Algorithm - 03

-- MergeSort

A. Problem Description

The MergeSort-Algorithm is used to sort a set of elements using 'Divide and Conquer'. Its basic idea is to devide the set into two subsets with similar size and sort the subsets before merged.

B. Description of the algorithm

MergeSort(A, B, left, right)

if left < right

i = (left + right)/2

MergeSort(A, left, i)

MergeSort(A, i + 1, right)

Merge(A, B, left, i, right)

Copy(A, B, left, right)

$$T(n) = |O(1)$$
 $n \le 1$
 $|2T(n/2) + O(n)$ $n > 1$

$$\Rightarrow$$
 T(n) = O(n lgn)

C. Code.[Python]

#!/usr/bin/python

Filename: MergeSort.py

import random

def MergeSort(A, B, left, right):

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if left < right:
          i = (left + right) / 2
          MergeSort(A, B, left, i)
          MergeSort(A, B, i + 1, right)
          Merge(A, B, left, i, right)
          Copy(A, B, left, right)
def Copy(new, old, left, right):
     for i in range(left, right + 1):
          new[i] = old[i]
def Merge(A, B, left, i, right):
     AL = [A[j] \text{ for } j \text{ in range}(\text{left}, i + 1)]
     AL.append(0)
     AR = [A[j] \text{ for } j \text{ in } range(i + 1, right + 1)]
     AR.append(0)
     Bindex = left
     Lindex = Rindex = 0
     while 1:
          if AL[Lindex] == 0:
               for j in range(Rindex, len(AR) - 1):
                     B[Bindex] = AR[j]
                     Bindex += 1
               break
          elif AR[Rindex] == 0:
               for j in range(Lindex, len(AL) - 1):
                     B[Bindex] = AL[i]
                     Bindex += 1
               break
          elif AL[Lindex] < AR[Rindex]:</pre>
               B[Bindex] = AL[Lindex]
               Bindex += 1
               Lindex += 1
               continue
          elif AL[Lindex] >= AR[Rindex]:
               B[Bindex] = AR[Rindex]
               Bindex += 1
               Rindex += 1
          else:
               pass
```