

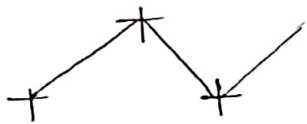
Compass Surveying [2 to 3(M)]

principle of compass surveying:- ~~Traversing~~

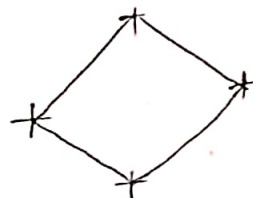
Traversing:- It is a series of lines connected together to form a network with length & bearings.

Types:-

open traverse:-



closed traverse:-



Note:- closed traverse is found for finding areas.

Note:- open traverse is found to check the part of alignment.

Meridian:- It is a reference line with respect to which the bearings are found.

Types of Meridian:-

- 1) True Meridian:- Line joining true North & true South
- 2) Magnetic Meridian:- Line joining magnetic North & magnetic South
- 3) Bearing:- Angle taken with respect to meridian.

Types of Bearing:-

True Bearing:-

Magnetic Bearing:-

Arbitrary Meridian:- It is established for a short period for a temporary cause.

Declination angle:- The horizontal angle b/w true direction & a magnetic direction. (True North & Magnetic North)

Agonic Lines:- It is the line formed by joining all 0° declination points.

Isogonic Lines:- It is the line formed by joining equal declination points other than 0° .

Dip Angle:- It is the angle made by magnetic needle of a vertical mounted compass with respect to horizontal line

Aclinic:- line formed by joining 0° dip points.

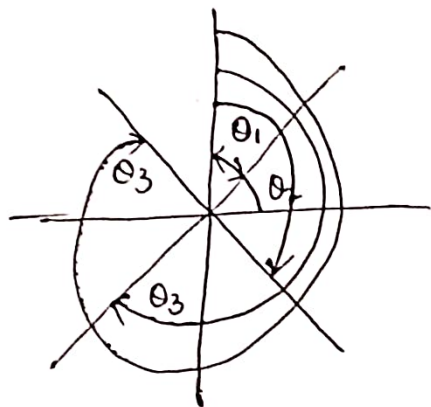
Note:- Equator is an Aclinic line.

Isoclinic line:- line formed by joining equal dips other than 0°

Note:- Aclinic and isoclinic lines possess vertical angles

Bearing.

Whole circle Bearing



Reference — North

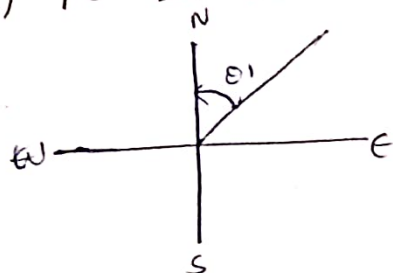
Rotation — clockwise

Representation — $\theta_1, \theta_2, \theta_3, \theta_4$

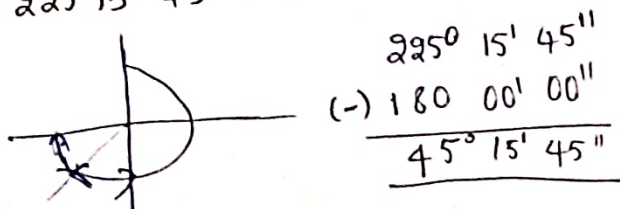
Angle limit — $(0^\circ - 360^\circ)$

1) Convert the following whole circle Bearing to Reduced Bearing

a) $75^\circ 20' 30'' = N 75^\circ 20' 30'' E$

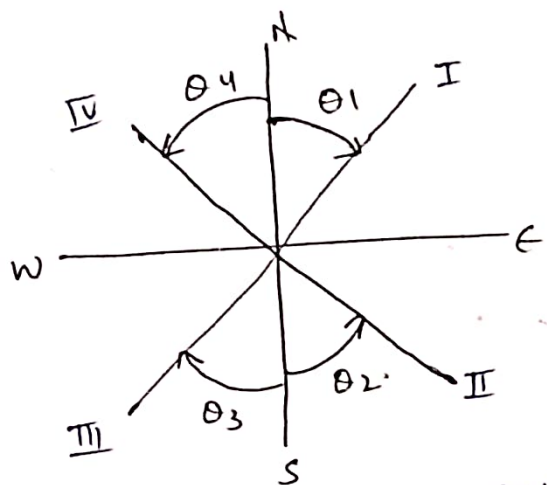


3) $225^\circ 15' 45'' = S 45^\circ 15' 45'' W$



$$\begin{array}{r} 225^\circ 15' 45'' \\ (-) 180^\circ 00' 00'' \\ \hline 45^\circ 15' 45'' \end{array}$$

