

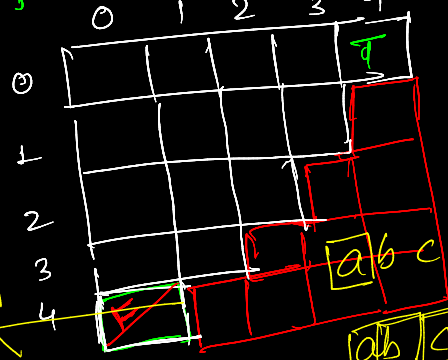
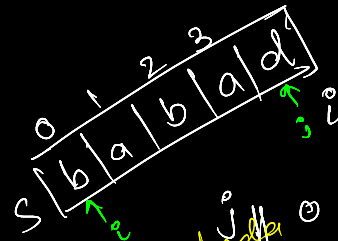
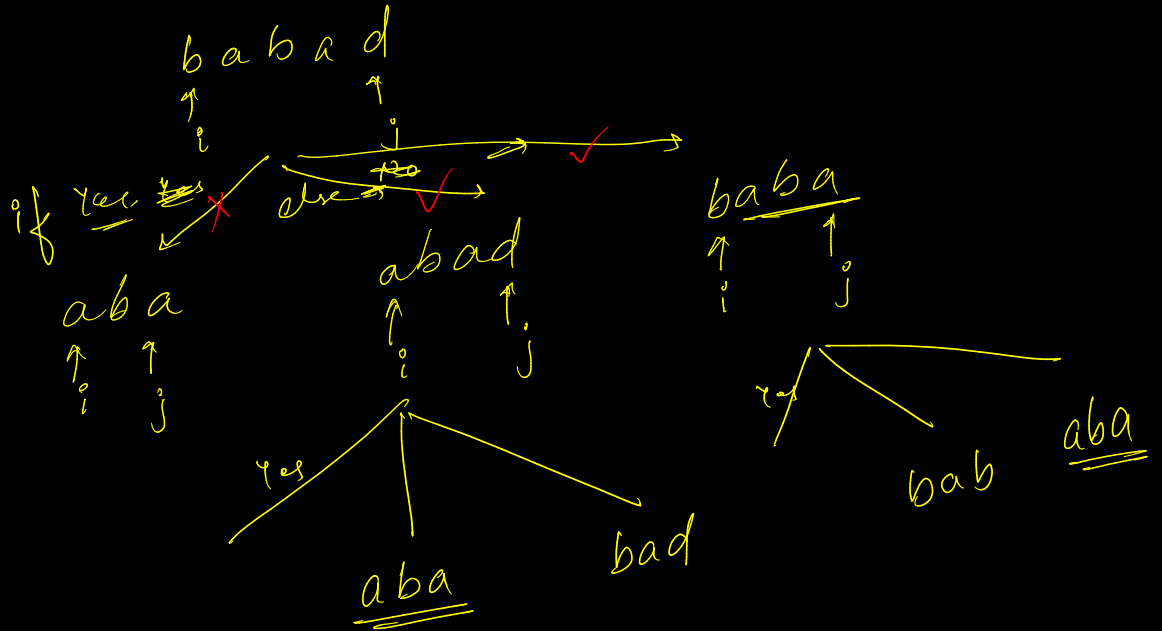
given string is
a palindrome?

b a b a d
↑
i

while (i < j)
→ check.

Need ques.

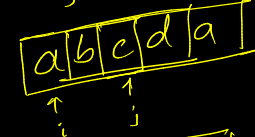
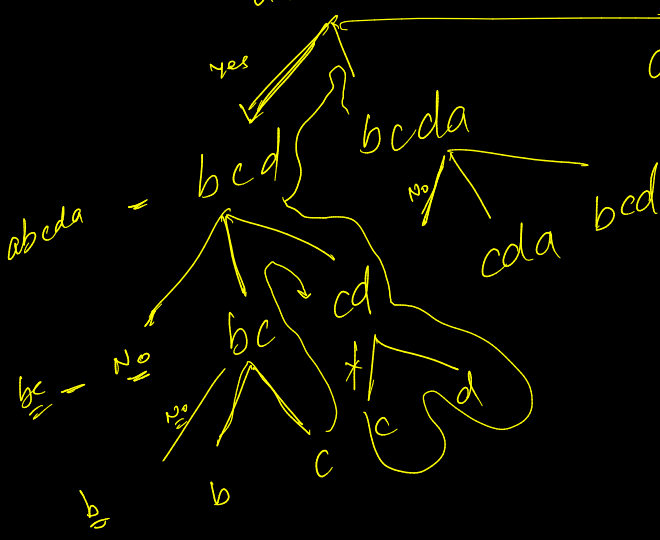
→ How many palindromes
a string can have.



