

Programming with C++

COMP2011: C++ Basics II

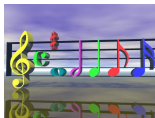
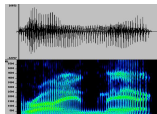
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Part I

More Basic Data Types in C++



TYPES	COMMON SIZE(#BYTES ON A 32-BIT MACHINE)	VALUE RANGE
bool	1	{ true, false }
char	1	[-128, 127]
short	2	[-32768, 32767]
int	4	$[-2^{31}, 2^{31} - 1]$
long	4	$[-2^{31}, 2^{31} - 1]$
float	4	$\pm [1.17549\text{E-}38, 3.40282\text{E+}38]$
double	8	$\pm [2.22507\text{E-}308, 1.79769\text{E+}308]$

- Not all numbers of a type can be represented by a computer.
- It depends on how many bytes you use to represent it: with more bytes, more numbers can be represented.

Find Out Their Sizes using `sizeof`

```
#include <iostream>      /* File: value.cpp */
using namespace std;

int main()
{
    cout << "sizeof(bool) = " << sizeof(bool) << endl;
    cout << "sizeof(char) = " << sizeof(char) << endl;
    cout << "sizeof(short) = " << sizeof(short) << endl;
    cout << "sizeof(int) = " << sizeof(int) << endl;
    cout << "sizeof(long) = " << sizeof(long) << endl;
    cout << "sizeof(long long) = " << sizeof(long long) << endl;
    cout << "sizeof(float) = " << sizeof(float) << endl;
    cout << "sizeof(double) = " << sizeof(double) << endl;
    cout << "sizeof(long double) = " << sizeof(long double) << endl;

    return 0;
}
```

Size of Basic Types on 2 Computers

on a 32-bit machine

```
sizeof(bool) = 1
sizeof(char) = 1
sizeof(short) = 2
sizeof(int) = 4
sizeof(long) = 4
sizeof(long long) = 8
sizeof(float) = 4
sizeof(double) = 8
sizeof(long double) = 12
```

on a 64-bit machine

```
sizeof(bool) = 1
sizeof(char) = 1
sizeof(short) = 2
sizeof(int) = 4
sizeof(long) = 8
sizeof(long long) = 8
sizeof(float) = 4
sizeof(double) = 8
sizeof(long double) = 16
```

- Note that the figures may be different on your computer.
- A 32(64)-bit machine uses CPUs of which the data bus width and memory address width are 32 (64) bits.

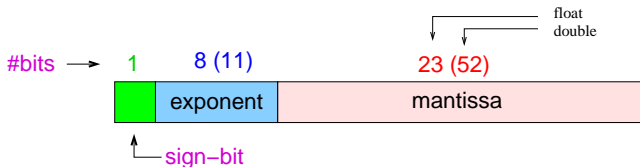
Integers

- Type names: `short (int)`, `int`, `long (int)`, `long long (int)`
- Their sizes depend on the CPU and the compiler.
- ANSI C++ requires:
size of `short` \leq size of `int` \leq size of `long` \leq size of `long long`
- e.g., What are the numbers that can be represented by a 2-byte `short int`?
- Each integral data type has 2 versions:
 - `signed` version: represents both +ve and -ve integers.
e.g. `signed short`, `signed int`, `signed long`
 - `unsigned` version: represents only +ve integers.
e.g. `unsigned short`, `unsigned int`, `unsigned long`
- `signed` versions are the default.
- Obviously `unsigned int` can represent 2 times more +ve integers than `signed int`.

Floating-Point Data Types

- Floating-point numbers are used to represent real numbers and very large integers (which cannot be held in **long long**).
- Type names:
 - **float** for **single-precision** numbers.
 - **double** for **double-precision** numbers.
- **Precision**: For decimal numbers, if you are given more decimal places, you may represent a number to higher precision.
 - for 1 decimal place: 1.1, 1.2, 1.3, ... etc.; can't get 1.03.
 - for 2 decimal places: 1.01, 1.02, 1.03, ... etc.; can't get 1.024.
- In **scientific notation**, a number has 2 components. e.g., 5.16E-02
 - **mantissa**: 5.16
 - **exponent**: -2
- More mantissa bits \Rightarrow higher precision.
- More exponent bits \Rightarrow larger real number.

Floating-Point Data Types ..



- Many programming language uses the IEEE 754 floating-point standard.
- Binary Representation of mantissa: e.g.

$$1.011_2 = 1 \times 2^0 + 0 \times 2^{-1} + 1 \times 2^{-2} + 1 \times 2^{-3}$$

- Binary Representation of exponent: signed integer
- All floating-point data types in C++ are signed.
- ANSI C++ requires: size of **float** \leq size of **double**

Question: Can every real number be represented by **float** in C++?

