

(Regulation:R20)

**Department of Computer Science Engineering(AIML)** 

Sub. Code & Title (R20CSE2201) Discrete Mathematics

Academic Year: 2021-22 Year/Sem. II/I

Faculty Name & Designation | R. Mahendar, ASSISTANT PROFESSOR

(Regulation :R20)

Prepared on: 28.9.2021 Rev1:

# **OUESTION BANK WITH BLOOMS TAXONOMY LEVEL (BTL)**

(1. Remembering 2. Understanding 3. Applying 4. Analyzing 5. Evaluating 6. Creating)

	UNIT-1: Introduction		
	1 MARKS QUESTIONS	BT Level	Course Outcome
1.	Define a Proposition. June-2018	2	CO1
2.	Prove the DeMorgan law:~ $(p^q) \iff (\sim p \ V \sim q)$ . Nov-2019	1	CO1
3.	Write about the Conditional Statement. July-2021	1	CO1
4	Define Disjunction. Jan-2016	2	CO1
5	Define Biconditional Statement. Dec-22019	1	CO1
6	List two logical connectives. July-2021	1	CO2
7	What is Converse Statement?. May-2020	3	CO2
8	Write about the Contrapositive Statement. April-2020	3	CO2
9	What are Rules of inference?. Mar-2020	1	CO2
10	Prove that ,for any propositions $p$ , $q$ , $r$ , the compound $[(p \rightarrow q)^{\wedge}(q \rightarrow r)] \rightarrow (p \rightarrow r)$ whether it is a <b>tautology</b> or not . Sep-2021	6	CO2
	10 MARKS QUESTIONS		
1.	State the Laws of Logic.	1	CO1
2.	State and explain the rules for modus pones and modus tollens in rules of inference.  Nov-2018	4	CO2
3.	Draw the truth table for Conditional statement. Aug-2021	4	CO1
4.	Explain logically equivalent statement. May-2021	2	CO1
5.	Draw the truth table for Conjunction and explain with an example. May-2020	1	CO1,CO
6.	a. Draw the truth table for Contrapositive and explain with an example.	1	CO1
	b. Define Tautology. Draw the truth table for tautology. Sep-2019		



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7.	Define and explain Consistency and inconsistency of the premises? April-2018	2	CO2
8	Show that R v S follows logically from the premises C v D, ( C v D ) $\rightarrow$ ~H, ~H $\rightarrow$ ( A ^ ~B ) and ( A ^ ~B) $\rightarrow$ R v S.	3	CO1,CO2
9	a. Test whether the following argument is valid:  July-2019  If I drive to work, then I will arrive tired.	3	CO2
	Iam not tired (when I arrive at work)  ∴ I do not drive to work  b. Test whether the following argument is valid:  If a person is poor, he is unhappy.  If a person is unhappy, he dies young.  ∴ Poor persons die young.		
10	a) Prove that the premises $p \rightarrow r$ , $q \rightarrow r$ , $(p \lor q) \rightarrow r$ are consistent. Sep-2021 b) Prove that $[(p \lor q) \land \sim \{\sim p \land (\sim q \lor \sim r)\}] \lor (\sim p \land \sim q) \lor (\sim p \land \sim r)$ is a tautology.	6	CO1,CO2

Unit -II:				
	1 MARKS QUESTIONS	BT Level	Course Outcome	
1.	What is Binary relation? June-2018	2	CO3	
2.	Define Equivalence relation. Sep-2019	1	CO3	
3.	Define Compatibility relation. Mar-2020	1	CO3	
4	Write Partial ordering relation? July-2021	6	CO3	
5	Define Inverse Function. May-2018	1	CO3	
6	Define Recursive Function. June-2018	1	CO3	
7	Define Function. Aug-2021	1	CO3	
8	Defend countable set and uncountable set.	1	CO3	
9	Define recursive definition. Sep-2019		CO3	
10	Write the principle of mathematical induction. Mar-2018	3	CO3	
	10 MARKS QUESTIONS	I		



