

1.

The number of different values of x are 101, which are evenly spaced from 0 to 1 with a distance of 0.01, except from the last value of x . Because when $x=0$, $K(x)$ will be positive infinity, So the last value of x was chosen to be 1-tolerance. The tolerance I choice for the calculation is 10^{-6} . Data of 101 different $(x, K(x))$ points was generated by code in lab5.cpp, and plotted by lab5plot.m. Plotting of function $K(x)$ is in Figure 1.

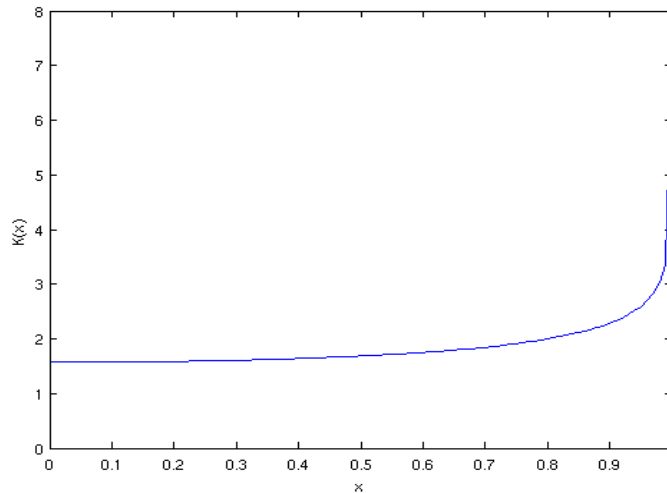


Figure 1: Value of $K(x)$ as a function of x is indicated as the blue line.

2.

Data of 101 different (x, n) points was generated by code in lab5.cpp, and plotted by lab5plot.m. The number of n related to different value of x was plotted as Figure 2:

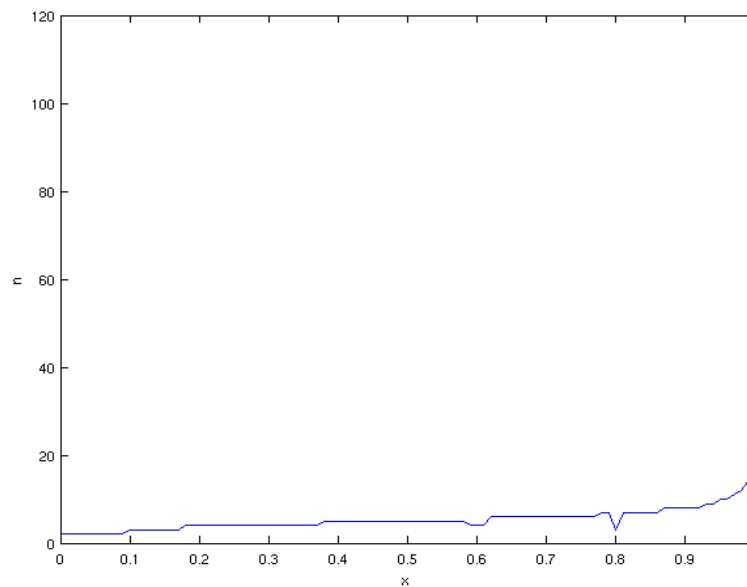


Figure 2: Blue line in this figure indicate the value of n as a function of x .

From Figure 2, we can see that as x increase form 0 to 0.9, the n is also increasing slowly(although fluctuation exist). When x increase form 0.9 to near 1.0, the n increase more and more significantly.

3

When $x=0.5$, integrand was got by executing code in lab5.cpp, and the result was plotted by lab5plot.m, the integrand was in Figure 3.

