness ratings for 2- and 3-back but higher higher aversiveness ratings for 1-back than participants with lower NFC scores.	As we could not find any study reporting an association of NFC and aversiveness ratings, we assumed a medium to large association ( $r = 0.25$ , according to Gignac & Szodorai (2016), doi: <a href="https://doi.org/10.1016/j.paid.2016.06.069">10.1016/j.paid.2016.06.069</a> ). We assume this, because NFC is a trait defined as a preference for effortful cognitive activities, thereby it should be negatively associated with aversion to a cognitively effortful task.  F tests - ANOVA: Repeated measures, within-between interaction: A priori: Compute required sample size <u>Input:</u> Effect size $f = 0.2582$ $\alpha$ err prob = 0.05 Power ( $1-\beta$ err prob) = 0.95 Number of groups = 2 Number of measurements = 4 Corr among rep measures = 0.5 Nonsphericity correction $\epsilon = 1$	Difference scores of aversiveness ratings are computed between consecutive n-back levels, and the sample is divided by their NFC median, so an rmANOVA with the within- factor n-back level and the between-factor NFC group can be computed.  The ANOVA is calculated using aov_ez() of the afex-package, estimated marginal means are calculated using emmeans() from the emmeans-package.  Bayes factors are computed for the ANOVA using the BayesFactor-package.	Aversiveness ratings are interpreted as being higher for 1-back and lower for 2- and 3- back in participants with higher NFC if there is a main effect of the NFC group ( $p < .05$ ) and if the contrasts reveal that pattern at $p < .05$ .  The Bayes factor BF10 is reported alongside every $p$ - value to assess the strength of evidence.



		<u>Output:</u> Noncentrality parameter $\lambda = 18.13$ Critical F = 2.70 Numerator df = 3 Denominator df = 96 Total sample size = 34		
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**Hypothesis 1a: The signal detection measure  $d'$  declines with increasing  $n$ -back level.**

ANOVA:

$$F(2.85, 327.28) = 0.01, p = .999, \hat{\eta}_G^2 = .000, 90\% \text{ CI } [.000, .000], \text{BF}_{10} = 3.31 \times 10^{-3}$$

Paired contrasts:

Table S.1

*Paired contrasts for the rmANOVA comparing  $d'$  between  $n$ -back levels.*

Contrast	Estimate	$SE$	$df$	$t$	$p$	$\text{BF}_{10}$	$\eta_p^2$	95%CI
1 - 2	-0.02	0.18	345.00	-0.11	0.999	$7.41 \times 10^{-2}$	3.66e-05	[0.00, 1.00]
1 - 3	-0.01	0.18	345.00	-0.05	1.000	$7.36 \times 10^{-2}$	8.12e-06	[0.00, 1.00]
1 - 4	-0.02	0.18	345.00	-0.10	1.000	$7.40 \times 10^{-2}$	2.89e-05	[0.00, 1.00]
2 - 3	0.01	0.18	345.00	0.06	1.000	$7.37 \times 10^{-2}$	1.03e-05	[0.00, 1.00]
2 - 4	0.00	0.18	345.00	0.01	1.000	$7.35 \times 10^{-2}$	4.57e-07	[0.00, 1.00]
3 - 4	-0.01	0.18	345.00	-0.05	1.000	$7.36 \times 10^{-2}$	6.39e-06	[0.00, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

**Hypothesis 1b: The median reaction time increases with increasing  $n$ -back level.**

ANOVA:

$$F(2.46, 283.05) = 98.67, p < .001, \hat{\eta}_G^2 = .192, 90\% \text{ CI } [.130, .248], \text{BF}_{10} = 2.28 \times 10^{34}$$

Paired contrasts:

Table S.2

*Paired contrasts for the rmANOVA comparing the median reaction time between  $n$ -back levels.*

Contrast	Estimate	$SE$	$df$	$t$	$p$	$\text{BF}_{10}$	$\eta_p^2$	95% $CI$
1 - 2	-0.11	0.01	345.00	-11.76	<.001	$1.75 \times 10^{30}$	0.29	[0.22, 1.00]
1 - 3	-0.16	0.01	345.00	-16.23	<.001	$8.80 \times 10^{45}$	0.43	[0.37, 1.00]
1 - 4	-0.12	0.01	345.00	-12.47	<.001	$4.79 \times 10^{34}$	0.31	[0.25, 1.00]
2 - 3	-0.04	0.01	345.00	-4.47	<.001	5,538.45	0.05	[0.02, 1.00]
2 - 4	-0.01	0.01	345.00	-0.71	0.894	0.10	1.45e-03	[0.00, 1.00]
3 - 4	0.04	0.01	345.00	3.76	0.001	$6.35 \times 10^6$	0.04	[0.01, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

