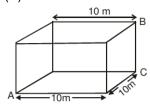
## Solutions - Test 01 - Class 11th Part Test - 01

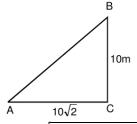
#### **S1.** (2)



Fly start from A and reaches at B.

$$\therefore (AB)^2 = (AC)^2 + (BC)^2$$

$$AC = \sqrt{10^2 + 10^2} = 10\sqrt{2}$$



$$AB = \sqrt{\left(10\sqrt{2}\right)^2 + 10^2} = 10\sqrt{3}m.$$

### **S2**. (1)

Relative error in A is given by

$$\frac{\Delta A}{A} = \frac{3\Delta P}{P} + \frac{2\Delta Q}{Q} + \frac{1}{2}\frac{\Delta R}{R} + \frac{\Delta S}{S}$$

The maximum percentage error in the value of A will be

$$\frac{\Delta A}{A} \times 100 = 3 \times 0.5 + 2 \times 1 + \frac{1}{2} \times 3 + 1.5 = 6.5\%.$$

### **S3**. (3)

let the acceleration of the body is 'a' and

then 
$$x_1 = \frac{1}{2}at^2 = \frac{1}{2}a(10)^2$$

$$x_2 = \frac{1}{2}a(20)^2 - x_1$$

$$=\frac{1}{2}a(20)^2-\frac{1}{2}a(10)^2$$

$$=\frac{1}{2}a(10)(30)$$

$$x_3 = \frac{1}{2}a(30)^2 - \frac{1}{2}a(20)^2$$

$$=\frac{1}{2}a(10)(50)$$

$$\therefore x_1: x_2: x_3 = 1: 3: 5.$$

## S4.

$$y = m^2 r^{-4} g^x l^{-3/2}$$

% error in y = 18, % error in m = 1

% error in r = 0.5, % error in l = 4

% error in g = p.

$$\frac{\Delta y}{y} \times 100 = \left(2\frac{\Delta m}{m} + 4 \cdot \frac{\Delta r}{r} + x \cdot \frac{\Delta g}{g} + \frac{3}{2}\frac{\Delta l}{l}\right) \times$$

100

$$18 = 2 \times 1 + 4(0.5) + x(p) + \frac{3}{2}(4)$$

$$\therefore 8 = xp.$$

### **S5**. (2)

Stone is dropped

So time taken by stone to reach the bottom of the wall  $t_1$ 

$$\therefore h = \frac{1}{2}gt_1^2$$

$$= t = \int_0^{2h} G(t)$$

$$=t_1=\sqrt{\frac{2\ h}{g}}-\text{(i)}$$

time taken by sound to comes from bottom to upper end

$$t_2 = \frac{h}{v}$$
 ...(ii)

$$\therefore \text{ Total time} = t_1 + t_2 = \sqrt{\frac{2 \text{ h}}{g}} + \frac{h}{v}.$$

## **S6**.

1MSD = 5.15 cm - 5.10 cm

= 0.05 cm

50 VSD = 2.45 cm

$$1VSD = \frac{2.45}{50}$$
 cm = 0.049 cm

Least count of vernier,

LC = 1MSD - 1VSD

= 0.05 cm - 0.049 cm = 0.001 cm

Diameter of the cylinder =

main scale reading + vernier scale

 $\times$  least count = 5.10 + (24)(0.001) = 5.124 cm.

# **S7.**

 $\vec{F} = 2 \sin 3\pi t \hat{\imath} + 3 \cos 3\pi t \hat{\jmath}$ 

$$a = \frac{dv}{dt} = 2\sin 3\pi t \,\hat{\imath} + 3\cos 3\pi t \,\hat{\jmath}$$

 $\int_0^v dv = 2 \int_0^t \sin 3\pi t \, dt \, \hat{\imath} + 3 \int_0^t \cos 3\pi t \cdot dt \hat{\jmath}$ 

$$v = -\frac{2}{3\pi} [\cos 3\pi t]_0^t \hat{i} + \frac{3}{3\pi} [\sin 3\pi t]_0^t \hat{j}$$

 $\int_0^r dx = \int_0^t \left[ \frac{-2}{3\pi} [\cos 3\pi t - 1] \hat{\imath} + \frac{1}{\pi} \sin 3\pi t \hat{\jmath} \right].$ 

$$\vec{r} = -\frac{2}{3\pi} \left[ \int_0^t \cos 3\pi t - \int_0^t dt \right] \hat{\imath} +$$

$$\frac{1}{\pi} \int_0^t \sin 3\pi t \, \hat{j} dt$$

$$= -\frac{2}{(3\pi)^2} \left[ \sin 3\pi t \right]_0^t \hat{i} + \frac{2}{3\pi} t \hat{i} - \frac{1}{3\pi^2} \left[ \cos 3\pi t \right]_0^t \hat{j}$$

For t = 1 sec

$$\vec{r} = \frac{2}{3\pi}\hat{\imath} + \frac{2}{3\pi^2}\hat{\jmath}.$$

$$\left[X + \frac{a}{Y^2}\right][Y - b] = RT$$

As, X is pressure then its dimensions are  $[ML^{-1} T^{-2}]$  then  $\frac{a}{y^2}$  should also have the same units. same units.