Reduced Bearing (RB)



Reference — North (or) South

Rotation — C/W (or) A/W

Representation — $N\theta_1 E$ $III - S\theta_3 W$

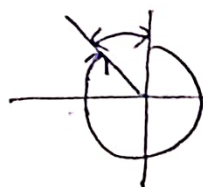
Angle limit — $0^\circ - 90^\circ$

a) $125^\circ 30' 40'' = S 54^\circ 29' 20'' E$



$$\begin{array}{r} 179^\circ 59' 60'' \\ (-) 125^\circ 30' 40'' \\ \hline 54^\circ 29' 20'' \end{array}$$

4) $320^\circ 30' 30'' = N 39^\circ 29' 30'' W$



$$\begin{array}{r} 359^\circ 59' 60'' \\ (-) 320^\circ 30' 30'' \\ \hline 39^\circ 29' 30'' \end{array}$$

5) $210^\circ 65' 110'' \rightarrow 211^\circ 06' 50'' \rightarrow 531^\circ 06' 50''W$



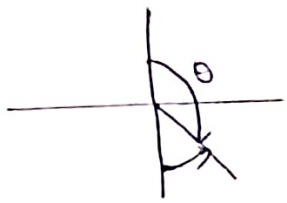
$$\begin{array}{r} 210^\circ 65' 110'' \\ 120^\circ 00' 00'' \\ \hline 1 \end{array}$$

$$\begin{array}{r} 211^\circ 06' 50'' \\ (-) 120^\circ 00' 00'' \\ \hline 31^\circ 06' 50'' \end{array}$$

- 6) $90^\circ - E 90^\circ$
 7) $180^\circ - S$
 8) $270^\circ - W 90^\circ$

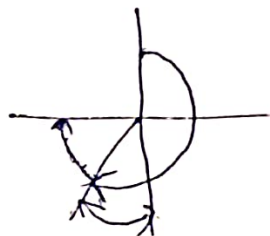
2) Convert RB to WCB

1) $S 0^\circ 10' 40'' E$



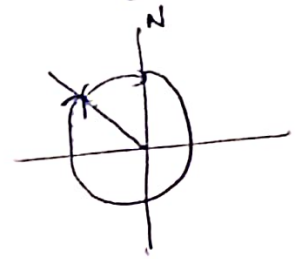
$$\begin{array}{r} 179^\circ 59' 60'' \\ (-) 0^\circ 10' 40'' \\ \hline 179^\circ 49' 20'' \end{array}$$

2) $S 50^\circ 0' 30'' W$



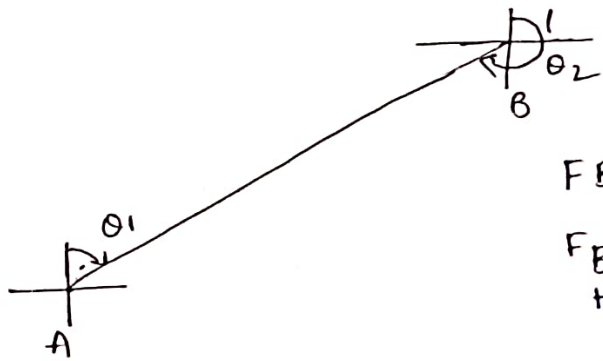
$$\begin{array}{r} 230^\circ 00' 00'' \\ 50^\circ 0' 30'' \\ \hline 230^\circ 00' 30'' \end{array}$$