**Hypothesis 1c: Ratings on all NASA-TLX dimensions increase with increasing  $n$ -back level.**

Mental subscale ANOVA:

$$F(1.99, 228.35) = 274.47, p < .001, \hat{\eta}_G^2 = .375, 90\% \text{ CI } [.309, .432], \text{BF}_{10} = 1.64 \times 10^{43}$$

Mental subscale paired contrasts:

Table S.3

*Paired contrasts for the rmANOVA comparing ratings on the NASA-TLX Mental subscale between  $n$ -back levels.*

Contrast	Estimate	$SE$	$df$	$t$	$p$	$\text{BF}_{10}$	$\eta_p^2$	95% $CI$
1 - 2	-3.91	0.34	345.00	-11.52	<.001	$1.32 \times 10^{23}$	0.28	[0.21, 1.00]
1 - 3	-7.43	0.34	345.00	-21.91	<.001	$1.83 \times 10^{34}$	0.58	[0.53, 1.00]
1 - 4	-8.91	0.34	345.00	-26.26	<.001	$9.87 \times 10^{36}$	0.67	[0.62, 1.00]
2 - 3	-3.53	0.34	345.00	-10.40	<.001	$1.09 \times 10^{19}$	0.24	[0.18, 1.00]
2 - 4	-5.00	0.34	345.00	-14.74	<.001	$3.64 \times 10^{22}$	0.39	[0.32, 1.00]
3 - 4	-1.47	0.34	345.00	-4.35	<.001	$3.83 \times 10^6$	0.05	[0.02, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

Physical subscale ANOVA:

$$F(1.68, 192.93) = 15.91, p < .001, \hat{\eta}_G^2 = .041, 90\% \text{ CI } [.009, .075], \text{BF}_{10} = 60.54$$

Physical subscale paired contrasts:

Table S.4

*Paired contrasts for the rmANOVA comparing ratings on the NASA-TLX Physical subscale between n-back levels.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
1 - 2	-0.95	0.32	345.00	-2.95	0.018	25.36	0.02	[0.00, 1.00]
1 - 3	-1.70	0.32	345.00	-5.29	<.001	602.59	0.08	[0.04, 1.00]
1 - 4	-2.04	0.32	345.00	-6.37	<.001	1,235.49	0.11	[0.06, 1.00]
2 - 3	-0.75	0.32	345.00	-2.34	0.092	10.45	0.02	[0.00, 1.00]
2 - 4	-1.09	0.32	345.00	-3.41	0.004	31.98	0.03	[0.01, 1.00]
3 - 4	-0.34	0.32	345.00	-1.07	0.705	0.47	3.33e-03	[0.00, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

Time subscale ANOVA:

$$F(2.21, 254.65) = 51.08, p < .001, \hat{\eta}_G^2 = .117, 90\% \text{ CI } [.065, .168], \text{BF}_{10} = 3.94 \times 10^9$$

Time subscale paired contrasts:

Table S.5

*Paired contrasts for the rmANOVA comparing ratings on the NASA-TLX Time subscale between  $n$ -back levels.*

Contrast	Estimate	$SE$	$df$	$t$	$p$	$\text{BF}_{10}$	$\eta_p^2$	95% $CI$
1 - 2	-1.95	0.43	345.00	-4.53	<.001	7,366.95	0.06	[0.02, 1.00]
1 - 3	-4.28	0.43	345.00	-9.97	<.001	$3.09 \times 10^{10}$	0.22	[0.16, 1.00]
1 - 4	-4.65	0.43	345.00	-10.81	<.001	$2.02 \times 10^{11}$	0.25	[0.19, 1.00]
2 - 3	-2.34	0.43	345.00	-5.44	<.001	$9.62 \times 10^6$	0.08	[0.04, 1.00]
2 - 4	-2.70	0.43	345.00	-6.28	<.001	$8.02 \times 10^6$	0.10	[0.06, 1.00]
3 - 4	-0.36	0.43	345.00	-0.84	0.834	0.18	2.05e-03	[0.00, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

Performance subscale ANOVA:

$$F(2.49, 285.97) = 95.33, p < .001, \hat{\eta}_G^2 = .241, 90\% \text{ CI } [.176, .299], \text{BF}_{10} = 1.55 \times 10^{24}$$