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1	T at $A = (1.2.2.4.5.6.12)$ . On A define the relation P by aPb if and only if a divides b	6	CO3
1	Let A= {1,2,3,4,5,6,12}. On A, define the relation R by aRb if and only if a divides b,	U	003
	prove that R is a partial order on A. Draw the Hasse diagram for this relation. Aug-2021		
2.	Explain the properties of Binary relations. Mar-2019	2	CO3
3.	Explain the properties of Equivalence relation with example. Aug-2021	2	CO3
4.	Define and explain Hasse diagram pictorially with an example. Aug-2021	1	CO3
5.	Explain the properties of Partial ordering relation and give two examples. May-2019	2	CO3
6.	Explain Compatibility relation with example. Aug-2018	2	CO3
7.	Let $A = \{1, 2, 3, 4\}$ and let R be the relation on A defined by xRy if and only if "x divides y",	6	CO3
	written X   y. i) Write down R as a set of ordered pairs. Nov-2019		
	ii) Draw the diagraph of R. iii)determine in-degree and out-degrees of the each vertex.		
0	$C_{-}$ $C_{-$	1	CO2
8	Consider the following relations on the set $A = \{1,2,3\}$	1	CO3
	$R1 = \{ (1,1), (1,2), (1,3), (3,3) \} \qquad R2 = \{ (1,1), (1,2), (2,1), (2,2), (3,3) \}$		
	and R3 = { $(1,1), (1,2), (2,2), (2,3)$ }. Aug-2021		
	Which of these are i) reflexive, ii) symmetric, iii)		
	transitive, iv) antisymmetric?		
9	Let $A = \{ \{1, 2, 3, 4\}, \text{ and } R = \{ (1,1), (1,2), (2,1), (2,2), (3,1), (3,3), (1,3), (4,1), (4,$	4	CO3
	(1,2,5,1), and (1,1), (1,2), (2,1), (2,1), (3,1), (4,1), (	'	003
	, . , , co a remain carra as rean equivalence remains. rang 2021, roy 2020		
10	3. Let $A = \{1,2,3,4,5,6\}$ and $B = \{6,7,8,9,10\}$ . If a function f:A->B is defined by $f = \{(1,7), (2,1)\}$ .	3	CO3
	$(7, 7), (3, 8), (4, 6), (5, 9), (6, 9)$ determine $f^{-1}(6)$ and $f^{-1}(9)$ . If $B_1 = \{7, 8\}$ and $B_2 = \{7, 8\}$		
	$\{8,9,10\}, f^{-1}(B_1) \text{ and } f^{-1}(B_2). $ <b>June-2020</b>		

Unit -111:			
	1 MARKS QUESTIONS	BT Level	Course Outcome
1.	Describe an algorithm for finding the maximum (largest) value in a finite sequence of integers. <b>June-2020</b>	1	CO4
2.	To search for 19 in the list	6	CO4
3.	Use the bubble sort to put 3, 2, 4, 1, 5 into increasing order.	1	CO4
4	Use the insertion sort to put the elements of the list 3, 2, 4, 1, 5 in increasing order.  Dec-2018	6	CO4
5	Show that $f(x) = x^2 + 2x + 1$ is $O(x^2)$ . <b>Jan-2017</b>	2	CO4
6	How can big-O notation be used to estimate the sum of the first n positive integers? <b>Nov-2019</b>	1	CO4

