# Santander Customer Transaction Prediction

Chandini C 4<sup>th</sup> December 2019

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## Chapter 1

# Introduction

#### 1.1 **Problem Statement**

At Santander, mission is to help people and businesses prosper. We are always looking for ways to help our customers understand their financial health and identify which products and services might help them achieve their monetary goals. Our data science team is continually challenging our machine learning algorithms, working with the global data science community to make sure we can more accurately identify new ways to solve our most common challenge, binary classification problems such as: is a customer satisfied? Will a customer buy this product? Can a customer pay this loan? In this challenge, we need to identify which customers will make a specific transaction in the future, irrespective of the amount of money transacted.

#### 1.2 **Data**

By looking at the problem statement, we can say that it is a binary classification problem. Here, our task is to build a classification model which will classify customers who will make transaction in future and who will not transact money based on the 'target' variable.

The data provided here has the same structure as the real data they have available to solve this problem. Models are evaluated on area under the ROC curve between the predicted probability and the observed target. The dataset is given in two files labeled "train.csv" and "test.csv", 200k observation and 202 variables each. Variables are ID\_code, target, and var\_0 to var\_199. The data in test.csv does not have target variable therefore cannot be used in testing the model. The data in train.csv file much be split (80/20) for training and testing the model. A sample of data sets used is given below:

						•	Table 1	.1:A saı	mple of	fto	p 5 row	s in tra	in data							
ID_ cod e	targ et	var _0	var _1	var _2	var _3	var _4	var _5	var _6	var _7		var _19 0	var _19 1	var _19 _2	var _19 _3	var _19 4	var _19 _5	var _19 6	var _19 _7	var _19 _8	va r_ 19 9
train _0	0	8.92 55	- 6.78 63	11.9 081	5.09 30	11.4 607	- 9.28 34	5.11 87	18.6 266		4.43 54	3.96 42	3.13 64	1.69 10	18.5 227	2.39 78	7.87 84	8.56 35	12.7 803	- 1.09 14
train _1	0	11.5 006	4.14	13.8 588	5.38 90	12.3 622	7.04 33	5.62 08	16.5 338		7.64 21	7.72 14	2.58 37	10.9 516	15.4 305	2.03 39	8.12 67	8.78 89	18.3 560	1.95 18

2.90

57

9.79

05

1.67

04

1.68

58

21.6

042

3.14

17

6.52

13

8.26

75

14.7

222

0.39

65

6.94

27

14.6

155

8.60

93

0

train

2

73

2.74

57

12.0

805

7.89

28

10.5

825

9.08

train _3	0	11.0 604	2.15 18	8.95 22	7.19 57	12.5 846	- 1.83 61	5.84 28	14.9 250	 4.46 66	4.74 33	0.71 78	1.42 14	23.0 347	1.27 06	2.92 75	10.2 922	17.9 697	8.99 96
train _4	0	9.83 69	- 1.48 34	12.8 746	6.63 75	12.2 772	2.44 86	5.94 05	19.2 514	 1.49 05	9.52 14	0.15 08	9.19 42	13.2 876	- 1.51 21	3.92 67	9.50 31	17.9 974	- 8.81 04

Table 1.2: sample of top 5 rows in test sample

ID_co de	var_0	var _1	var _2	var _3	var _4	var _5	var _6	var _7	var _8	var _19 0	var _19 1	var _19 _2	var _19 3	var _19 4	var _19 5	var _19 6	var _19 7	var _19 _8	va r_ 19 9
test_0	11.0 656	7.77 98	12.9 536	9.42 92	11.4 327	2.38 05	5.84 93	18.2 675	2.13 37	2.15 56	11.8 495	1.43 00	2.45 08	13.7 112	2.46 69	4.36 54	10.7 200	15.4 722	- 8. 71 97
test_1	8.53 04	1.25 43	11.3 047	5.18 58	9.19 74	4.01 17	6.01 96	18.6 316	4.41 31	10.6 165	8.83 49	0.94	10.1 282	15.5 765	0.47	1.48 52	9.87 14	19.1 293	20 .9 76 0
test_2	5.48 27	- 10.3 581	10.1 407	7.04 79	10.2 628	9.80 52	4.89 50	20.2 537	1.52	0.74 84	10.9 935	1.98 03	2.18	12.9 813	2.12 81	7.10 86	7.06 18	19.8 956	23 .1 79 4
test_3	8.53 74	1.32 22	12.0 220	6.57 49	8.84 58	3.17 44	4.93 97	20.5 660	3.37 55	9.57 02	9.07 66	1.65 80	3.58 13	15.1 874	3.16 56	3.95 67	9.22 95	13.0 168	- 4. 21 08
test_4	11.7 058	0.13 27	14.1 295	7.75 06	9.10 35	8.58 48	6.85 95	10.6 048	2.98 90	4.22 59	9.17 23	1.28 35	3.37 78	19.5 542	0.28 60	5.16 12	7.28 82	13.9 260	9. 18 46

# Chapter 2

# **METHODOLOGY**

#### 2.1 Data Pre-processing

In real world data are often unstructured, incomplete, inconsistent, lacking certain behaviour or having different data types and also tend to have many errors. It is important that we resolve these issues by making the data readable before feeding the data into the model. Here comes the data pre-processing part where this technique helps in transforming these raw data into understandable data format.

Raw data may contain incomplete datasets or missing values, unwanted or noisy attributes, outliers, etc. These issues may affect the model so this have to be removed before modeling. This process is also called as *exploratory data analysis*. Here we analyse the data with visualizations, count the number of 1's and 0's where 1 represent that the customer will make transaction in future and represent that the customer do not make transaction in future. Target variable consists of 89.95% of 0's and 10.05% of 1's in train data, which is an imbalanced data set. A pie chart in Fig.2.1(a) represents the target variable with 1's and 0's. (visualizations of distribution of columns per target class and code is given in the appendix)

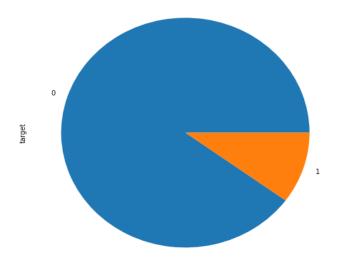


Fig.2.1(a) Pie chart representing target variable

Steps involved in data pre-processing:

#### 2.1.1 Cleaning The data:

This step involves handling missing values, noisy data/outliers, etc.

a) Missing Value Analysis:

A data may contain multiple missing values. If the percentage of missing value in a variable>30% then that variable is deleted as it does not contain any meaningful data to explain the problem statement.

Following steps can be performed to deal with these missing data:

#### • Ignore tuple:

We can ignore the tuples only when there is a large data set with multiple missing values.

#### • Fill the Missing Values:

There are several steps which helps to fill the missing values. We can fill the missing values manually by attribute mean, median or by using KNN.

Here, the given data does not contain any missing values, so we can move to next step.

#### b) Outlier Analysis:

A random variance in a measured variable is known as noisy data. These data also refers to outliers. This may be considered as an abnormal data but also can be used in fraud detection. Here, our aim is to know how many customers will make the transaction. So, we have to remove these outliers in order to get better accuracy. I chose boxplot analysis to check whether outliers are present in the data and by looking at the plot in Fig.2.1(b). It is clear that there are noisy data present in the data so we have to remove the outliers to get better model.

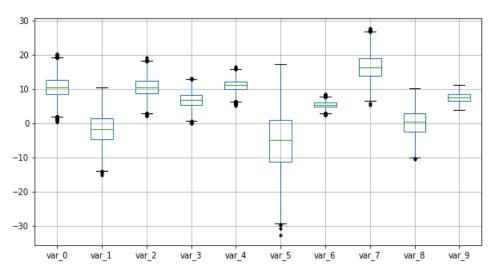


Fig. 2.1(b) var 0 to 9 in train dataset after before removal of outliers

After removal of the outliers the data is less noisy and do not contain any unwanted data. Fig 2.1(c) shows the variable 0 to 9 after removing the outliers.

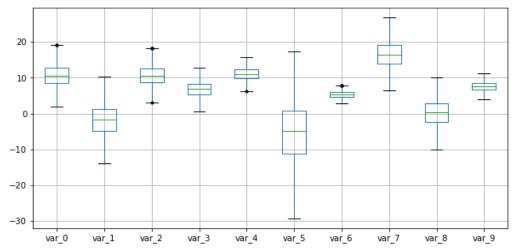


Fig. 2.1(c) var\_0 to 9 in train dataset after removal of outliers (see python and r code in appendix)

#### 2.1.2 Feature Selection

Feature selection or attribute selection is a process of selecting a subset of relevant features (variable predictors) for use in model construction. As we are dealing with numeric data correlation analysis is applied on the train data. Fig. 2.1.2 depicts the correlation plot. After getting correlation matrix we can observe that the max and min values of correlation plot is 0.009, -0.01 and also we can observe from correlation distribution plot that the correlation between the train and test attributes is very small, it means that features are independent each other so we can ignore it. Now, the data is good to go for next step and there is no need for the correlation analysis on the data.

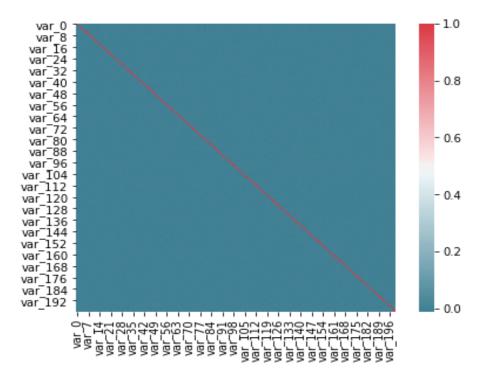


Fig.2.1.2 correlation plot(see appendix for python code)

#### 2.1.3 Feature Scaling

Feature scaling is a process of reducing unwanted variations within the variables and limit the range of variable on common ground. There are two types of feature scaling techniques:

- a) Normalization: Rescales the range of values between [0,1]
- b) Standardization: Rescales the data to have a mean of 0 or standard deviation of 1 unit variance

After performing outlier analysis we can say that the variation within the variables have been reduced and Fig. 2.1.3 in appendix shows that most of the variables are well distributed as there is no much variation in the data and there is no use of normalization or standardization techniques for the given data set.

Histogram plots for mean frequency, median frequency, standard deviation frequency, skewness and other inferential plots can be drawn from this. (These plots can be viewed in appendix)

#### 2.2 Modeling

Before feeding data to the model it is necessary that we split the data. We are provided with two data sets train and test, where train data consists of the target variable. So, we have to split train data with test\_size=0.3(70% of train data and 30% of test data from train dataset). This is don using stratified sampling method.

#### 2.2.1 Model Selection:

While exploring the data(target variable with classes 1's and 0's) and looking at the problem statement we can conclude that it is a binary classification problem, with binary target variables. As it is a classification problem we need to train the data using train data and predict the test cases on the model. As we are provided with two data sets train and test, we use train data to train the model as it contains target variable and it will be easy to choose the best performing model to predict test cases.

You always start your model building from the most simplest to more complex. Therefore, we use Random Forest.

#### 2.2.2 Decision tree

```
#Decision Tree
#Replace target categories with Yes or No
train['target']=train['target'].replace(0,'No')

#apply on train data
c50_model=tree.DecisionTreeClassifier(criterion='entropy').fit(X_train,
Y_train)

#Apply on test data
Y_pred=c50_model.predict(X_test)
```

```
#create confusion matrix
CM=confusion_matrix(Y_test,Y_pred)
CM=pd.crosstab(Y_test,Y_pred)

#let us save TP,TN,FN,FP
TN=CM.iloc[0,0]
FP=CM.iloc[1,0]
TP=CM.iloc[1,1]
FN=CM.iloc[0,1]
print(CM)
```

col_0	0		1
target			
0	43162	4229	
1	4152	979	

```
#ROC AUC score
roc score dt = np.round(roc auc score(Y test, Y pred),2)
print('ROC score :',roc score dt)
#ROC AUC curve
plt.figure()
false positive rate, recall, thresholds=roc curve(Y test, Y pred)
roc auc dt=auc(false positive rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false positive rate, recall, 'b', label='ROC(area=%0.3f)' %roc_auc_dt
plt.legend()
plt.plot([0,1],[0,1],'r--')
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc auc dt)
```

**ROC score: 0.55** 

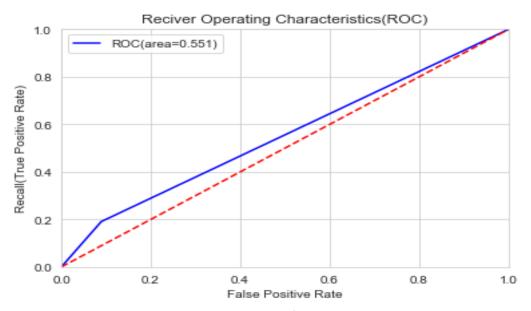


Fig.2.2.2 AUC-ROC curve for Decision Tree

AUC: 0.5507823302768308

AUC score obtained from the AUC-ROC curve shown in Fig.2.2.2 is very less and the performance of the model is poor even though accuracy of the model is 84%. AUC score should be close to 1 then the model performs well if it is close to 0.5 it will not be able to classify between 1's and 0's.

