Introduction to Deep Learning

10. Sequence Sampling

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8:30-9:00	Continental Breakfast
9:00-9:45	Introduction and Setup
9:45-10:30	Neural Networks 101
10:30-10:45	Break
10:45-11:15	Machine Learning Basics
11:15-11:45	Context-free Representations for Language
11:45-12:15	Convolutional Neural Networks
12:15-13:15	Lunch Break
13:15-14:00	Recurrent Neural Networks
14:00-14:45	Attention Mechanism and Transformer
14:45-15:00	Coffee Break
15:00-16:15	Contextual Representations for Language
16:15-17:00	Language Generation



I have a language model / machine translation model, how to generate texts?



Generating Text

Language model

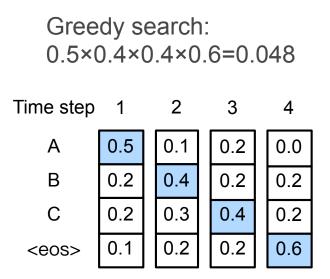
$$p(\text{text}) = \prod_{t} p(w_t | [w_{t-1} \dots w_1])$$

- Sample from language model, one character/word at a time
- Need to search over lots of possible sequences



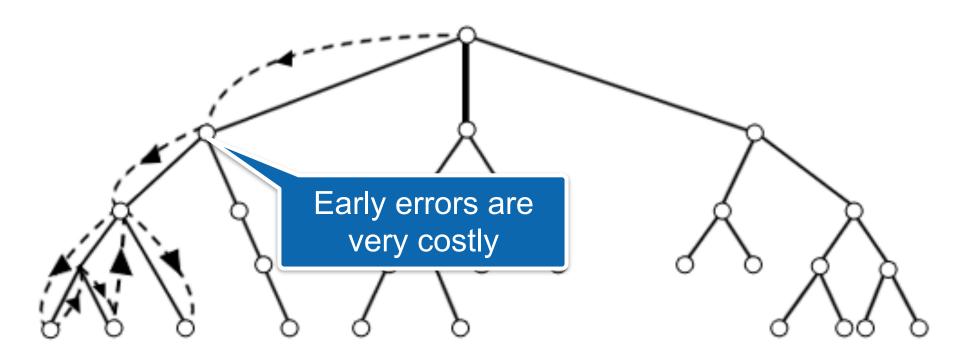
Greedy Search

Greedy search during predicting could be suboptimal





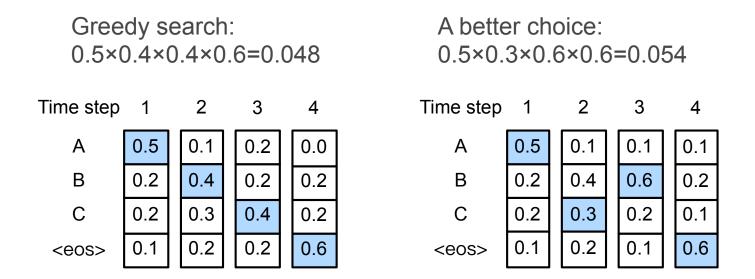
Depth first search





Greedy Search

Greedy search during predicting could be suboptimal





Exhaustive Search

- For every possible sequence, compute its probability and pick the best one
- If output vocabulary size is n, and max sequence length T, then we need to examine n^T sequences
 - It's computationally infeasible

$$n = 10000, \quad T = 10: \quad n^T = 10^{40}$$

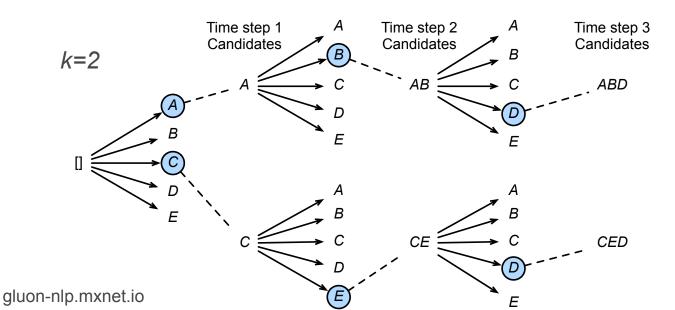


Beam Search



Beam Search

- We keep the best k (beam size) candidates for each time
- Examine *kn* sequences by adding an new item to a candidate, and then keep the top-*k* ones





Beam Search

Time complexity is O(knT)

$$k = 5$$
, $n = 10000$, $T = 10$: $knT = 5 \times 10^5$

The final score for each candidate is

$$\frac{1}{L^{\alpha}}\log \mathbb{P}(y_1, ..., y_L) = \frac{1}{L^{\alpha}} \sum_{t'=1}^{L} \log \mathbb{P}(y_{t'} \mid y_1, ..., y_{t'-1}, c)$$

• Often $\alpha = 0.75$



Goldilocks

- Avoid pathological cases (Wu et al, 2016)
 - ""
 - "La La La La La La La ..."
 - Partial translations in machine translation
- Length penalty, such as $(l+5)^{\alpha}$ to normalize for variable segment lengths
- Submodular Coverage penalty avoids missing segments

$$\sum_{i} \log \min \left(\sum_{j} \alpha_{ij}, 1 \right)$$