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Suppose that $f1(x)$ and $f2(x)$ are both $O(g(x))$ . Then $(f1 + f2)(x)$ is $O(g(x))$ . Jun-2020	2	CO4
8 Show that $3x^2 + 8x \log x$ is $(x^2)$ . May-2019	1	CO4
Show that if n is a positive integer, then $1 + 2 + \cdots + n = n(n + 1)/2$ . Aug-2021	5	CO4
Conjecture a formula for the sum of the first n positive odd integers. Then prove your conjecture using mathematical induction. <b>Nov-2019</b>	1	CO4
PART-B	,	
10 MARK QUESTIONS		
1. List all the steps used to search for 9 in the sequence 1, 3, 4, 5, 6, 8, 9, 11 using a) a linear search. b) a binary search. Mar-2020	5	CO4
2 Use the bubble sort to sort d, f, k, m, a, b, showing the lists obtained at each step. June-2020	1	CO4
3. Sort these lists using the selection sort. a) 3, 5, 4, 1, 2 b) 5, 4, 3, 2, 1 c) 1, 2, 3, 4, 5. June-2018	6	CO4
<ul> <li>a. Show all the steps used by the binary insertion sort to sort the list 3, 2, 4, 5, 1, 6.</li> <li>b. Compare the number of comparisons used by the insertion sort and the binary insertion sort to sort the list 7, 4,3, 8, 1, 5, 4, 2. Dec-2019</li> </ul>	3	CO4
5. Give big-O estimates for the factorial function an-d the logarithm of the factorial function, where the factorial function $f(n) = n!$ is defined Nov-2020	3	CO4
6 Give a big-O estimate for $f(x) = (x + 1) \log(x^2 + 1) + 3x^2$ . May-2019	5	CO4
7. Use mathematical induction to show that $1 + 2 + 22 + \cdots + 2n = 2n+1 - 1$ for all nonnegative integers n. June-2018	5	CO4
8. Suppose that f is defined recursively by $f(0) = 3$ , $f(n+1) = 2f(n) + 3$ . Find $f(1)$ , $f(2)$ , $f(3)$ , and $f(4)$ . Jan-2021	3	CO4
9. Give a recursive definition of an, where a is a nonzero real number and n is a nonnegative integer. Dec-2018	4	CO4
10. Show that whenever $n \ge 3$ , fn> $\alpha$ n-2, where $\alpha = (1 + \sqrt{5})/2$ . June-2019	3	CO4



(Regulation:R20)

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Prepared on : 28.9.2021
Rev1:

Sub. Code & Title (R2oCSE2201) Discrete Mathematics

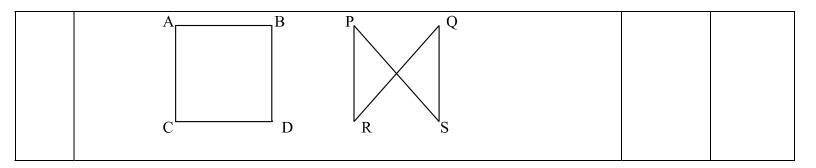
Academic Year: 2021-22 Year/Sem. Academic Year: 2021-22

Faculty Name & Designation | R. Mahendar, ASSISTANT PROFESSOR

	Unit-IV:		
	BT Level	Course Outcome	
1.	What is the solution of the recurrence relation $an = 6an - 1 - 9an - 2$ with $a0 = 1, 1 = 6$ . June-2018	5	CO5
2.	Find the recurrence relation of the sequence $(n) = an, \ge 1$ . Nov-2019	1	CO5
3.	Find the number of non-negative integer solutions of the equation $1 + x^2 + x^3 = 11$ . <b>July-2021</b>	6	CO5
4	Determine whether the sequence $\{an\}$ is a solution of the recurrence relation $an = 2an-1 - an-2$ , $n=2, 3, 4,$ where $an = 3n$ for every non negative integer $n$ . May-2021	5	CO5
5	What is the solution of the recurrence relation $an = 6an - 1 - 9an - 2$ with $a0 = 1, 1 = 6$ . <b>April-2020</b>	5	CO5
6	Use mathematical induction to show that $n! \ge 2n+1$ , = 1,2,3, Mar-2020	2	CO5
7	Use mathematical induction to show that $1 + 2 + 3 + \cdots + n = (n+1) 2$ . Sep-2021	2	CO5
8	State the principle of strong induction. Aug-2019	1	CO5
9	Find the recurrence relation for the Fibonacci sequence. May-2018	1	CO5
1.	Using induction principles prove that $n3 + 2n$ is divisible by 3. Sep-2021	3	CO5
2.	Prove by mathematical induction that $12 + 22 + 32 + \cdots + n2 = (n + 1)(2n + 1)$ 6. <b>July-2019</b>	1	CO5
3.	Let m be any odd positive integer. Then prove that there exist a positive integer n such that m divides $2n-1$ . April-2018	1	CO5
4.	Solve the recurrence relation $an = -3an - 1 - 3an - 2 - an - 3$ with $a0 = 5, 1 = -9$ and $a2 = 15$ . Sep-2019	3	CO5
5.	Find the solution to the recurrence relation $an = 6an - 1 - 11an - 2 + 6an - 3$ with initial conditions $a0 = 2, 1 = 5$ and $a2 = 15$ . May-2020	1	CO5
6.	Solve the recurrence relation $an+1-an=3n2-n$ , $n \ge 0$ , $a0=3$ . May-2021	1	CO5
7.	Use the method of generating function to solve the recurrence relation $an = 4an - 1 - 4an - 2 + 4n$ ; $n \ge 2$ giventhata $0 = 2$ and $a1 = 8$ . Aug-2021	3	CO5
8.	Solve the recurrence relation $= 3an-1+2$ , $n \ge 1$ , with $a0 = 1$ by the method of generating function. Sep-2021	5	CO5