abcd →

abcd

p = 'a'



b a b a d

[b] a b a d

[b] [a] [b] [a] d

[b a b] a d

[b] [a b a] d

[b a b a] d

⇒ p = b

⇒ No change on p

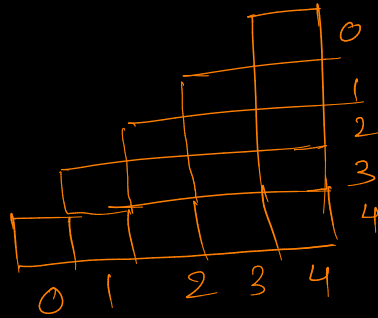
⇒ p = bab

⇒ No change

⇒ No change.

let's reverse this process

| b a b a d |
↑ i ↑ j

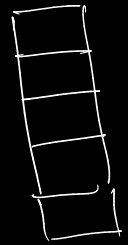


string is immutable? in C++

palind checker(&string, i, j) Value store taken
if (i < j) string[i] == string[j]
return palind()

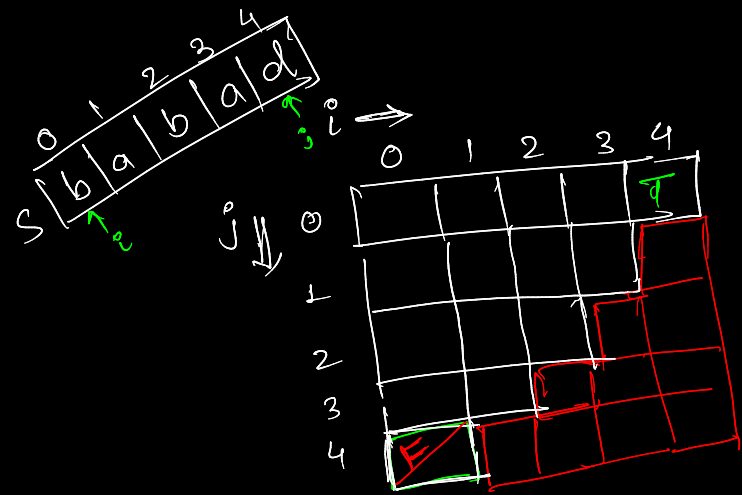
else

string $S = \text{babad}$
 int $L = S.length()$



base condⁿ

- if ($L=0$) return "";
- if ($L=1$) return S ;
- if ($L=2$ & $S[1] == S[0]$) return S ;
- else return $S[0]$;



isPalin(i, j)

- if ($i < j$)
- if ($S[i] == S[j]$)
- else

$S = \begin{matrix} 0 & 1 & 2 & 3 & 4 \\ b & a & b & a & d \end{matrix}$

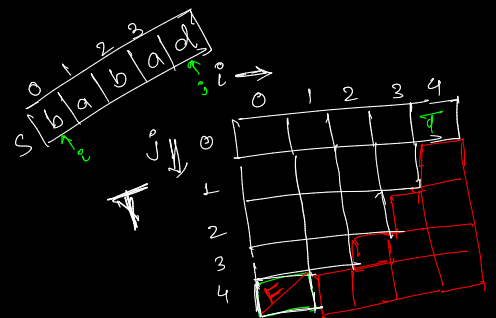
$f(0, 4)$

if ($S[i] == S[j]$)

return: $f(1, 3)$

$f(i, j) = \begin{cases} \text{if } (i == j) \\ \text{if } S[i] == S[j] \\ \text{otherwise} \end{cases}$

- $f(i+1, j-1)$
- $f(i+1, j)$
- $f(i, j-1)$



$\text{if } (s.\text{len}() == 0)$
 $\text{return ""};$
 $\text{checker}(i=0, j=s.\text{len}()-1)$

