Assignment 02- Fitting and Alignment-200148M

Question-01

```
# Load the image
im = cv.imread('the berry farms sunflower field.jpeg',
cv.IMREAD REDUCED COLOR 4)
# Apply Gaussian blur to reduce noise
blurred = cv.GaussianBlur(im, (9, 9), 0.1)
# Convert the image to grayscale
gray = cv.cvtColor(blurred,
cv.COLOR BGR2GRAY)
# Define parameters for blob detection
min sigma = 3
max_sigma = 30
threshold = .1
# Detect blobs using Laplacian of Gaussians
blobs = blob log(gray, min sigma=min sigma,
max sigma=max sigma, threshold=threshold)
blobs[:, 2] = blobs[:, 2] * sqrt(2)
max radius index = np.argmax(blobs[:, 2])
largest circle params =
blobs[max radius index]
y, x, r = largest circle params
print(f"Radius (r): {r}")
print(f"Center (x, y): ({x}, {y})")
# Draw circles on the original color image
                                                                 Figure 1
for blob in blobs:
```

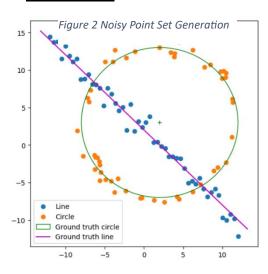
parameters of the largest circles.

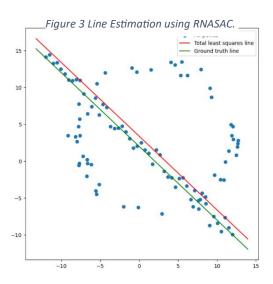
y, x, r = blob # Blob format is (y, x, r)

cv.circle(im, (int(x), int(y)), int(r), (0, 0, 255), 2)

Radius (r): 42.42640687Center (x, y): (234.0, 0.0)

Question-02





```
def circle equation(points):
    """ Return the center and radius of the circle from three points """
    p1,p2,p3 = points[0], points[1], points[2]
    temp = p2[0] * p2[0] + p2[1] * p2[1]
    bc = (p1[0] * p1[0] + p1[1] * p1[1] - temp) / 2
    cd = (temp - p3[0] * p3[0] - p3[1] * p3[1]) / 2
    \mathtt{det} = (\mathtt{p1[0]} - \mathtt{p2[0]}) * (\mathtt{p2[1]} - \mathtt{p3[1]}) - (\mathtt{p2[0]} - \mathtt{p3[0]}) * (\mathtt{p1[1]} - \mathtt{p2[1]})
    # Center of circle
    cx = (bc*(p2[1] - p3[1]) - cd*(p1[1] - p2[1])) / det
    cy = ((p1[0] - p2[0]) * cd - (p2[0] - p3[0]) * bc) / det
    radius = np.sqrt((cx - p1[0])**2 + (cy - p1[1])**2)
    return ((cx, cy), radius)
def get_inliers(data_list, center, r):
     """ Returns the list of inliers to a model of a circle from a set of points. The threshold
value is taken as 1/5th of the radius """
    inliers = []
    thresh = r//3
    for i in range(len(data list)):
          \texttt{error} = \texttt{np.sqrt}((\texttt{data} \ \texttt{list[i]} \ [\textbf{0}] - \texttt{center} \ [\textbf{0}]) * * \textbf{2} \ + \ (\texttt{data} \ \texttt{list[i]} \ [\textbf{1}] - \texttt{center} \ [\textbf{1}]) * * \textbf{2}) \ - \ \texttt{r}
          if error < thresh:</pre>
              inliers.append(data list[i])
    return np.array(inliers)
def random_sample(data list):
     """ Returns a list of 3 random samples from a given list """
    sample_list = []
    random.seed(0)
    rand nums = random.sample(range(1, len(data list)), 3)
    for i in rand nums:
         sample_list.append(data_list[i])
    return np.array(sample list)
                                                                                           RANSAC plot
                                       InliersX Outliers
                                                                    15
                                          Total least squares line
   15
                                                                                                               Best Sample
                                                                                                               Best Sample
                                                                                                              RANSAC
                                                                    10
   10
   0
                                                                    0
   -5
                                                                   -5
  -10
                                                                  -10
```

Part(d) - Focusing on fitting the circle first may lead to a less accurate line fit because it leaves fewer data points for detecting and modeling the line where it intersects with the circle.