	Unit-V		
	1 MARKS QUESTIONS	BT Level	Course Outcome
l.	<ol> <li>Define a Graph.</li> <li>Define a Sub graph with examples. June-2018</li> </ol>	2	C O 5
2.	Define a Digraph.Sep-2019	2	CO5
3.	Define a Cycle graph. July-2021	2	CO5
4	Define planar graphs. May-2018	1	CO5
5	What are the various types of graph? Aug-2021	1	CO5
5	Define a Bipartite and complete bipartite graph with one example. Sep-2019	3	CO5
7	What is connected graph and disconnected graph? Mar-2018	4	CO5
3	What is a Spanning tree? Mar-2020	1	CO5
7	a. Define a Sub graph with examples. Aug-2021	1	CO5
0	<ul><li>a. Define graph Isomorphism. May-2018</li><li>b. Distinguish betweenEuler path and Euler circuit?</li></ul>	5	CO5
	10 MARKS QUESTIONS		
	a) Explain about Kruskal's algorithm. b) Find the minimal spanning tree by using Kruskal's algorithm for the following given graph.  Mar-2019  e 11 a 7 8 2 9 c	6	CO5
,	What is a planar graph? Mention the properties of a planar graph. June-2020	4	CO5
	<ul> <li>a. Explain about Prim's algorithm. Dec-2019</li> <li>b. Find the minimal spanning tree by using prim's algorithm for the following given graph.</li> </ul>	6	CO5

	a $\frac{3}{1}$ $\frac{1}{4}$ $\frac{1}{2}$ $$		
4.	a) Explain DFS algorithm. b) Apply a BFS algorithm to find a spanning tree. Aug-2021  V1 V4 V6  V2 V3 V5	3	CO5
5.	a. write all the steps of BFS algorithm. What is a weighted graph? Aug-2021	2	CO5
6.	<ul> <li>a) Draw a complete binary tree with 19 vertices.</li> <li>b) A complete binary tree has 25 leaves. How many vertices does it have? Jan-2017</li> </ul>	6	CO5
7.	a) Explain BFS algorithm. b) Apply a DFS algorithm to find a spanning tree. Dec-2020  V1 V4 V6  V2 V3 V5	3	CO5
8.	Show that the maximum number of edges in a complete biparticle graph with 'n' vertices is n2/4. Aug-2019	6	CO5
9.	Find an Eulerian cycle in the graph. May-2020 $V_5 = \begin{bmatrix} E_4 & V_3 \\ E_5 & V_1 \end{bmatrix}$ $V_1 = \begin{bmatrix} E_1 & V_2 \end{bmatrix}$	6	CO5
10.	a) Explain about Isomorphism. b) Show that following graphs are Isomorphic or not. May-2020, July-2021	6	C O5



# **Model Paper-1**

BR-20

Subject Code:(R20CSE2201)

# SRI INDU COLLEGE OF ENGINEERING & TECHNOLOGY

(An Autonomous Institution under UGC, New Delhi) Recognized under 2(f) and 12(B) of UGC Act 1956

# II B.Tech - I Semester - End Examinations (Regular) May - 2021 Discrete mathematics

Computer Science and Engineering(AI&ML)

