

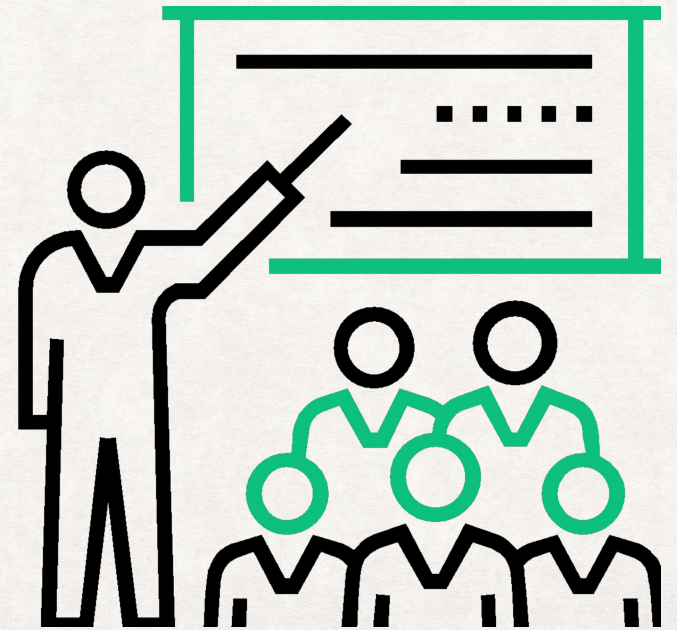
# ADVANCED FUNCTIONAL THINKING

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# TOPICS

- **Functors**
- **Monads**





# OPTION

- The pure functions return container(context) values like Option, Future, Some, etc.
  - This provides elegant ways of handling exceptions in function without any side effects or special handling for different inputs.
  - For example, if we have a function where we return input 1 divided by input 2, special handling is needed when input 2 is zero. Instead, if the function return Option no special handling is required.
- The *Option* in Scala is referred to as a carrier of a single or no element for a stated type.
  - When a method returns a value which can even be null then Option is utilized i.e, the method defined returns an instance of an Option, in place of returning a single object or a null.



## OPTION

- Important points :
  - The instance of an Option that is returned here can be an instance of *Some* class or *None* class in Scala, where *Some* and *None* are the children of *Option* class.
  - When the value of a given key is obtained then *Some* class is generated.
  - When the value of a given key is not obtained then *None* class is generated.

```
// Creating object
```

```
object option
```

```
{
```

```
    // Main method
```

```
    def main(args: Array[String])
```

```
    {
```

```
        // Creating a Map
```

```
        val name = Map("Nidhi" -> "author",  
                        "Geeta" -> "coder")
```

```
        // Accessing keys of the map
```

```
        val x = name.get("Nidhi")
```

```
        val y = name.get("Rahul")
```

```
        // Displays Some if the key is
```

```
        // found else None
```

```
        println(x)
```

Some(author)

```
        println(y)
```

None

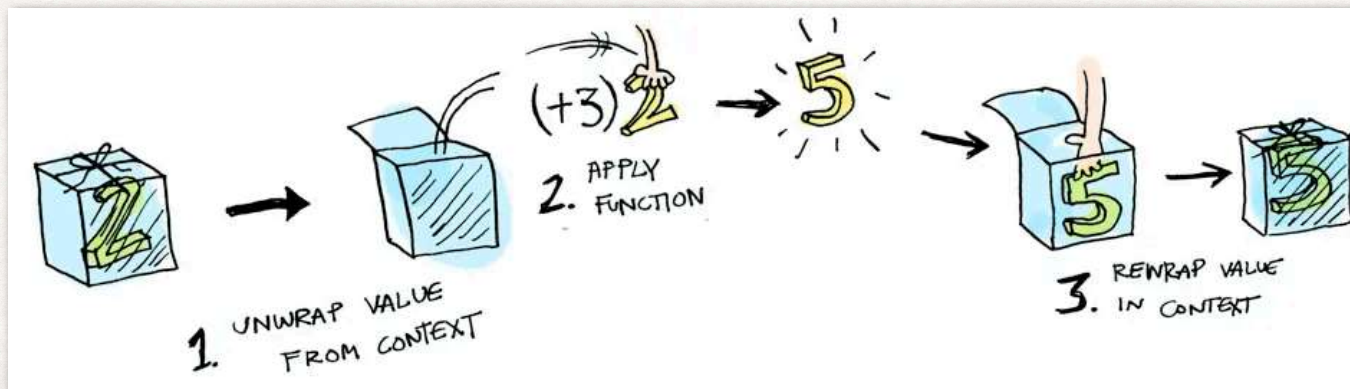
```
    }
```

```
}
```



# FUNCTORS

- Functors is any context that has a map function. It does the following
  - The actual value is wrapped in context(container) like Option , Future etc.
  - There is map method that unwraps the value from context.
  - It calls another method to transform the value. This another method is the method that map takes as input.
  - The transformed value is wrapped in same context.