Question-03

200

400 600 800 1000

```
for i in range(2):
         im = cv.imread(ims[i])
         cv.imshow("Wadham College",im)
         corners = []
         cv.setMouseCallback("Wadham College", mouse click), cv.waitKey(0), cv.destroyAllWindows()
         h, w = np.shape(im)[0], np.shape(im)[1]
         zero matrix = np.array([[0], [0], [0]])
         x1, y1, x2, y2, x3, y3, x4, y4 = corners[0][0], corners[0][1], corners[1][0], corners[1][1],
corners[2][0], corners[2][1], corners[3][0], corners[3][1]
         flag im = cv.imread("Flag of the United Kingdom.png")
         fh, fw , ch= flag_im.shape
         f1, f2, f3, f4 = np.array([[0, 0, 1]]), np.array([[fw-1, 0, 1]]), np.array([[fw-1, fh-1, f
1]]), np.array([[0, fh-1, 1]])
 matrix A = np.concatenate((np.concatenate((zero matrix.T,f1, -y1*f1), axis = 1),
np.concatenate((f1, zero_matrix.T, -x1*f1), axis = 1),
                                                                             np.concatenate((zero matrix.T, f2, -y2*f2), axis = 1),
np.concatenate((f2, zero matrix.T, -x2*f2), axis = 1),
                                                                             np.concatenate((zero matrix.T, f3, -y3*f3), axis = 1),
np.concatenate((f3, zero_matrix.T, -x3*f3), axis = 1),
                                                                             np.concatenate((zero_matrix.T,f4, -y4*f4), axis = 1),
np.concatenate((f4, zero matrix.T, -x4*f4), axis = 1)), axis = 0, dtype=np.float64)
         W, v = np.linalg.eig(((matrix A.T)@matrix A))
         temph= v[:,np.argmin(W)]
         H = temph.reshape((3,3))
         transformed flag = cv.warpPerspective(flag_im, H, (w, h))
          final = cv.add(transformed flag, im)
                                                                                                                                   Transformed Flag
                        Image 1
                                                                                                                                                                                          Superimposed Image
                                                                                  Image 2
 200
                                                                                                                                                                           200
 400
                                                                                                                                                                            400
 600
                                                                                                                                                                            600
                                                                                      1000
                       400 600 800 1000
                                                                                                                                                                                                           600 800 1000
      0
              200
                                                                                                                                200 400 600 800 1000
                                                                                                                                                                                         200
                                                                                                                                                                                                  400
                                                                                  Image 2
                                                                                                                                                                           200
 400
                                                                                                                                                                            400
 600
                                                                                                                                                                            600
```

200 400 600 800 1000

200 400 600

800 1000

Question-04



Figure 2 Question 4(a)

Part(b)

```
def homography(pts1, pts2):
    mean1, mean2 = np.mean(pts1, axis=0), np.mean(pts2, axis=0)
    s1, s2 = len(pts1)*np.sqrt(\mathbf{2})/np.sum(np.sqrt(np.sum((pts1-mean1)**\mathbf{2}, axis=\mathbf{1}))),
len(pts1)*np.sqrt(2)/np.sum(np.sqrt(np.sum((pts2-mean2)**2, axis=1)))
   tx1, ty1, tx2, ty2 = -s1*mean1[0], -s1*mean1[1], -s2*mean2[0], -s2*mean2[1]
    T1, T2 = np.array(((s1, 0, tx1), (0, s1, ty1), (0, 0, 1))), np.array(((s2, 0, tx2), (0, s2,
ty2), (0, 0, 1)))
   A = []
    for i in range(len(pts1)):
       X11, X21 = T1 * np.concatenate((pts1[i], [1])).reshape(3, 1), T2 *
np.concatenate((pts2[i], [1])).reshape(3, 1)
         \texttt{A.append((-X11[0][0], -X11[1][0], -1, 0, 0, X21[0][0]*X11[0][0], X21[0][0]*X11[1][0], } \\
X21[0][0]))
        A.append((0, 0, 0, -X11[0][0], -X11[1][0], -1, X21[1][0]*X11[0][0], X21[1][0]*X11[1][0],
X21[1][0]))
   A = np.array(A)
    U, S, V = np.linalg.svd(A, full matrices=True)
   h = np.reshape(V[-1], (3, 3))
   H = linalg.inv(T2) * h * T1
   H = (1 / H.item(8)) * H
    return H
                  [[-2.97283674e-01 -4.17396920e-01 3.57204005e+02]
                    [-3.57169400e-01 1.69792767e-01 2.10563639e+02]
                     -1.15364931e-03 -6.40276575e-04 1.000000000e+00]]
```

Figure 3 Computed homography

Part(c)