**Duration:3Hrs** 

Section - A

Answer All the following questions

Marks: 5Qx4M = 20M

- 1. Construct the truth table for the compound proposition  $(p \rightarrow q) \leftrightarrow (\neg p \rightarrow \neg q)$ .
- 2. Construct the truth table for the compound proposition( $p \rightarrow q$ )  $\rightarrow$  ( $q \rightarrow p$ ).
- 3. When do you say that two compound propositions are equivalent
- 4. Let  $A = \{1,2,3,4,5,6,12\}$ . On A, define the relation R by aRb if and only if a divides b, prove that R is a partial order on A. Draw the Hasse diagram for this relation.
- 5. Define and explain Hasse diagram pictorially with an example

# Answer any FIVE questions choosing at least one from each Unit

Marks: 5Ox10M = 50M

Max Marks: 70M

UNIT - I

6. a).Prove that  $((p \lor q) \land \neg (\neg p \land (\neg q \lor \neg r))) \lor (\neg p \land \neg q) \lor (\neg p \land \neg r)$  is atautology b). Show that  $(\neg P \land (\neg Q \land R)) \lor (Q \land R) \lor (P \land R) \Leftrightarrow R$  without using truttable.

(OR)

- 7. a)  $\forall x (P(x) \rightarrow \neg Q(x))$  follows from the premises  $\exists x (P(x) \land Q(x)) \rightarrow \forall y (R(y) \rightarrow S(y))$  and  $\exists y (R(y) \land \neg S(y))$ 
  - **b)** Prove that  $\sqrt{2}$  is irrational by giving a proof by contradiction.

UNIT - II

8. a) Consider the following relations on the set  $A = \{1,2,3\}$ 

 $R1 = \{ (1,1), (1,2), (1,3), (3,3) \} \qquad R2 = \{ (1,1), (1,2), (2,1), (2,2), (3,3) \}$ 

- and  $R3 = \{ (1,1), (1,2), (2,2), (2,3) \}$ . Which of these are i) reflexive, ii) symmetric, iii) transitive, iv) antisymmetric?
- b) Let  $A = \{ \{1, 2, 3, 4\}, \text{ and } R = \{ (1,1), (1,2), (2,1), (2,2), (3,1), (3,3), (1,3), (4,1), (4,4) \}$  be a relation on A. Is R an equivalence relation?(.

(OR)

- 9. a) Let  $S=\{1,2,3\}$  and p(s), the power set of S. on p(s), define the relation R by XRY if and only if X  $\subseteq$  Y. show that this relation is a partial order on P(s). Draw its Hasse diagram.
  - b) Let  $A = \{1,2,3,4,5,6\}$  and  $B = \{6,7,8,9,10\}$ . If a function f:A->B is defined by  $f= \{(1,7),(2,7),(3,8),(4,6),(5,9),(6,9)\}$  determine  $f^1(6)$  and  $f^1(9)$ . If  $B_1 = \{7,8\}$  and  $B_2 = \{8,9,10\}$ ,  $f^1(B_1)$  and  $f^1(B_2)$ .

**D4** 

- 10. a) To search for 19 in the list
  - 1 2 3 5 6 7 8 10 12 13 15 16 18 19 20 22, The Binary Search Algorithm.
  - b) Use the insertion sort to put the elements of the list 3, 2, 4, 1, 5 in increasing order.

# (OR)

- 11. a) Sort these lists using the selection sort.( Creating)
  - 1) 3, 5, 4, 1, 2
  - 2) 5, 4, 3, 2, 1
  - 3) 1, 2, 3, 4, 5.
  - b). Suppose that f is defined recursively by f(0) = 3,

$$f(n+1) = 2f(n) + 3$$
.

Find f(1), f(2), f(3), and f(4).

# **UNIT-IV**

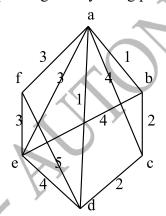
- 12.a) Using induction principles prove that n3 + 2n is divisible by 3
  - b) Solve the recurrence relation an = -3an 1 3an 2 an 3 with a0 = 5, a1 = -9 and a2 = 15.

