(a) Weight capacity:
$$600(X_{11}+X_{21}+X_{31}+X_{41}+X_{51}+X_{61})+750(X_{12}+X_{22}+X_{32}+X_{42}+X_{52}+X_{62})\geq 200+180+310+80+120+60$$

Box capacity: $X_{11}+X_{21}+X_{31}+X_{41}+X_{51}+X_{61}\leq 4$
 $X_{12}+X_{22}+X_{32}+X_{42}+X_{52}+X_{62}\leq 5$
 $X_{12}+X_{22}+X_{32}+X_{42}+X_{52}+X_{62}+X_{11}+X_{21}+X_{31}+X_{41}+X_{51}+X_{61}=6$
 $X_{12}+X_{22}+X_{32}+X_{42}+X_{52}+X_{62}=X_{11}+X_{21}+X_{31}+X_{41}+X_{51}+X_{61}$

(b) Let d_1^+, d_1^- be the deviations for weight loaded by truck 1 from 445 (half of the total weight of boxes)

Let d_2^+, d_2^- be the deviations for weight loaded by truck 2 from 445 (half of the total weight of boxes)

Let d_3^+, d_3^- be the deviations for number of boxes loaded by truck 1 from 3(half of the total number of boxes)

Let d_4^+, d_4^- be the deviations for number of boxes loaded by truck 2 from 3(half of the total number of boxes)

$$600(X_{11} + X_{21} + X_{31} + X_{41} + X_{51} + X_{61}) - d_1^+ + d_1^- = 445$$

$$750(X_{12} + X_{22} + X_{32} + X_{42} + X_{52} + X_{62}) - d_2^+ + d_2^- = 445$$

$$X_{12} + X_{22} + X_{32} + X_{42} + X_{52} + X_{62} - d_3^+ + d_3^- = 3$$

$$X_{12} + X_{22} + X_{32} + X_{42} + X_{52} + X_{62} = 3$$

(3) Minimize $d_1^+ + d_1^- + d_2^+ + d_2^- + d_3^+ + d_3^- + d_4^+ + d_4^-$