

Problem Set 3

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22 September, 2015

2.3)

```
sub $t0, $s3, $s4    # $t0 holds (i-j)
lw  $t1, $t0($s6)    # $t1 holds A[i-j]
sw  $t1, 8($s7)       # $sets A[i-j] at B[8]
```

2.7)

The binary representation of the hex value ABCDEF12 is shown in the table below.

Hex	A	B	C	D	E	F	1	2
Bin	1010	1011	1100	1101	1110	1111	0001	0010

The little endian representation means that the least significant bit is stored at the lowest memory address, whereas for big endian the most significant bit is stored at the lowest memory address. These two representations are mirrors of each other.

address	7	6	5	4	3	2	1	0
Big Endian	0100	1000	1111	0111	1011	0011	1101	0101
Little Endian	1010	1011	1100	1101	1110	1111	0001	0010

2.9)

```
sll $t0, $s3, 2      # calculate the correct memory offset for i
sll $t1, $s4, 2      # calculate the correct memory offset for j
lw  $t2, $t1($s6)     # load A[i] into $t2
lw  $t3, $t1($s6)     # load A[j] into $t3

add $t4, $t2, $t3     # add A[i] to A[j] and store in $t4
sw  $t4, 32($s7)      # set B[8] to the sum using the correct memory offset
```

2.14)

op code	source register	second source	dest. register	shift amount	function
000000	10000	10000	10000	00000	100000
0	16	16	16	0	32
R-type	\$s0	\$s0	\$s0	0	add

0 for the op code makes this an R-type instruction which corresponds to the assembly code:

```
add $s0, $s0, $s0
```

2.15)

```
sw $t1, 32($t2)
```

The \$t1 register's number code is 9_{10} , and the \$t2 register's number is 10_{10} . The sw (store word) op code is 43_{10} , which makes this an I-type instruction.

op code	source register	destination	constant or address
101011	01001	01010	0000000000100000
43	9	10	32

Converting this binary representation to hexadecimal gives the value: AD2A0020

2.16)

op code	source register	second source	dest. register	shift amount	function
000000	00011	00010	00011	00000	100010
0	3	2	3	0	34
R-type	\$v1	\$v0	\$v1	0	sub

The op code of 0 identifies this as an R-type instruction, and the function value of 34_{10} identifies this as subtraction. The assembly instruction is then:

```
sub $v1, $v0, $v1
```

3.17)

Op code $23_{hex} = 35_{10} = lw$. Register 1 is \$at, and register 2 is \$v0. Op code of lw identifies this as an I-type instruction, so the const is the address for the last 16 bits of the instruction. The binary representation and assembly instruction is then:

op code	source register	destination	constant or address
1000011	00010	00001	0000000000000100
43	9	10	32
lw	\$at	\$v0	4

lw \$v0, 4(\$at)

2.19)

Hex	A	A	A	A	A	A	A	A
Bin	1010	1010	1010	1010	1010	1010	1010	1010
Hex	1	2	3	4	5	6	7	8
Bin	0001	0010	0011	0100	0101	0110	0111	1000

2.19.1)

After the first command, the register \$t2 will hold the bits of AAAAAAAAA shifted by 4 and filled with 0s:

\$t2 = 10101010101010101010101010100000 = 0xAAAAAAAA0

After the second instruction, the register \$t2 will hold the bitwise OR of \$t2 and \$t1, which still holds its original value.

\$t2 = 10111010101111101111111011111000 = 0xBABEFEF8

2.19.2)

As the problem above, after the first command, the register \$t2 will hold the bits of AAAAAAAAA shifted by 4 and filled with 0s:

\$t2 = 10101010101010101010101010100000 = 0xAAAAAAAA0

The next step is to ANDs this value with -1 (11111111111111111111111111111111) and place that value in \$t2. Since AND yields 1 only if there is a 1 in both operands, the value of \$t2 will be unchanged.

\$t2 = 10101010101010101010101010100000 = 0xAAAAAAAA0

2.19.3)

After the first command, the register \$t2 will hold the bits of AAAAAAAAA shifted right by 3 and filled with 0s:

\$t2 = 00010101010101010101010101010101 = 0x15555555

The next step is to ANDs this value with 0xFFEF (000000000000000111111111101111) and place that value in \$t2.

\$t2 = 00000000000000000101010101000101 = 0x5545