#### (OR)

- 13.a)Use the method of generating function to solve the recurrence relation an = 4an-1 4an-2 + 4n;  $n \ge 2$  giventhat an = 2 and an = 8.
  - b) Find all solutions of the recurrence relation  $an 2an 1 = 2n2, \ge 1, a1 = 4...$

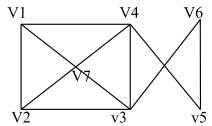
### UNIT - V

- 14. a) Explain about Prim's algorithm.
  - b). Find the minimal spanning tree by using prim's algorithm for the following given graph.



(OR)

- 15. a) Explain BFS algorithm(understanding)
  - b) Apply a DFS algorithm to find a spanning tree.



#### **BR-20**

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# II B. Tech - I Semester - End Examinations (Regular/Suppl.) May - 2021 Discrete Mathematics

Computer Science and Engineering(AI&ML)

**Duration:3Hrs** 

Max Marks:70M

Marks: 50x4M = 20M

#### Section – A

# Answer All the following questions

- 1. Write the negation of the statement  $(\exists x)(\forall y)P(x, y)$ ..
- 2. Give an indirect proof of the theorem "If 3n + 2 is odd, then n is odd...
- 3. Use mathematical induction to show that  $1 + 2 + 3 + \cdots + n = n(n+1)/2$ .
- 4. Define complete graph and draw K5.
- 5. Suppose that f is defined recursively by f(0) = 3, f(n + 1) = 2f(n) + 3.

Find f(1), f(2), f(3), and f(4).

#### Section - B

# Answer any FIVE questions choosing at least one from each Unit

Marks: 5Qx10M = 50M

i) AxB ii) Number

#### UNIT - I

- 6. a) When do you say that two compound propositions are Equivalent?
  - b) Without using truth table show that  $p \to (q \to p) \Leftrightarrow \neg p \to (p \to q)$ .

(OR)

- 7. a) Prove that  $((p \lor q) \land \neg (\neg p \land (\neg q \lor \neg r))) \lor (\neg p \land \neg q) \lor (\neg p \land \neg r)$  is a tautology.
  - b) Without constructing the truth tables, obtain the principle disjunctive normal form of  $(\neg p \rightarrow r) \land (q \leftrightarrow r)$ ?

# **UNIT - II**

- 8. a) Let  $A = \{1, 2\}$  and  $B = \{p, q, r, s\}$  and let the relation R from A to B be defined by  $R = \{(1,q), (1,r), (2,p), (2,q), (2,s)\}$ . Write down the matrix of R.
  - **b)** Let  $A = \{ \{1, 2, 3, 4\}, \text{ and } R = \{ (1,1), (1,2), (2,1), (2,2), (3,1), (3,3), (1,3), (4,1), (4,4) \}$  be a relation on A. Is R an equivalence relation?

(OR)

- 9. a) Let a={1, 2, 3} and b= {2, 4, 5}. Determine the following: of relations from A to B iii) Number of binary relations on A
  - b) Explain the properties of Binary relations.

- 10. a) Show that whenever  $n \ge 3$ , fn>  $\alpha$ n-2, where  $\alpha = (1 + \sqrt{5})/2$ .
  - b)Use the bubble sort to sort d, f, k, m, a, b, showing the lists obtained at each step

UNIT - III

# (OR)

- 11. a)Show all the steps used by the binary insertion sort to sort the list 3, 2, 4, 5, 1, 6.( Applying)
  - b)Compare the number of comparisons used by the insertion sort and the binary insertion sort to sort the list 7, 4,3, 8, 1, 5, 4, 2

### **UNIT-IV**

12. a) Determine whether the sequence  $\{an\}$  is a solution of the recurrence relation an = 2an - 1 - an - 2, n = 2, 3, 4, ... where an = 3n for every non negative integer n. b). Find the recurrence relation for the Fibonacci sequence.

#### (OR)

- 13. a) Using induction principles prove that n3 + 2n is divisible by 3.
  - b) Prove by mathematical induction that  $12 + 22 + 32 + \cdots + n2 = (n+1)(2n+1)$  6.

#### **UNIT-V**

- 14. a) How many edges are there in a graph with 10 vertices each of degree 6?.
  - b) Define isomorphism of directed graph?

