



CS 3011: Artificial Intelligence

Solving Problems by Searching

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Informed (Heuristic) Search

Informed (Heuristic) Search Strategies

- It uses **domain-specific hints** about the location of goals
 - We can find solutions more efficiently than an uninformed strategy.
- The **hints** come in the form of a heuristic function $h(n)$.
- Heuristic function estimates “how close a state is to the goal state”.
 $h(n)$ = estimated cost of cheapest path from node n to a goal
- We can consider $h(n)$ to be arbitrary, non-negative, problem-specific functions, with **one constraint**: if n is a goal node, then **$h(n) = 0$** .
- For example – Manhattan distance, Euclidean distance, etc.

Informed (Heuristic) Search Strategies..

- The general approach we will consider is called **best-first search**.
- Best-first search is an instance of the general TREE-SEARCH or GRAPH-SEARCH algorithm in which a node is selected for expansion based on an **evaluation function, $f(n)$**
 - The node with the **lowest $f(n)$** is expanded first.
 - The implementation of best-first search is identical to that for uniform-cost search except for the use of **f** instead of **g** to order the priority queue.

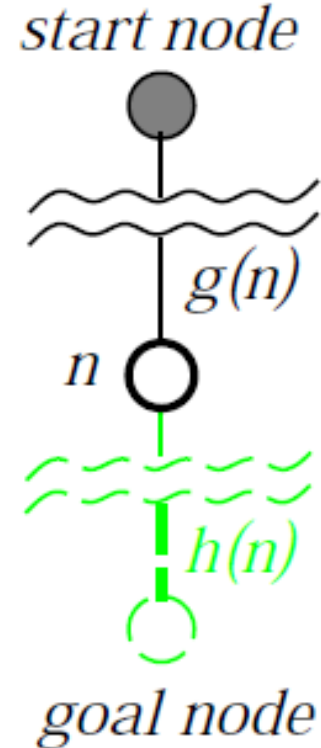
Best-First Search

```
function TREE-SEARCH(problem) returns a solution, or failure
  initialize the frontier using the initial state of problem
  loop do
    if the frontier is empty then return failure
    choose a leaf node and remove it from the frontier // Lowest f value
    if the node contains a goal state then return the corresponding solution
    expand the chosen node, adding the resulting nodes to the frontier
```

- Special cases:
 - Uniform Cost Search (uninformed)
 - Greedy best-first Search (informed)
 - A* Search (informed)