Performance subscale paired contrasts:

Table S.6

*Paired contrasts for the rmANOVA comparing ratings on the NASA-TLX Performance subscale between n-back levels.*

Contrast	Estimate	<i>SE</i>	<i>df</i>	<i>t</i>	<i>p</i>	$\text{BF}_{10}$	$\eta_p^2$	95% <i>CI</i>
1 - 2	2.07	0.40	345.00	5.13	<.001	80,590.41	0.07	[0.03, 1.00]
1 - 3	5.14	0.40	345.00	12.74	<.001	$1.23 \times 10^{19}$	0.32	[0.26, 1.00]
1 - 4	6.03	0.40	345.00	14.96	<.001	$2.36 \times 10^{19}$	0.39	[0.33, 1.00]
2 - 3	3.07	0.40	345.00	7.61	<.001	$8.72 \times 10^{12}$	0.14	[0.09, 1.00]
2 - 4	3.97	0.40	345.00	9.83	<.001	$4.20 \times 10^{12}$	0.22	[0.16, 1.00]
3 - 4	0.90	0.40	345.00	2.22	0.119	2.35	0.01	[0.00, 1.00]

*Note.* The column Contrast contains the *n* of the *n*-back levels. *SE* = standard error, *df* = degrees of freedom, *t* = *t*-statistic, *p* = *p*-value, CI = confidence interval.

Effort subscale ANOVA:

$$F(2.20, 253.06) = 203.82, p < .001, \hat{\eta}_G^2 = .316, 90\% \text{ CI } [.250, .375], \text{BF}_{10} = 2.47 \times 10^{34}$$

Effort subscale paired contrasts:

Table S.7

*Paired contrasts for the rmANOVA comparing ratings on the NASA-TLX Effort subscale between n-back levels.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
1 - 2	-4.23	0.34	345.00	-12.35	<.001	$4.24 \times 10^{19}$	0.31	[0.24, 1.00]
1 - 3	-6.80	0.34	345.00	-19.84	<.001	$4.25 \times 10^{29}$	0.53	[0.48, 1.00]
1 - 4	-7.73	0.34	345.00	-22.56	<.001	$1.47 \times 10^{32}$	0.60	[0.55, 1.00]
2 - 3	-2.57	0.34	345.00	-7.49	<.001	$3.85 \times 10^{12}$	0.14	[0.09, 1.00]
2 - 4	-3.50	0.34	345.00	-10.21	<.001	$3.33 \times 10^{15}$	0.23	[0.17, 1.00]
3 - 4	-0.93	0.34	345.00	-2.72	0.035	174.38	0.02	[0.00, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.



Frustration subscale ANOVA:

$$F(2.50, 287.66) = 68.06, p < .001, \hat{\eta}_G^2 = .172, 90\% \text{ CI } [.112, .227], \text{BF}_{10} = 5.26 \times 10^{15}$$

Frustration subscale paired contrasts:

Table S.8

*Paired contrasts for the rmANOVA comparing ratings on the NASA-TLX Frustration subscale between n-back levels.*

Contrast	Estimate	<i>SE</i>	<i>df</i>	<i>t</i>	<i>p</i>	$\text{BF}_{10}$	$\eta_p^2$	95% <i>CI</i>
1 - 2	-2.17	0.43	345.00	-4.99	<.001	67,280.87	0.07	[0.03, 1.00]
1 - 3	-4.76	0.43	345.00	-10.94	<.001	$8.22 \times 10^{14}$	0.26	[0.20, 1.00]
1 - 4	-5.57	0.43	345.00	-12.80	<.001	$2.34 \times 10^{15}$	0.32	[0.26, 1.00]
2 - 3	-2.59	0.43	345.00	-5.95	<.001	$6.41 \times 10^7$	0.09	[0.05, 1.00]
2 - 4	-3.40	0.43	345.00	-7.81	<.001	$6.16 \times 10^8$	0.15	[0.10, 1.00]
3 - 4	-0.81	0.43	345.00	-1.86	0.246	0.92	9.96e-03	[0.00, 1.00]

*Note.* The column Contrast contains the *n* of the *n*-back levels. *SE* = standard error, *df* = degrees of freedom, *t* = *t*-statistic, *p* = *p*-value, CI = confidence interval.

