

PYTHON CODE

```
"""
```

Utilize all three methods of approximation: Forward, Backward, and Central Difference
Initiate the computation with an initial step size of $h=1$
Successively decrease the step size by a factor of 10 with each iteration.
Plot % Error in log-log scale

```
"""
```

```
from lib.Header import *
```

```
def func(x):  
    return -.1 * x**4 - .15 * x**3 - .5 * x**2 - .25 * x + 1.2
```

```
def forwardDiff1(func, x, h):  
    return (func(x+h) - func(x)) / h
```

```
def backwardDiff1(func, x, h):  
    return (func(x) - func(x-h)) / h
```

```
def centralDiff1(func, x, h):  
    return (func(x+h) - func(x-h)) / (2*h)
```

```
x = .5  
fpe = -.91250  
h = 1  
fpte = []  
bpte = []  
cpt = []  
xvalues = []
```

```
for ii in np.arange(1, 11):  
    fpt = forwardDiff1(func, x, h)  
    fpte.append(abs((fpt - fpe)/fpe))  
    bpt = backwardDiff1(func, x, h)  
    bpte.append(abs((bpt - fpe) / fpe))  
    cpt = centralDiff1(func, x, h)  
    cpte.append(abs((cpt - fpe) / fpe))  
    xvalues.append(h)  
    h = h/10
```

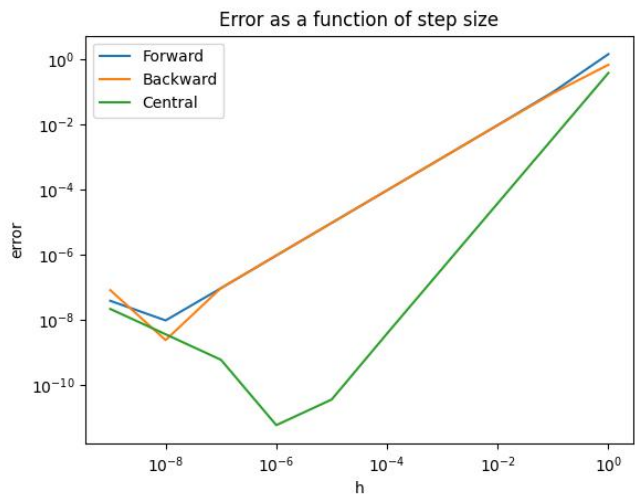
```
plt.figure()  
plt.loglog(xvalues, fpte, label = "Forward")  
plt.loglog(xvalues, bpte, label = "Backward")  
plt.loglog(xvalues, cpt, label = "Central")  
plt.legend()  
plt.xlabel("h")  
plt.ylabel("error")
```

```
plt.title("Error as a function of step size")  
SAVE(1)  
plt.show()
```

PDF()

OUTPUT

Plots



Prints