$$X = \frac{a}{Y^2} \Rightarrow [ML^{-1} T^{-2}] = \frac{a}{[L^6]}$$

$$a = [ML^5 T^{-2}]$$

Same for Y = b.  $[L^3] = b$ 

The ratio, 
$$\frac{a}{b} = \frac{[ML^5 T^{-2}]}{[L^3]} = [ML^2 T^{-2}].$$

 $[ML^2 T^{-2}]$  is the dimension of energy.

$$a = \frac{B}{m}e^{-ct}$$

$$\Rightarrow \int_0^v dv = \int_0^t \frac{B}{m} e^{-ct} dt$$

$$v = -\frac{B}{mc} [a^{-ct} - 1]_0^t$$
At  $t = \infty$   $v = \frac{B}{mc}$ 

**S10.** (1)

Given, Young's modulus

$$Y = c^{\alpha} h^{\beta} G^{\gamma}$$

$$[ML^{-1} T^{-2}] =$$

$$[LT^{-1}]^{\alpha}[ML^2 T^{-1}]^{\beta}[M^{-1} L^3 T^{-2}]^{\gamma}$$

$$[ML^{-1} T^{-2}] = \left[ M^{\beta - \gamma} {}_{L}^{\alpha + 2\beta + 3\gamma} T^{-\alpha - \beta - 2\gamma} \right]$$

$$\beta - \gamma = 1 \tag{2}$$

$$\alpha + 2\beta + 3\gamma = -1 \tag{i}$$

$$-\alpha - \beta - 2\gamma = -2$$
 (iii)

On solving eq. (i), (ii) and (iii), we have  $\alpha = 7, \beta = -1, \gamma = -2$ .

**S11.** (3)

$$\frac{dv}{dt} = bt \Rightarrow dv = bt \ dt \Rightarrow v = \frac{bt^2}{2} + K_1$$

At 
$$t = 0$$
,  $v = v_0 \Rightarrow K_1 = v_0$ 

We get 
$$v = \frac{1}{2}bt^2 + v_0$$

Again 
$$\frac{dx}{dt} = \frac{1}{2}bt^2 + v_0 \Rightarrow x = \frac{1}{2}\frac{bt^2}{3} + v_0t + \frac{1}$$

 $K_2$ 

$$At t = 0, x = 0 \Rightarrow K_2 = 0$$

$$\therefore x = \frac{1}{6}bt^3 + v_0t$$

**S12.** (1)

Given r = 0.5t

$$\frac{dr}{dt} = 0.5$$

$$V = \frac{4}{3}\pi r^3$$

$$\frac{dV}{dt} = 4\pi r^2 \frac{dr}{dt}$$

At 
$$t = 4 sec$$

$$r = 0.5(4) \Rightarrow r = 2$$

So 
$$\left(\frac{dv}{dt}\right)_{t=4} = 4\pi(2)^2(0.5) = 8\pi \, unit/s$$

**S13.** (4)

$$= \int x^2 dx - \int \cos \cos x \, dx +$$

$$\int \frac{1}{x} dx$$

$$= \frac{x^{2+1}}{2+1} - \sin x + \ln x + c$$

$$= \frac{x^3}{3} - \sin x + \ln x + c$$

**S14.** (2)

Using 
$$\{log log (A) - log log (B) =$$

 $log log \left(\frac{A}{B}\right)$ 

We can write  $log log \left(\frac{3x+2}{3x-2}\right) = log log 5$ 

Comparing both sides

$$\frac{3x+2}{3x-2} = 5$$

$$3x + 2 = 15x - 10$$

$$x = 1$$
.

**S15.** (4)

Let the initial velocity be u

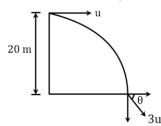
Let the ball touches the ground at an angle  $\theta$ 

Final velocity = 3u (Acc. to ques.)

Hence  $3u \cos \cos \theta = u \text{ or } \cos \cos \theta = 1/3$ 3 or  $\sin \sin \theta = \sqrt{8}/3$ 

The vertical component of velocity at the ground

 $= 3u \sin \sin \theta = \frac{3\sqrt{8}}{3} u = \sqrt{8}u$ 



For a freely falling body it covers 20 m to acquire velocity  $\sqrt{8}u$ 

$$\therefore \left(\sqrt{8}u\right)^2 - 0 = 2 \times 9.8 \times 20$$

So, u = 7 m/s.

**S16.** (3)

Net acceleration of a body when thrown upward is given by

 $a_{eff}$  = acceleration of body - acceleration due to gravity = a - g

**S17.** (2)

$$ax^2 - bx + c = 0$$

Sum of roots = 
$$-\frac{b}{a}$$

For 
$$(2x^2 - 4x + 5) = 0$$

Sum of roots =  $-\frac{(-4)}{2}$  = 2

S18. (2

$$\frac{(2)}{\frac{F_1 + F_2}{F_1 - F_2}} = \frac{7}{3}$$

Applying componendo – dividendo rule  $\Rightarrow \frac{F_1}{F_2} = \frac{10}{4} = \frac{5}{2}$ .