3) $N 59^\circ 120' 10'' W$
 $61^\circ 00' 10''$



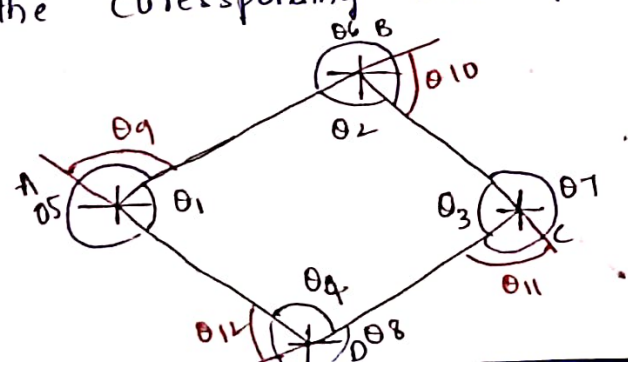
$$\begin{array}{r} 359^\circ 59' 60'' \\ (-) 61^\circ 00' 10'' \\ \hline 298^\circ 59' 50'' \end{array}$$

Fore Bearing and Back Bearing :-



$$\begin{array}{ll} FB_{AB} = \theta_1 & BB_{AB} = \theta_2 \\ F_{BA} = \theta_2 & BB_{BA} = \theta_1 \end{array}$$

NOTE:- When local attraction is observed then apply correction for the corresponding Bearing



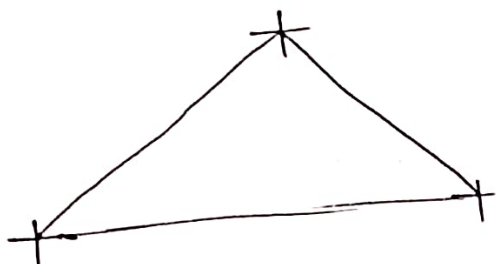
- $\theta_1 - \theta_4 \rightarrow$ Interior
- $\theta_5 - \theta_8 \rightarrow$ Exterior
- $\theta_9 - \theta_{12} \rightarrow$ Deviation/deflection

Included Angles :- These angle can be interior (or) exterior depending on the rotation of traverse.

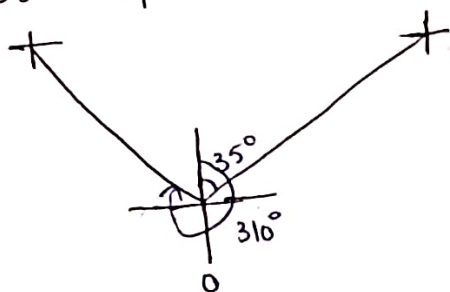
* If the traverse is clockwise, then included angle are exterior angles.

* If the traverse is anticlockwise direction then included angles are interior angles.

Q) The Bearing of AB is 45° and AC 135° find the included angle for traverse BAC.



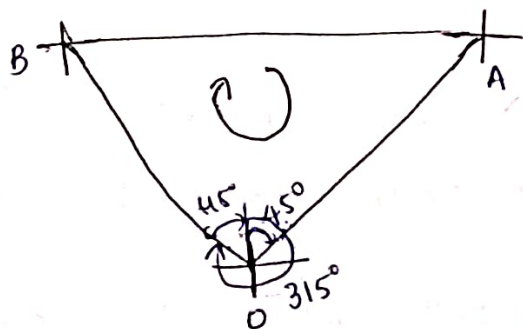
Q) Find the included angle for OAB for the given bearings of OA is 35° & OB 310°



- a) 45° b) 60°
- c) 65° d) 70°

Data insufficient.

Q) Find the included angle AOB for the given bearings of OA is 46° & OB 316° station O has a local attraction of 1° in negav - i.e. positive.

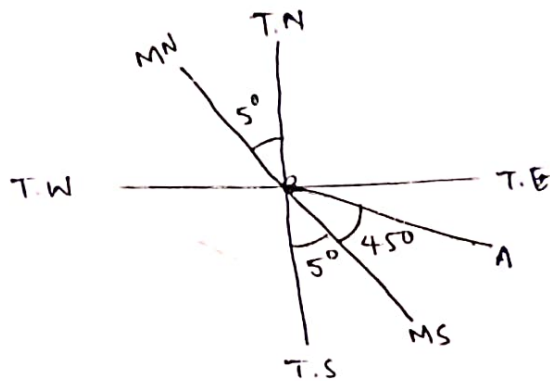


local attraction +ve
Correction -ve

$$\begin{array}{r} 360 \\ - 90 \\ \hline 270 \end{array}$$

Q The magnetic Bearing of line AB is $S45^{\circ}E$, Declination angle is $5^{\circ}W$ true Bearing of line AB is.