babad10

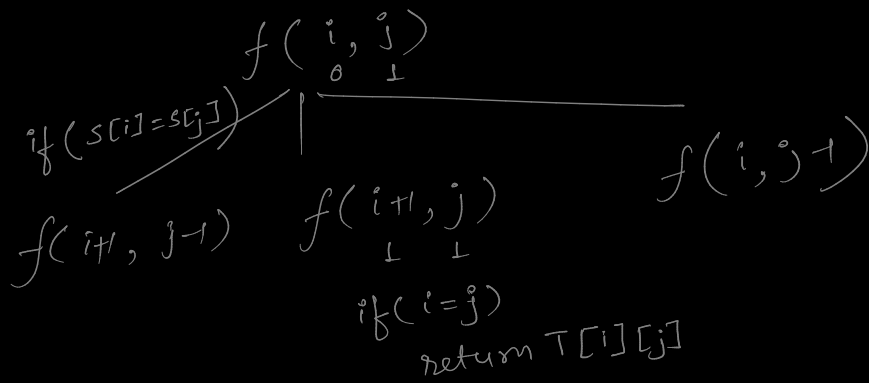
Table: T

0	T				
1	N	T			
2	N	N	T		
3	N	N	N	T	
4	N	N	N	N	T
	0	1	2	3	4

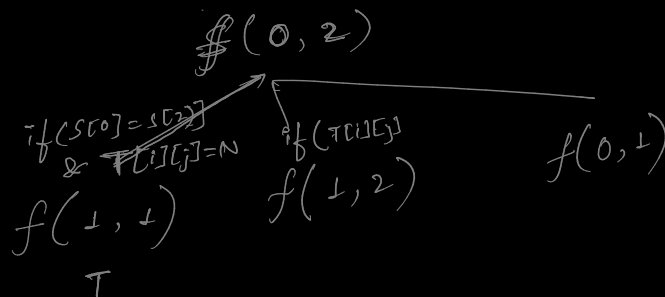
$\text{checker}($
 $\text{if } (T[i][j] \neq N)$
 $s[j+1] == "\0";$
 $\text{return } i;$

$s = a$
 $\uparrow \uparrow$
 $i \quad j$

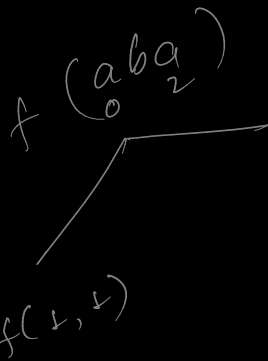
$s = ab$
 $\uparrow \uparrow$
 $0 \ 1$



$s = aba$

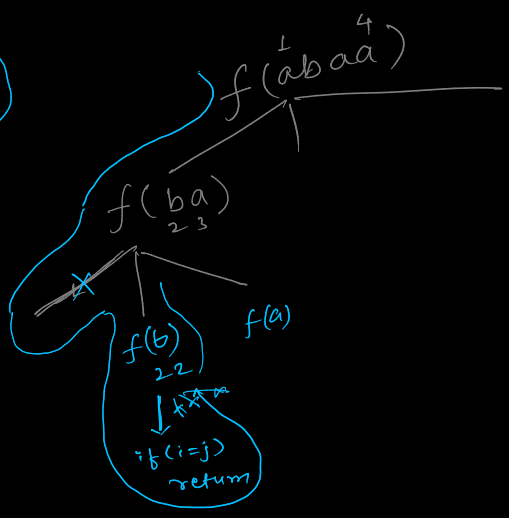
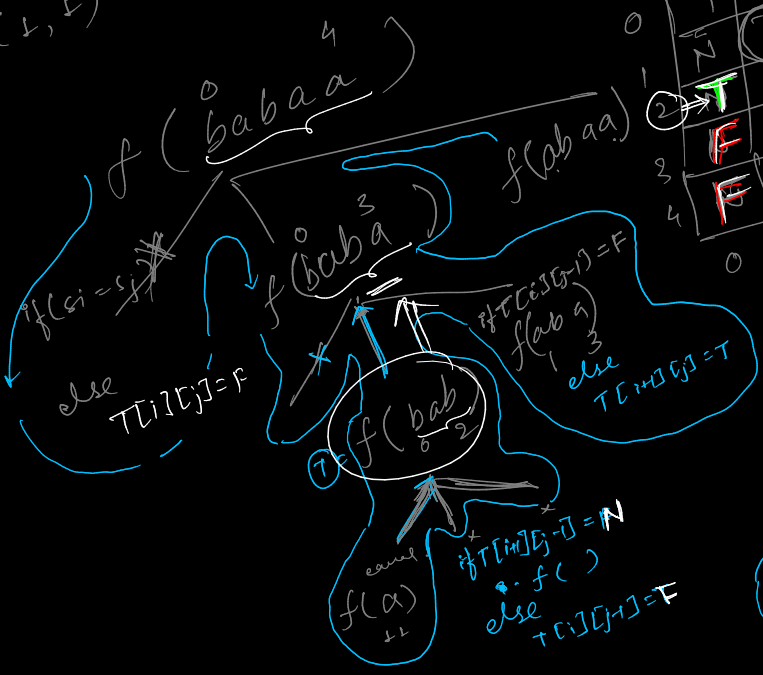


