

# Scifi-sound

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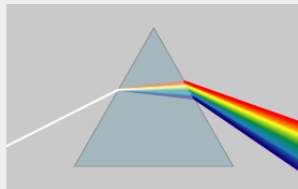
# Task

Tapping a helical spring can make a sound like a “laser shot” in a science-fiction movie. Investigate and explain this phenomenon.

# Basic explanation

# Dispersion

- Phase velocity of a wave as a function of frequency
- Frequencies propagate at different velocities through the medium
- Only in certain materials (solids and liquids)
- Applies to optical as well as acoustic waves
- More dense materials are usually more dispersive



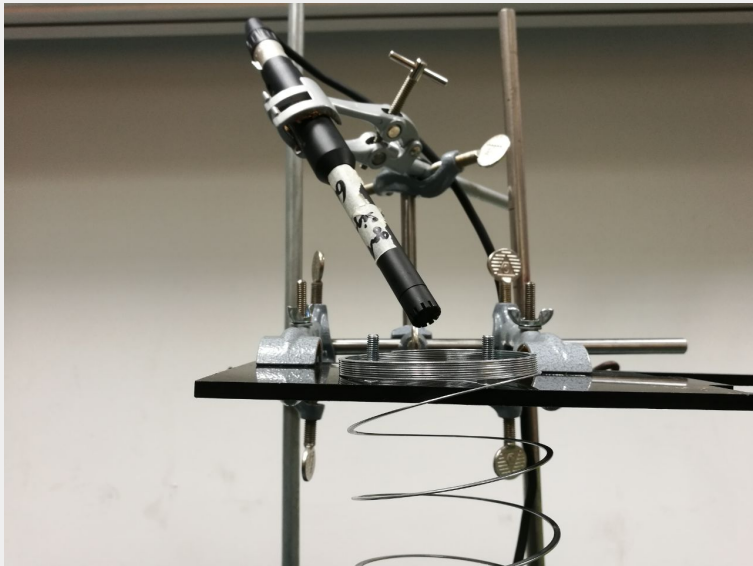
# Slinky

- Helical spring often made of metal
- Highly dispersive
- Tapping it produces a short signal consisting of multiple frequencies
- Wave dissects into its component frequencies
- Higher frequencies are heard before the lower ones, thus producing the "scifi-sound"



# Experimental setup

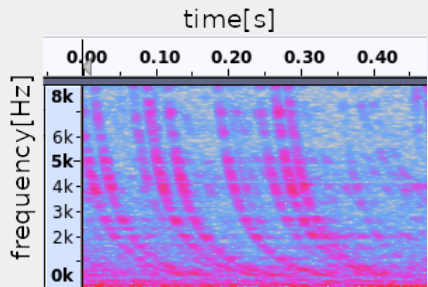
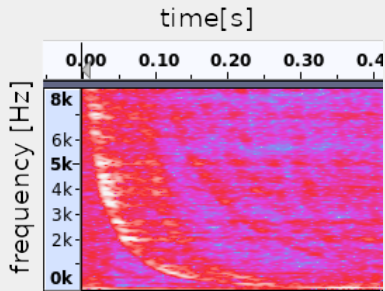
# Experimental setup



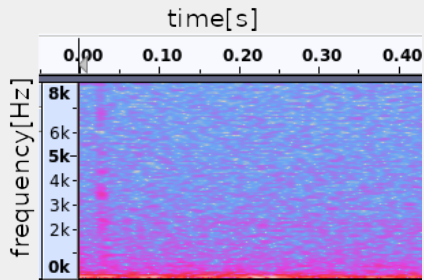
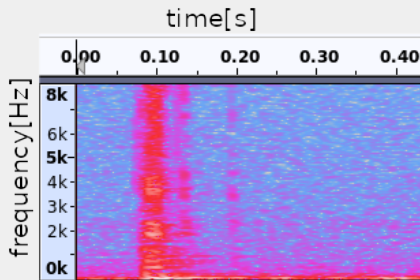
# Experimental results



# Response curve metal



# Response curve plastic



Theory

# Formulas

Euler-Bernoulli ideal bar equation<sup>1</sup>:

$$\frac{\partial^2 u}{\partial t^2} = -\kappa^2 \cdot \frac{\partial^4 u}{\partial x^4} \quad (1)$$

$$t_D = \frac{1}{2\sqrt{\pi\kappa f}} \quad (2)$$

$$f(t) = \frac{1}{8\pi\kappa t^2} \quad (3)$$

where:

$f$  = frequency [Hz]

$t$  = time [s]

$t_D$  = duration time [s]

$\kappa$  = fit parameter

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<sup>1</sup> Parker, Julian, et al. 'Modeling methods for the highly dispersive slinky spring: a novel musical toy.' Proceedings of the 13th International Conference on Digital Audio Effects 2010.