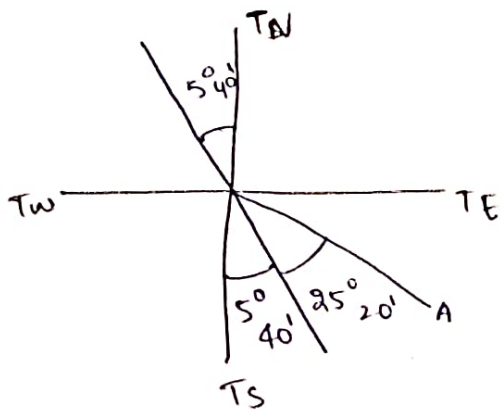
- a) $S45^{\circ}E$ b) $S40^{\circ}E$ c) $S50^{\circ}E$ d) $S50^{\circ}W$.



$$45 + 5 = 50^{\circ}$$

$$S50^{\circ}E$$

2) If the Dec is $5^{\circ}40'W$ which of the following MB would represent a TB of $S25^{\circ}20'E$

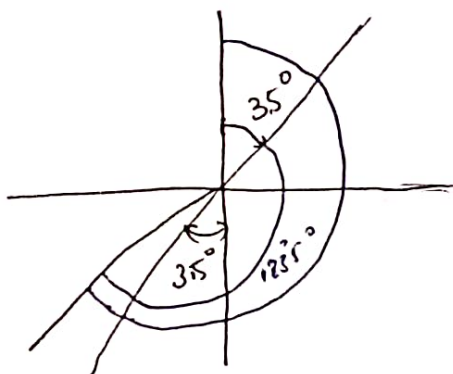


$$\begin{array}{r} 25^{\circ} 20' \\ - 5^{\circ} 40' \\ \hline 19^{\circ} 40' \end{array}$$

~~$S31^{\circ}E$~~

$S19^{\circ}40'E$

3) The observed MOE of OE was 185° It was later discovered that station 'O' has a local attraction of $+1.5^{\circ}$ TB of DE considering dec of $3.5^{\circ}E$ is —



$$183.5 + 3.5$$

=

$$= 187^{\circ}$$

$$MOE = 185^{\circ}$$

$$\text{error} = +1.5^{\circ}$$

$$\text{correct} = -1.5^{\circ}$$

$$\begin{array}{r} 185 \\ - 1.5 \\ \hline 183.5 \end{array}$$

4) The MB_{AB} was $N59^{\circ}30'N$ in 1967 when the dec was $4^{\circ}10'E$ If the present dec is $3^{\circ}W$ the WCB of the line @ present is —

- a) $299^{\circ}20'$ b) $307^{\circ}40'$ c) $293^{\circ}20'$ d) $301^{\circ}40'$

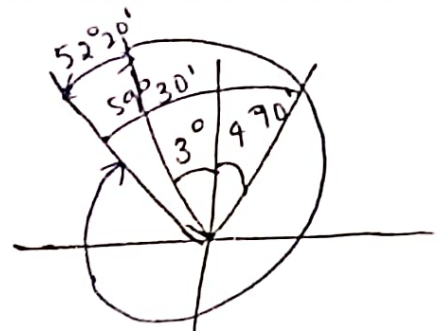
$$MB_{AB} = N 59^{\circ} 30' W$$

$$\delta = 3^{\circ} W$$

$$S = 4^{\circ} 10' E$$

WCB @ present

$$360 - 52^{\circ} 20' = 307^{\circ} 40'$$



In an old map a line RS was drawn to MB of $5^{\circ} 30'$ & the dec @ that time is $1^{\circ} E$. To what MB should be the line now if the present dec is $8^{\circ} 30' E$