Evaluation Function

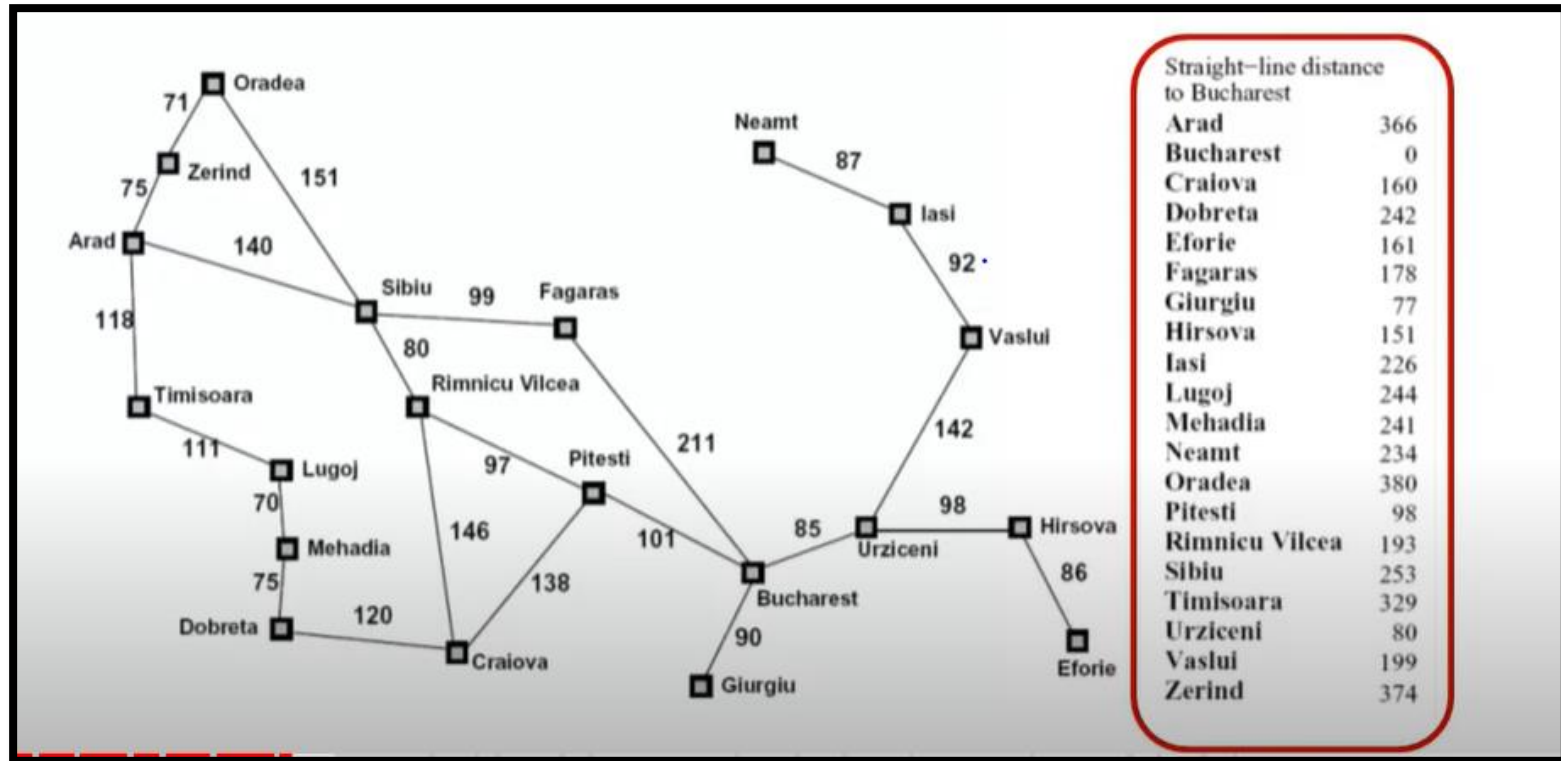
- $g(n)$ = exact cost so far to reach n
- $h(n)$ = estimated cost of the cheapest path from the state at node n to a goal state.
- **Special cases:**
 - Uniform Cost Search: $f(n) = g(n)$
 - Greedy best-first Search: $f(n) = h(n)$
 - A* Search: $f(n) = g(n) + h(n)$



Greedy Best-First Search

- Greedy best-first search tries to expand the node that is appears to be closest to the goal.
 - On the grounds that this is likely to lead to a solution quickly.
- Thus, it evaluates nodes by using just the heuristic function:
 $f(n) = h(n)$
- Greedy algorithms often perform very well. They tend to find good solutions quickly, although not always **optimal ones**.
- E.g., $h_{SLD}(n)$ = straight-line distance from n to Bucharest

Romania - Step Costs in Miles





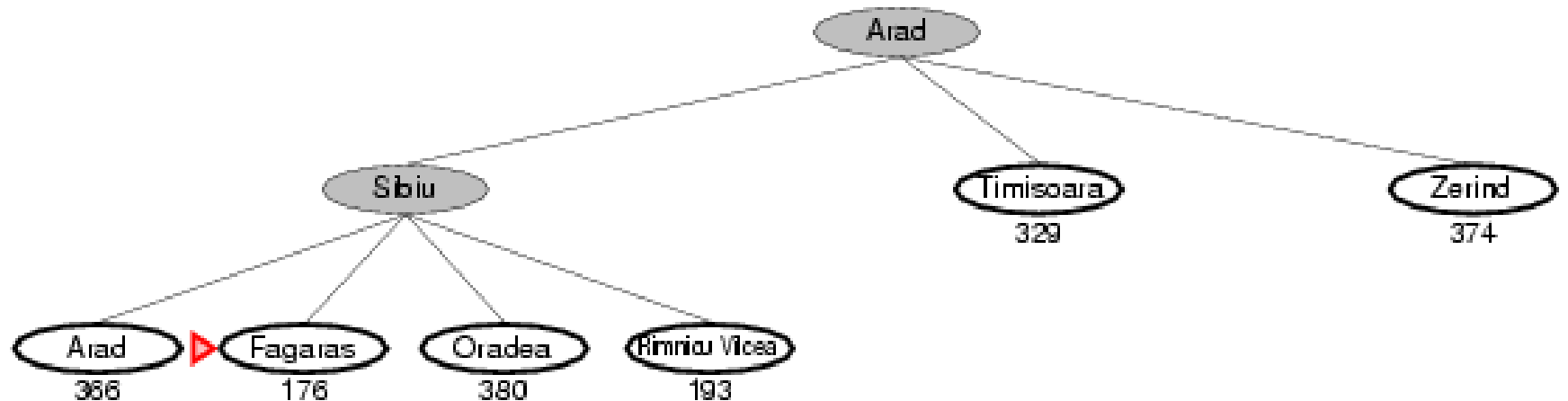
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Greedy Best-First search example (Tree Search)