Similarly we try for Random Forest we get a good accuracy of 90.22% but AUC score is  $\sim$ =0.5(visualization of the curve and code is given in the appendix)

#### 2.2.3 Logistic Regression

```
#Logistic Regression
lrg = LogisticRegression(random state=42)
lrg.fit(X train, Y train)
y pred lrg = lrg.predict(X test)
#Cross validation prediction
cv predict=cross val predict(lrg, X test, Y test, cv=5)
#Cross validation score
cv score=cross_val_score(lrg, X_test, Y_test, cv=5)
print('cross_val_score :',np.average(cv_score))
#ROC AUC score
roc score lrg=roc auc score(Y test,cv predict)
print('ROC score :', roc score lrg)
#ROC AUC curve
plt.figure()
false positive rate, recall, thresholds=roc curve (Y test, cv predict)
roc auc lrg=auc(false positive rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false positive rate, recall, 'b', label='ROC(area=%0.3f)' %roc au
c_lrg)
plt.legend()
plt.plot([0,1],[0,1],'r--')
```

```
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc auc lrg)
```

#### ROC score: 0.6244763923405998

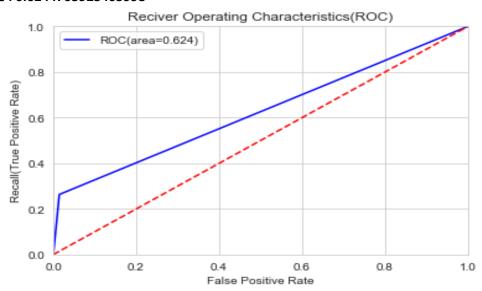


Fig.2.2.3 AUC-ROC for logistic regression

AUC: 0.6244763923405998

Though we get an accuracy of 92% it's AUC score is not up to the mark for the model to perform well. Therefore, this model also fails to get a good performance score.

Similarly, we obtain an accuracy of 92% and an AUC score of 0.67 while using NaiveBayes algorithm.(see appendix for code in r and python with its AUC-ROC curve)

#### 2.2.4 Synthetic Minority Oversampling Technique(SMOTE)

As the data is imbalanced precision and recall metrics are biased towards the majority class(i.e., 0's) gives more precision value to 0's and lesser value to 1's. So there is a necessity to balance the data set. SMOTE uses a nearest neighbors algorithm to generate new and synthetic data to use for training the model. This technique helps to balance the data and hence we get a better AUC score. We have implemented Logistic Regression on SMOTE. Below code explains the logistic regression model using SMOTE.

```
#SMOTE
#Synthetic Minority Oversampling Technique
sm = SMOTE(random_state=42, ratio=1.0)
#Generating synthetic data points
```

```
X smote, y smote=sm.fit sample(X train, Y train)
X smote v,y smote v=sm.fit sample(X test,Y test)
#Logistic regression model for SMOTE
smote=LogisticRegression(random state=42)
#fitting the smote model
smote.fit(X smote,y smote)
#Accuracy of the model
smote score=smote.score(X smote, y smote)
print('Accuracy of the smote model :', smote score)
Accuracy of the smote model: 0.7985422186852839
#Cross validation prediction
cv pred=cross val predict(smote, X smote v, y smote v, cv=5)
#Cross validation score
cv score=cross val score(smote, X smote v, y smote v, cv=5)
print('cross val score :',np.average(cv_score))
cross val score : 0.7970819415096922
#Confusion matrix
cm=confusion matrix(y smote v,cv pred)
cm=pd.crosstab(y smote v,cv pred)
```

col_0	0	1
row_0		
0	37392	9999
1	9234	38157

#Classification report

scores=classification\_report(y\_smote\_v,cv\_pred)
print(scores)

	precision	recall	f1-score	support
0	0.80	0.79	0.80	47391
1	0.79	0.81	0.80	47391
20011201			0.80	94782
accuracy macro avg	0.80	0.80	0.80	94782
weighted avg	0.80	0.80	0.80	94782

```
#ROC_AUC score
```

```
roc_score=roc_auc_score(y_smote_v,cv_pred)
print('ROC score:',roc_score)
```

```
#ROC_AUC curve
plt.figure()
false_positive_rate, recall, thresholds=roc_curve(y_smote_v, cv_pred)
roc_auc=auc(false_positive_rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false_positive_rate, recall, 'b', label='ROC(area=%0.3f)' %roc_auc)
plt.legend()
plt.plot([0,1],[0,1],'r--')
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc auc)
```

#### ROC score: 0.7970817243780465

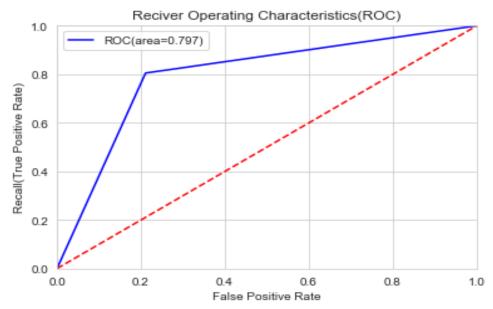


Fig.2.2.4 AUC-ROC curve using SMOTE(logistic regression model)

#### AUC: 0.7970817243780465

AUC score of SMOTE(logistic regression model) is better when compared to other models but the accuracy is little less compared to other models.

# Chapter 3

## **Conclusion**

#### 3.1 Model Evaluation Metric

As we have done few models, now we have to decide which model to choose. There are multiple metrics on which we select the model. Few of the model evaluation metrics are given below:

- 1. Accuracy
- 2. Precision
- 3. Recall
- 4. AUC

AUC is an important metric for checking any classification model's performance as it tells how much model is capable of distinguishing between the classes. Higher the AUC, better the model is at predicting 0's as 0's and 1's as 1's. Using Confusion Matrix we can manually find accuracy and recall.

#### 3.2 Model Selection

Accuracy of the model is not the best metric to use when evaluating the imbalanced datasets as it may be misleading. So, we are going to change the performance metric to AUC as it is one of the best evaluation metric for classification model. As SMOTE(Logistic Regression Model) has the highest AUC score, we can use this model for predicting the test dataset.

```
#Predicting the model
X_test=test.drop(['ID_code'],axis=1)
smote_pred=smote.predict(X_test)
print(smote_pred)

print('\nWe can observe that smote model is performing well on imbalance da
ta compare to Random Forest,logistic regression or any other models')

[1 1 0 ... 0 0 1]

#final submission
sub_df=pd.DataFrame({'ID_code':test['ID_code'].values})
sub_df['smote_pred']=smote_pred
sub_df.to_csv('submission.csv',index=False)
sub_df.head()
```

	ID_code	smote_pred
0	test_0	1
1	test_1	1
2	test_2	0
3	test_3	1
4	test_4	0
	 Fiσ	່ຊ າ

Fig.3.2

The above table consists of predicted target values for the test data set. Where, 1 represents the number of customer who will make transaction and 0 represent that there is no transaction done by the customer. (A whole test data set with its target variable is attached in the appendix page)

# **Appendix A -Python Code**

```
#import libraries
import numpy as np
import pandas as pd
import seaborn as sns
import os
import matplotlib.pyplot as plt
import seaborn as sns
from scipy.special import erfc
from sklearn.model selection import train test split, cross val predict,
cross val score
from sklearn.metrics import accuracy score
from sklearn.metrics import precision score
from sklearn.metrics import recall score
from sklearn.metrics import f1 score
from sklearn.metrics import classification report
from sklearn.metrics import confusion matrix
from sklearn import tree
from random import randrange, uniform
from sklearn.ensemble import RandomForestClassifier
from sklearn.linear_model import LogisticRegression
from sklearn.naive bayes import GaussianNB
from scipy.stats import chi2 contingency
from sklearn.neighbors import KNeighborsClassifier
from sklearn.metrics import roc auc score, roc curve, auc
!pip install imblearn
from imblearn.over_sampling import SMOTE, RandomOverSampler
%matplotlib inline
os.chdir("C:/Users/chandini c/Desktop")
os.getcwd()
C:\\Users\\chandini c\\Desktop'
#load data
train=pd.read csv("train.csv")
test=pd.read csv("test.csv")
#shape of train and test data
train.shape, test.shape
((200000, 202), (200000, 201))
#checking types
train.dtypes
ID code
          object
target
           int64
var 0
         float64
var 1
          float64
var 2
         float64
         float64
var_3
var 4
         float64
```

var 5	float64
- var_6	float64
var_7	float64
var_8	float64
var_9	float64
_ var_10	float64
var_11	float64
var_12	float64
var_13	float64
var_14	float64
_ var_15	float64
var_16	float64
var_17	float64
var_18	float64
var 19	float64
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var_20	
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var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179	float64 float64 float64 float64 float64 float64 float64 float64
var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180	float64 float64 float64 float64 float64 float64 float64 float64
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var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180 var_181	float64 float64 float64 float64 float64 float64 float64 float64
var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180	float64 float64 float64 float64 float64 float64 float64 float64 float64
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var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180 var_181 var_182 var_183 var_184 var_185	float64 float64 float64 float64 float64 float64 float64 float64 float64 float64 float64 float64 float64
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var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180 var_181 var_182 var_183 var_184 var_185 var_186 var_187 var_188	float64
var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180 var_181 var_182 var_183 var_184 var_185 var_186 var_187 var_188 var_189	float64
var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180 var_181 var_182 var_183 var_184 var_185 var_186 var_187 var_188 var_189 var_190	float64
var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_180 var_181 var_182 var_183 var_184 var_185 var_186 var_187 var_188 var_190 var_190	float64
var_171 var_172 var_173 var_174 var_175 var_176 var_177 var_178 var_179 var_180 var_181 var_182 var_183 var_184 var_185 var_186 var_187 var_188 var_189 var_190	float64

```
var_193     float64
var_194     float64
var_195     float64
var_196     float64
var_197     float64
var_198     float64
var_199     float64
Length: 202, dtype: object
```

#observing data
train.head(5)
#observing test data
test.head(5)

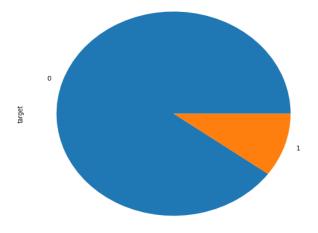
#counting observations per target class

train.target.value counts()

0 179902 1 20098

Name: target, dtype: int64

#plotting pie chart for target class
train['target'].value\_counts().plot(kind='pie', figsize=(8,8))



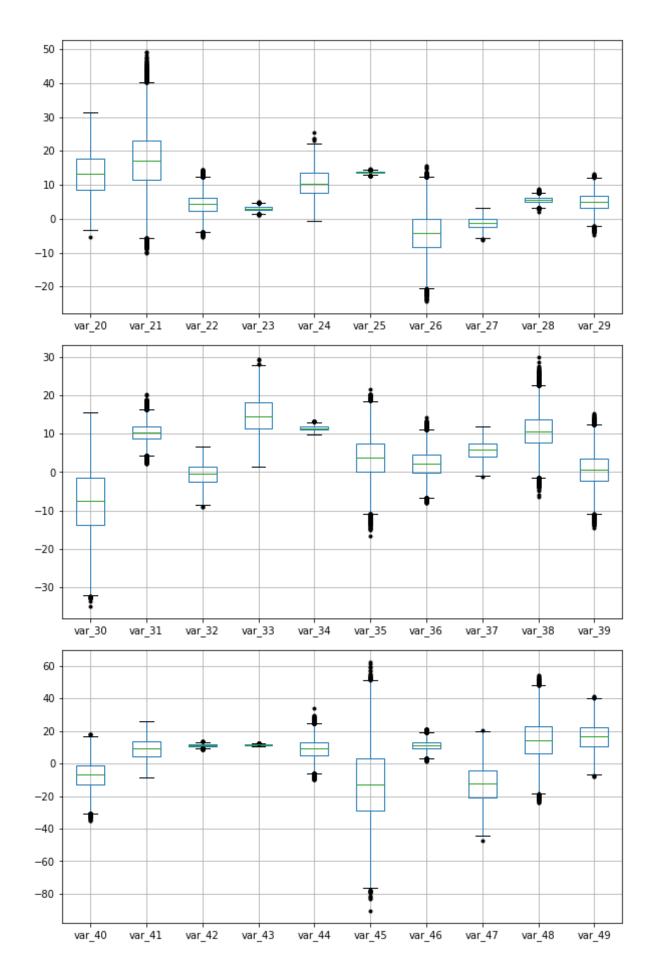
#checking for missing values in train data
train.isna().sum().sum()