## 56 Motivations for effort discounting behaviour

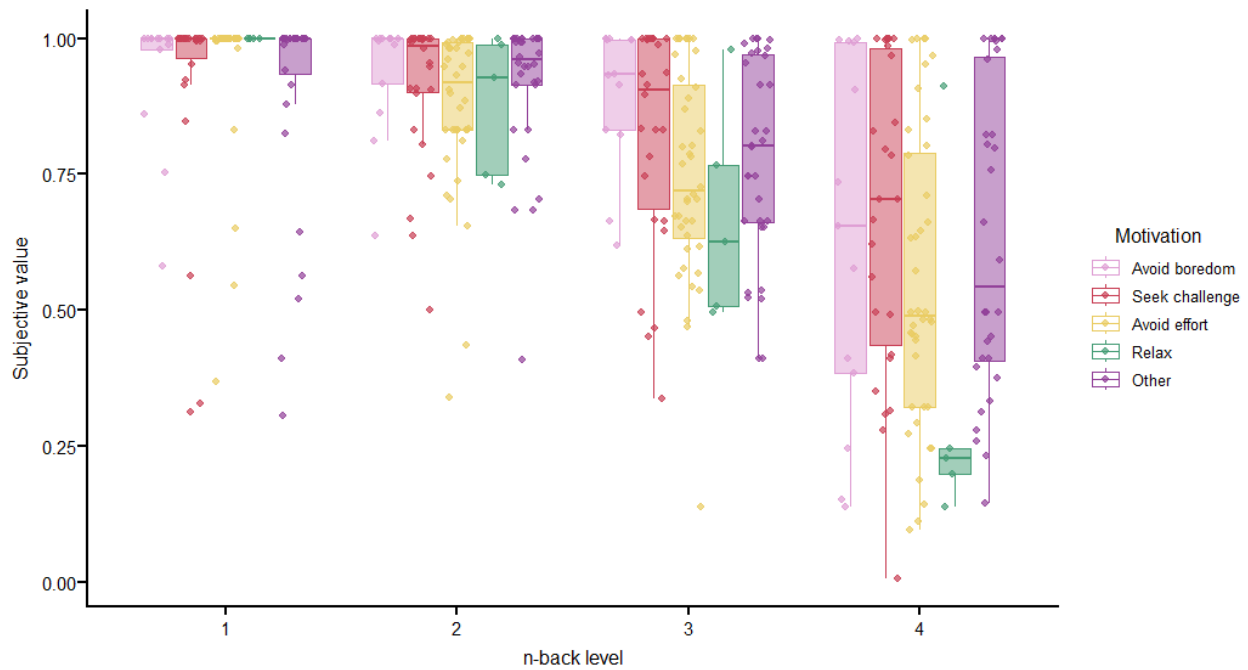


Figure S.1. Subjective values per  $n$ -back level for each participant, grouped by the motivation for effort discounting that they indicated in the single choice question after the paradigm.  $N = 116$

57 **Hypothesis 2a: Subjective values decline with increasing  $n$ -back level.**

58 ANOVA:

59  $F(1.98, 227.98) = 65.65, p < .001, \hat{\eta}_G^2 = .288, 90\% \text{ CI } [.222, .347], \text{BF}_{10} = 1.58 \times 10^{64}$

60 Pre-defined contrasts:

Table S.9

*Contrasts for the rmANOVA comparing the subjective values between  $n$ -back levels.*

Contrast	Estimate	$SE$	$df$	$t$	$p$	$\eta_p^2$	95% $CI$
Declining Linear	1.11	0.08	345.00	13.41	<.001	0.34	[0.28, 1.00]
Ascending Quadratic	0.15	0.04	345.00	4.14	<.001	0.05	[0.02, 1.00]
Declining Logistic	1.22	0.09	345.00	12.97	<.001	0.33	[0.26, 1.00]
Positively Skewed Normal	0.75	0.06	345.00	12.74	<.001	0.32	[0.26, 1.00]

*Note.*  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value,  $CI$  = confidence interval.

**Hypothesis 2b: Subjective values decline with increasing  $n$ -back level, even after controlling for declining task performance measured by signal detection  $d'$  and reaction time.**

Multi level model:

Table S.10

*Results of the multi level model on the influence of  $n$ -back level (as a declining logistic contrast) and task performance on subjective values.*

Parameter	Beta	$SE$	$df$	$t$ -value	$p$ -value	$f^2$	Random Effects (SD)
Intercept	0.81	0.01	114.82	78.34	<.001		0.09
$n$ -back level	0.05	0.00	799.38	18.22	<.001	0.64	
$d'$	0.02	0.00	798.75	5.60	<.001	0.04	
median RT	0.02	0.07	798.58	0.30	0.768	0.00	

*Note.*  $SE$  = standard error,  $df$  = degrees of freedom,  $SD$  = standard deviation.

