

# MTH211 - Assignment 2

Group -G

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***It seems that the percentage in 12th exam has a significant association with placement. Test, with appropriate assumptions, if the distribution of percentage in 12th grade differs significantly between placed people and not placed people.***

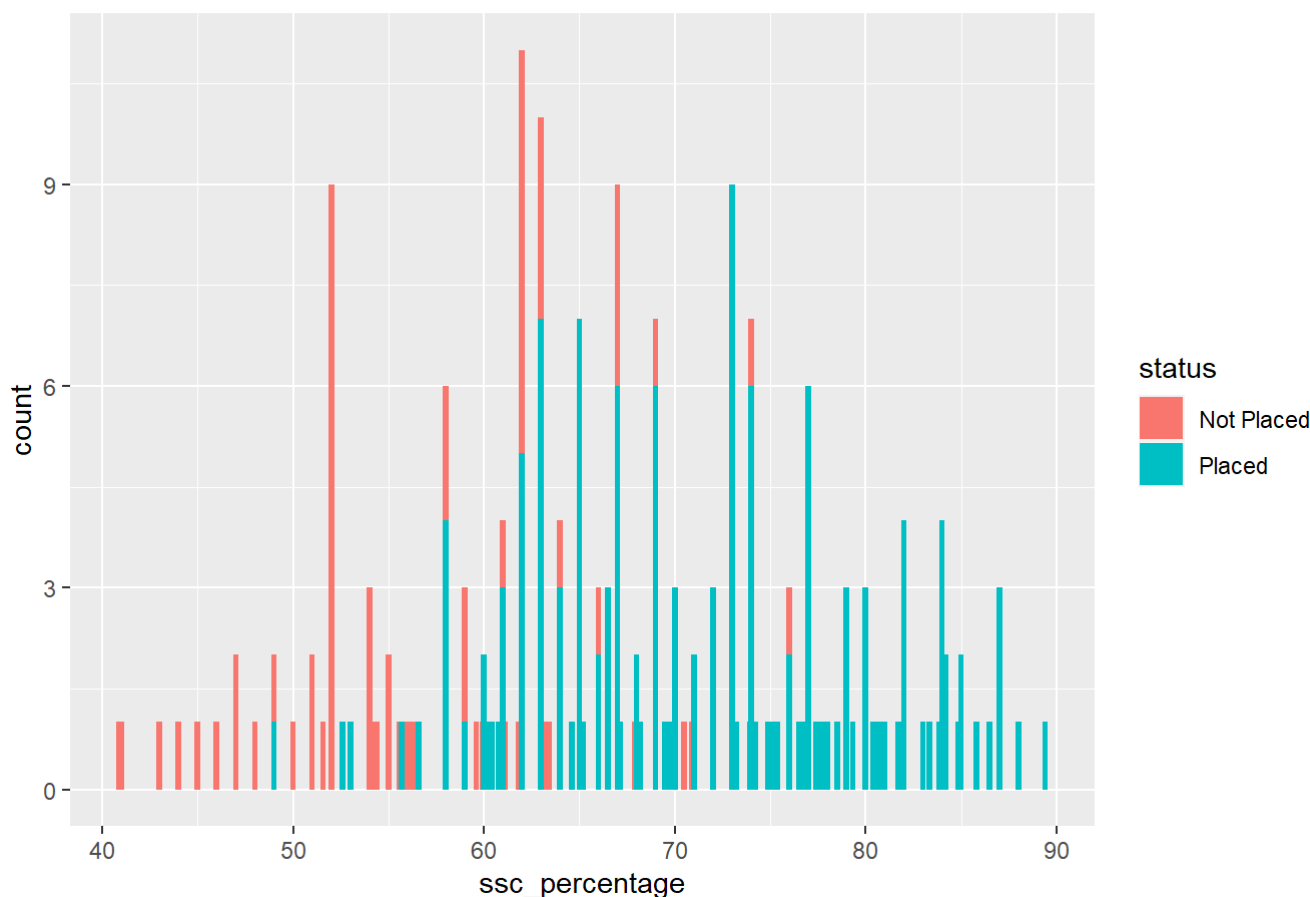
We have used dataset for job placement present at Kaggle - "Data-set"  
(<https://www.kaggle.com/datasets/ahsan81/job-placement-dataset?resource=download>)

```
job_dat <- read.csv("Job_Placement_Data.csv")
placed <- job_dat$hsc_percentage[job_dat$status == "Placed"]
not_placed <- job_dat$hsc_percentage[job_dat$status == "Not Placed"]
```

Here **placed** variable is people's 12th grade percentage who are placed , **not\_placed** variable is people's 12th grade percentage who are not placed.

```
library(ggplot2)
ggplot(job_dat,aes(ssc_percentage ,fill = status)) + geom_bar( width = .3) + labs(title="12
th grade percentage Vs Status")
```

12th grade percentage Vs Status



We have assumed that the distribution of 12th grade percentage with placed as *Normal distribution* with parameters  $(\mu_1, \sigma_1^2)$  and the another distribution of 12th grade percentage with not\_placed as *Normal distribution* with parameters  $(\mu_2, \sigma_2^2)$

**Hypothesis:**

$$H_0: \sigma_1^2 = \sigma_2^2 \text{ VS } H_1: \sigma_1^2 \neq \sigma_2^2$$

We are using F-test if our null hypothesis is true or not. For that we have used “var.test” function.

```
var.test(placed, not_placed, "two.sided", ratio = 1)
```

```
##
## F test to compare two variances
##
## data: placed and not_placed
## F = 0.8855, num df = 147, denom df = 66, p-value = 0.542
## alternative hypothesis: true ratio of variances is not equal to 1
## 95 percent confidence interval:
##  0.5760373 1.3172148
## sample estimates:
## ratio of variances
##           0.8855017
```

As p-value (= 0.542) > 0.05 therefore, we will accept the null hypothesis i.e,  $\sigma_1^2 = \sigma_2^2$ .

**Hypothesis:**

$$H_0: \mu_1 = \mu_2 \text{ VS } H_1: \mu_1 \neq \mu_2 \text{ given that } \sigma_1^2 = \sigma_2^2 = \sigma^2$$

To check this hypothesis we are using “t.test” function.

```
t.test(placed, not_placed, "two.sided", var.equal = T)
```

```
##
## Two Sample t-test
##
## data: placed and not_placed
## t = 8.2307, df = 213, p-value = 1.849e-14
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
##  8.76949 14.29257
## sample estimates:
## mean of x mean of y
##  69.92655  58.39552
```

Here, p-value(=1.849e-14) < 0.05 therefore, we will reject our null hypothesis i.e,  $\mu_1 \neq \mu_2$

**Hence, we can conclude that distributions of placed and not placed people with respect to there 12th grade percentage are not equal.**