Integer Arithmetic and Floating-Point Arithmetic

- Arithmetic expressions involving *only* integers use *integer arithmetic*.
- Arithmetic expressions involving *only* floating-point numbers use *floating-point arithmetic*.
- For $+$, $-$, \times operations, results should be what you expect.
- However, *integer division* and *floating-point division* may give different results. e.g.,
 - $10/2 = 5$ and $10.0/2.0 = 5.0$
 - $9/2 = 4$ and $9.0/2.0 = 4.5$
 - $4/8 = 0$ and $4.0/8.0 = 0.5$

Example: Continuously Halving a float Number

```
#include <iostream>      /* File: halving-float.cpp */
using namespace std;

int main()
{
    int HALF = 2;         // Reduce the number by this factor
    int count = 0;        // Count how many times that x can be halved
    float x;              // Number to halve

    cout << "Enter a positive number: ";
    cin >> x;

    while (x > 0.1)
    {
        cout << "Halving " << count++ << " time(s); "
              << "x = " << x << endl;
        x /= HALF;
    }

    return 0;
}
```

Example: Continuously Halving a float Number ..

```
Enter a positive number: 7
Halving 0 time(s); x = 7
Halving 1 time(s); x = 3.5
Halving 2 time(s); x = 1.75
Halving 3 time(s); x = 0.875
Halving 4 time(s); x = 0.4375
Halving 5 time(s); x = 0.21875
Halving 6 time(s); x = 0.109375
```

Example: Continuously Halving an int Number

```
#include <iostream>          /* File: halving-int.cpp */
using namespace std;

int main()
{
    int HALF = 2;             // Reduce the number by this factor
    int count = 0;            // Count how many times that x can be halved
    int x;                    // Number to halve

    cout << "Enter a positive number: ";
    cin >> x;

    while (x > 0.1)
    {
        cout << "Halving " << count++ << " time(s); "
              << "x = " << x << endl;
        x /= HALF;
    }

    return 0;
}
```

Example: Continuously Halving an int Number ..

Enter a positive number: 7

Halving 0 time(s); x = 7

Halving 1 time(s); x = 3

Halving 2 time(s); x = 1

Boolean Data Type

- Type name: **bool**.
- Used to represent the **truth value**, **true** or **false** of logical (boolean) expressions like:

$a > b$ $x + y == 0$ `true && false`

- Since C++ evolves from C, C++ follows C's convention:
 - **zero** may be interpreted as **false**.
 - **non-zero values** may be interpreted as **true**.
- However, since internally everything is represented by 0's and 1's,
 - **false** is represented as **0**.
 - **true** is represented as **1**.
- Even if you put other values to a **bool** variable, its **internal value** always is changed back to either **1** or **0**.

Example: Output Boolean Values

```
#include <iostream>      /* File: boolalpha.cpp */
using namespace std;

int main()
{
    bool x = true;
    bool y = false;

    // Default output format of booleans
    cout << x << " && " << y << " = " << (x && y) << endl << endl;

    cout << boolalpha;    // To print booleans in English
    cout << x << " && " << y << " = " << (x && y) << endl << endl;

    cout << noboolalpha;  // To print booleans in 1 or 0
    cout << x << " && " << y << " = " << (x && y) << endl;

    return 0;
}
```

Example: Use of bool Variables

```
#include <iostream>          /* File: bool-blood-donation.cpp */
using namespace std;

int main()
{
    char donor_blood_type, recipient_blood_type;
    bool exact_match, match_all;

    cout << "Enter donor's bloodtype: A, B, C (for AB), and O. ";
    cin >> donor_blood_type;
    cout << "Enter recipient's bloodtype: A, B, C (for AB), and O. ";
    cin >> recipient_blood_type;

    exact_match = (donor_blood_type == recipient_blood_type);
    match_all = (donor_blood_type == 'O');

    if (exact_match || match_all)
        cout << "Great! A donor is found!" << endl;
    else
        cout << "Keep searching for the right donor." << endl;

    return 0;
}
```


Underflow and Overflow in Integral Data Types

- **Overflow:** occurs when a data type is used to represent a number **larger** than what it can hold. e.g.
 - if you use a **short int** to store HK's population.
 - when a **short int** has its max value of 32767, and you want to add 1 to it.
- **Underflow:** occurs when a data type is used to represent a number **smaller** than what it can hold. e.g.
 - use an **unsigned int** to store a -ve number.

Underflow and Overflow in Floating-Point Data Types

- **Underflow**: when the -ve exponent becomes too large to fit in the **exponent field** of the floating-point number.
- **Overflow**: when the +ve exponent becomes too large to fit in the **exponent field** of the floating-point number.
- To prevent these from happening, use **double** if memory space allows.
- In fact, all **floating literals** (e.g., 1.23) is treated as **double** unless explicitly specified by a **suffix** (e.g., 1.23f).

Part II

Type Checking and Type Conversion



Type Checking and Coercion

Analogy:

BLOOD TYPES	
RECEIVER	DONOR
A	A, O
B	B, O
AB	A, B, AB, O
O	O

- For most languages, data types have to be **matched** during an operation \Rightarrow **type checking**.
- However, sometimes, a type is **made compatible** with a different type \Rightarrow **coercion**.

