Statistics for ChameleonTartu/localhost-tunnels-demo

Generated for ChameleonTartu/localhost-tunnels-demo with jgehrcke/github-repo-stats at 2022-05-23 23:56 UTC.

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Views

Unique visitors



Cumulative: 5

Total views



Cumulative: 39

Clones

Unique cloners



Cumulative: 21

Total clones



Cumulative: 28

Stargazers

This repository has no stars yet.

Forks

This repository has no forks yet.

Top referrers and paths

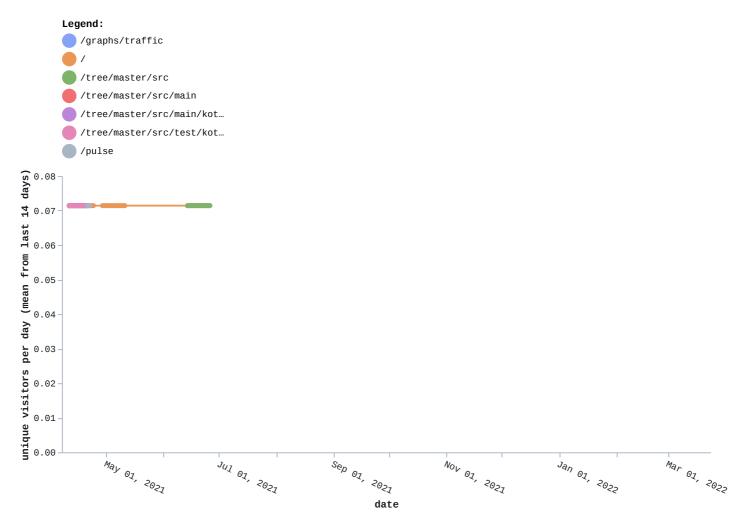
Note: Each data point in the plots shown below is influenced by the 14 days leading up to it. Each data point is the arithmetic mean of the "unique visitors per day" metric, built from a time window of 14 days width, and plotted at the right edge of that very time window. That is, these plots respond slowly to change (narrow peaks are smoothed out).

Top referrers



Top 15 referrers: 01: github.com, 02: buymeacoffee.com

Top paths



Top 15 paths: 01: /graphs/traffic , 02: / , 03: /tree/master/src , 04: /tree/master/src/main , 05: /tree/master/src/main/kotlin/com/greenbird/localhosttunnelsdemo/controller , 06: /tree/master/src/test/kotlin/com/greenbird/localhosttunnelsdemo , 07: /pulse , 08: /blob/master/src/main/kotlin/com/greenbird/localhosttunnelsdemo/service/CallbackProcessorService.kt , 09:

 $\label{local-host-tunnelsdemo/controller/CallbackRegistration} $$ \cosh(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{10}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac{12}{\sqrt{x^2 - x^2}} \right) $$ in $(x) = \frac{12}{\sqrt{x^2 - x^2}} \left(\frac$