# Sorting | Time Complexity

Practice

#### Agenda

- Understand time complexity
- Big O
- Bubble sort

### Time Complexity

Linear Search , Bânoary Gearch

Sorting - Bubbole, Schedton, Insertion, Merge, Ouichart

which is better??

2 criteria - Time & Space

Execution time Extra space

#### **Asymptotic Analysis of Algorithms**

Observing performance of algorithms for very large inputs.

Calculating its Bis 0 time complexity

Now to compute Bis 0?

1) Count the no of iterations (approx)

2) Cret rid of small terms

3) Cret rid of constant coefficient

Quiz \ for i in range (1, NH, 2) Eg - N=20 1,3,5,7,9,11,13,15,17,19 N=20 > 10 iterations Eg - N=11 1,3,5,7,9,11 N=11 -> 6 iterations - 0(N) Imput N -> NH iterations Quiz 2 for i in range (1, NH): > N itentions
for j in range (1, NH): } N itentions
Print (i + j) Total =  $N^2$  iterations  $\rightarrow O(N^2)$ Nested loops for i in range (1, NH): } N for j in range (1, NH): 3 N

## Big O practice

$$F(N) = 9N^{2} + 9N + 92$$
Signat
term
$$9N^{2}$$
Cret rid of constant coefficient
$$0(N^{2})$$

$$F(N) = 10N^{3} + 5N^{2} \log N + PN + 652$$

$$Cut \text{ vid of 10}$$

$$O(N^{3})$$

$$F(N) = N^2 + 10N$$

$$O(N^2)$$

Quiz
$$F(N) = N \log N + \frac{7N^2}{l} + 8$$

$$7N^2$$
Cust vid of 7
$$O(N^2)$$

Quiz

$$E(N) = 20N_{5} + 14N \log N + 31N_{5} \log N + 8$$

In moths

Assymptotic analysis

Rig-0 Thata Ris ong IL

Small-0 Small onego- W

TLE - Time Limit Exceeded.

Orline Judge 10° iterations - 1 second

I second of execution time

If your code vans over 15 -> TLE

Constraints

Eg - Searching Input Size

( <= N <= 10

Linear Search - O(N)
Is worst Cage - 10' iterations - TLE

Binary Search - O(log\_N)
Lo would Care - log\_10' iterations = 34 iterations

10° iteration  $\Rightarrow$  1 sec 1 iteration  $\Rightarrow$  10° sec 10° iterations  $\Rightarrow$  10° x  $\perp$  sec 10° iterations  $\Rightarrow$  10° x  $\Rightarrow$  10° x  $\Rightarrow$  10° x  $\Rightarrow$  10° sec Method

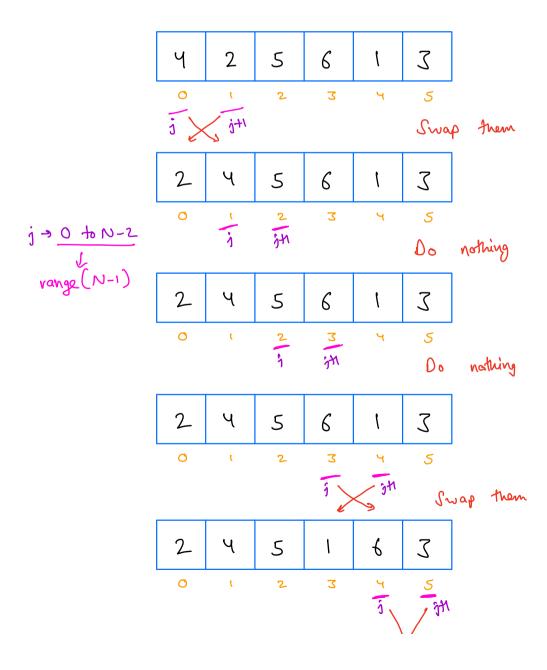
= 100 sec

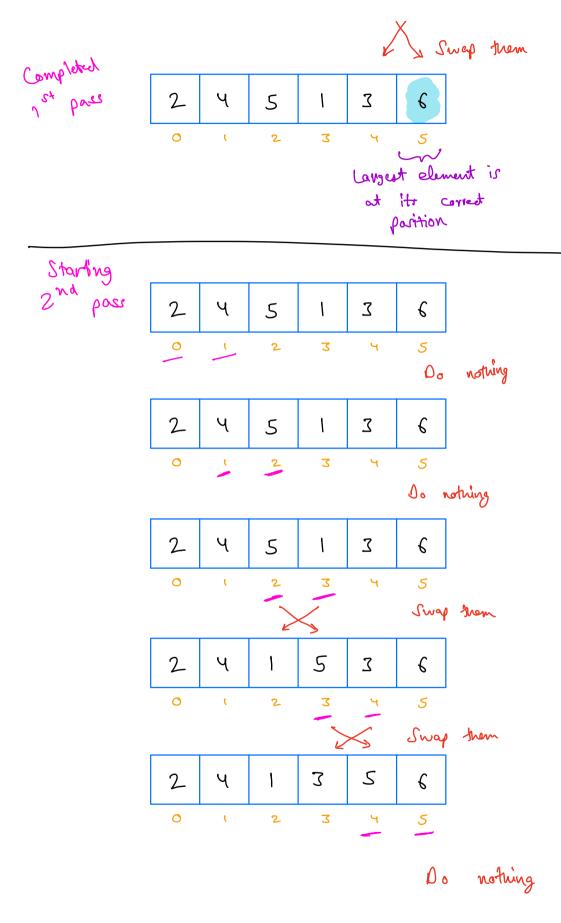
Break till 10:13 PM

### **Bubble Sort**

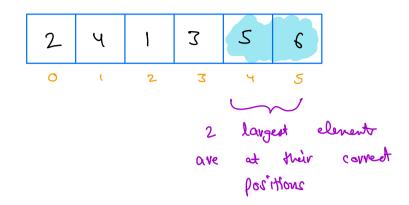


Bubble sort works on the repeatedly swapping of adjacent elements until they are not in the intended order. It is called bubble sort because the movement of array elements is just like the movement of air bubbles in the water. Bubbles in water rise up to the surface; similarly, the array elements in bubble sort move to the end in each iteration.



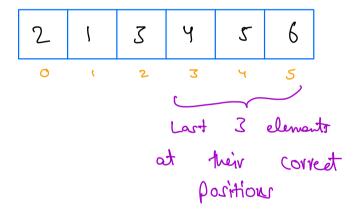








# What will the array be after 3rd iteration?



Now many posses will be required to sort the entire array? - N-1

```
def bubbleSort(arr):

1) N = len(arr) - 1

2) for i in range(N-1): - (N-1) iterations

3) for j in range(N-1): -> N-1 iterations

4) if arr[j] > arr[j+1]: 1

5) arr[j], arr[j+1] = arr[j+1], arr[j] - 1

Total iterations = (N-1) * (N-1)

= N^2 - 2N +1 iterations

Time Camplexity = O(N^2)
```

### **Doubts**

Thank You

Interview - O(N<sup>2</sup>) Rrute Force
O(N log N)

c
O(N)

Sorting - Rubble Sort -> Quicksort 1
Mergesort

Count Sort Rucket Sort Radix Sort

Inbuilt Python Sort - Timsort
Insertion + Merge

 $\chi^{N} > N^{3} > N^{2} > N > \log N$ 

Crood Night

Thank You

Wednerday