

# Códigos para el estudio de campos escalares

José Manuel Torres

Cinvestav

31 de Agosto, 2017

- 1 Recursos
- 2 Olliopic
- 3 HAD (Hyper AMR Driver)

1 Recursos

2 Olliaptic

3 HAD (Hyper AMR Driver)

- Cluster Beowulf
- 34 nodos de cómputo
- Sistema Rocks

- Cluster híbrido CPU/GPU
- 6222 Cores / 37414 CudaCores
- <http://clusterhibrido.cinvestav.mx/>

- <http://www.abacus.cinvestav.mx>
- 7504 Cores / 288000 CudaCores

- 1 Recursos
- 2 Olliopic
- 3 HAD (Hyper AMR Driver)

- Desarrollado por Pablo Galaviz
- [https://github.com/pablogalaviz/olliptic\\_g4](https://github.com/pablogalaviz/olliptic_g4)
- Schrödinger-Poisson
- Instalado en Ekbek



$$i\hbar \frac{\partial \psi}{\partial t} = -\frac{\hbar^2}{2m} \nabla^2 \psi + m\Phi \psi \quad (1)$$

$$\nabla^2 \Phi = 4\pi(\rho - \bar{\rho}), \quad \rho = |\psi|^2 \quad (2)$$

- 1 Recursos
- 2 Olliptic
- 3 HAD (Hyper AMR Driver)**

- Colaboración con Carlos Palenzuela
- <http://relativity.phys.lsu.edu/postdocs/matt/had.html>
- Requiere librerías adicionales
- Sistema Z4/Klein-Gordon

Extensión covariante a las ecuaciones de Einstein (vector  $Z^a$ )

$$R_{ab} + \nabla_a Z_b + \nabla_b Z_a = 8\pi \left( T_{ab} - \frac{1}{2} g_{ab} T \right) + \kappa_Z (n_a Z_b + n_b Z_a - g_{ab} n^c Z_c) \quad (3)$$

$$\nabla^2 \phi = \frac{dV}{d|\phi|^2} \phi \quad (4)$$