0	T		
1		T	
2			T
	0	1	2



$f(i, j)$
 \downarrow $\text{if}(i=j)$
 $\text{return};$
 $\text{if}(s[i] = s[j])$
 $T[i][j] = f(i+1, j-1);$
 return
 $\text{else } T[i][j] = F$

0	T				
1	N	T			
2	T	N	T		
3	F	N	N	T	
4	F	N			
	0	1	2	3	4



$T[0][1] = f(b, a)$

if ($S[0] = S[1]$)

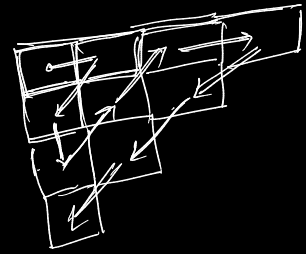
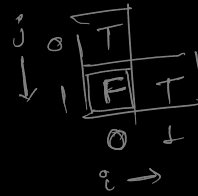
else
 $T[0][1] = F$

if ($T[0][1] = F$)

$T[1][2] = f(i, j+1)$

else
 $T[1][2] = T$

if ($T[1][2]$)
return;



check(i, j)

if ($T[i][j]$)
return;

T

return;

check(0,0)
return;

for (i=0; i<n; i++)
for (j=n; j>0; j--)

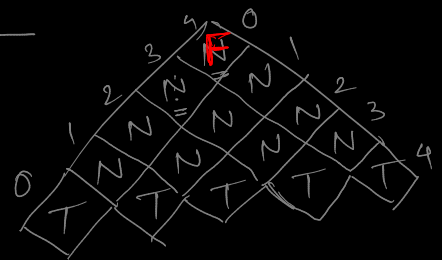
$f(babad)$

if ($T[0][4] = T$)
return;

if ($S[0] = S[4]$)
 $f(1, 3)$

else
 $T[i][j] = F$
 $f(baba)$

if ($T[i][j-1] = F$)
 $f(abad)$



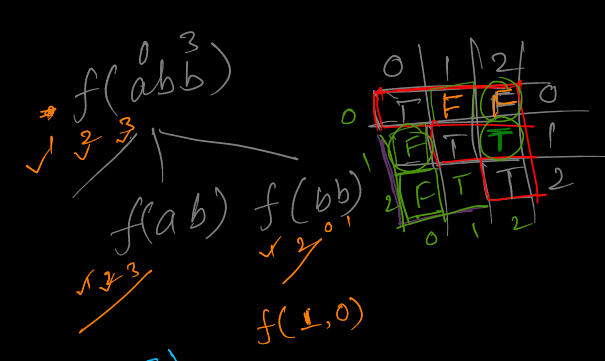
$[0][4]$
 $[0][3]$
 $[1][4]$
 $[2][4]$
 $[1][3]$

checker(i, j)

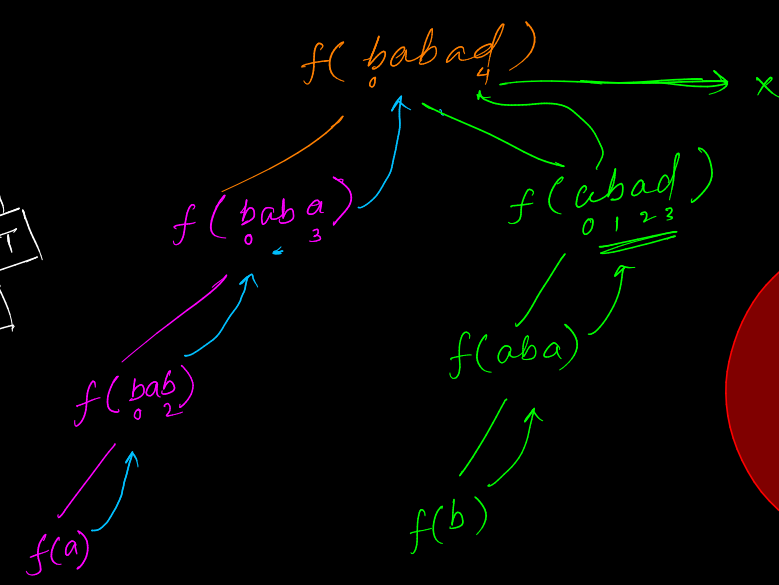
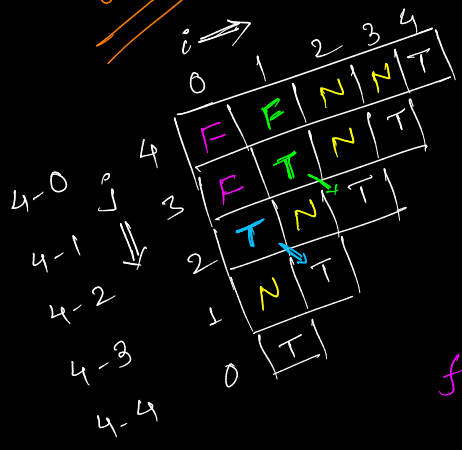
if (T[i][j])
 return;

if (s[i] == s[j])
 if (i+1 < j)
 checker(i+1, j-1);
 else T[i][j] = T; return;

