

# How to solve mathematical modelling

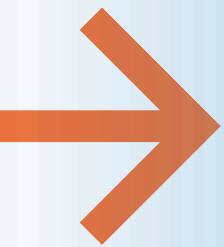
## *Lesson 7*

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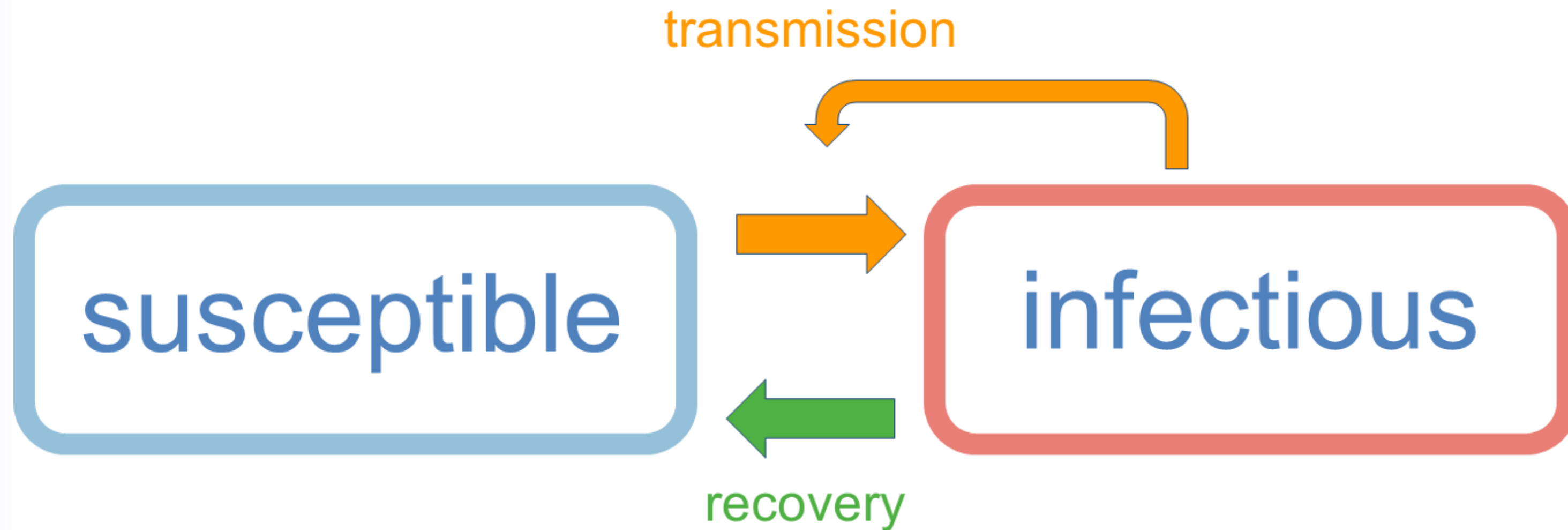
# Learning outcomes

By the end of this lesson, students should be able to:

- write a compartmental model in R
- Numerically simulate a model



# Recap: Flow diagrams for disease transmission



*SIS model*

# Setting up the model variable and parameters

**timeHorizon** <- 365 = length of the simulation

**Delta** <- 1 = incremental time step (day)

**timesteps** <- Delta\* timeHoziron = model simulation time

**N** = 500 # human population

**# parameters**

beta <- 0.3 = # transmission rate

gamma <- 0.1 = # recovery rate

# Writing up the equation of the model

## Susceptible population

Excel formula

$$S[t + 1] = S[t] + \text{Delta} * (-\text{beta} * I[t]/N * S[t] + \text{gamma} * I[t])$$

ODE R Equation

$$dS < - \text{beta} * S * I / N + \text{gamma} * I$$

## Infected population

Excel formula

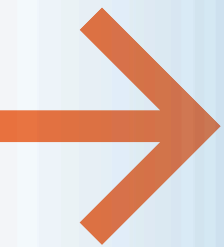
$$I[t + 1] = I[t] + \text{Delta} * (\text{beta} * I[t]/N * S[t] - \text{gamma} * I[t])$$

ODE R Equation

$$dI < \text{beta} * S * I / N - \text{gamma} * I$$

# Running the model with a loop - In Excel

In Class Demo



# From Excel loop to deSolve in R

Ordinary Differential Equation \*\*solver in R using the desolve package\*\*

- Eliminates the need to manually choose Delta
- Automatic Step Size Control: Unlike before for the fixed Delta, ODE solvers automatically adjust step sizes for optimal accuracy

In Class Demo