


Screen Shot:

```
X = dcdcbacbbb  
X' = dcdcbacb-bb  
Y' = acdcca-bdbb  
Y = acdccaabdbb  
-----  
M(n,m) = 10
```



Exercise 15.1-2

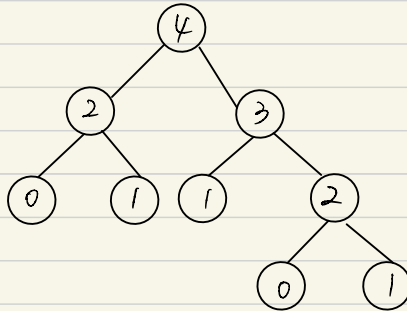
Let $n = 4$, $p_1 = 0.1$, $p_2 = 1.8$, $p_3 = 3$, $p_4 = 3$
as a result the maximal densing piece equal to 3

The greedy does not always produce the optimal result.

In this case, it would cut the rod into two pieces of length 3 and 1 with total 3.1, but there is a better solution that two pieces of 2 with total piece 3.6.

length i	1	2	3	4
price p_i	1	20	33	36
p_i/i	1	10	11	9

Exercise 15.1-5



The number of vertices in tree to compute the n th Fibonacci will follow the recurrence

$$V(n) = 1 + V(n-2) + V(n-1)$$

The initial condition $V(1) = V(0) = 1$, and for the base case

$$V(n) = 1 + 2 \times \text{Fib}(n-2) - 1 + 2 \times \text{Fib}(n-1) - 1 = 2 \times \text{Fib}(n) - 1$$

The number of edge will satisfy the recurrence

$$E(n) = 2 + E(n-1) + E(n-2)$$

$$E(n) = 2 + 2 \times \text{Fib}(n-1) - 2 + 2 \times \text{Fib}(n-2) - 2 = 2 \times \text{Fib}(n) - 2$$

Exercise 15.4-1

$$x = [1, 0, 0, 1, 0, 1], \quad y = [0, 1, 0, 1, 1, 0, 1, 10]$$

$$x.\text{length} = 8$$

$$y.\text{length} = 9$$

$$\text{LCS}[8,8] = 1 + \text{LCS}[7,7] = 1 + \max(\text{LCS}(7,6), \text{LCS}[6,7])$$

$$\text{LCS}[7,6] = 1 + \text{LCS}[6,5] = 2 + \max(\text{LCS}[5,3], \text{LCS}[4,4])$$

$$\text{LCS}[5,3] = 1 + \text{LCS}[4,2] = 3$$

$$\text{LCS}[4,4] = 3, \quad \text{LCS}[2,1] = 1, \quad \text{LCS}[1,2] = 1$$

$$\text{LCS}[7,6] = 5, \quad \text{LCS}[7,7] = 6 = \text{LCS}[8,9]$$