**S19.** (3)

If a stone is dropped from height h

Then 
$$h = \frac{1}{2}gt^2$$
 ...(i)

If a stone is thrown upward with velocity u then  $h = -ut_1 + \frac{1}{2}gt_1^2$  ...(ii)

If a stone is thrown downward with velocity u then

$$h = ut_2 + \frac{1}{2}gt_2^2$$
 ...(iii

From (i), (ii) and (iii) we get

$$-ut_1 + \frac{1}{2}gt_1^2 = \frac{1}{2}gt^2$$
 ....(iv)

$$ut_2 + \frac{1}{2}gt_2^2 = \frac{1}{2}gt^2$$
 ...(v)

Dividing (iv) and (v) we get

$$\therefore \frac{-ut_1}{ut_2} = \frac{\frac{1}{2}g(t^2 - t_1^2)}{\frac{1}{2}g(t^2 - t_2^2)}$$

Or 
$$-\frac{t_1}{t_2} = \frac{t^2 - t_1^2}{t^2 - t_2^2}$$

By solving we get  $t = \sqrt{t_1 t_2}$ 

**S20.** (3)

$$\vec{A} = \vec{P} + \vec{Q} = 5\hat{\imath} - 4\hat{\jmath} + 3\hat{k}$$

For x-axis  $\vec{B} = \hat{\iota}$ 

$$\vec{A} \cdot \vec{B} = |\vec{A}| |\vec{B}| \cos \cos \theta$$

$$5 = \sqrt{50}\cos\theta$$

$$\theta = \cos^{-1}(\frac{5}{\sqrt{50}})$$

**S21.** (1)

The distance covered by the ball during the last *t* seconds of its upward motion = Distance covered by it in first *t* seconds of its downward motion.

From 
$$h = ut + \frac{1}{2}gt^2$$

 $h = \frac{1}{2}gt^2$  [As u = 0 for its downward motion]

**S22.** (3)

Let the velocity at point P $\overrightarrow{v_1} = v\hat{\imath}$ 

So the velocity at point Q will be  $\overrightarrow{v_2} = v \cos \cos 40^{\circ} \hat{i} - v \sin \sin 40^{\circ} \hat{j}$ 

Change in velocity:

$$\Delta \vec{v} = \overrightarrow{v_2} - \overrightarrow{v_1}$$

$$\Delta \vec{v} = (v \cos \cos 40^{\circ} - v)$$

 $\hat{i} + (v \sin \sin 40^{\circ})\hat{j}$ 

 $|\Delta \vec{v}| =$ 

$$\sqrt{(v\cos\cos 40^{\circ} - v)^{2} + (v\sin\sin 40^{\circ})^{2}}$$

On solving we get

 $\Delta v = 2 v \sin 20^{\circ}$ 

**S23.** (1)

$$\vec{R} = \vec{A} + \vec{B} = 3\hat{\imath} + 6\hat{\jmath} - 2\hat{k}$$

Unit vector parallel to  $\vec{R}$  is

$$\hat{R} = \frac{3\hat{\imath} + 6\hat{\jmath} - 2\hat{k}}{\sqrt{3^2 + 6^2 + 2^2}} = \frac{1}{7}(3\hat{\imath} + 6\hat{\jmath} - 2\hat{k})$$

**S24.** (4)

Component of  $\vec{A}$  along  $\vec{B} = A\cos\theta = \frac{\vec{A}.\vec{B}}{B}$ 

In vector from  $= \left(\frac{\vec{A} \cdot \vec{B}}{P}\right) \hat{B} = \left(\frac{\vec{A} \cdot \vec{B}}{P^2}\right) \vec{B}$ 

$$\vec{A} \cdot \vec{B} = (3\hat{\imath} + 4\hat{\jmath}) \cdot (\hat{\imath} + \hat{\jmath}) = 7$$

$$B^2 = \left(\sqrt{1^2 + 1^2}\right)^2 = 2$$

Required component  $=\frac{7}{2}(\hat{\imath}+\hat{\jmath})$ 

**S25.** (3)

Coefficient of friction is unitless & dimensionless.

**S26.** (4)

 $\theta$  in  $\cos \theta$  and  $\sin \theta$  is dimensionless  $Bx = M^0 L^0 T^0 \Rightarrow BL^1 = M^0 L^0 T^0$ 

$$\Rightarrow B = M^0 L^{-1} T^0$$

$$Dt = M^0L^0T^0 \Rightarrow DT^1 = M^0L^0T^0$$

$$\Rightarrow D = M^0 L^0 T^{-1}$$

$$\therefore \frac{D}{R} = M^0 L T^{-1}.$$

**S27.** (4)

According to the rules of significant figures  $0.007 \, m^2$  has one significant figure.  $2.64 \times 10^{24} kg$  has three significant figures.  $0.0006032 \, m^2$  has four significant figures.  $6.3200 \, \text{J}$  has five significant figures.

**S28.** (2)

$$PV^{3/2} = K \Rightarrow P = \frac{K}{V^{3/2}}$$

$$\% \Delta P = 1 \times \% \Delta K - \frac{3}{2} \times \% \Delta V$$

$$% P = 1(0) - \frac{3}{2}(-0.5) = 0.75\%$$

**S29.** (3)

$$40 VSD = 38 MSD$$

$$1 VSD = \frac{38}{40} MSD$$

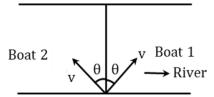
$$LC. = 1 MSD - 1 VSD$$

$$0.1 \ mm = 1 \ MSD - \frac{38}{40} \ MSD$$

$$\therefore$$
 1 MSD = 2 mm.

**S30.** (1)

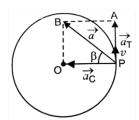
If components of velocities of boat relative to river is in direction normal to river flow is same (as shown in figure) both boats reach another bank simultaneously since this component is responsible for reaching the other bank of the river.