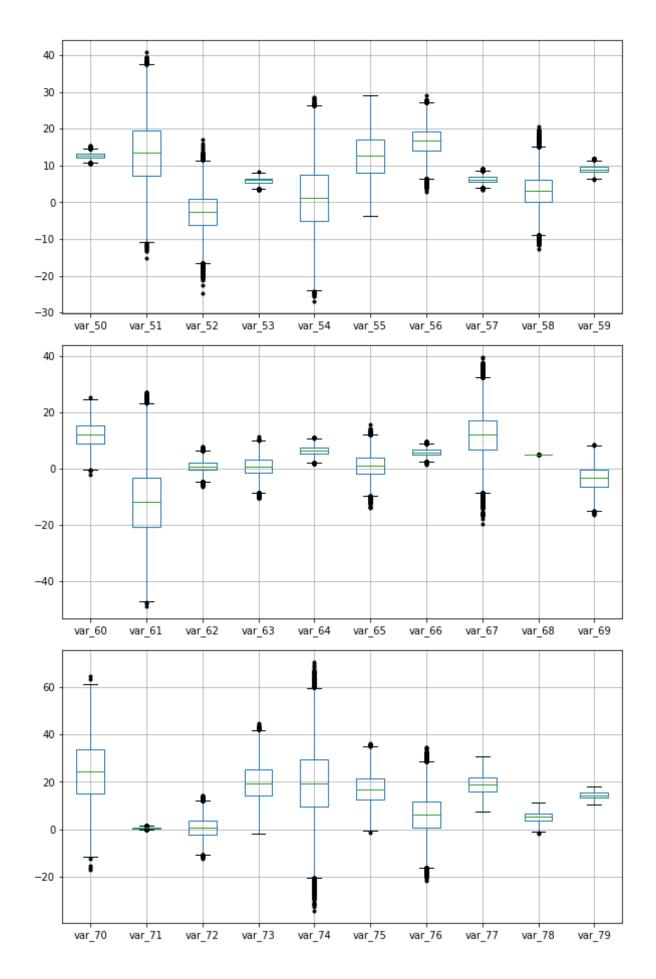
0

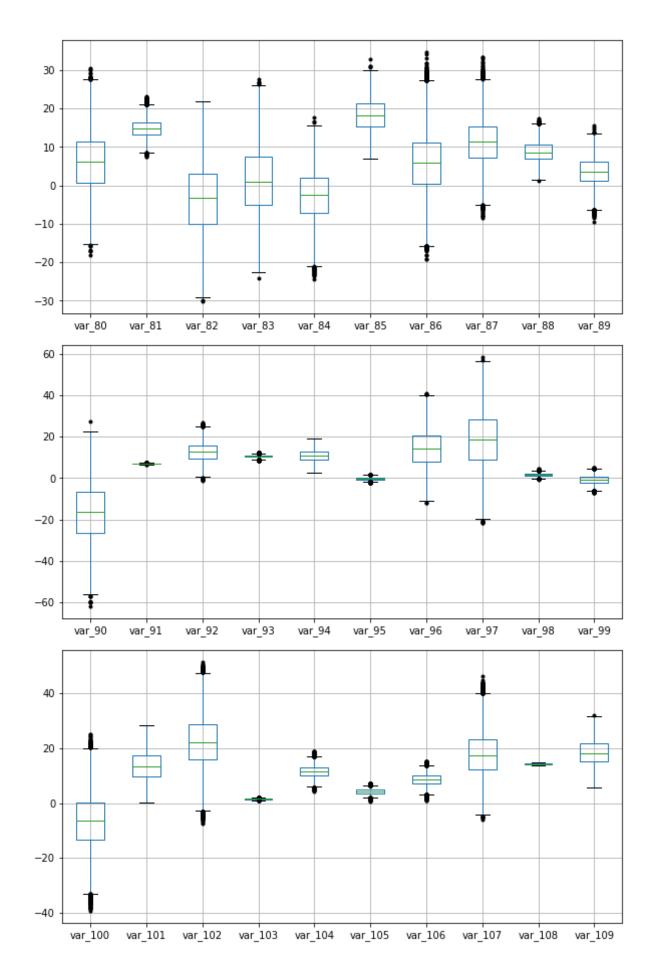
#outlier analysis
#putting all the df colname in a list
dfcols = list(train.columns)

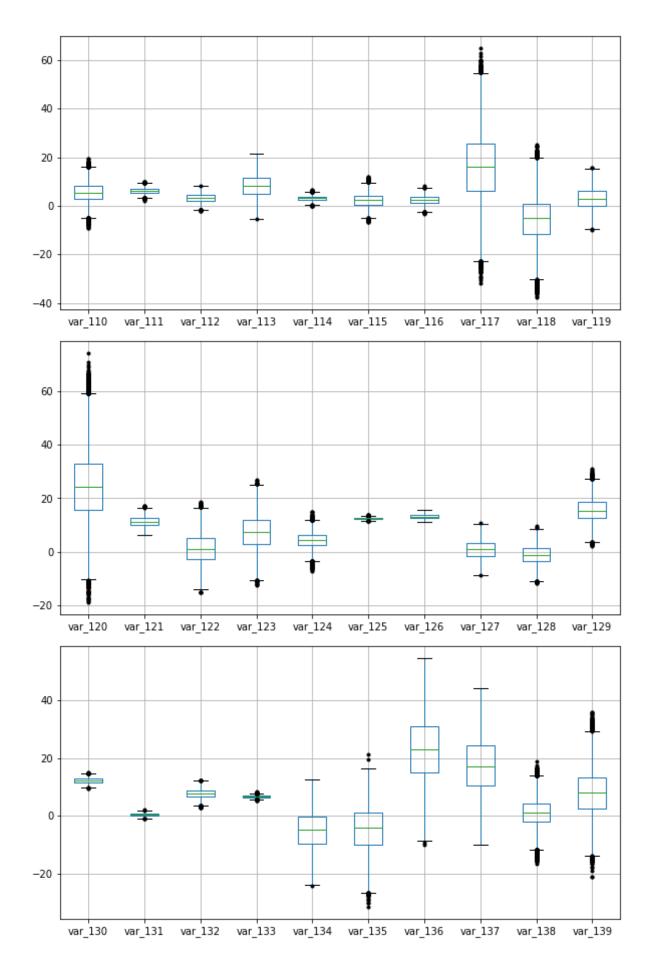
# exculdig target and index columns

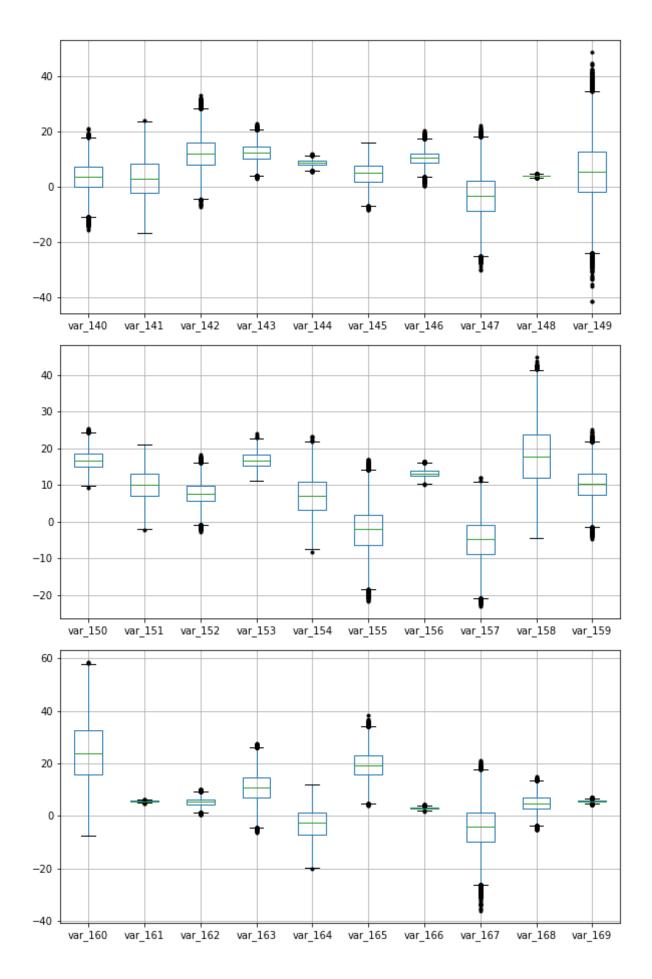
```
variables = dfcols[2:]
# splitting the list every n elements:
n = 10
chunks = [variables[x:x + n] for x in range(0, len(variables), n)]
# displaying a boxplot every n columns before removal of outliers(train)
for i in chunks:
    plt.show(train.boxplot(column = i, sym='k.', figsize=(10,5)))
  30
  20
  10
   0
 -10
 -20
 -30
       var_0
               var_1
                       var_2
                               var_3
                                       var_4
                                               var_5
                                                               var_7
                                                                               var_9
                                                       var_6
                                                                       var_8
  40
  30
  20
  10
   0
 -10
 -20
 -30
      var_10
              var_11
                      var_12
                              var_13
                                      var_14
                                              var_15
                                                      var_16
                                                              var_17
                                                                      var_18
                                                                              var_19
```

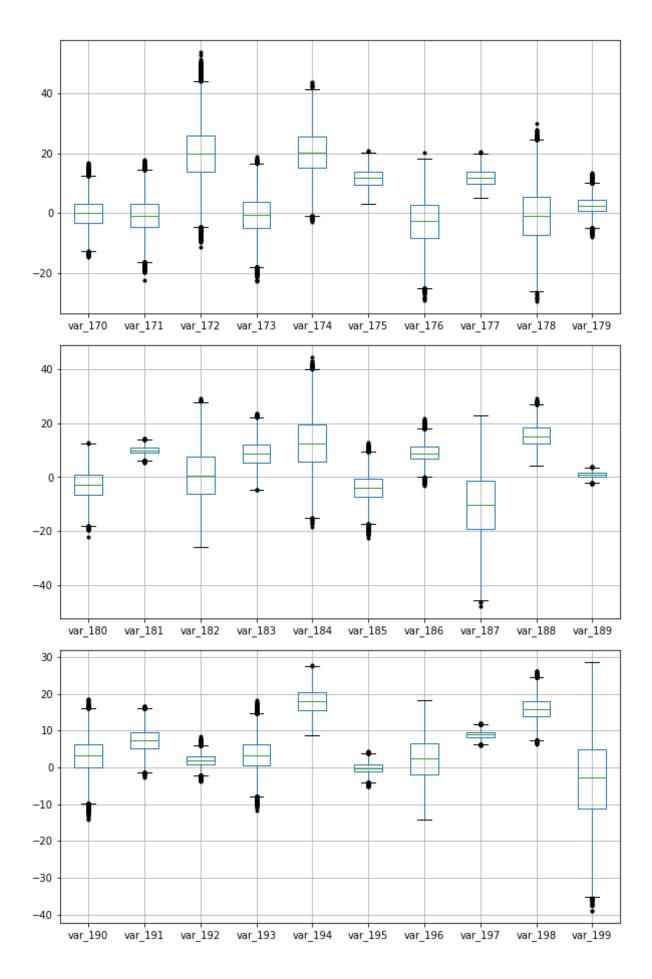












```
numerical_features=train.columns[2:]
#outliers in each variable in train data
train outliers = dict()
for col in [col for col in numerical features]:
    q75,q25=np.percentile(train.loc[:,col],[75,25])
    Q = q75 - q25
    min=q25-(Q*1.5)
    \max = q75 + (Q*1.5)
    #print(min)
    #print(max)
    train=train.drop(train[train.loc[:,col]<min].index)</pre>
    train=train.drop(train[train.loc[:,col]>max].index)
# displaying a boxplot every n columns after removal of outliers:
for i in chunks:
    plt.show(train.boxplot(column = i, sym='k.', figsize=(10,5)))
  20
  10
   0
 -10
 -20
 -30
```

