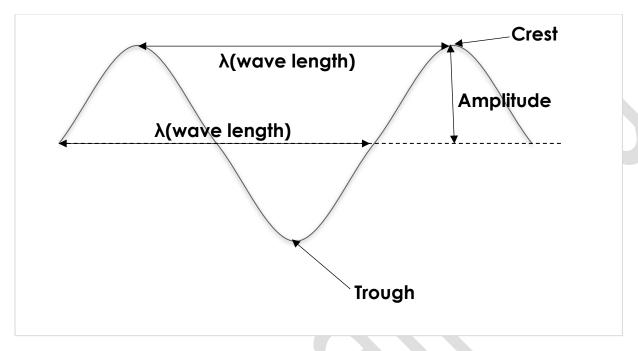
Mechanical Waves

• Wave motion



The relation between Speed, Frequency and Wave length in Waves.

$$V = f\lambda$$

• Classification of waves

- Mainly we talk about Transverse waves and Longitudinal waves.
 - 1. Transverse Waves
- In transverse waves, particles in the medium vibrates perpendicular to the direction of wave.

Eg: Electromagnetic waves

- 2. Longitudinal Waves
- ➤ Briefly... A wave that travels because of vibrating the particles in the medium **parallelly** to its direction.

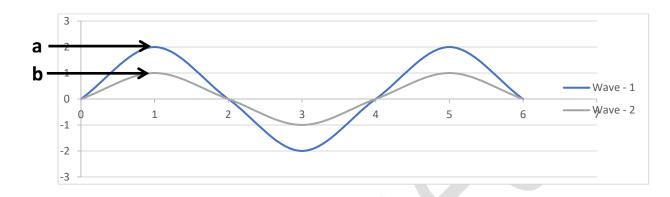
Eg: Sound waves

• Properties of waves

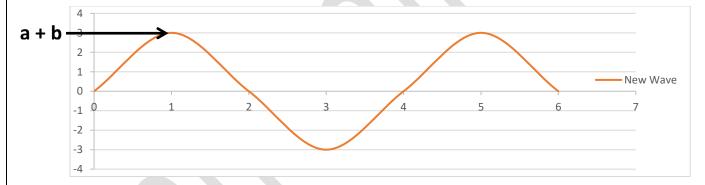
- ➤ **Reflection** If a wave changes its direction back to the same medium when it meets a surface, we can say the wave was reflected.
- ➤ **Refraction** If a wave changes its and enter the next medium, then we can say "the wave Refracted".
- ➤ **Diffraction** When a wave passes an edge or an aperture, the wave will be spread. This is called as Diffraction.
- Wave Interference This happens when 2 waves meet in the same medium. This could happen in 2 main ways.

1. Constructive Interference

➤ When 2 waves have the displacements of same direction wave amplitude will be amplified.

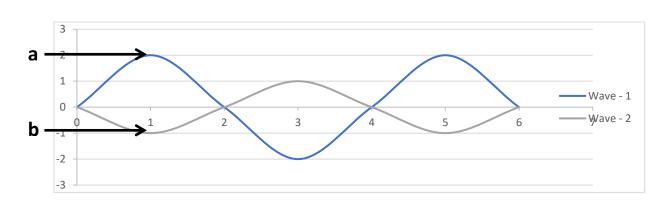




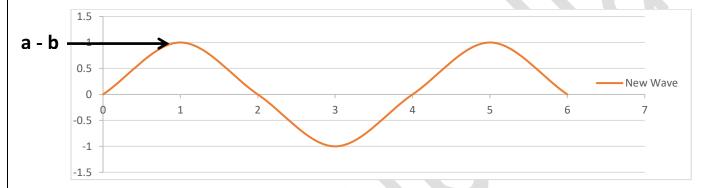


2. <u>Destructive Interference</u>

➤ When 2 waves have the displacements of opposite direction, wave amplitudes will be reduced.