**S31.** (1)

Total reading 
$$(T.R.) = MSD + CSR \times LC$$
  
 $(T.R.) = (3mm) + 25 \times (0.01 mm) =$   
 $3.25 mm$ 

**S32.** (1)



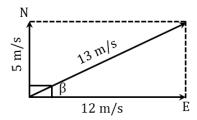
In non – uniform circular motion acceleration vector makes some angle with radius hence it is not perpendicular to velocity vector.

**S33.** (1)

Velocity of ship w.r.t sea =  $\overrightarrow{v_1}$ = 12 m/s along east

Velocity of woman w.r.t ship =  $\overrightarrow{v_2}$  = 5 m/s along north

Velocity of woman w.r.t sea =  $\overrightarrow{v_1} + \overrightarrow{v_2}$ 



$$\vec{v}_{ws} = \sqrt{(12)^2 + (5)^2} = 13 \, m/s$$

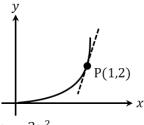
**S34.** (4)

$$y = 2\cos\left(\sqrt{x}\right)$$

$$\frac{dy}{dx} = -2\sin\left(\sqrt{x}\right) \cdot \frac{1}{2\sqrt{x}}$$

$$\frac{dy}{dx} = -\sin\left(\sqrt{x}\right) \cdot \frac{1}{\sqrt{x}}.$$

**S35.** (4)



$$y = 3x^2$$

$$\frac{dy}{dx} = 6x$$

(1)

Point P (1,2)

$$\frac{dy}{dx} = 6(1) = 6$$

S36.

For Body A

$$s = \frac{1}{2}at^2 \dots (1)$$

For Body B

$$s = vt .....(2)$$

On comparing (1) and (2) we get  $v^{2v}$ 

$$t = \frac{2v}{a}$$

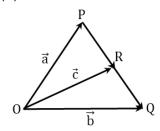
**S37.** (4)

The negative slope of position time graph represents that the body is moving towards the negative direction. Thus, statement-1 is correct.

But if the slope of the graph decreases with time, then it represents the

decrease in speed i.e. retardation in motion. So, the constant negative slope of the position-time graph cannot represent the decrease in speed. Therefore, statement-2 is incorrect.

**S38.** (1)



From triangle law in  $\triangle OPR$ 

$$\vec{a} + \overrightarrow{PR} = \vec{c}$$

$$\Rightarrow \overrightarrow{PR} = \overrightarrow{c} - \overrightarrow{a}$$

From triangle law in  $\Delta ORQ$ 

$$\vec{c} + \overrightarrow{RQ} = \vec{b} \Rightarrow \overrightarrow{RQ} = \vec{b} - \vec{c}$$

Since R is the midpoint so  $\overrightarrow{PR} = \overrightarrow{RQ}$ 

$$\therefore \vec{c} - \vec{a} = \vec{b} - \vec{c}$$

So, 
$$2\vec{c} = \vec{a} + \vec{b}$$

**S39.** (2)

$$(1.005)^{12} = (1 + 0.005)^{12}$$

Using  $\{(1+x)^n = 1 + nx; when x \ll R\}$ 

$$(1.005)^{12} = 1 + 12(0.005) = 1.060$$

**S40.** (2)

Magnitude of Component of  $\vec{v}$  along  $\vec{a} = (\vec{v}.\hat{a})$ 

$$= (6\hat{\imath} + 2\hat{\jmath} - 2\hat{k}) \cdot \frac{(\hat{\imath} + \hat{\jmath} + \hat{k})}{\sqrt{3}}$$

$$=\frac{6+2-2}{\sqrt{3}}=\frac{6}{\sqrt{3}}=2\sqrt{3}$$

In vector from =  $(2\sqrt{3})$   $\hat{a}$ 

$$=2\sqrt{3}\frac{(\hat{\imath}+\hat{\jmath}+\hat{k})}{\sqrt{3}}$$

$$=2(\hat{\imath}+\hat{\jmath}+\hat{k}).$$

**S41.** (2)

Time 
$$= \frac{Total \ length}{Relative \ velocity} = \frac{50+50}{10+15} = \frac{100}{25} =$$

4 sec

**S42.** (3)

$$T \propto P^{\alpha} d^{\beta} E^{\gamma}$$

$$T = CP^{\alpha} d^{\beta} E^{\gamma}$$

$$M^{0}L^{0}T =$$

$$(ML^{-1}T^{-2})^{\alpha}(M^{1}L^{-3}T^{0})^{\beta}(ML^{2}T^{-2})^{\gamma}$$

$$= M^{\alpha}L^{-\alpha}T^{-2\alpha}M^{\beta}L^{-3\beta}M^{\gamma}L^{2\gamma}T^{-2\gamma}$$

$$M^{0}L^{0}T = (M^{\alpha+\beta}L^{-\alpha-3\beta+2\gamma}T^{-2\alpha-2\gamma})$$

$$\alpha + \beta + \gamma = 0 \qquad \dots (1$$

$$-\alpha - 3\beta + 2\gamma = 0 \qquad \dots (2)$$

$$-2\alpha - 2\gamma = 1 \qquad \dots (3)$$

$$\alpha + \gamma = -\frac{1}{2}$$

$$\beta = \frac{1}{2}$$

$$-\left(-\frac{1}{2} - \gamma\right) - 3\left(\frac{1}{2}\right) + 2\gamma = 0$$