#### (OR)

- 15. a) Let m be any odd positive integer. Then prove that there exist a positive integer n such that m divides 2n-1.
  - b) For which values of n do the graphs Kn and Cnhave an Euler path but no Euler circuit??

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# Mid-1 Model Paper

## **BR-20**

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Computer Science and Engineering(AI&ML)

Duration:90 Min Max Marks:25M

#### Section - A

#### Answer All the following questions

- 1 .Define a Proposition
- 2. Write about the Contra positive Statement
- 3. Define Equivalence relation
- 4. Define Function
- 5. Describe an algorithm for finding the maximum (largest) value in a finite sequence of integers

#### Section - B

# Answer any FIVE questions choosing at least one from each Unit

Marks: 6Qx5M = 20M

Marks: 50x1M = 5M

- 1. Draw the truth table for Contra positive and explain with an example.
- 2. Is  $\neg p \land (p \lor q)) \rightarrow q$  a tautology
- 3. Let A= {1,2,3,4,5,6,12}. On A, define the relation R by aRb if and only if a divides b, prove that R is a partial order on A. Draw the Hasse diagram for this relation
- 4. Consider the following relations on the set  $A = \{1,2,3\}$

$$R1 = \{ (1,1), (1,2), (1,3), (3,3) \}$$
  $R2 = \{ (1,1), (1,2), (2,1), (2,2), (3,3) \}$  and  $R3 = \{ (1,1), (1,2), (2,2), (2,3) \}$ .

Which of these are i) reflexive, ii) symmetric, iii) transitive, iv) anti symmetric?

- 5. Show that if n is a positive integer, then  $1 + 2 + \cdots + n = n(n+1)/2$
- 6. Sort these lists using the selection sort.( Creating)
  - a) 3, 5, 4, 1, 2
  - b) 5, 4, 3, 2, 1
  - c) 1, 2, 3, 4, 5

# Mid-2 Model Paper

#### **BR-20**

Subject Code: (R20CSE2201)

# SRI INDU COLLEGE OF ENGINEERING & TECHNOLOGY

(An Autonomous Institution under UGC, New Delhi) Recognized under 2(f) and 12(B) of UGC Act 1956

# II B. Tech - I Semester —End Examinations (Regular/Suppl.) May - 2021 Discrete Mathematics

**Computer Science and Engineering(AI&ML)** 

Duration:90 Min

#### Section - A

# Answer All the following questions

- 1. What are Rules of inference?
- 2. Write about the Contra positive Statement
- 3. Define Inverse Function
- 4. Define recursive definition
- 5. How can big-O notation be used to estimate the sum of the first n positive integers

#### Section - B

# Answer any **FIVE** questions choosing at least one from each Unit

Marks: 6Qx5M = 20M

Max Marks: 25M

Marks: 50x1M = 5M

- 6. Show that  $(p \to (q \to r)) \to ((p \to q) \to (p \to r))$  is a tautology.
- 7. Without using truth table show that  $\rightarrow (q \rightarrow p) \Leftrightarrow \neg p \rightarrow (p \rightarrow q)$ .
- 8. Let  $A = \{1,2,3,4,5,6\}$  and  $B = \{6,7,8,9,10\}$ . If a function f:A->B is defined by  $f= \{(1\ ,7\ ), (2\ ,7\ ), (3\ ,8\ ), (4\ ,6\ ), (5\ ,9\ ), (6\ ,9\ )\}$  determine  $f^1(6)$  and  $f^1(9)$ . If  $B_1 = \{7,8\ \}$  and  $B_2 = \{8,9,10\}$ ,  $f^1(B_1)$  and  $f^1(B_2)$ .
- 9. Let  $A = \{ \{1, 2, 3, 4\}, \text{ and } R = \{ (1,1), (1,2), (2,1), (2,2), (3,1), (3,3), (1,3), (4,1), (4,4) \}$  be a relation on A. Is R an equivalence relation?
- 10. Use the bubble sort to put 3, 2, 4, 1, 5 into increasing order.
- 11. Suppose that f is defined recursively by f(0) = 3, f(n + 1) = 2f(n) + 3. Find f(1), f(2), f(3), and f(4).