

## MASTER OF COMPUTER APPLICATION (Two Year Course) MCA Ist Year 2020-21

KCA104 : Discrete Mathematics		
Course Outcome ( CO)		Bloom's Knowledge Level (KL)
<b>At the end of course , the student will be able to</b>		
CO 1	Use mathematical and logical notation to define and formally reason about basic discrete structures such as Sets, Relations and Functions	K <sub>1</sub> , K <sub>2</sub>
CO 2	Apply mathematical arguments using logical connectives and quantifiers to check the validity of an argument through truth tables and propositional and predicate logic	K <sub>2</sub> , K <sub>3</sub>
CO 3	Identify and prove properties of Algebraic Structures like Groups, Rings and Fields	K <sub>3</sub> , K <sub>4</sub>
CO 4	Formulate and solve recurrences and recursive functions	K <sub>3</sub> , K <sub>4</sub>
CO 5	Apply the concept of combinatorics to solve basic problems in discrete mathematics	K <sub>1</sub> , K <sub>3</sub>
<b>DETAILED SYLLABUS</b>		<b>3-0-0</b>
Unit	Topic	Proposed Lecture
<b>I</b>	<b>Set Theory:</b> Introduction, Size of sets and Cardinals, Venn diagrams, Combination of sets, Multisets, Ordered pairs and Set Identities. <b>Relation:</b> Definition, Operations on relations, Composite relations, Properties of relations, Equality of relations, Partial order relation. <b>Functions:</b> Definition, Classification of functions, Operations on functions, Recursively defined functions.	<b>08</b>
<b>II</b>	<b>Posets, Hasse Diagram and Lattices:</b> Introduction, Partial ordered sets, Combination of Partial ordered sets, Hasse diagram, Introduction of lattices, Properties of lattices – Bounded, Complemented, Modular and Complete lattice. <b>Boolean Algebra:</b> Introduction, Axioms and Theorems of Boolean algebra, Boolean functions. Simplification of Boolean functions, Karnaugh maps, Logic gates.	<b>08</b>
<b>III</b>	<b>Propositional:</b> Propositions, Truth tables, Tautology, Contradiction, Algebra of Propositions, Theory of Inference and Natural Detection. <b>Predicate Logic:</b> Theory of Predicates, First order predicate, Predicate formulas, Quantifiers, Inference theory of predicate logic.	<b>08</b>
<b>IV</b>	<b>Algebraic Structures:</b> Introduction to algebraic Structures and properties. Types of algebraic structures: Semi group, Monoid, Group, Abelian group and Properties of group. Subgroup, Cyclic group, Cosets, Permutation groups, Homomorphism and Isomorphism of groups. <b>Rings and Fields:</b> Definition and elementary properties of Rings and Fields.	<b>08</b>
<b>V</b>	<b>Natural Numbers:</b> Introduction, Piano's axioms, Mathematical Induction, Strong Induction and Induction with Nonzero Base cases. <b>Recurrence Relation &amp; Generating functions:</b> Introduction and properties of Generating Functions. Simple Recurrence relation with constant coefficients and Linear recurrence relation without constant coefficients. Methods of solving recurrences. <b>Combinatorics:</b> Introduction, Counting techniques and Pigeonhole principle, Polya's Counting theorem.	<b>08</b>
<b>Suggested Readings:</b> <ol style="list-style-type: none"> <li>1. Kenneth H. Rosen, "Discrete Mathematics and Its Applications", McGraw Hill, 2006.</li> <li>2. B. Kolman, R.C Busby and S.C Ross, "Discrete Mathematics Structures", Prentice Hall ,2004.</li> <li>3. R.P Girimaldi, "Discrete and Combinatorial Mathematics", Addison Wesley, 2004.</li> <li>4. Y.N. Singh, "Discrete Mathematical Structures", Wiley- India, First edition, 2010.</li> <li>5. Swapankumar Sarkar, "A Textbook of Discrete Mathematics", S. Chand &amp; Company PVT. LTD.V.</li> <li>6. Krishnamurthy, "Combinatorics Theory &amp; Application", East-West Press Pvt. Ltd., New Delhi.</li> <li>7. Liptschutz, Seymour, "Discrete Mathematics", McGraw Hill.</li> <li>8. J.P. Trembely&amp;R.Manohar, "Discrete Mathematical Structure with application to Computer Science", McGraw Hill.</li> </ol>		