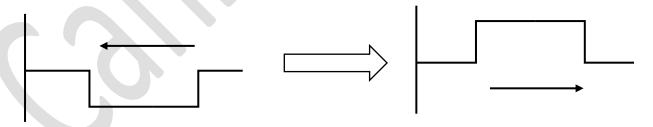




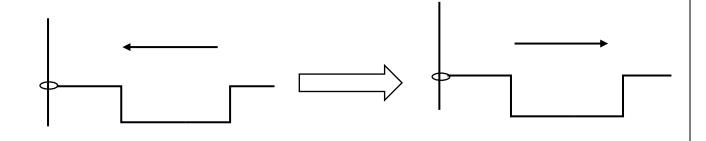


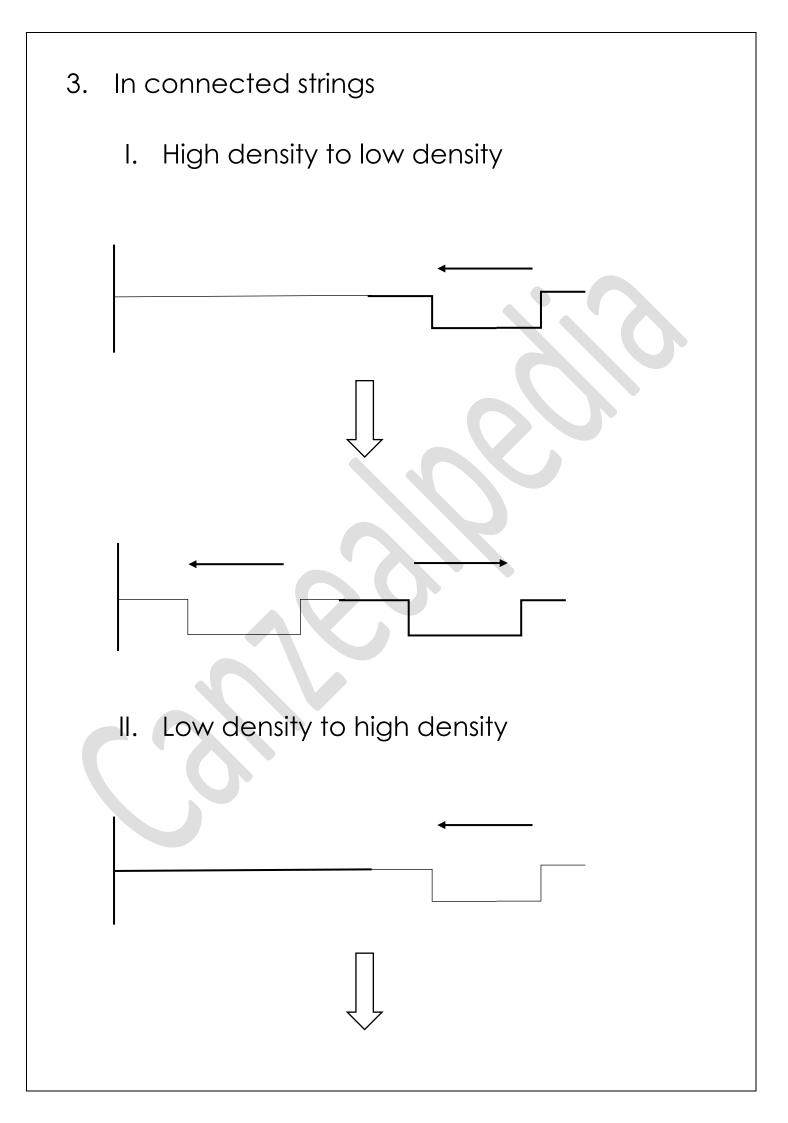
• Reflections of waves

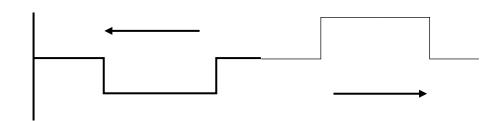
1. In a fixed end.



2. In a free end.



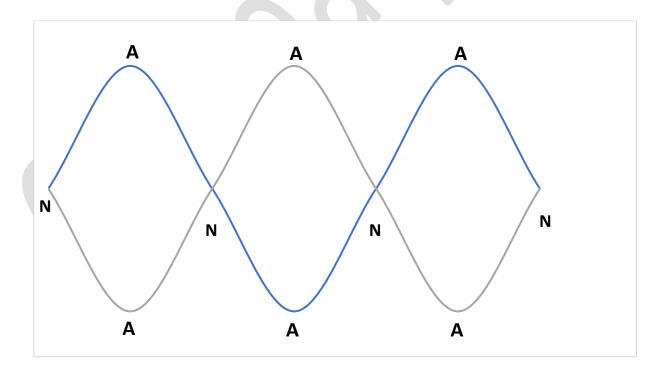




Standing Waves (Stationary waves)

Standing waves generates when 2 same waves (same amplitude, same frequency) travel opposite directions in a same medium.