var\_1

var\_0

var\_3

var\_4

var\_2

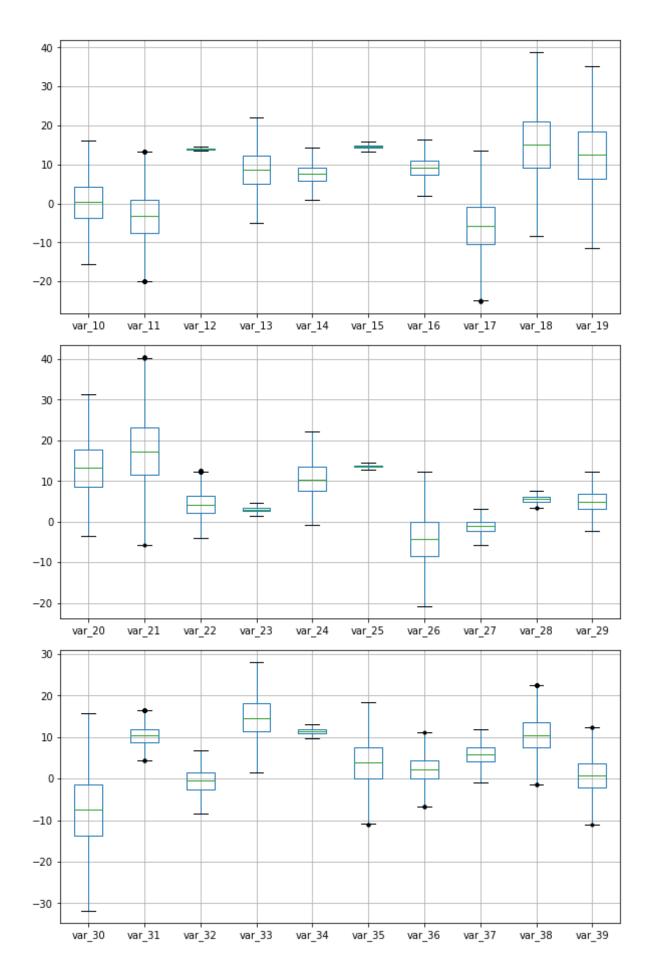
var\_5

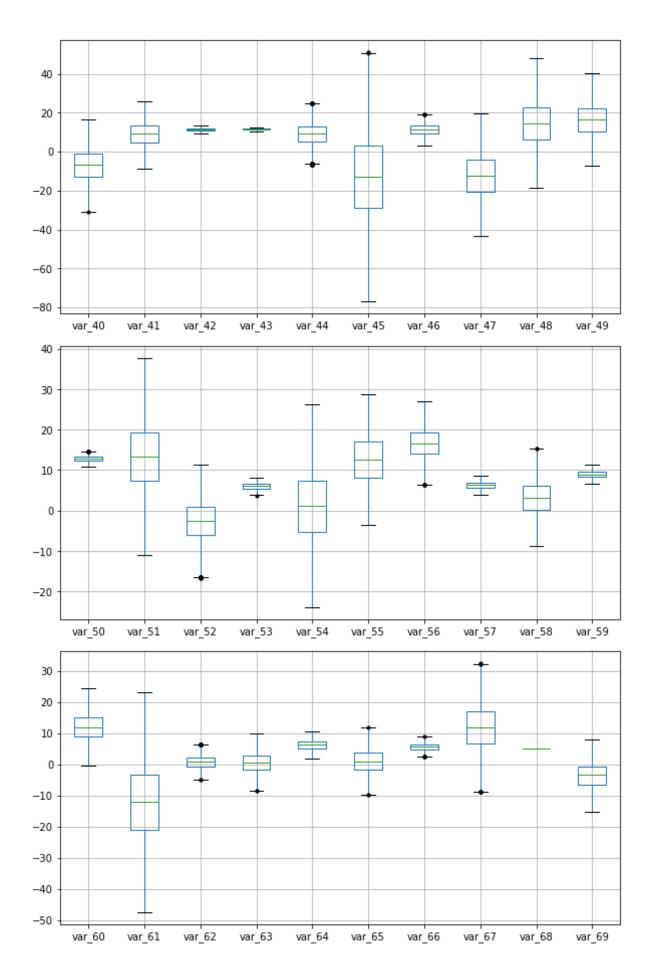
var 6

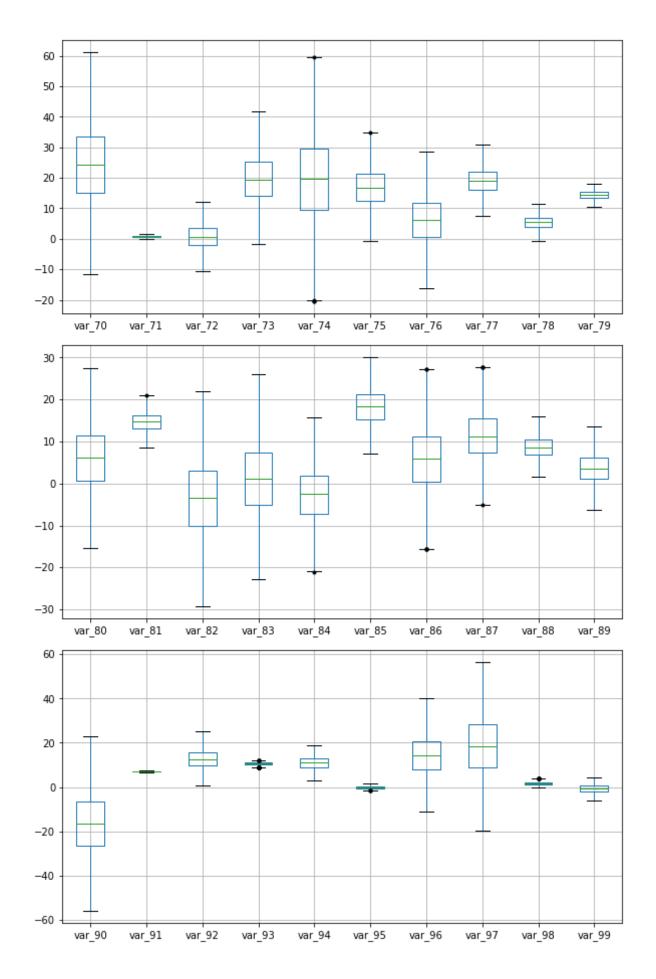
var\_7

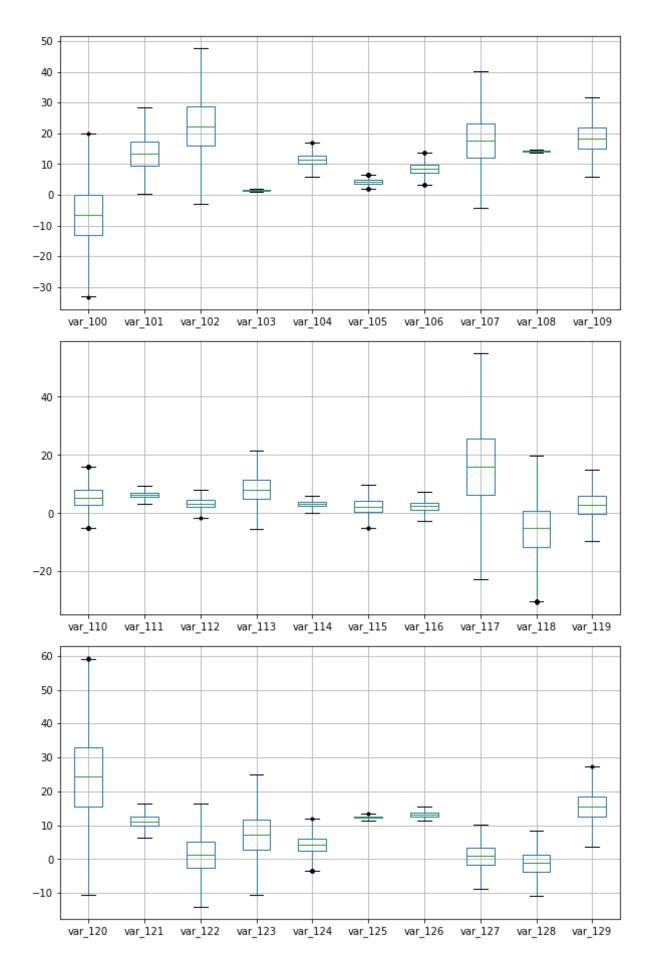
var 8

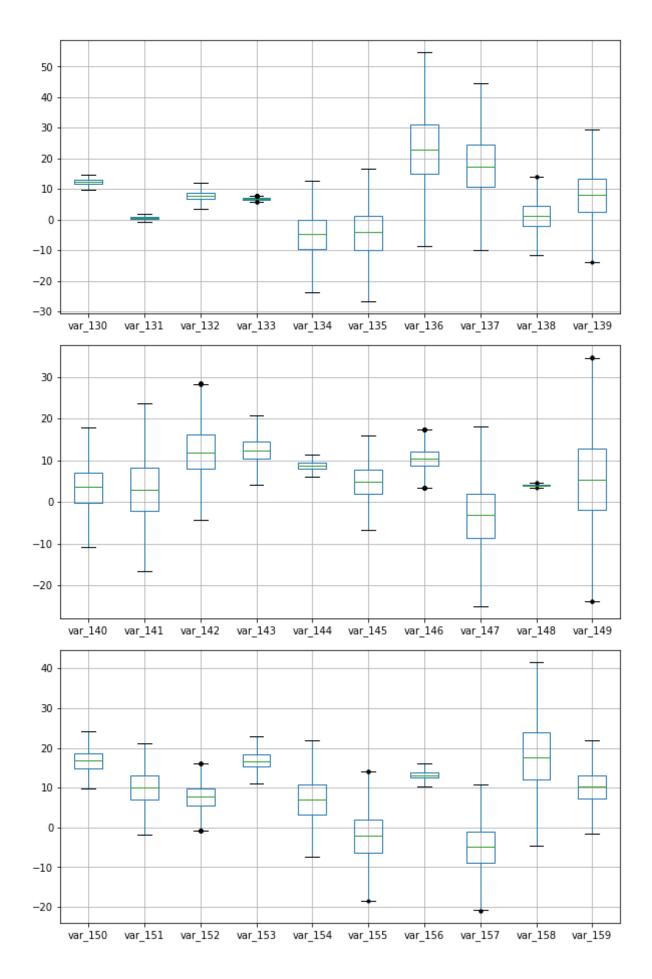
var\_9

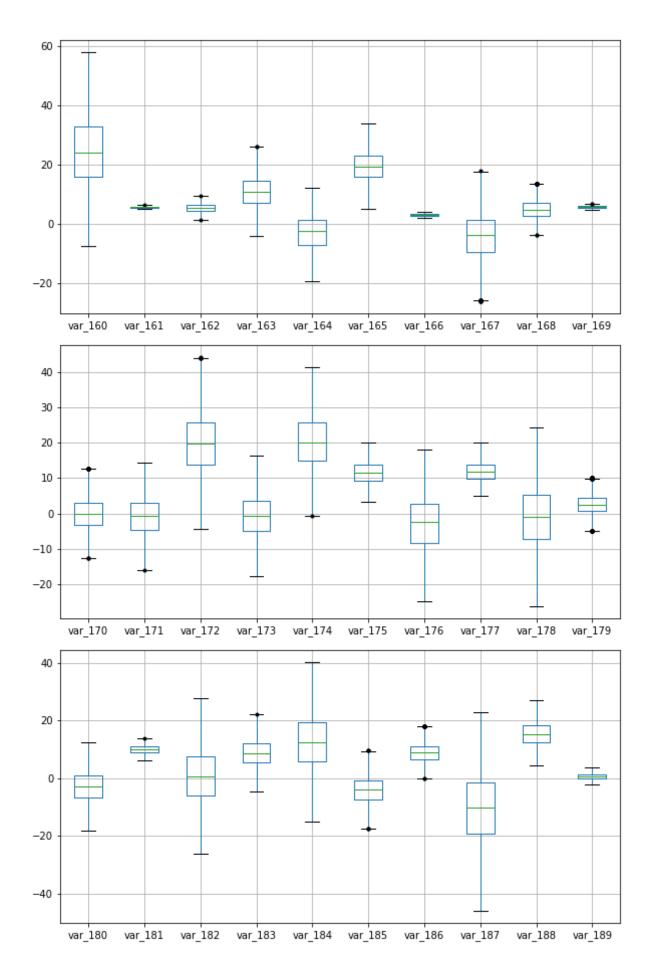


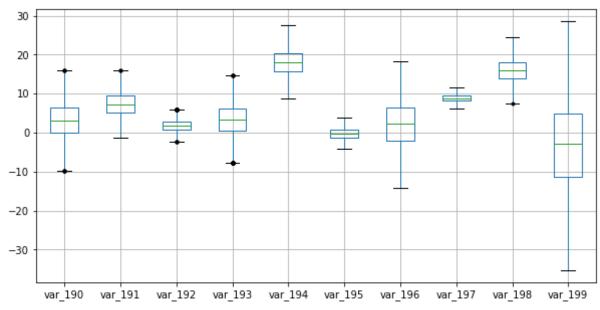






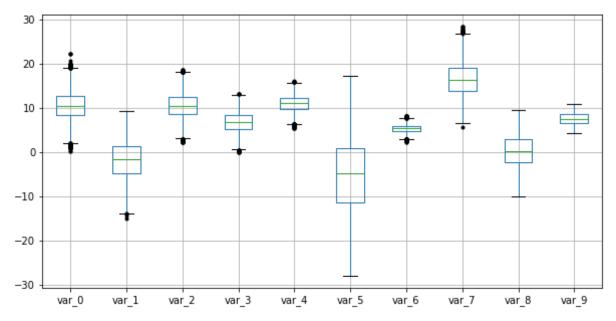


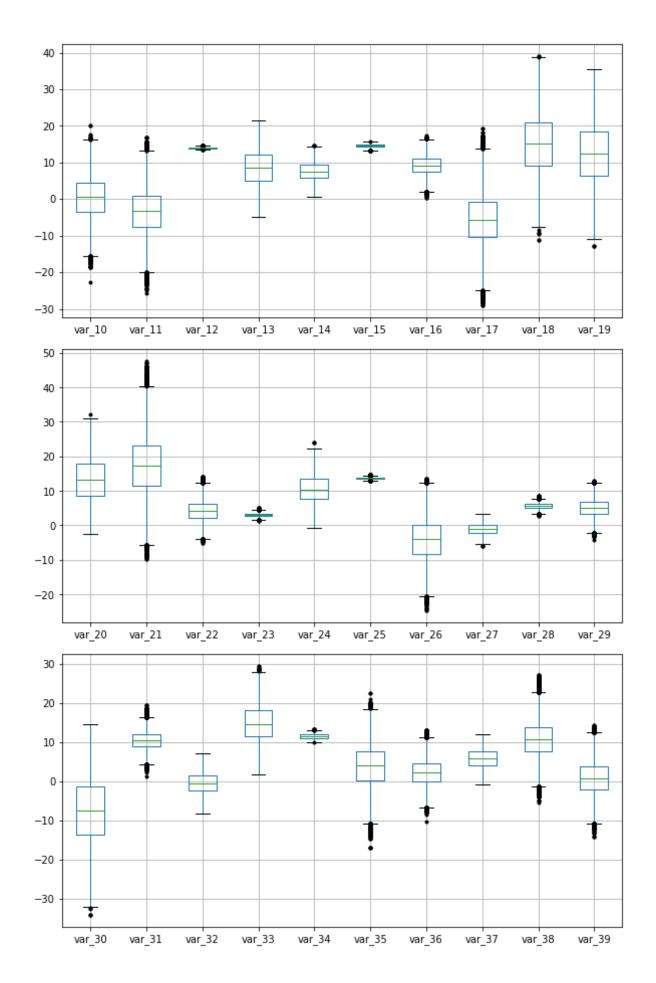


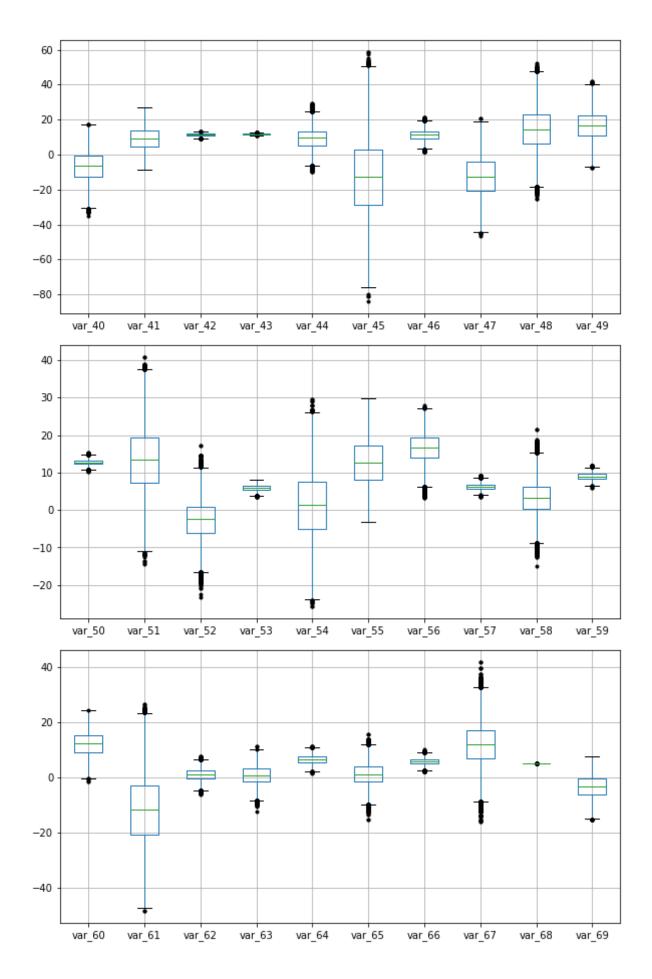


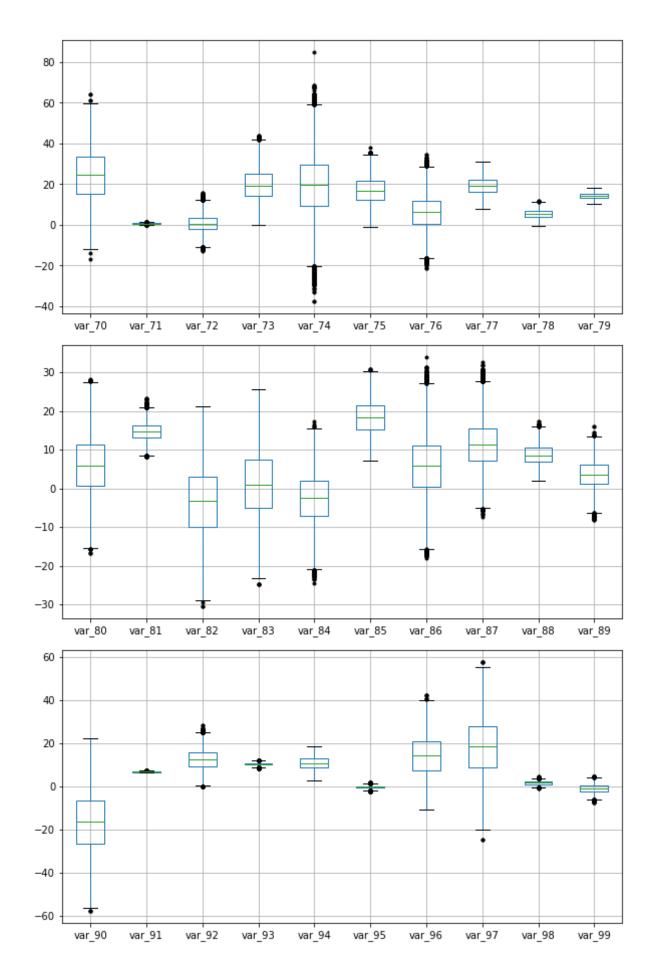
# displaying a boxplot every n columns before removal of outliers (test)
for i in chunks:

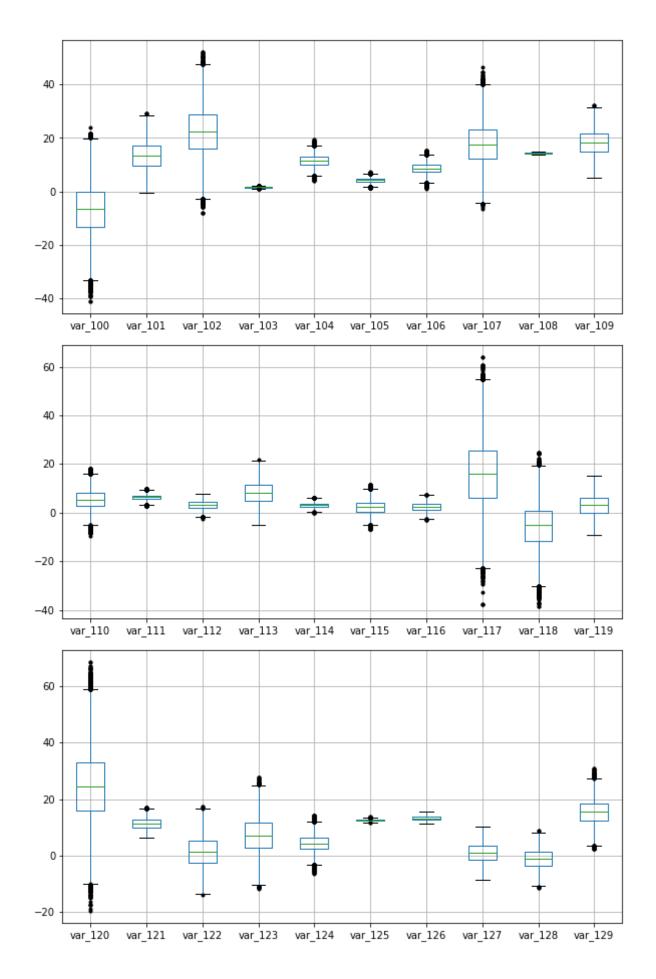