$$\frac{1}{2} + \gamma - \frac{3}{2} + 2\gamma = 0$$

$$3\gamma = 1$$

$$\gamma = \frac{1}{3}$$

$$\alpha = -\frac{1}{2} - \frac{1}{3} = \frac{3-2}{6} = \frac{-5}{6}$$

$$T \propto P^{-5/6} d^{1/2} E^{1/3}$$

**S43.** (3)

In 5 rotation distance moved = 5 mm
In 1 rotation distance moved = 1 mm = Pitch

$$LC = \frac{Pitch}{Total\ circular\ divisions} = \frac{1\ mm}{100}$$
 
$$LC = 0.01\ mm = 0.001\ cm$$

**S44.** (2)

Given, that 
$$y = \sqrt{3}x - \left(\frac{1}{2}\right)x^2...(i)$$

The above equation is similar to equation of trajectory of the projectiles  $y = t_{sys} t_{sy$ 

$$y = \tan \tan \theta x - \frac{1}{2} \frac{g}{u^2 \cos^2 \theta} x^2 \dots (2)$$

Comparing (1) & (2) we get

$$\tan \tan \theta = \sqrt{3} \Rightarrow \theta = 60^{\circ}$$
  
And  $\frac{1}{2} = (\frac{1}{2}) \frac{g}{2}$ 

And 
$$\frac{1}{2} = \left(\frac{1}{2}\right) \frac{g}{u^2 \theta}$$
  
 $\Rightarrow u^2 \theta = g \Rightarrow u^2 60^\circ = 10$ 

$$\Rightarrow u^2 \left(\frac{1}{4}\right) = 10 \Rightarrow u^2 = 40$$

$$\Rightarrow u = 2\sqrt{10}m/s.$$

**S45.** (1)

Given line have positive intercept but negative slope So its equation can be written as

$$v = -mx + v_0$$
 ...(i) [Where  $m = tan \ tan \ \theta = \frac{v_0}{x_0}$ ]

By differentiating with respect to time we get

$$\frac{dv}{dt} = -m\frac{dx}{dt} = -mv$$

Now substituting the value of v from eq.

(i) we get

$$\frac{dv}{dt} = -m[-mx + v_0] = m^2x - mv_0$$

$$\therefore a = m^2 x - m v_0$$

i.e the graph between a and x should have positive slope but negative intercept on a-axis

So, graph 1 is correct.

**S46.** (4)

4<sup>th</sup> ionization energy is very high means the element X has 3 valence electrons.

**S47.** (3)

Let total pressure be  $P_T$ 

Then, 
$$P_{H_2} = P_T x_{H_2}$$

Where, 
$$x_{H_2} = \frac{n_{H_2}}{n_{H_2} + n_{O_2}}$$
  
 $n_{H_2} = \frac{2g}{2g \ mol^{-1}} = 1 \ mol$   
 $n_{SO_2} = \frac{32g}{64g \ mol^{-1}} = \frac{1}{2} \ mol$   
 $\therefore x_{H_2} = \frac{1}{1 + \frac{1}{2}} = \frac{2}{3}$ 

 $P_{H_2} = \frac{2}{3} P_T$  i.t.,  $\left(\frac{2}{3}\right)$ rd of total pressure.

**S48.** (2)

Number of moles of  $H_2O(n) = \frac{weight}{M_w} = \frac{1.8}{18}$ = 0.1 mol

Number of molecules of  $H_2O = 0.1 N_A$   $\because 1 \text{ molecule of } H_2O \text{ contain} = 3 \text{ atoms}$   $\therefore 0.1 N_A \text{ molecules of}$  $H_2O \text{ contain} = 3 \times (0.1 N_A) = 0.3 N_A$ 

atoms

**S50.** (3)

Given:

$$\frac{(Vapour\ Density)_1}{(Vapour\ Density)_2} = \frac{1}{3}$$

We know,

Molecular Mass =  $2 \times \text{Vapour Density}$ 

$$\frac{\frac{(Mol \, mass)_1}{2}}{\frac{(Mol \, mass)_2}{2}} = \frac{1}{3}$$

 $\frac{\frac{(Molecular mass)_1}{2}}{\frac{(Molecular mass)_1}{(Molecular mass)_2}} = \frac{1}{3} \text{ or } 1:3$ 

**S51.** (3)

$$F^{\odot} > Na^{+} > Mg^{+2} > Al^{+3}$$
 [NCERT pg. 87]

**S52.** (3)

•	(3)			
	Element	X	Y	
	%	75.8%	24.2%	
	Atomic weight	24	16	
	% Atomic weight	$\frac{75.8}{24} = 3.1$	$\frac{24.2}{16}$ = 1.5	
	Simplest ratio	$\frac{3.1}{1.5} = 2.06$	$\frac{1.5}{15} = 1$	
	Ratio	2	1	

Empirical formula =  $X_2Y$ 

**S53.** (2)

IV period:

4s	3d	4P

Number of orbitals = 9

(One orbital occupy 3 electron)

then number of elements =  $9 \times 3 = 27$ 

**S54.** (4)

$$\mathbf{m} = \frac{1000 \cdot x_B}{x_A \cdot m_A} \{ m = molality; \ x_B =$$

mole fraction of solute;  $x_A =$ 

mole fraction of solvent }

$$x_A + x_B = 1$$

$$\therefore x_A = (1 - x_B)$$

$$x_A = (1 - x_B)$$

$$m = \frac{1000 \cdot x_B}{(1 - x_B)18}$$

Putting m = 3

 $M_A = 18$  because aqueous solution is present

$$3 = \frac{1000 \cdot x_B}{(1 - x_B)18} \Rightarrow 54(1 - x_B) = 1000 \ x_B$$
$$= 54 - 54 \ x_B = 1000 \ x_B$$

$$x_B = \frac{54}{1054} \Rightarrow x_B = 0.05$$

$$\therefore x_A = (1 - x_B) = (1 - 0.05) = 0.95$$

**S55.** 

$$C_4H_{10}(g) + \frac{13}{2}O_2(g) \rightarrow 4CO_2(g) + 5H_2O$$

1.12 L

Volume of H<sub>2</sub>O(g) at

$$STP = 5 \times 1.12 = 5.6L$$

Volume of CO<sub>2</sub>(g) at

$$STP = 4 \times 1.12 = 4.48L$$

**S56**. (3)

 $Br \rightarrow 4^{th} period$ 

S and Cl 
$$\rightarrow$$
 3<sup>rd</sup> period (S<sup>-2</sup> > Cl<sup>-1</sup>)

for isoelectronic species

$$N \rightarrow 2^{nd}$$
 period

**S57.** (3)

$$H_2(g) + \frac{1}{2}O_2(g) \rightarrow H_2O(g)$$

$$n = \frac{2}{2} = 1 \text{ mol } n = \frac{32}{32} = 1$$

So, hydrogen will be the limiting reagent

Moles of H<sub>2</sub>O(g) = 1 mol =  $\frac{V}{22.4}$ 

Volume of  $H_2O(g)$  at STP = 22.4 × 1

= 22.4 litre

S58. (4)

Molecules of  $CO_2$  left =  $2.8 \times 10^{-3} \times$ 

 $6.02 \times 10^{23} = 1.69 \times 10^{21}$  molecules

Initial molecules of  $CO_2$  = Number of  $CO_2$ molecules left + Number of  $CO_2$ 

molecules removed

$$= 1.69 \times 10^{21} + 10^{21}$$

$$= 2.69 \times 10^{21}$$
 molecules

Initial moles of  $CO_2 = \frac{2.69 \times 10^{21}}{6.02 \times 10^{23}}$ 

 $= 4.468 \times 10^{-3} \ mol$ 

Mass of  $CO_2$  = Mole × Molar mass

 $=4.468\times 10^{-3}\ mol\times 44\ g/mol$ 

= 0.196592 g = 196.6 mg

S59.

Number of 
$$e^-$$
 of CH<sub>4</sub> =  $\frac{1.6}{16} \times 10 \times N_A = N_A$ 

Number of  $e^-$  of  $H_2O = \frac{1.8}{1.8} \times 10 \times N_A = N_A$ 

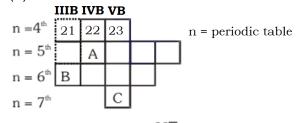
**S60.** (2)

$$v = 2.18 \times 10^6 \times \frac{z}{n}$$
  
For  $Li^{2+} z_1 = z_2 = 3$   
 $\left(\frac{v_3}{v_5}\right) Li^{2+} = \left(\frac{z_1}{z_2}\right) \times \frac{n_2}{n_1}$ 

**S61.** (4)

Lanthanide contraction is due to poor shielding of one of 4f electron by another in the sub-shell.

S62. (3)



$$A = 40, B = 57, C = 105$$

**S63.** (4)

A will be a non-metal as it will be in the right of the periodic table and B belongs to group I so, it's an alkali metal.

S64. (4)

> Screening effect observed is in multielectron system.

S65.

Higher the value of electronegativity difference, more polar is the bond.

S66.

Metalloids are those elements whose property lies between metal and nonmetals.

S67.

Due to presence of most penetrating one s-electron, hydrogen  $(1s^1)$  shows maximum IP out of list.

**S68.** (3)  $\frac{1}{\lambda} = RZ^2 \left[ \frac{1}{n_1^2} - \frac{1}{n_2^2} \right] = R \times 3^2 \left[ \frac{1}{3^2} - \frac{1}{\infty^2} \right]$  $\Rightarrow$  R or  $\lambda = 1/R$ 

S69.

For H-like particles, the radii of n<sup>th</sup> orbit is given by,  $r_n = \frac{a_0 n^2}{Z}$  where  $a_0 = 52.9$  pm; n =energy level and Z =atomic number For  $Li^+$  ion,  $(r_{Li^2+})_{n=4} - (r_{Li^2+})_{n=3} =$  $\frac{52.9 (16-9)}{3} = \Delta R_1$ For  $He^+$  ion,  $(r_{He^+})_{n=4} - (r_{He^+})_{n=3} =$  $\frac{52.9 (16-9)}{2} = \Delta R_2$  $\therefore \frac{\Delta R_1}{\Delta R_2} = \frac{2}{3} \text{ or } \Delta R_1 : \Delta R_2 = 2 : 3$ 

**S70.** (3)

Maximum number of electrons with same spin is equal to maximum number of orbitals, i.e., (2l + 1).

**S71.** (4)

$$r = 212.6 \text{ pm} = 2.12 \text{ Å}$$
  
 $r = 0.529 \times \frac{n^2}{Z} = 2.12 \text{ Å} \quad (Z = 1)$   
 $n^2 = \frac{2.12}{0.529} = 4$   
 $\therefore n^2 = 4 \implies n = 2$ 

In Balmer series, transition of electron occurs from higher orbitals to orbital of n = 2.