Operand Coercion

Coercion is the automatic conversion of the data type of operands during an operation.

- Example: $3 + 2.5 \Rightarrow \text{int} + \text{double}$.
- The C++ compiler will automatically change it to $3.0 + 2.5 \Rightarrow \text{double} + \text{double}$
- Thus, the **integer** 3 is **coerced** to the **double** 3.0.

Example: Convert a Small Character to Capital Letter

```
char small_y, big_y;  
cin >> small_y;           // Character in small case  
big_y = small_y + 'A' - 'a'; // Character in big case
```

Here `big_y`, `small_y`, `'A'`, and `'a'` are “**coerced**” by “**promoting**” it to **int** before addition. The result is converted back (or coerced) to **char**.

Priority Rules for the Usual Arithmetic Conversions for Binary Operations

- If **either** operand is of type **long double**, convert the other operand also to **long double**.
- If **either** operand is of type **double**, convert the other operand also to **double**.
- If **either** operand is of type **float**, convert the other operand also to **float**.
- Otherwise, the **integral promotions** shall be performed on **both** operands.
 - Similar rules are used for integral promotion of the operands.
 - Compute using integer arithmetic.

Question: What is the result of 3/4?

Automatic Type Conversion During Assignment

Examples

```
float x = 3.2;           // Initialize x with 3.2 by assignment
double y = 5.7;          // Initialize y with 5.7 by assignment

short k = x;             // k = ?
int n;
n = y;                   // n = ?
```

- Since `float|double` can hold numbers bigger than `short | int`, the assignment of `k` and `n` in the above program will cause the compiler to issue a warning — not an error.

Compiler Warnings

```
a.cpp:9: warning: converting to 'short int' from 'float'
a.cpp:11: warning: converting to 'int' from 'double'
```

- A **narrowing conversion** changes a value to a data type that might not be able to hold some of the possible values.
- A **widening conversion** changes a value to a data type that can accommodate any possible value of the original data.
- C++ uses **truncation** rather than **rounding** in converting a `float|double` to `short | int | long`.

Manual Type Conversion (Casting)

```
int k = 5;  
int n = 2;  
float x = n/k;           // What is the value of x?
```

- In the above example, one can get $x = 0.4$ by manually converting n and/or k from `int` to `float|double`.

Syntax: `static_cast` for manual type casting

`static_cast<data-type> (value)`

- No more warning messages on narrowing conversion.

```
int k = 5, n = 2;  
float x = static_cast<double>(n)/k;  
float y = n/static_cast<double>(k);  
float z = static_cast<double>(n)/static_cast<double>(k);
```

Part III

Constants



Literal Constants

- Constants represent **fixed** values, or **permanent** values that **cannot** be modified (in a program).
- Examples of **literal constants**:
 - **char** constants: 'a', '5', '\n'
 - **string** constants: "hello world", "don't worry, be happy"
 - **int** constants: 123, 456, -89
 - **double** constants: 123.456, -2.90E+11

Symbolic Constants

- A **symbolic constant** is a **named constant** with an identifier name.
- The rule for identifier names for constants is the same as that for variables. However, by convention, constant identifiers are written in **capital letters**.
- A symbolic constant must be **defined** and/or **declared** before it can be used. (Just like variables or functions.)
- Once defined, **symbolic constants cannot** be changed!

Syntax: Constant Definition

```
const <data-type> <identifier> = <value> ;
```

Example

```
const char BACKSPACE = '\b';  
const float US2HK = 7.80;  
const float HK2RMB = 0.86;  
const float US2RMB = US2HK * HK2RMB;
```

Why Symbolic Constants?

Compared with literal constants, symbolic constants are preferred because they are

- **more readable**. A literal constant does not carry a **meaning**.
e.g. the number 320 cannot tell you that it is the enrollment quota of COMP2011 in 2015.

```
const int COMP2011_QUOTA = 320;
```

- **more maintainable**. In case we want to increase the quota to 400, we only need to make the change in **one** place: the **initial value** in the definition of the constant COMP2011_QUOTA.

```
const int COMP2011_QUOTA = 400;
```

- **type-checked** during compilation.

Remark: Unlike variable definitions, **memory** is **not** allocated for constant definitions with only few exceptions.

Example: Use of Symbolic Constants

```
#include <iostream>      /* File: symbolic-constant.cpp */
#include <cmath>          // For calling the ceil() function
using namespace std;

int main()
{
    const int COMP2011_QUOTA = 320;
    const float STUDENT_2_PROF_RATIO = 100.0;
    const float STUDENT_2_TA_RATIO = 40.0;
    const float STUDENT_2_ROOM_RATIO = 100.0;

    cout << "COMP2011 requires "
         << ceil(COMP2011_QUOTA/STUDENT_2_PROF_RATIO)
         << " instructors, "
         << ceil(COMP2011_QUOTA/STUDENT_2_TA_RATIO)
         << " TAs, and "
         << ceil(COMP2011_QUOTA/STUDENT_2_ROOM_RATIO)
         << " classrooms" << endl;

    return 0;
}
```