plt.show(test.boxplot(column = i, sym='k.', figsize=(10,5)))

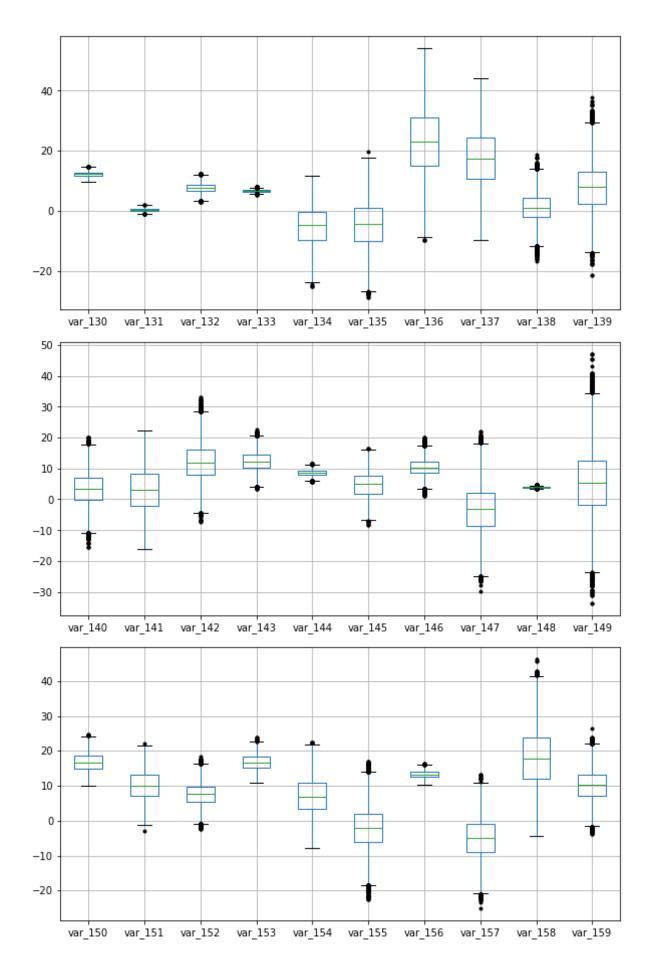


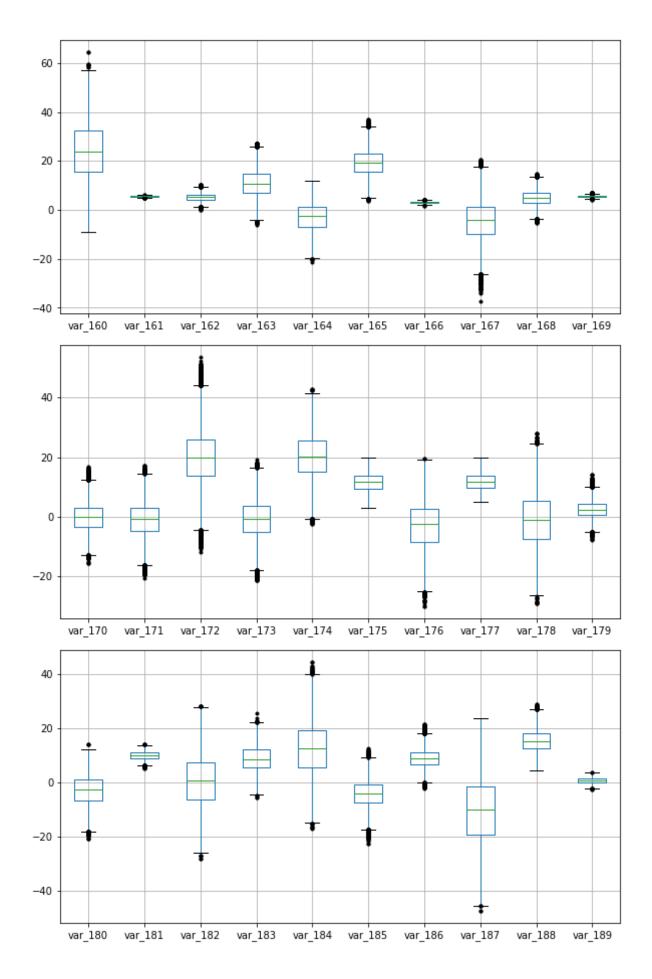


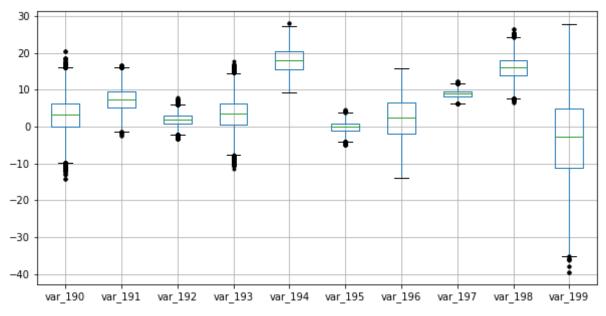












#outliers in each variable in test data

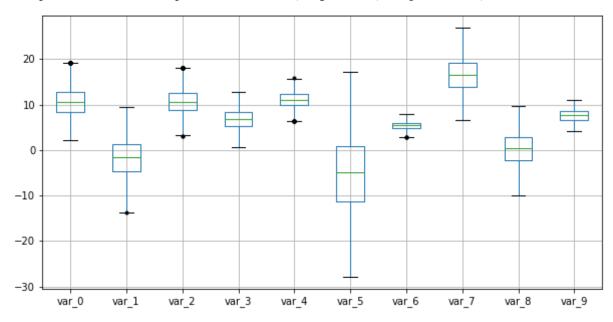
test outliers = dict()

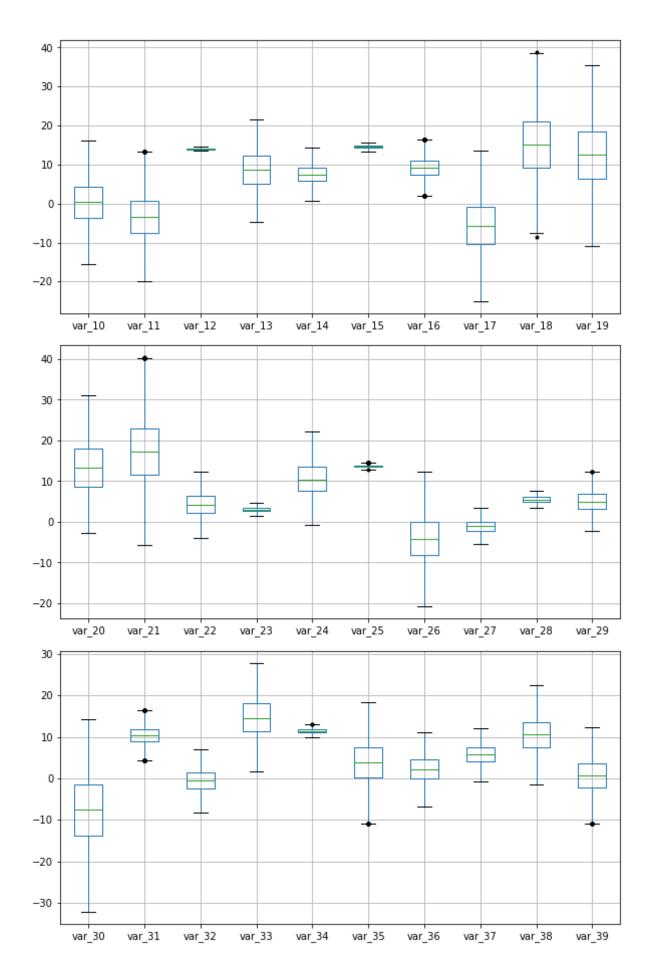
for col in [col for col in numerical\_features]:
 q75,q25=np.percentile(train.loc[:,col],[75,25])
 Q=q75-q25
 min=q25-(Q\*1.5)
 max=q75+(Q\*1.5)
 #print(min)
 #print(max)
 test=test.drop(test[test.loc[:,col]<min].index)
 test=test.drop(test[test.loc[:,col]>max].index)

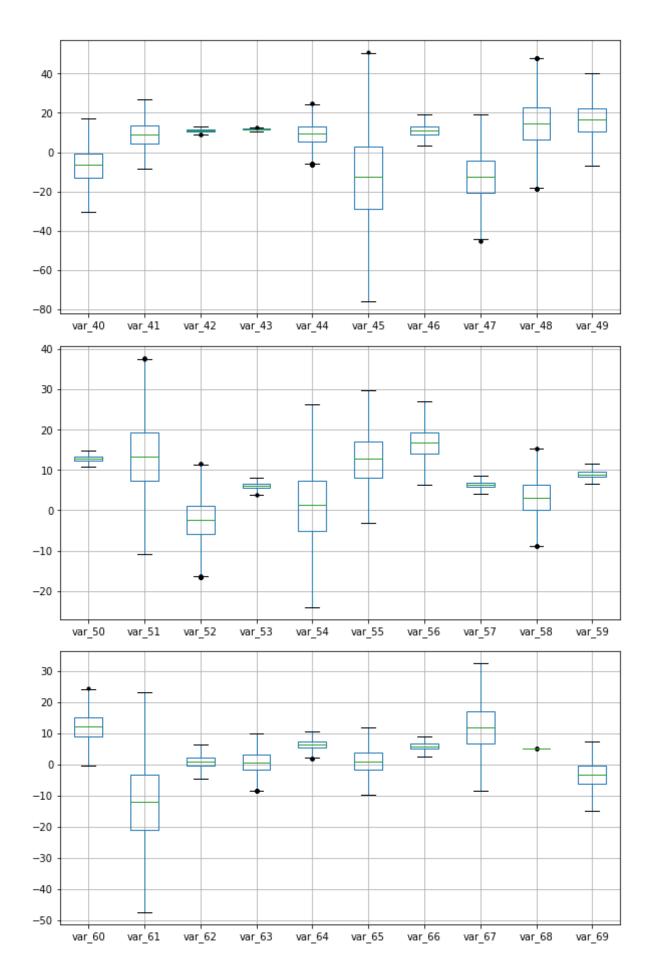
# displaying a boxplot every n columns after removal of outliers:

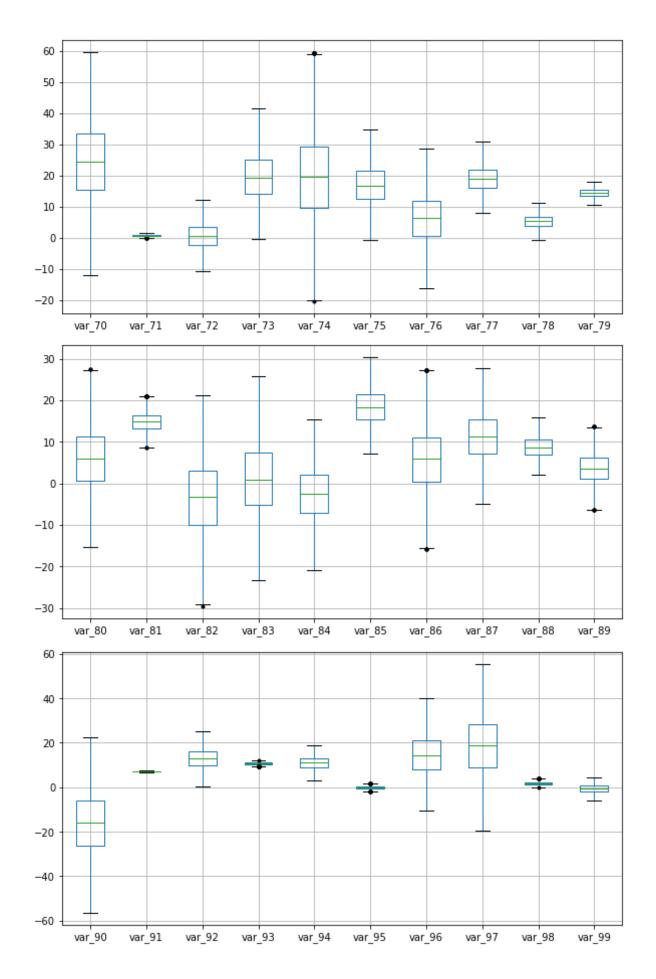
for i in chunks:

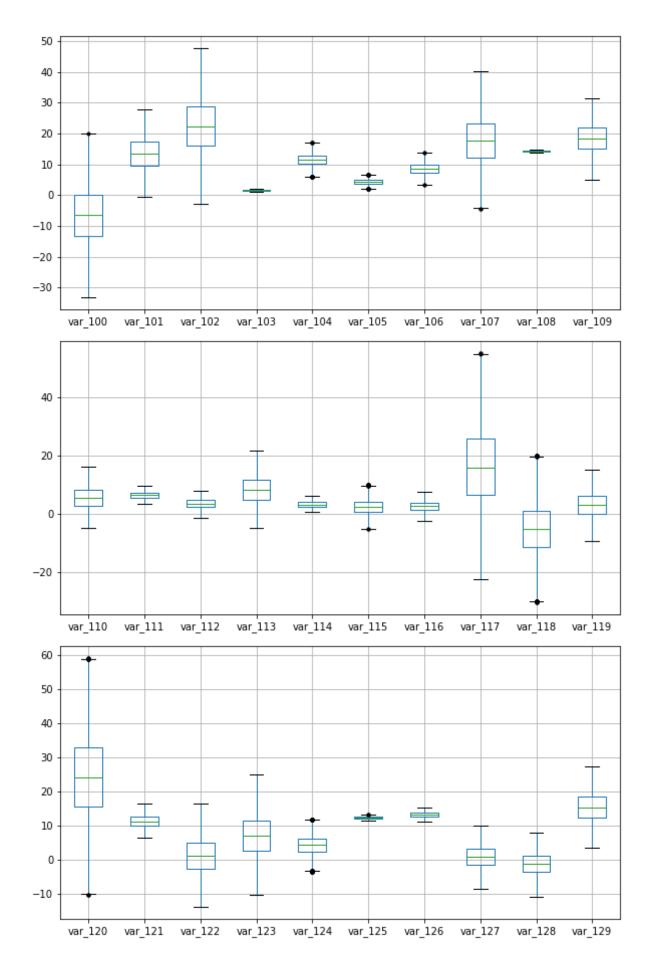
plt.show(test.boxplot(column = i, sym='k.', figsize=(10,5)))

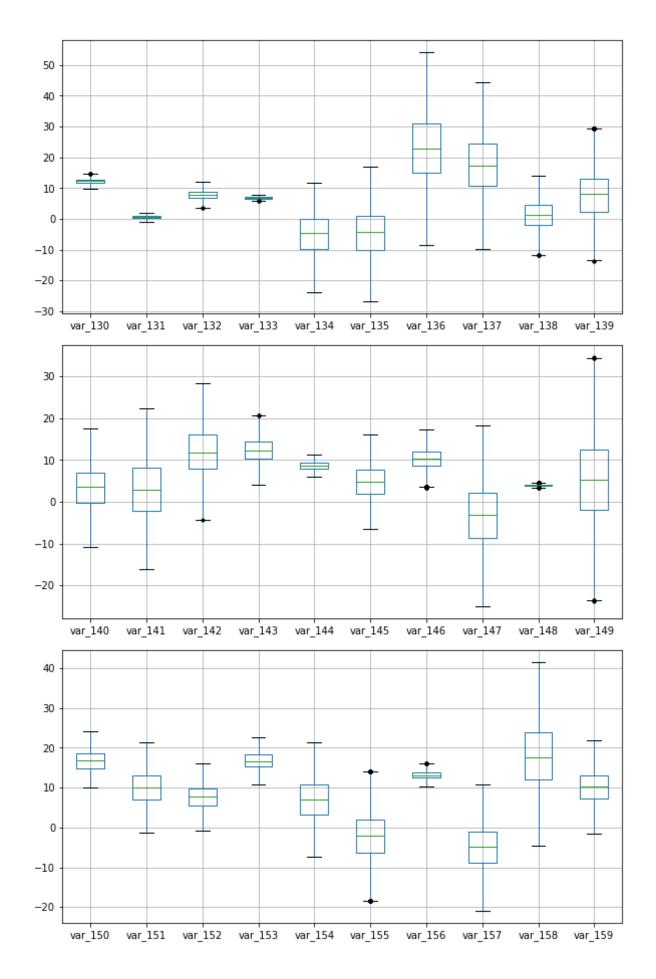


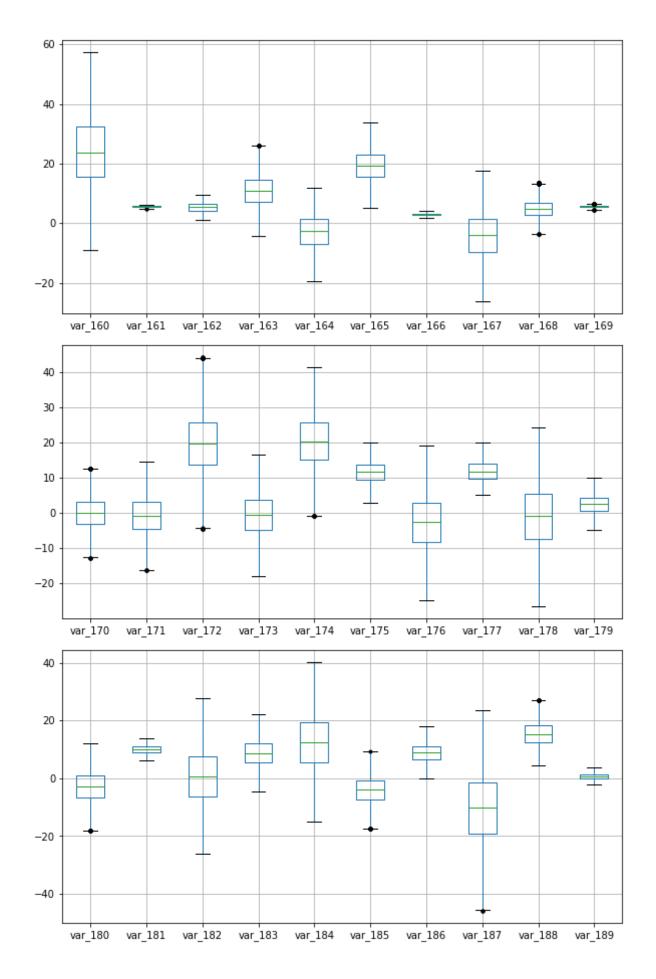


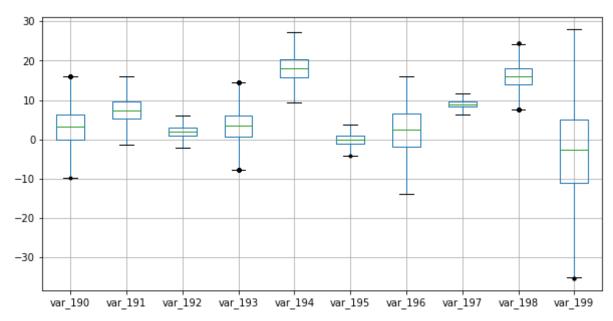












#shape of train and test data after removal of outliers
train.shape,test.shape

```
((175073, 202), (174011, 201))
dfcorr=train.loc[:,numerical_features]
dfcorr.shape
f,ax=plt.subplots(figsize=(7,5))
corr=dfcorr.corr()
sns.heatmap(corr,mask=np.zeros_like(corr,dtype=np.bool),cmap=sns.diverging_palette(220,10,as_cmap=True),square=True,ax=ax)
```

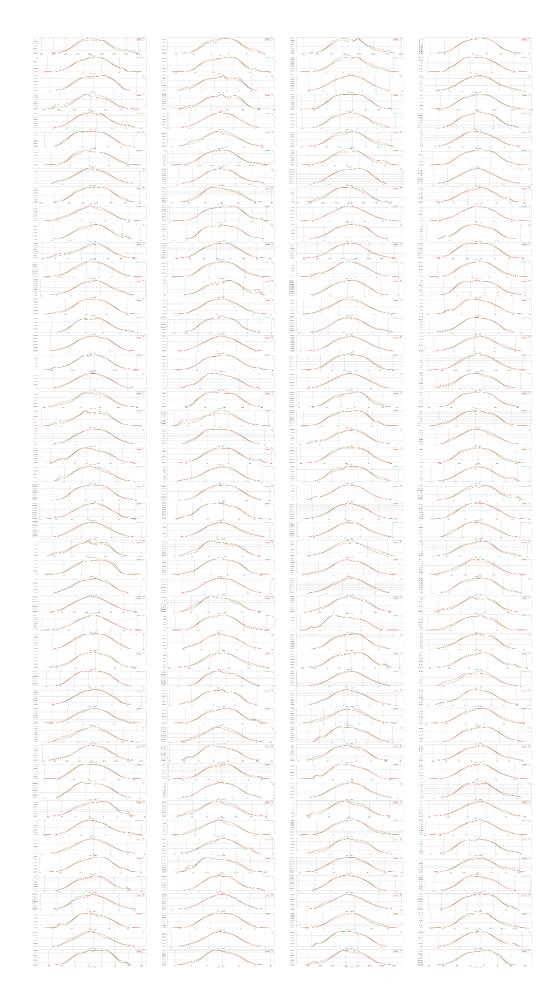
<matplotlib.axes.\_subplots.AxesSubplot at 0x16b7f3d8ac8>

```
1.0
   var 0
   var<sup>-8</sup>
 var_16
var_24
var_32
 var 40
                                                                                - 0.8
 var 48
 var<sup>-</sup>56
 var<sup>-64</sup>
 var 72
                                                                                - 0.6
 var 80
 var<sup>-88</sup>
 var 96
var I04
var 112
                                                                                - 0.4
var 120
var_128
var_136
var_144
var_152
var_160
                                                                               - 0.2
var 168
var 176
var 184
var 192
                                                                                 0.0
```

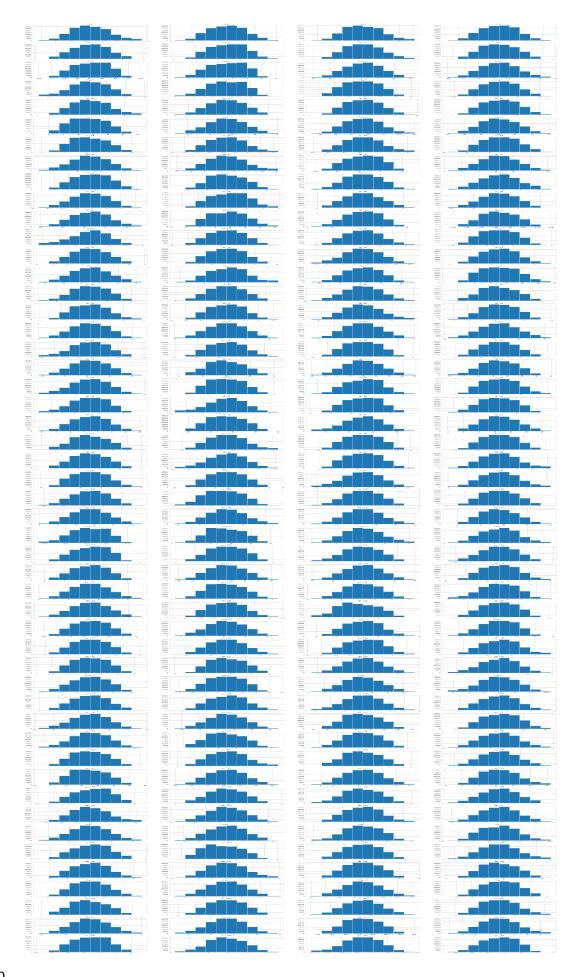
```
# Compute the correlation matrix
np.fill_diagonal(corr.values,np.nan)
corr.max().max(),corr.min().min()

(0.009824411895648928, -0.010286443734441413)
print("Distribution of columns per target class")
sns.set_style('whitegrid')
plt.figure(figsize=(40,200))
for i,col in enumerate(numerical_features):
    plt.subplot(50,4,i+1)
    sns.distplot(train[train['target']==0][col],hist=False,label='0',color='green')
    sns.distplot(train[train['target']==1][col],hist=False,label='1',color='red')
```