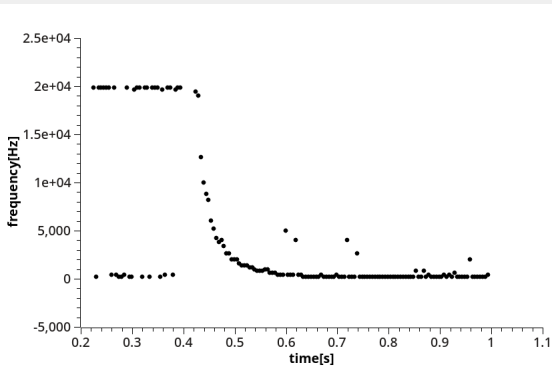
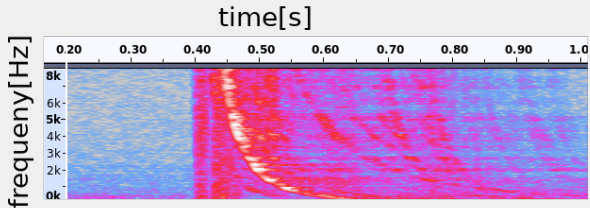
# Fit parameter $\kappa$

$\kappa$  determines how widely spread the frequencies are.  
It is dependent on material properties, such as:

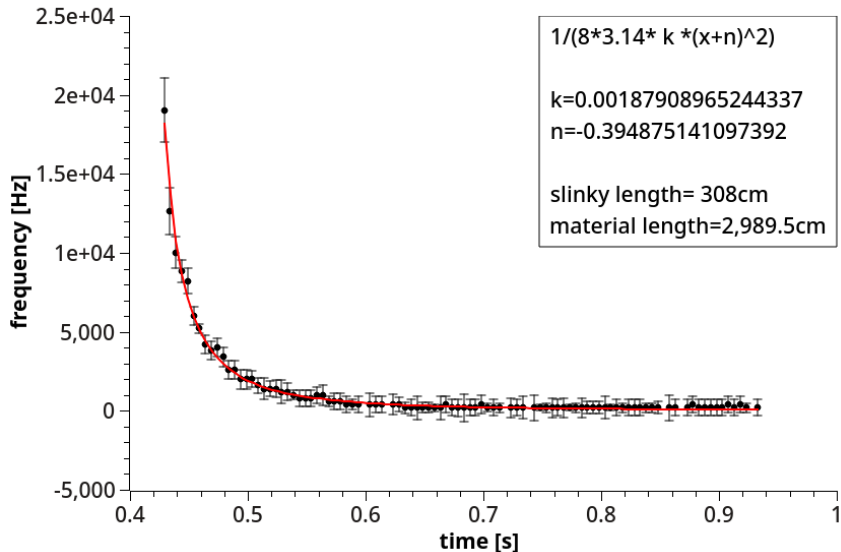
- Density
- E-Modulus
- Length

# Theory-Experiment Comparison

# Data processing

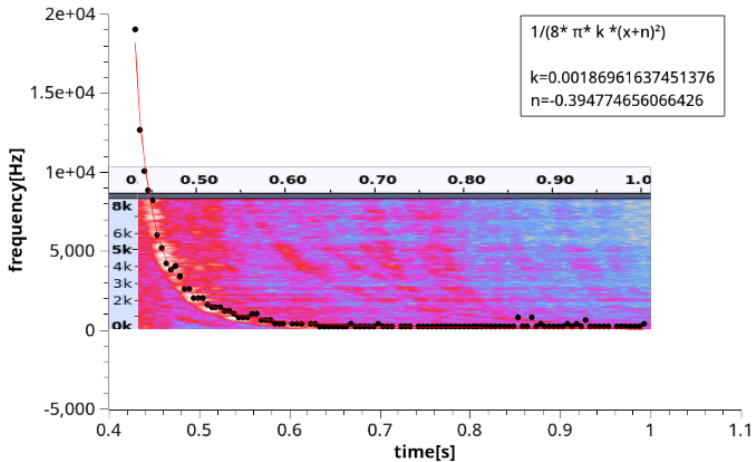


# Fitted function





# Direct comparison



# Outlook