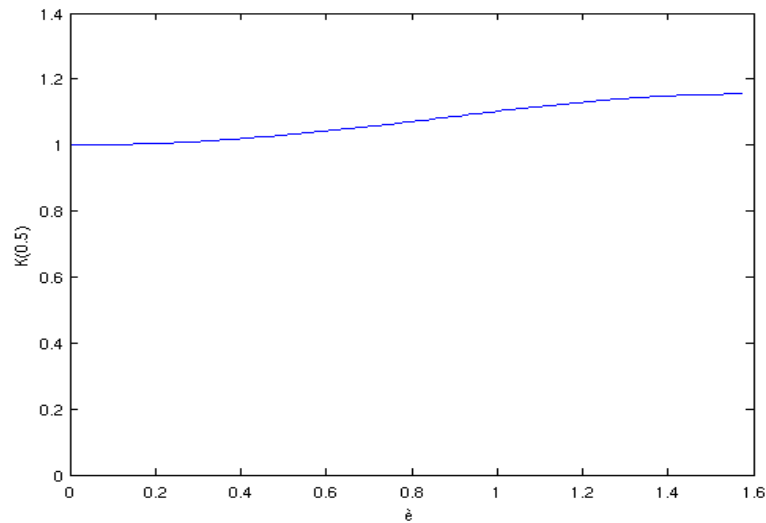


Figure 3. Blue line indicate the value of $K(0.5)$ related to θ from 0 to $\pi/2$

The 5 Gauss nodes and their weights, the 11 Kronrod nodes and their weights, were plotted in Figure 4 and Figure 5 separately(the blue stars).

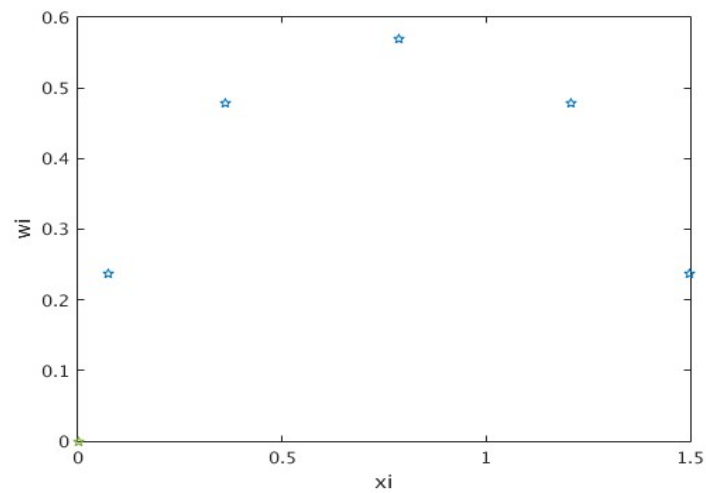


Figure 4. The blue stars are the Gauss nodes at ξ_i and their value w_i

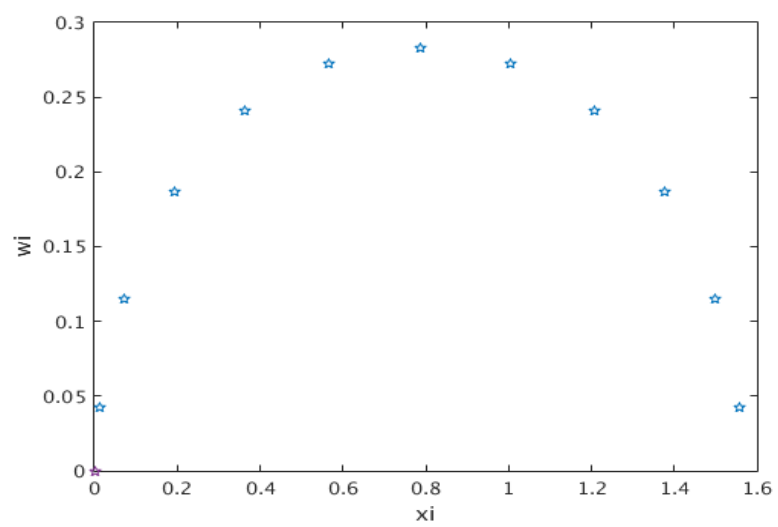


Figure 5. The blue stars are the Kronrod nodes at x_i and their value w_i