Distribution of columns per target class



```
#hisograms are used to check distribution of data
#draw histograms of numeric data in training set
print("Distribution of Columns")
plt.figure(figsize=(40,200))
for i,col in enumerate(numerical_features):
    plt.subplot(50,4,i+1)
    plt.hist(train[col])
    plt.title(col)
Distribution of Columns
```

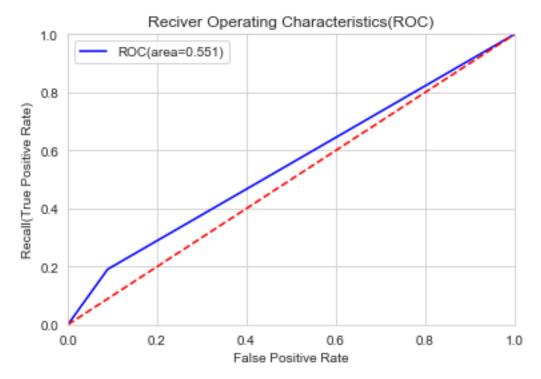


```
plt.figure(figsize=(20, 8))
train[numerical features].mean().plot('hist');
plt.title('Mean Frequency');
                                     Mean Frequency
plt.figure(figsize=(20, 8))
train[numerical features].median().plot('hist');
plt.title('Median Frequency');
plt.figure(figsize=(20, 8))
train[numerical features].std().plot('hist');
plt.title('Standard Deviation Frequency');
```

```
Standard Deviation Frequency
plt.figure(figsize=(20, 8))
 train[numerical_features].skew().plot('hist');
plt.title('Skewness Frequency')
 Text(0.5, 1.0, 'Skewness Frequency')
y = train['target']
x = train.drop(['target', "ID_code"], axis=1)
X_{train}, Y_{train}, Y_{
om state=42, test size=0.3)
print(X_train.shape)
print(Y train.shape)
print(X_test.shape)
print(Y_test.shape)
 (122551, 200)
 (122551,)
 (52522, 200)
  (52522,)
 #Decision Tree
 #Replace target categories with Yes or No
train['target'] = train['target'].replace(0,'No')
```

#apply on train data

```
c50 model=tree.DecisionTreeClassifier(criterion='entropy').fit(X train,Y tr
ain)
#Apply on test data
Y pred=c50 model.predict(X test)
#create confusion matrix
CM=confusion matrix(Y test,Y pred)
CM=pd.crosstab(Y test,Y pred)
#let us save TP, TN, FN, FP
TN=CM.iloc[0,0]
FP=CM.iloc[1,0]
TP=CM.iloc[1,1]
FN=CM.iloc[0,1]
print(CM)
col 0
        0 1
target
       43162 4229
        4152 979
#ROC AUC score
roc score dt = np.round(roc auc score(Y test, Y pred),2)
print('ROC score :',roc score dt)
#ROC AUC curve
plt.figure()
false positive rate, recall, thresholds=roc curve(Y test, Y pred)
roc auc dt=auc(false positive rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false_positive_rate, recall, 'b', label='ROC(area=%0.3f)' %roc_auc_dt
)
plt.legend()
plt.plot([0,1],[0,1],'r--')
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc_auc_dt)
ROC score : 0.55
```



AUC: 0.5507823302768308
#Classification report
scores=classification\_report(Y\_test,Y\_pred)
print(scores)

	precision	recall	f1-score	support
0	0.91	0.91	0.91	47391
1	0.19	0.19	0.19	5131
accuracy			0.84	52522
macro avg	0.55	0.55	0.55	52522
weighted avg	0.84	0.84	0.84	52522

#### #Random Forest

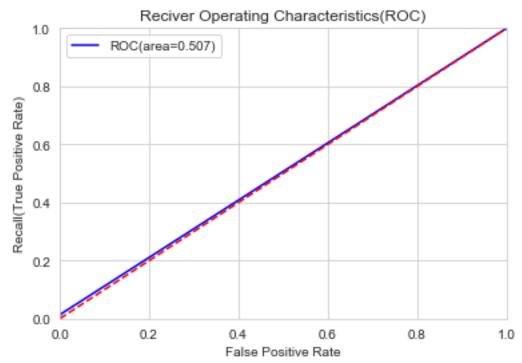
```
RF_model=RandomForestClassifier(n_estimators=10).fit(X_train,Y_train)
RF_Pred=RF_model.predict(X_test)

#ROC_AUC score
roc_score_rf=roc_auc_score(Y_test,RF_Pred)
print('ROC score :',roc_score_rf)

#ROC_AUC curve
plt.figure()
false_positive_rate,recall,thresholds=roc_curve(Y_test,RF_Pred)
roc_auc_rf=auc(false_positive_rate,recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false_positive_rate,recall,'b',label='ROC(area=%0.3f)' %roc_auc_rf
)
plt.legend()
plt.plot([0,1],[0,1],'r--')
```

```
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc_auc_rf)
```

ROC score : 0.5067226716823265



AUC: 0.5067226716823265
#Classification report
scores=classification\_report(Y\_test,RF\_Pred)
print(scores)

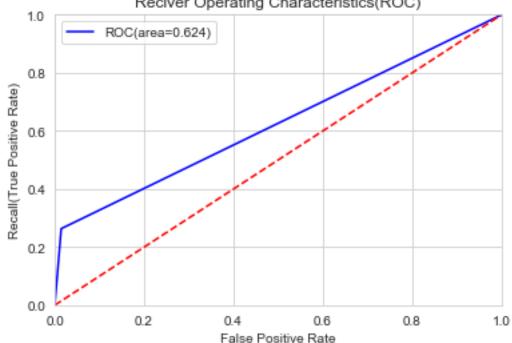
support	f1-score	recall	precision	
47391	0.95	1.00	0.90	0
5131	0.03	0.02	0.51	1
0101	0.00	0.02	0.01	_
52522	0.90			accuracy
52522	0.49	0.51	0.71	macro avg
52522	0.86	0.90	0.87	weighted avg

### #Logistic Regression

```
lrg = LogisticRegression(random_state=42)
lrg.fit(X_train, Y_train)
y_pred_lrg = lrg.predict(X_test)
```

```
#Cross validation prediction
cv_predict=cross_val_predict(lrg,X_test,Y_test,cv=5)
#Cross validation score
```

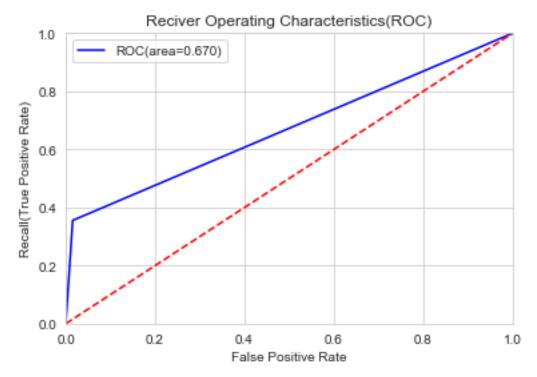
```
cv_score=cross_val_score(lrg, X_test, Y_test, cv=5)
print('cross val score :', np.average(cv score))
cross val score : 0.9150832208599764
roc score lrg=roc auc score(Y test,cv predict)
print('ROC score :',roc score lrg)
#ROC AUC curve
plt.figure()
false_positive_rate, recall, thresholds=roc_curve(Y_test, cv_predict)
roc auc lrg=auc(false positive rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false_positive_rate, recall, 'b', label='ROC(area=%0.3f)' %roc_auc_lr
plt.legend()
plt.plot([0,1],[0,1],'r--')
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc_auc_lrg)
ROC score : 0.6244763923405998
                 Reciver Operating Characteristics(ROC)
   1.0
              ROC(area=0.624)
   0.8
   0.6
```



```
AUC: 0.6244763923405998
#Classification report
scores=classification_report(Y_test,y_pred_lrg)
print(scores)

precision recall f1-score support
```

```
0
                  0.93
                           0.99
                                       0.96
                                               47391
           1
                   0.69
                             0.26
                                       0.38
                                                 5131
                                       0.92
                                                52522
    accuracy
   macro avg
                  0.81
                            0.63
                                       0.67
                                                52522
                   0.90
                             0.92
                                       0.90
                                                52522
weighted avg
#Naive Bayes
gnb = GaussianNB()
gnb.fit(X_train, Y_train)
y pred gnb = gnb.predict(X test)
#ROC AUC score
roc score gnb=roc auc score(Y test,y pred gnb)
print('ROC score :',roc_score_gnb)
#ROC AUC curve
plt.figure()
false positive rate, recall, thresholds=roc curve(Y test, y pred gnb)
roc auc gnb=auc(false positive rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
plt.plot(false positive rate, recall, 'b', label='ROC(area=%0.3f)' %roc_auc_gn
b)
plt.legend()
plt.plot([0,1],[0,1],'r--')
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc auc gnb)
ROC score: 0.6700517961965967
```



AUC: 0.6700517961965967
#Classification report
scores=classification\_report(Y\_test,y\_pred\_gnb)
print(scores)

	precision	recall	f1-score	support
0	0.93	0.98	0.96	47391
1	0.71	0.36	0.47	5131
accuracy			0.92	52522
macro avg	0.82	0.67	0.72	52522
weighted avg	0.91	0.92	0.91	52522

#SMOTE

```
#Synthetic Minority Oversampling Technique
```

sm = SMOTE(random state=42, ratio=1.0)

#Generating synthetic data points

X smote, y smote=sm.fit sample(X train, Y train)

X smote v,y smote v=sm.fit sample(X test,Y test)

#Logistic regression model for SMOTE

smote=LogisticRegression(random state=42)

#fitting the smote model

smote.fit(X\_smote,y\_smote)

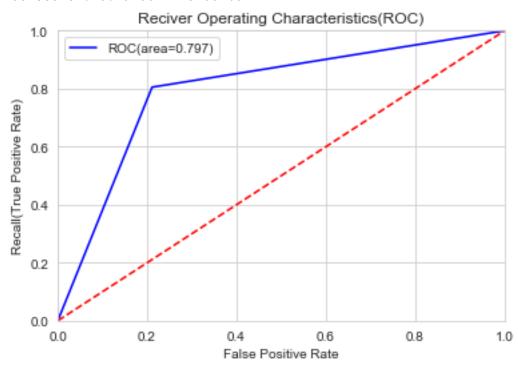
LogisticRegression(C=1.0, class\_weight=None, dual=False, fit\_intercept=True

intercept\_scaling=1, l1\_ratio=None, max\_iter=100,
multi\_class='warn', n\_jobs=None, penalty='l2',
random\_state=42, solver='warn', tol=0.0001, verbose=0,
warm start=False)

```
#Accuracy of the model
smote score=smote.score(X smote, y smote)
print('Accuracy of the smote_model :',smote_score)
Accuracy of the smote model: 0.7985422186852839
#Cross validation prediction
cv pred=cross val predict(smote, X smote v, y smote v, cv=5)
#Cross validation score
cv score=cross val score(smote, X smote v, y smote v, cv=5)
print('cross_val_score :',np.average(cv_score))
cross val score : 0.7970819415096922
#Confusion matrix
cm=confusion matrix(y smote v,cv pred)
cm=pd.crosstab(y_smote_v,cv_pred)
cm
 col_0
 row_0
      37392
             9999
       9234 38157
#Classification report
scores=classification report(y smote v,cv pred)
print(scores)
              precision recall f1-score support
                            0.79
                   0.80
                                       0.80
                                               47391
                   0.79
                             0.81
                                       0.80
                                                47391
                                       0.80
                                               94782
    accuracy
                                                94782
   macro avg
                  0.80
                            0.80
                                       0.80
weighted avg
                  0.80
                            0.80
                                       0.80
                                                94782
#ROC AUC score
roc_score=roc_auc_score(y_smote_v,cv_pred)
print('ROC score :',roc score)
#ROC AUC curve
plt.figure()
false_positive_rate, recall, thresholds=roc_curve(y_smote_v, cv_pred)
roc auc=auc(false positive rate, recall)
plt.title('Reciver Operating Characteristics(ROC)')
```

```
plt.plot(false_positive_rate, recall, 'b', label='ROC(area=%0.3f)' %roc_auc)
plt.legend()
plt.plot([0,1],[0,1],'r--')
plt.xlim([0.0,1.0])
plt.ylim([0.0,1.0])
plt.ylabel('Recall(True Positive Rate)')
plt.xlabel('False Positive Rate')
plt.show()
print('AUC:',roc_auc)
```

ROC score : 0.7970817243780465



```
AUC: 0.7970817243780465

#Predicting the model

X_test=test.drop(['ID_code'],axis=1)

smote_pred=smote.predict(X_test)

print(smote pred)
```

print(' $\n$ We can observe that smote model is performing well on imbalance da ta compare to Random Forest,logistic regression or any other models') [1 1 0 ... 0 0 1]