**S72.** (1)

By n + 1 rule

**S73.** (3)

Angular nodes = l;

Radial nodes = (n - l - 1)

Orbital	Angular nodes	Radial node
4 <i>f</i>	l = 3	4 - 3 - 1 = 0
4 <i>d</i>	l=2	4 - 2 - 1 = 1
5 <i>d</i>	l=2	5 - 2 - 1 = 2
3 <i>p</i>	l = 1	3 - 1 - 1 = 1

**S74.** (1)

Power to attract shared pair of electron so stable configuration does not affect electronegativity.

**S75.** (1)

For a metal to show photoelectric effect, the energy of photon should be higher than the work function of metal.

Given:  $\lambda = 400 \text{ nm}$ 

Energy of photon

$$E_p = \frac{1240}{\lambda (nm)} eV$$

$$E_p = \frac{1240}{400} = 3.1 eV$$

As the work function of Li, Na and K is lower than energy of photon thus, these will show photoelectric effect.

**S76.** (3)

Hund's Rule states that:

- (A) Every orbital in a sublevel is singly occupied before any orbital is doubly occupied.
- (B) All of the electrons in singly occupied orbitals have the same spin (to maximize total spin).

**S77.** (3)

$$\because \lambda = \frac{h}{\sqrt{2m \ K.E.}}$$

Therefore,  $\lambda \propto \frac{1}{\sqrt{K.E.}}$ 

 $K.E. \longrightarrow 4 K.E.$ 

Now, 
$$\lambda \propto \frac{1}{\sqrt{4 \ K.E.}}$$
  
So,  $\lambda \to \frac{1}{2}\lambda$   
Half times.

**S78.** (4)

Orbital angular momentum =  $\sqrt{l(l+1)} \frac{h}{2\pi}$ ; l = 1 for p-orbital

**S79.** (1)

For A, 
$$n = 3$$
,  $l = 2 \Rightarrow 3d$ 

For B, n = 5,  $l = 0 \implies 5s$ 

The energy of orbital 'B' is more than orbital 'A'

If two orbitals have the same (n+l), then the one with higher n will have higher energy.

**S80.** (4)

Left to Right electronegativity decreases.

**S81.** (2)

$$C_x H_y(g) + \left(x + \frac{y}{4}\right) O_2(g) \to xCO_2(g) + \frac{y}{2} H_2O(l)$$

$$x + \frac{y}{4} = 6$$

$$x = 4$$

x = 4y = 8

**S82.** (2)

Electronic configuration of

$$\mathbf{M} = [Ar] \ 3d^{10} \ 4s^2 \ 4p^3$$
$$\mathbf{M}^{+3} = [Ar] \ 3d^{10} \ 4s^2$$

**S83.** (2)

$$M = \frac{(\%w/w \times d \times 10)}{molar \ mass}$$

 $M \times molar \ mass = \%w/w \times d \times 10$ 

$$14 \times 63 = \%w/w \times 1.4 \times 10$$

%w/w = 63

**S84.** (2)

As %s character increases electronegativity increases

$$\begin{array}{cccc} CH \equiv CH & CH_2 = CH_2 & CH_3 - CH_3 \\ \downarrow & \downarrow & \downarrow \\ \mathrm{sp} & \mathrm{sp}^2 & \mathrm{sp}^3 \end{array}$$

**S85.** (2)

(L.R.)  $\frac{1}{3} \times 0.72$ = 0.24

4 mol A  $\rightarrow$  1 mol product  $\Rightarrow$  1 mol A makes 1/4 = 0.25 mol product 2 mol B  $\rightarrow$  1 mol product  $\Rightarrow$  0.6 mol B makes 0.6/2 = 0.3 mol product 3 mol C  $\rightarrow$  1 mol product  $\Rightarrow$  0.72 mol

C makes 0.72/3 = 0.24 mol product

C = 0.24 is present in smallest amount NCERT Pg.no 15 **S101.** (3) so, called limiting reagent. S86. Old NCERT Pg.no 04 (1)Due to increase in number of shall **S102.** (1) radius NCERT Pg.no 33 the group atomic **S103.** (1) increases. **S87**. NCERT Pg.no 18 (1)1 mol  $PH_3$  gives  $\frac{3}{2}$  mol  $H_2$ **S104.** (4) NCERT Pg.no 24 So, 100 mL  $PH_3$  gives  $\frac{3}{2} \times 100 = 150$  mL **S105.** (2) of  $H_2$ . NCERT Pg.no 23 Initial gas volume =  $100 \text{ mL} (PH_3)$ **S106.** (3) Final gas volume = 150 mL  $(H_2)$ NCERT Pg.no 18 Change in volume = 150 - 100**S107.** (4) = 50 *mL* increase NCERT Pg.no 13 **S88.** (2) **S108.** (2)  $EN \propto Zeff$ NCERT Pg.no 27 IP ∝ Zeff **S109.** (4)  $EA \propto Zeff$ NCERT Pg.no 18 S89. (4)**S110.** (1) Hint: (a) and (c) features are related to 1000·M  $m = \frac{1}{d \cdot 1000 - M \cdot M_1}$ mosses Where, NCERT Pg.no 30 m = molality (mol/kg)**S111.** (4) M = molarity (mol/L)XIth NCERT Pg. No. (44) d = density of solution (g/mL)**S112.** (2)  $M_1$  = molar mass of solute (g/mol) XIth Old NCERT (Animal Tissue) S90. **S113.** (2) n = 5 with l = 3 means 5f as it contains XIth NCERT Pg. No. (40) 14. **S114.** (1) **S91.** (4) XIth Old NCERT (Animal Tissue) NCERT Pg.no 04 **S115.** (1) **S92.** (4) XIth NCERT Pg. No. (82) NCERT Pg.no 15 **S116**. (2) S93. XIth NCERT Pg. No. (44) Hint: Statement P and S are correct **S117.** (3) NCERT Pg.no 07 XIth NCERT Pg. No. (82) **S94.** (4) **S118.** (1) NCERT Pg.no 14 XIth NCERT Pg. No. (49) **S95.** (4) **S119.** (3) NCERT Pg.no 06 XIth NCERT Pg. No. (46) **S96.** (3) **S120.** (2) NCERT Pg.no 17 & 18 XIth Old NCERT (Animal Tissue) **S97.** (4) **S121.** (2) NCERT Pg.no 07 XIth Mixed Animal kingdom **S98.** (3) **S122.** (3) NCERT Pg.no 14 XIth NCERT Pg. No. (47) **S99.** (1) **S123.** (2) **Hint:** Chl. d, Floridean starch, XIth Old NCERT (Animal tissue) oogamous reproduction, complex post **S124.** (3) fertilization development is associated XIth NCERT Pg. No. (50) with members of red algae **S125.** (4) NCERT Pg.no 27 & 28 XIth Old NCERT (Cockroach) **S100.** (2) **S126.** (3)