- 1) 360° 2) 13° 3) 358° 4) 354°

Old map

$$MB = 5^{\circ} 30'$$

$$S = 2^{\circ}$$

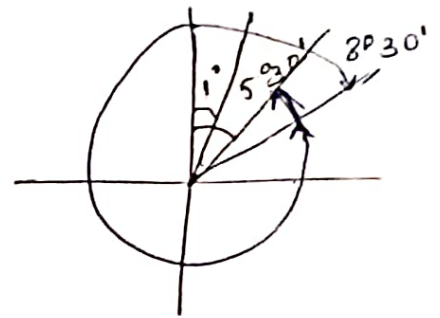
$$\begin{array}{r} 8^{\circ} 30' \\ - 6^{\circ} 30' \\ \hline 2^{\circ} 00' \end{array}$$

New map

$$MB = ?$$

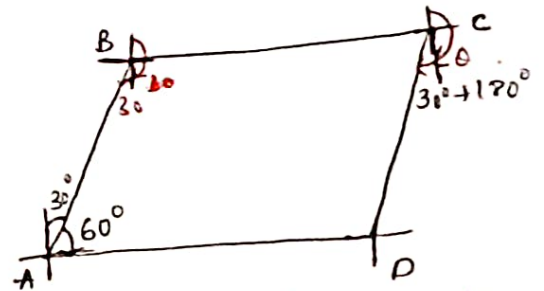
$$S = 8^{\circ} 30'$$

$$\begin{array}{r} 360^{\circ} \\ - 2^{\circ} \\ \hline 358^{\circ} \end{array}$$



For a parallelogram piece of land angle BAD is 60° if the Fore Bearing of AB is 30° Bearing of CD is —

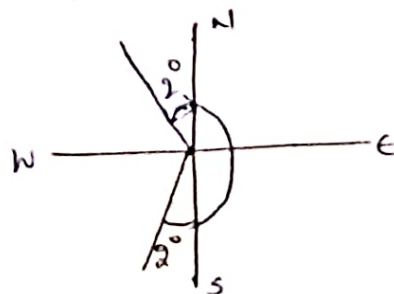
$$180 + 30 = 210^{\circ}$$



Sun Concept \rightarrow Start from South move in anticlockwise direction

Ex: If the magnetic bearing of the sun @ noon is $S 2^{\circ} W$ then declination is that place is —

$$\begin{aligned} WCB &= 180 + 2 \\ &= 182^{\circ} W \end{aligned}$$



Correct of Bearings \rightarrow

| 1) Lines | FB | BB |
|----------|---|--|
| AB | $48^{\circ}50' + 1^{\circ}10'$ $= 50^{\circ}$ | $232^{\circ} - 2^{\circ}$ 230° |
| BC | $130^{\circ}50' - 2^{\circ}$ $128^{\circ}50' + 120$ | $308^{\circ}50'$ |
| CD | $247^{\circ}25'$ | $67^{\circ}25' = 120$ |
| DA | $8^{\circ}10'$ $+ 180$ <u>$188^{\circ}10'$</u> | $187^{\circ} + 1^{\circ}10'$ $= 188^{\circ}10'$ |

| | | |
|-------|---|------------------------------|
| 2) AB | $80^{\circ}45' + 20'$ $= 80^{\circ}05'$ | $260^{\circ} + 1^{\circ}05'$ |
| BC | $130^{\circ}30' + 1^{\circ}05'$ $= 311^{\circ}35'$ | $311^{\circ}35'$ |
| CD | $240^{\circ}15'$ | $60^{\circ}15' = 120$ |
| DA | $290^{\circ}30'$ $- 180$ <u>$110^{\circ}30'$</u> | $110^{\circ}10' + 20'$ |

Difference b/w Surveyor Compass and prismatic compass

* Taking readings, coinciding target happens simultaneous

* Reading are graduated on circular disc which is magnetic

* Suspended on pivot

- Pivot \rightarrow Jewel bearing
WCB $\rightarrow 0^{\circ} - 360^{\circ}$

* Happens separately

* Graduations are on box
magnetic needle shows direction

* RB - $(0-90^{\circ})$

* Suspended on pivot