

ON THE COMPLEXITY OF ENTROPY REGULARIZED GROMOV WASSERSTEIN

- ▶ [Hard] Matching rows of similarity matrices usually becomes a quadratic assignment problem (Loiola et al., 2007), which is NP-hard.
- ▶ Relaxed (\sim Kantorovich) version (GW) is still non-convex
- ▶ [Peyre et al.]:
 - ▶ For certain class of losses, can compute $L(C, C')(x) T$ in $O(n^3)$
 - ▶ Convergence almost (but not completely) guaranteed in theory, observed in practice
 - ▶ For $L=L_2$, equal to softassign procrustes, convergence proof by Rangarajan [only ensures convergence of the functional values (not of the iterates), and not for general C]