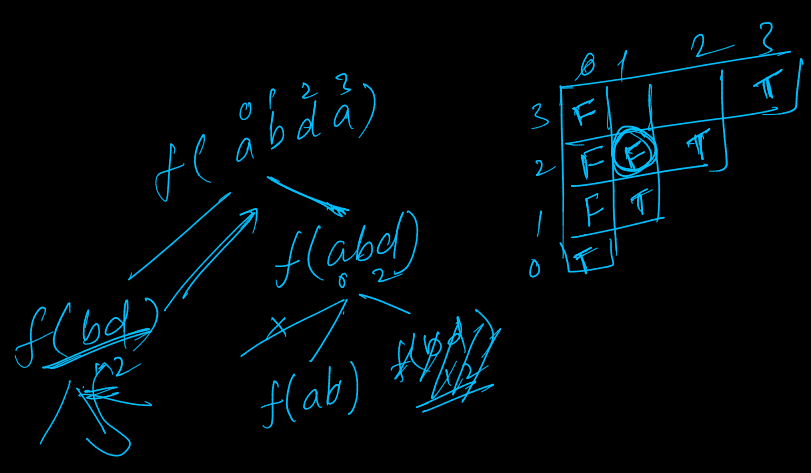
else
 Label: T[i][j] = F;
 checker(i, j-1);
 if (T[i][j-1] == F)
 checker(i+1, j);



Let's Analyze our code

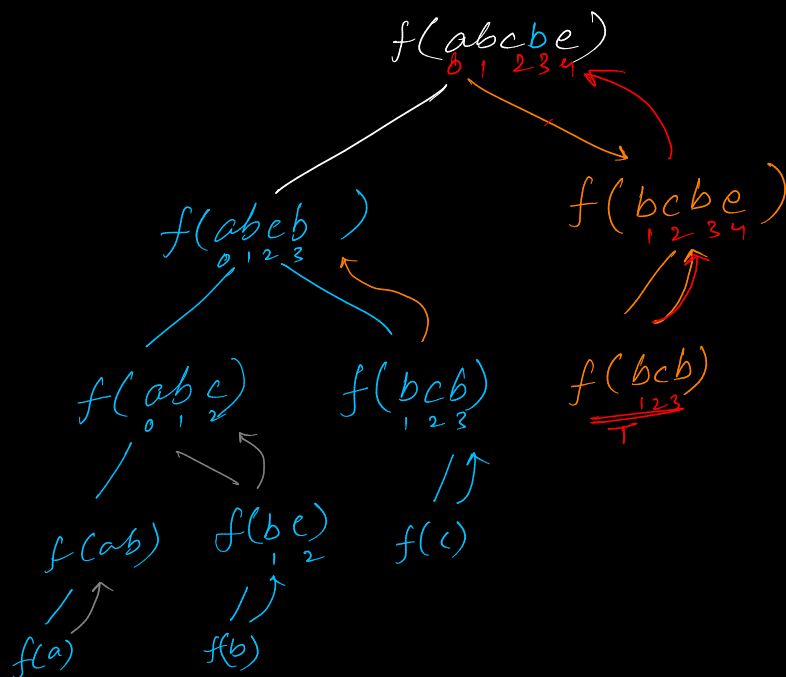


My Code Works



final Analysis
 $TC = O(2^n)$, $SC = O(1)$
 to $TC = O(n^2)$, $SC = O(n^2)$
 I learned alot.

		0	1	2	3	4
0	4	F	F	~	~	T
1	3	F	F	~	T	
2	2	F	F	T		
3	1	F	T			
4	0	T				



checker(i, j)
 if (T[i][j])
 return;

if (S[i] == S[j])
 if (i+1 < j-1)
 checker(i+1, j-1)
 else T[i][j] = T; return;
 else
 Label: T[i][j] = F
 checker(i, j-1)
 if (T[i][j-1] == F)
 checker(i+1, j)
 }