The final model had an effect size of  $f^2 = 0.64$  for the  $n$ -back levels and  $f^2 = 0.04$  for  $d'$ . This means that the  $n$ -back level explained 64.20% and  $d'$  explained 3.95% of variance in SVs relative to the unexplained variance, respectively. The beta coefficient indicated that with every 1-unit increase in  $d'$ , the SV increased by 0.02. The effect size of the median RT was  $f^2 = 0.00$ . The Bayes Factor of the full model against the null model was  $BF_{10} = 4.11 \times 10^{82} \pm 9.68\%$ .

**Hypothesis 3a: Participants with higher NFC scores have higher subjective values for 2- and 3-back but lower subjective values for 1-back than participants with lower NFC scores.**

ANOVA:

Main effect level:  $F(1, 114) = 9.13$ ,  $p = .003$ ,  $\hat{\eta}_G^2 = .040$ , 90% CI [.002, .115],  
 $BF_{10} = 12.68$

Main effect NFC group:  $F(1, 114) = 3.18$ ,  $p = .077$ ,  $\hat{\eta}_G^2 = .013$ , 90% CI [.000, .068],  
 $BF_{10} = 0.56$

Interaction:  $F(1, 114) = 0.46$ ,  $p = .499$ ,  $\hat{\eta}_G^2 = .002$ , 90% CI [.000, .037]

Contrast for main effect level:

Table S.11

*Paired contrast for the rmANOVA comparing the influence of Need for Cognition group and n-back level on difference scores of subjective values.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
1-2 - 2-3	-0.08	0.03	114.00	-3.02	0.003	12.68	0.07	[0.02, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

**Hypothesis 3b: Participants with higher NFC scores have lower NASA-TLX scores in every n-back level than participants with lower NFC scores.**

ANOVA:

Main effect level:  $F(2.10, 239.56) = 154.50, p < .001, \hat{\eta}_G^2 = .223, 90\% \text{ CI } [.159, .282],$   
 $\text{BF}_{10} = 2.22 \times 10^{45} \pm 0.00\%$

Main effect NFC group:  $F(1, 114) = 3.22, p = .075, \hat{\eta}_G^2 = .022, 90\% \text{ CI } [.000, .084],$   
 $\text{BF}_{10} = 1.75 \times 10^2 \pm 0.00\%$

Interaction:  $F(2.10, 239.56) = 4.93, p = .007, \hat{\eta}_G^2 = .009, 90\% \text{ CI } [.000, .025]$

Contrast for main effect level:

Table S.12

*Paired contrasts for the rmANOVA comparing the influence of Need for Cognition group and n-back level on NASA-TLX scores.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
1 - 2	-1.86	0.18	114.00	-10.06	<.001	$7.02 \times 10^9$	0.47	[0.36, 1.00]
1 - 3	-3.31	0.23	114.00	-14.36	<.001	$6.43 \times 10^{29}$	0.64	[0.56, 1.00]
1 - 4	-3.82	0.25	114.00	-15.32	<.001	$5.25 \times 10^{37}$	0.67	[0.60, 1.00]
2 - 3	-1.46	0.16	114.00	-9.15	<.001	113,671.29	0.42	[0.31, 1.00]
2 - 4	-1.96	0.19	114.00	-10.39	<.001	$4.18 \times 10^9$	0.49	[0.38, 1.00]
3 - 4	-0.51	0.13	114.00	-3.82	0.001	0.55	0.11	[0.04, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

Contrast for interaction:

Table S.13

*Paired contrasts for the rmANOVA comparing the influence of Need for Cognition group and n-back level on NASA-TLX scores.*

Contrast	Level	Estimate	<i>SE</i>	<i>df</i>	<i>t</i>	<i>p</i>	BF <sub>10</sub>	$\eta_p^2$	95%CI
high - low	1	-0.23	0.48	114.00	-0.48	0.632	0.18	2.02e-03	[0.00, 1.00]
high - low	2	-0.40	0.53	114.00	-0.76	0.450	0.25	5.00e-03	[0.00, 1.00]
high - low	3	-1.14	0.53	114.00	-2.15	0.033	11.15	0.04	[0.00, 1.00]
high - low	4	-1.53	0.53	114.00	-2.89	0.005	336.88	0.07	[0.01, 1.00]

*Note.* The column Contrast contains the groups above (high) and below (low) the Need for Cognition score median. *SE* = standard error, *df* = degrees of freedom, *t* = *t*-statistic, *p* = *p*-value, CI = confidence interval.