We can observe that smote model is performing well on imbalance data compar e to Random Forest, logistic regression or any other models #final submission sub\_df=pd.DataFrame({'ID\_code':test['ID\_code'].values})

```
sub_df=pd.DataFrame({'ID_code':test['ID_code'].values})
sub_df['smote_pred']=smote_pred
sub_df.to_csv('submission.csv',index=False)
sub_df.head()
```

	ID_code	$smote\_pred$
0	test_0	1
1	test_1	1
2	test_2	0
3	test_3	1
4	test_4	0

## Python code:

 $\underline{file:///C:/Users/chandini\%20c/Downloads/Project\%201(Santander\%20Customer\%20Transaction).ht}\\ \underline{ml}$ 

## Output test data with target variable:



## **Appendix B -R Code**

```
#import libraries and set working directory
rm(list=ls())
setwd("C:/Users/chandini c/Desktop")
getwd()
x = c("ggplot2","glmnet","pROC", "corrgram", "DMwR", "caret", "randomForest", "unbalanced",
"C50", "dummies", "e1071", "Information",
   "MASS", "rpart", "gbm", "ROSE", 'sampling', 'DataCombine', 'inTrees')
#Load Libraries
lapply(x, require, character.only = TRUE)
rm(x)
#Load Data Sets
train = read.csv("train.csv")
test=read.csv("test.csv")
head(train)
#Dimension of data sets
dim(train)
dim(test)
#Summary of the dataset
str(train)
str(test)
#convert to factor
```

```
train$target=as.factor(train$target)
require(gridExtra)
#Count of target classes
table(train$target)
#Percenatge counts of target classes
table(train$target)/length(train$target)*100
#Bar plot for count of target classes
plot1=ggplot(train,aes(target))+theme_bw()+geom_bar(stat='count',fill='lightgreen')
grid.arrange(plot1)
###MISSING VALUE ANALYSIS
#Finding the missing values in train data
missing_val=data.frame(missing_val=apply(train,2,function(x){sum(is.na(x))}))
missing_val=sum(missing_val)
missing_val
#Finding the missing values in test data
missing_val=data.frame(missing_val=apply(test,2,function(x){sum(is.na(x))}))
missing_val=sum(missing_val)
missing_val
##OUTLIER ANALYSIS
#Outlier Analysis in train dataset
numeric_index=sapply(train,is.numeric)
numeric_data=train[,numeric_index]
numerical_features=colnames(numeric_data)
#Removal of outliers in train data:
for(i in numerical_features){
```

```
val=train[,i][train[,i]%in%boxplot.stats(train[,i])$out]
 train=train[which(!train[,i]%in%val),]
}
#Outlier Analysis in test dataset
numeric_index=sapply(test,is.numeric)
numeric_data=test[,numeric_index]
numerical_features=colnames(numeric_data)
#Removal of outliers in test data:
for(i in numerical_features){
 val=test[,i][test[,i]%in%boxplot.stats(test[,i])$out]
 test=test[which(!test[,i]%in%val),]
}
##CORRELATION ANALYSIS
#Correlations in train data
#convert factor to int
train$target=as.numeric(train$target)
train_correlations=cor(train[,c(2:202)])
train_correlations
#Correlations in test data
test_correlations=cor(test[,c(2:201)])
test_correlations
##VISUALIZATIONS
#Distribution of train attributes
for (var in names(train)[c(3:202)]){
```

```
target=train$target
 plot=ggplot(train, aes(x=train[[var]],fill=target)) +
  geom_density(kernel='gaussian') + ggtitle(var)+theme_classic()
 print(plot)
}
#Distribution of test attributes
for (var in names(test)[c(2:201)]){
 target=test$target
 plot=ggplot(test, aes(x=test[[var]])) +
  geom_density(kernel='gaussian') + ggtitle(var)+theme_classic()
 print(plot)
}
#Applying the function to find mean values per column in train and test data.
train_mean=apply(train[,-c(1,2)],MARGIN=2,FUN=mean)
test_mean=apply(test[,-c(1)],MARGIN=2,FUN=mean)
ggplot()+
#Distribution of mean values per column in train data
geom_density(aes(x=train_mean),kernel='gaussian',show.legend=TRUE,color='blue')+theme_classic(
)+
#Distribution of mean values per column in test data
geom_density(aes(x=test_mean),kernel='gaussian',show.legend=TRUE,color='green')+
labs(x='mean values per column',title="Distribution of mean values per row in train and test
dataset")
#Applying the function to find sd values per column in train and test data.
train_sd=apply(train[,-c(1,2)],MARGIN=2,FUN=sd)
test sd=apply(test[,-c(1)],MARGIN=2,FUN=sd)
```

```
ggplot()+
#Distribution of sd values per column in train data
geom_density(aes(x=train_sd),kernel='gaussian',show.legend=TRUE,color='red')+theme_classic()+
#Distribution of sd values per column in test data
geom_density(aes(x=test_sd),kernel='gaussian',show.legend=TRUE,color='blue')+
labs(x='sd values per column',title="Distribution of std values per column in train and test dataset")
#Applying the function to find skewness values per column in train and test data.
train_skew=apply(train[,-c(1,2)],MARGIN=2,FUN=skewness)
test_skew=apply(test[,-c(1)],MARGIN=2,FUN=skewness)
ggplot()+
#Distribution of skewness values per column in train data
geom_density(aes(x=train_skew),kernel='gaussian',show.legend=TRUE,color='green')+theme_classic
()+
#Distribution of skewness values per column in test data
geom_density(aes(x=test_skew),kernel='gaussian',show.legend=TRUE,color='blue')+
labs(x='skewness values per column',title="Distribution of skewness values per column in train and
test dataset")
##MODELING##
#splitting the data using stratified sampling method:
rm(list=c('numeric_data','test_correlations','train_correlations','i','numeric_index','numerical_featur
es','val'))
set.seed(1234)
#convert to factor
train$target=as.factor(train$target)
```

```
train_index=createDataPartition(train$target,p=.70,list=FALSE)
train_data=train[train_index,]
#validation data
valid_data=train[-train_index,]
#dimension of train and validation data
dim(train_data)
dim(valid_data)
##RANDOM FOREST:
#convert to int to factor
train_data$target=as.factor(train_data$target)
#Random Forest Model on train data
RF_model=randomForest(target^{\sim}.,train_data[,-c(1)],importance=TRUE,ntree=10)
#Model performance on validation data set
RF_pred=predict(RF_model,valid_data[,-2])
#confusion matrix
confmatrix_RF=table(valid_data$target,RF_pred)
confusionMatrix(confmatrix_RF)
#Accuracy=90.22
#FNR=(FN*100)/(FN+TP)=50.86
(147*100)/(147+142)
#Recall=49.13
(142*100)/(142+147)
#ROC_AUC score and curve
```

```
set.seed(843)
#convert to numeric
RF_pred=as.numeric(RF_pred)
roc(valid_data$target,predictor=RF_pred,auc=TRUE,plot=TRUE)
#AUC=51.23
#LOGISTIC REGRESSION:
#Training dataset
X_t=as.matrix(train_data[,-c(1,2)])
y_t=as.matrix(train_data$target)
#validation dataset
X_v=as.matrix(valid_data[,-c(1,2)])
y_v=as.matrix(valid_data$target)
#test dataset
test_df=as.matrix(test[,-c(1)])
#logistic regression model
library(glmnet)
set.seed(667) # to reproduce results
lr_model=glmnet(X_t,y_t, family = "binomial")
summary(Ir_model)
#cross validation:
cv_lr=cv.glmnet(X_t,y_t,family = "binomial", type.measure = "class")
#Model performance on validation dataset
set.seed(5363)
cv_predict=predict(cv_Ir,X_v,type = "class")
```

```
#Confusion matrix
set.seed(689)
#actual target variable
target=valid_data$target
#convert to factor
target=as.factor(target)
#predicted target variable
#convert to factor
cv_predict=as.factor(cv_predict)
confMat=table(valid_data$target,cv_predict)
confusionMatrix(confMat)
#Accuracy=91.56%
#Recall=74.87
#FNR=(FN*100)/(FN+TP)=25.12
(353*100)/(353+1052)
#Recall=(TP*100)/(TP+FN)=74.87
(1052*100)/(1052+353)
#ROC_AUC score and curve
set.seed(843)
#convert to numeric
cv_predict=as.numeric(cv_predict)
roc(valid_data$target,predictor=cv_predict,auc=TRUE,plot=TRUE)
#AUC=59.55
#Naive bayes
library(e1071)
#Develop model
```

```
NB_model=naiveBayes(target~.,data=train_data)
#Predict on test cases
NB_pred=predict(NB_model,X_v,type="class")
#Confusion matrix
confmatrix_NB=table(observed=y_v,predicted=NB_pred)
confusionMatrix(confmatrix_NB)
#Accuracy=92.33%
#FNR=24.5
#Recall=71.77
(713*100)/(713+1813)
(1813*100)/(713+1813)
#ROC_AUC score and curve
set.seed(843)
#convert to numeric
NB_pred=as.numeric(NB_pred)
roc(valid_data$target,predictor=NB_pred,auc=TRUE,plot=TRUE)
#AUC=66.92
#Random Oversampling Examples(ROSE) for Logistic Reg
library(ROSE)
set.seed(699)
train.rose = ROSE(target~., data =train_data[,-c(1)],seed=32)$data
#target classes in balanced train data
table(train.rose$target)
valid.rose = ROSE(target~., data =valid_data[,-c(1)],seed=42)$data
#target classes in balanced valid data
table(valid.rose$target)
```

```
#Logistic regression model
set.seed(462)
lr_rose =glmnet(data.matrix(train.rose),data.matrix(train.rose$target), family = "binomial")
summary(Ir_rose)
#Cross validation prediction
set.seed(473)
cv_rose = cv.glmnet(data.matrix(valid.rose),data.matrix(valid.rose$target),family = "binomial",
type.measure = "class")
cv_rose
#Model performance on validation dataset
set.seed(442)
predict.rose=predict(cv_rose,data.matrix(valid.rose),s = "lambda.min", type = "class")
predict.rose
#Confusion matrix
set.seed(478)
#actual target variable
target=valid.rose$target
#convert to factor
target=as.factor(target)
#predicted target variable
#convert to factor
predict.rose=as.factor(predict.rose)
#Confusion matrix
confmat_rose=table(valid.rose$target,predict.rose)
confusionMatrix(confmat_rose)
#accuracy=100%
```

#ROC\_AUC score and curve

set.seed(843)

#convert to numeric

predict.rose=as.numeric(predict.rose)

roc(valid.rose\$target,predictor=predict.rose,auc=TRUE,plot=TRUE)

#AUC=100

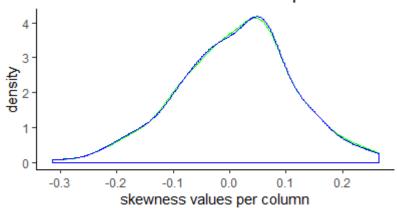
#### R Code File:



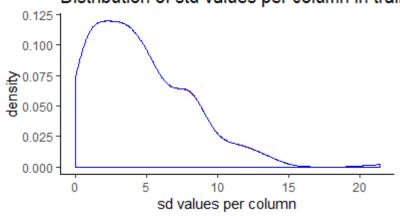
santander\_project.R

# **Appendix B -Extra Figures in R CODE**

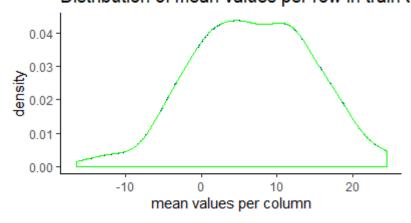
Distribution of skewness values per column in

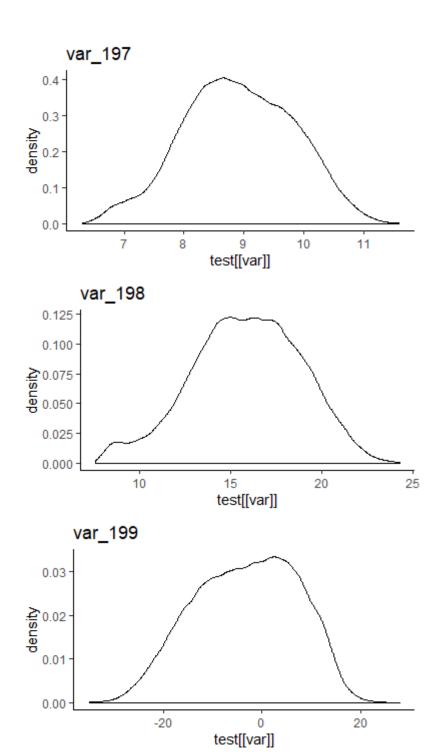


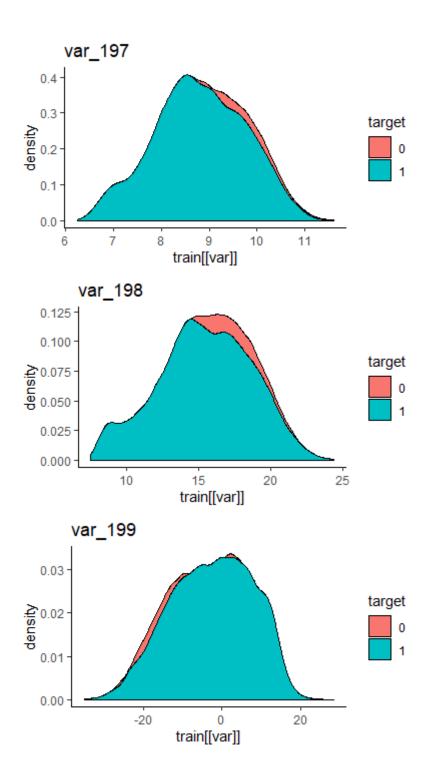
Distribution of std values per column in trair



Distribution of mean values per row in train a







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