# FUNCTORS

- The Context that has map function that supports this transformation can be Functor. For context to be Functor, its map method needs to obey the laws listed below.
  - Identity Law: if map is called on a context with identity function, we get back the context.
  - Associative Law: f and g be functions we want to apply on the value in context. The following equality should hold
    - calling map with f and then map with g is same as calling map with g composed with f (i.e  $g(f(x))$ )
- Examples of Functors in Scala
  - List
  - Option
  - Some
  - Seq

# FUNCTORS

- It defines how a map will be applied to data.
- Syntax:  $\text{map} : (A \Rightarrow B) \Rightarrow F[A] \Rightarrow F[B]$

```
List(1, 2, 3).map(_ + 1)
```

```
// res0: List[Int] = List(2, 3, 4)
```

We specify the function to apply, and the map ensures it is applied to every item.

The values change but the structure of the list remains the same.

```
Vector(1, 2, 3).map(_._toString)
```

```
val x: Option[Int] = Some(1)
```

```
val y: Int = 2
```

```
val m: Int = 2
```

```
val z = x.map(a => (a+y) * m)
```

```
//or with the help of associative law
```

```
val z = x
```

```
  .map(_ + y)
```

```
  .map(_ * m)
```



# MONADS

- In Scala the data types that implements *map* as well as *flatMap()* like Options, Lists, etc. are called as *Monads*.
- Monads are functors that also support `unit()` and `flatMap()` methods.
  - `unit()` : It is like void in Java, it does not returns any data types.
  - `flatMap()` : It is similar to the `map()` in Scala but it returns a series in place of returning a single component.
- Informally, a monad is a container of elements, notated as `F[_]`, packed with 2 functions: `flatMap` (to transform this container) and `unit` (to create this container).



# MONADS

```
// Creating list of numbers
```

```
val list1 = List(1, 2, 3, 4)
```

```
val list2 = List(5, 6, 7, 8)
```

```
// Applying 'flatMap' and 'map'
```

```
val z = list1 flatMap { q => list2 map {
```

```
    r => q + r
```

```
}
```

```
}
```

```
// Displays output
```

```
println(z)
```

```
List(6, 7, 8, 9, 7, 8, 9, 10, 8, 9, 10, 11, 9, 10, 11, 12)
```



# MONAD LAWS

- These functions must satisfy three laws:

1. *Associativity*:  $(m \text{ flatMap } f) \text{ flatMap } g = m \text{ flatMap } (x \Rightarrow f(x) \text{ flatMap } g)$

That is, if the sequence is unchanged you may apply the terms in any order. Thus, applying  $m$  to  $f$ , and then applying the result to  $g$  will yield the same result as applying  $f$  to  $g$ , and then applying  $m$  to that result.

2. *Left unit*:  $\text{unit}(x) \text{ flatMap } f == f(x)$

That is, the unit monad of  $x$  flat-mapped across  $f$  is equivalent to applying  $f$  to  $x$ .

3. *Right unit*:  $m \text{ flatMap } \text{unit} == m$

This is an 'identity': any monad flat-mapped against unit will return a monad equivalent to itself.



Example:

# MONAD LAWS

```
val m = List(1, 2, 3)
def unit(x: Int): List[Int] = List(x)
def f(x: Int): List[Int] = List(x * x)
def g(x: Int): List[Int] = List(x * x * x)
val x = 1
```

## 1. *Associativity:*

```
(m flatMap f).flatMap(g) == m.flatMap(x => f(x) flatMap g) //Boolean = true
//Left side:
List(1, 4, 9).flatMap(g) // List(1, 64, 729)
//Right side:
m.flatMap(x => (x * x) * (x * x) * (x * x)) //List(1, 64, 729)
```

## 2. *Left unit*

```
unit(x).flatMap(x => f(x)) == f(x)
List(1).flatMap(x => x * x) == 1 * 1
```

## 3. *Right unit*

```
//m flatMap unit == m
m.flatMap(unit) == m
List(1, 2, 3).flatMap(x => List(x)) == List(1,2,3) //Boolean = true
```