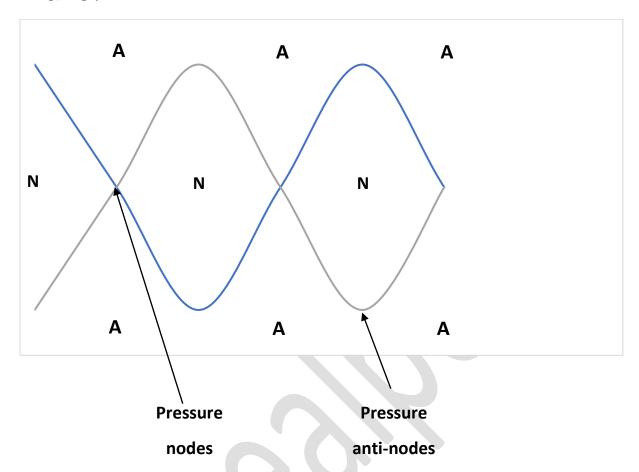
However, the amplitude will not move.



N = Nodes

A = Anti-nodes

➤ How pressure changes when there is a standing wave.



(Use N and A to imagine how the standing wave was)

• Vibrations in strings, rods and tubes

Speed of a transverse wave in a string

$$\mathbf{v} = \sqrt{\frac{Tl}{m}}$$

T = Tension of the string

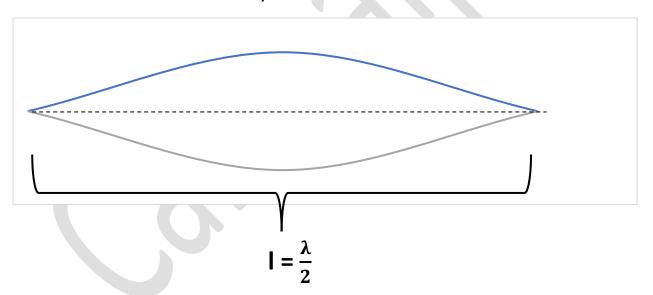
I = Length of the stringm = Mass of the string

But, $\frac{m}{l} = \mathbf{M}$ (Mass per length) So,

$$V = \sqrt{\frac{T}{M}}$$

• Stationary transverse waves in a String

1. 1st Harmonic / Fundamentals



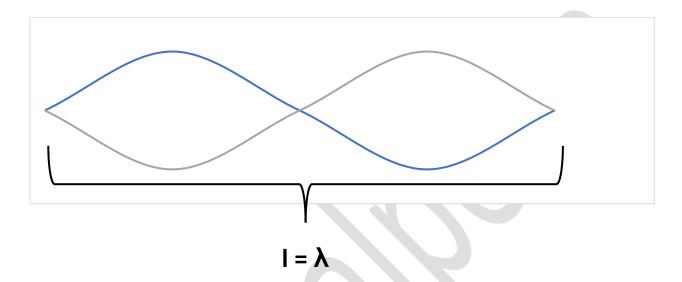
$$\lambda = 2I$$

$$V = f\lambda$$

$$f = \frac{V}{2l}$$

$$f = \frac{1}{2l} \sqrt{\frac{T}{M}}$$

2. 2nd Harmonic / 1st Overtone



Calculate yourself from here...and see how other harmonics change.

• Stationary longitudinal waves in a Rod

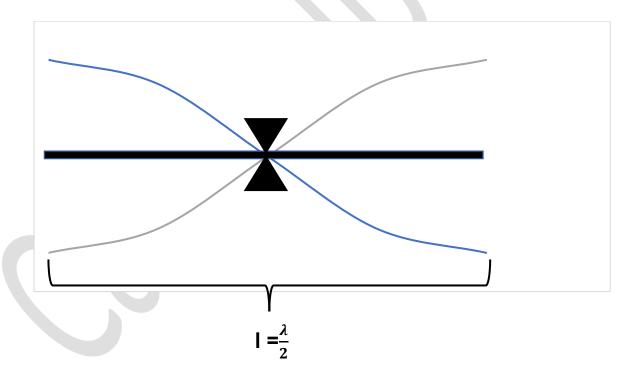
Speed of a longitudinal wave in a rod

$$V = \sqrt{\frac{Y}{\rho}}$$

Y = Young's Modulus

$$\rho$$
 = Density

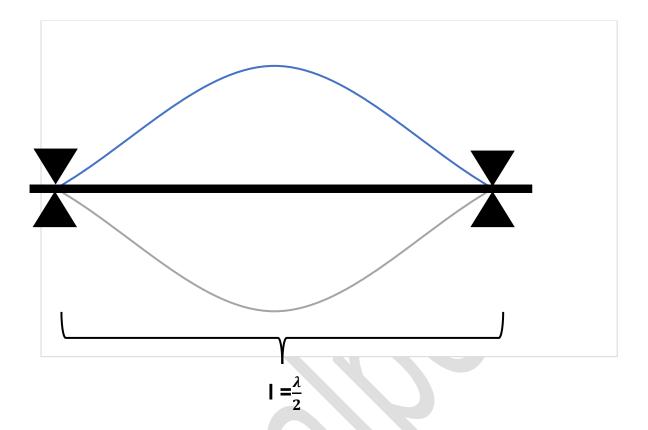
1. Clamped in the middle



$$\lambda$$
 = 21 and $V = \sqrt{\frac{Y}{\rho}}$. Also, $f = \frac{V}{\lambda}$ So,