XIth NCERT Pg. No. (43) Refer to NCERT page no. 14 & 15 **S127.** (1) **S142.** (2) XIth Old NCERT (Animal Tissue) Ascocarp is a fruiting body in ascomycetes which is a diploid and **S128.** (2) multicellular structure and XIth Old NCERT (Cockroach) **S129.** (2) haploid ascospores. XIth NCERT Pg. No. (42) **S143.** (3) Refer to NCERT page no. 18 **S130.** (3) XIth Old NCERT (Animal Tissue) **S144.** (2) **S131.** (3) Pink mould is the common name for Animal Genera Neurospora, which belongs to class Wheat Triticum ascomycetes. Brinjal & Solanum ⇒ Four genera **S145.** (3) Potato Refer to NCERT page no. 32 Lion & **Panthera S146.** (3) Tiger Refer to NCERT page no. 24 & 27 Dog Canis **S147.** (2) **S132.** (4) Refer to NCERT page no. 13 Orders have less similarities than **S148.** (2) family, genus and species Refer to NCERT page no. 17 **S133.** (4) **S149.** (4) Animal Order Refer to NCERT page no. 15 & 16, Fig. Lion Carnivora 2.4 Man - Primata **S150.** (1) Housefly Diptera Refer to NCERT page no. 26 **S151.** (2) **S134.** (2) Refer to NCERT page no. 15 Potato and Brinjal are a group of related **S152.** (3) species. Refer to NCERT page no. 14 **S135.** (2) **S153.** (4) Biological names originate from the Refer to NCERT page no. 24 & 28 Latin language and are printed in **S154.** (3) italics. Refer to NCERT page no. 29 **S136.** (1) **S155.** (4) The anthropocentric view focused Refer to NCERT page no. 21 mainly on how organisms served **S156.** (2) human needs, ignoring the broader Refer to NCERT page no. 21 study of biodiversity. This limited the **S157.** (3) growth of biological knowledge. Hence, Refer to NCERT page no. 30 & 32 the reason correctly explains the **S158.** (4) assertion. Refer to NCERT page no. 27 **S137.** (1) **S159.** (3) In Linnaeus two kingdom classification, NCERT Page No. 47 all photosynthetic organisms come in **S160.** (2)

Kingdom plantae.

**S138.** (4)

Refer to NCERT page no.18

**S139.** (3)

Liverworts linked the are to substratum by unicellular rhizoids.

Refer to NCERT page no. 26

**S141.** (2)

NCERT Page No. 4

**S161.** (2)

**S162.** (4)

**S163.** (1)

NCERT Page No. 49

NCERT Page No. 38

Old NCERT

Hemichordates have a rudimentary structure in the collar region called stomochord, a structure similar to notochord.

**S164.** (1)

NCERT Mixed Chapter

**S165.** (3)

Old NCERT

**S166.** (3)

Old NCERT

**S167.** (1)

NCERT Page No. 41

**S168.** (4)

NCERT Page No. 49 Calotes -Garden lizard.

**S169.** (1)

NCERT Page No. 50

The unique features of mammals are the presence of mammary glands and hairs on the skin.

**S170.** (1)

Old NCERT

**S171.** (3)

NCERT Page No. 42

**S172.** (3)

NCERT: Phylum Hemichordata and Chordata

**S173.** (1)

NCERT Page No. 43

They are bilaterally symmetrical, triploblastic and pseudocoelomate animals

**S174.** (3)

NCERT Page No. 40-51

**S175.** (1)

NCERT Page No. 39

**S176.** (4)

NCERT Page No. 46. All given statements are correct.

**S177.** (2)

NCERT Page No. 83 & 84

**S178.** (4)

Old NCERT

In females, the 7th sternum is boat shaped and together with the 8th and 9th sterna forms a brood or genital pouch whose anterior part contains female gonopore, spermathecal pores and collateral glands.

**S179.** (3)

Old NCERT

The entire body is covered by a hard chitinous exoskeleton.

**S180.** (2)

Old NCERT