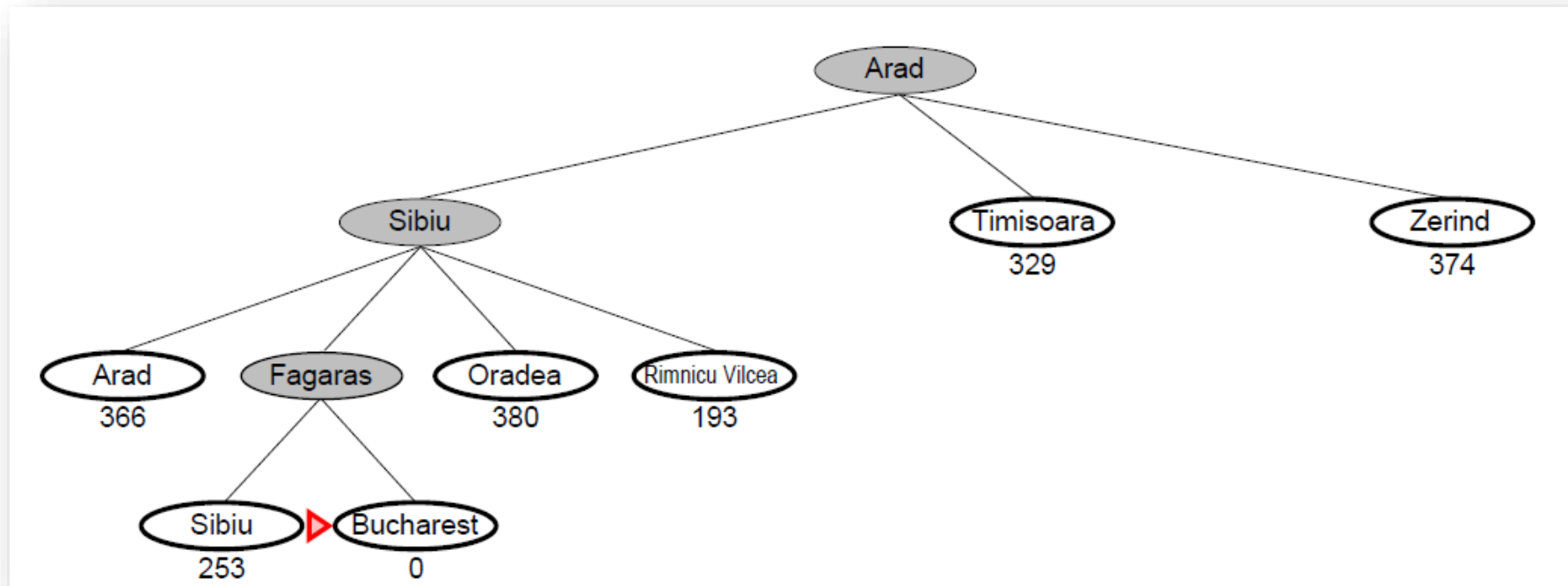
Greedy Best-First search example



Greedy Best-First search example



Greedy Best-First search example



Example 2: Greedy search on 8 puzzle problem

- $h1(n)$: number of misplaced tiles // blank is not included
- $h2(n)$: sum of the distances of tiles from their goal position ("Manhattan distance")

| | | |
|---|---|---|
| 7 | 2 | 4 |
| 5 | | 6 |
| 8 | 3 | 1 |

Start State

| | | |
|---|---|---|
| | 1 | 2 |
| 3 | 4 | 5 |
| 6 | 7 | 8 |

Goal State

Properties of Greedy Best-First search

- Complete? No – can get stuck in loops, e.g., with Oradea as goal and start from Iasi:
 - Iasi \rightarrow Neamt \rightarrow Iasi \rightarrow Neamt \rightarrow
 - Complete in finite space with repeated state checking
- Time? $O(b^m)$, but a good heuristic can give dramatic improvement
- Space? $O(b^m)$ -- keeps all nodes in memory
- Optimal? No.