$$f = \frac{1}{2l} \sqrt{\frac{Y}{\rho}}$$

2. Clamped at both ends



• Stationary longitudinal waves in open tubes

Speed of a longitudinal wave in a Gas

$$V = \sqrt{\frac{\gamma P}{\rho}}$$

 γ = Heat capacity ratio(Adiabatic index)

P = Pressure

 ρ = Density of the gas

Note: In questions you will have to use other gasbased formulas to make a useful equation for your question.

Eg: PV = nRT and
$$\rho = \frac{m}{v}$$

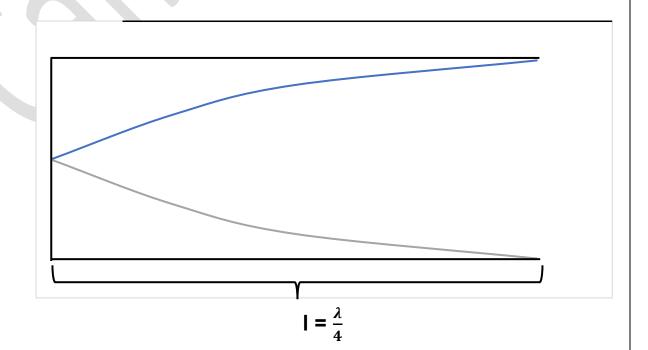
$$V = \sqrt{\frac{\gamma PV}{m}}$$

$$V = \sqrt{\frac{\gamma nRT}{m}}$$

• Direction

Go to Oscillations and Mechanical waves \rightarrow Easy Patterns to learn more stuffs about how wave speed changes in gases.

- 1. One side closed Tube
 - I. Fundamental / 1st Harmonic



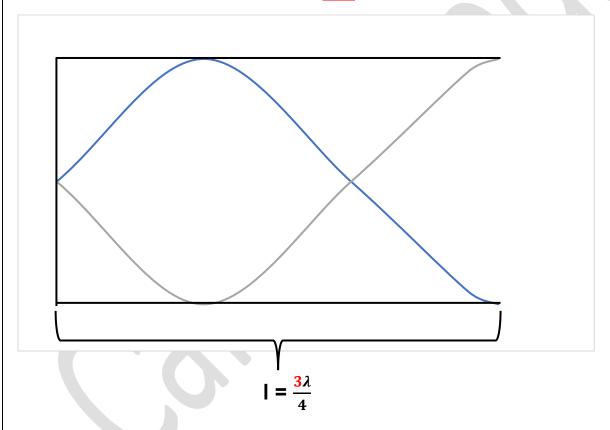
$$\lambda = 4I$$

$$\forall = \sqrt{\frac{\gamma P}{\rho}}$$

$$\forall = f\lambda$$

$$f = \frac{1}{4l} \sqrt{\frac{\gamma P}{\rho}}$$

II. 1st Overtone / 3rd Harmonic

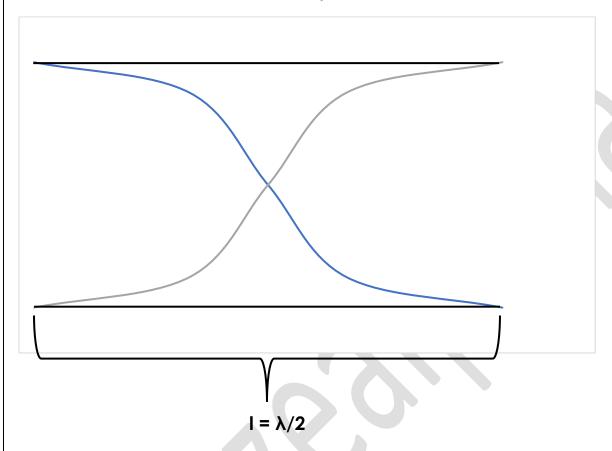


➤ Look carefully about the red colored letters.

Do your calculations yourself and see how other Harmonics change.

2. <u>Both sides opened Tube</u>

I. Fundamental / 1st Harmonic



2. 1st Overtone / 2nd Harmonica