**Hypothesis 3c: Participants with higher NFC scores have lower aversiveness ratings for 2- and 3-back but higher higher aversiveness ratings for 1-back than participants with lower NFC scores.**

ANOVA:

Main effect level:  $F(1, 114) = 10.21, p = .002, \hat{\eta}_G^2 = .034, 90\% \text{ CI } [.000, .105],$

Main effect NFC group:  $F(1, 114) = 8.43, p = .004, \hat{\eta}_G^2 = .043, 90\% \text{ CI } [.003, .119],$

$\text{BF}_{10} = 14.26$

Interaction:  $F(1, 114) = 2.59, p = .110, \hat{\eta}_G^2 = .009, 90\% \text{ CI } [.000, .058]$

Contrast for main effect level:

Table S.14

*Paired contrast for the rmANOVA comparing the influence of Need for Cognition group and n-back level on difference scores of aversiveness ratings.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
1-2 - 2-3	1.27	0.40	114.00	3.20	0.002	5.49	0.08	[0.02, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

Contrast for main effect NFC group:

Table S.15

*Paired contrast for the rmANOVA comparing the influence of Need for Cognition (NFC) group and n-back level on difference scores of aversiveness ratings.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
High NFC - Low NFC	1.44	0.50	114.00	2.90	0.004	14.26	0.07	[0.01, 1.00]

*Note.*  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.



## Exploratory analyses

### ANOVA:

Main effect level:  $F(2.01, 229.39) = 67.39$ ,  $p < .001$ ,  $\hat{\eta}_G^2 = .295$ , 90% CI [.228, .354],  
 $2.70 \times 10^{30}$

Main effect NFC group:  $F(1, 114) = 2.63$ ,  $p = .108$ ,  $\hat{\eta}_G^2 = .007$ , 90% CI [.000, .053],  
 $2.95 \times 10^{-1}$

Interaction:  $F(2.01, 229.39) = 3.24$ ,  $p = .041$ ,  $\hat{\eta}_G^2 = .020$ , 90% CI [.000, .044]

### Contrasts for main effect level:

Table S.16

*Paired contrast for the rmANOVA comparing the influence of Need for Cognition group and n-back level on subjective values.*

Contrast	Estimate	SE	df	t	p	BF <sub>10</sub>	$\eta_p^2$	95%CI
1 - 2	0.03	0.02	114.00	2.03	0.184	0.66	0.03	[0.00, 1.00]
1 - 3	0.15	0.03	114.00	5.77	<.001	117,986.95	0.23	[0.12, 1.00]
1 - 4	0.33	0.03	114.00	9.70	<.001	$1.47 \times 10^{13}$	0.45	[0.34, 1.00]
2 - 3	0.11	0.02	114.00	5.55	<.001	67,167.07	0.21	[0.11, 1.00]
2 - 4	0.30	0.03	114.00	10.22	<.001	$4.31 \times 10^{14}$	0.48	[0.37, 1.00]
3 - 4	0.19	0.03	114.00	7.30	<.001	$1.68 \times 10^8$	0.32	[0.21, 1.00]

*Note.* The column Contrast contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.

### Contrasts for the interaction:

Table S.17

*Paired contrast for the rmANOVA comparing the influence of Need for Cognition group and  $n$ -back level on subjective values.*

Contrast	Level	Estimate	$SE$	$df$	$t$	$p$	$BF_{10}$	$\eta_p^2$	95%CI
high - low	1	-0.05	0.03	114.00	-1.50	0.136	0.54	0.02	[0.00, 1.00]
high - low	2	0.02	0.03	114.00	0.72	0.472	0.25	4.54e-03	[0.00, 1.00]
high - low	3	0.05	0.04	114.00	1.28	0.203	0.41	0.01	[0.00, 1.00]
high - low	4	0.11	0.05	114.00	2.13	0.036	1.48	0.04	[0.00, 1.00]

*Note.* The column Contrast contains the groups above (high) and below (low) the Need for Cognition score median. The column Level contains the  $n$  of the  $n$ -back levels.  $SE$  = standard error,  $df$  = degrees of freedom,  $t$  =  $t$ -statistic,  $p$  =  $p$ -value, CI = confidence interval.